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Running Expressions with Equalities: Increasing and Decreasing Orders - I

Inder J. Taneja[1]

Abstract

In previous work [12], running inequalities are written in terms of 1 to 9 and 9 to 1 or 9 to 0 separated by single or double equality signs. Each digits is used with basic operations, along with **factorial** and **square-root**. These types of equalities, we called as **running expressions**. We have again reorganized the same work in such a way that increasing decreasing cases are written together. This part contains the the results from 0 to 999. For 4 digits onwards the results are given in second part.

I N D E X

The work is divided in following sections and subsections:

1 Introduction

Before starting the work, below are some representations of numbers in different situations done by author [18, 19] . The work is for 9 digits from 1 to 9 in increasing case and 9 or 10 digits, i.e., from 9 to 1 or 9 to 0 in the decreasing case. In some cases, the results are symmetric and are uses all the 10 digits, i.e., from 0 to 9. In this cases exponents are of same digits of bases but with different permutations.

[1]*Formerly, Professor of Mathematics, Universidade Federal de Santa Catarina, 88.040-900 Florianópolis, SC, Brazil.*
E-mail: ijtaneja@gmail.com; Web-site: inderjtaneja.wordpress.com

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1.1 Crazy Representations of Natural Numbers

In 2014, author [9] wrote natural numbers in increasing and decreasing orders of 1 to 9 and 9 to 1. See examples below:

$$\begin{aligned}
100 &= 1+2+3+4+5+6+7+8\times 9 &&= 9\times 8+7+6+5+4+3+2+1.\\
101 &= 1+2+34+5+6\times 7+8+9 &&= 9\times 8+7+6+5+4+3\times 2+1.\\
102 &= 12+3\times 4\times 5+6+7+8+9 &&= 9+8+7+6+5+4^3+2+1.\\
103 &= 1\times 2\times 34+5+6+7+8+9 &&= 9+8+7\times 6+5\times 4+3+21.\\
104 &= 1+23+4+5+6+7\times 8+9 &&= 9+8+7+65+4\times 3+2+1.\\
105 &= 1+2\times 3\times 4+56+7+8+9 &&= 9+8\times 7+6\times 5+4+3+2+1.\\
106 &= 12+3+4\times 5+6+7\times 8+9 &&= 9+8\times 7+6\times 5+4+3\times 2+1.\\
107 &= 1\times 23+4+56+7+8+9 &&= 9+8+76+5+4+3+2\times 1.\\
108 &= 1+2+3+4+5+6+78+9 &&= 9+8+76+5+4+3+2+1.
\end{aligned}$$

For comments on this work see [1, 2, 7, 8].

1.2 Flexible Power Representations

Instead working with increasing and decreasing cases separated, here we worked in such a way that the results are always symmetric. This we have done using all the 10 digits, i.e., from 0 to 9. The results obtained are symmetric, i.e., writing in 0 to 9 or 9 to 0, the resulting number is same. The idea used is in such a way that numbers are written in 0 to 9 with permutations of powers also used the same digits i.e., 0 to 9. See below some examples,

$$\begin{aligned}
201 &:= 0^3+1^9+2^4+3^7-4^8+5^1+6^6+7^5+8^2+9^0.\\
202 &:= 0^0+1^9+2^6+3^8-4^7+5^5+6^3+7^2+8^1+9^4.\\
203 &:= 0^3-1^9+2^4+3^7-4^8+5^0+6^6+7^5+8^2+9^1.\\
204 &:= 0^8+1^9+2^5+3^7-4^6+5^1+6^4+7^2+8^0+9^3.\\
205 &:= 0^3+1^9+2^4+3^7-4^8+5^0+6^6+7^5+8^2+9^1.\\
206 &:= 0^7-1^9-2^5-3^8+4^6+5^1+6^3+7^4+8^0+9^2.\\
207 &:= 0^8+1^9+2^5+3^7-4^6+5^0+6^4+7^2+8^1+9^3.\\
208 &:= 0^7+1^9-2^5-3^8+4^6+5^1+6^3+7^4+8^0+9^2.\\
209 &:= 0^7-1^9-2^5-3^8+4^6+5^0+6^3+7^4+8^1+9^2.\\
210 &:= 0^5-1^7-2^8-3^9+4^1+5^6+6^0+7^3+8^4+9^2.\\
211 &:= 0^7+1^9-2^5-3^8+4^6+5^0+6^3+7^4+8^1+9^2.\\
212 &:= 0^5+1^7-2^8-3^9+4^1+5^6+6^0+7^3+8^4+9^2.\\
213 &:= 0^5+1^8-2^7-3^9+4^1+5^6+6^3+7^0+8^4+9^2.\\
214 &:= 0^5+1^7-2^8-3^9+4^0+5^6+6^1+7^3+8^4+9^2.\\
215 &:= 0^5+1^9+2^8+3^7-4^6+5^0+6^4+7^2+8^3+9^1.
\end{aligned}$$

For complete representations of numbers from 0 to 11111 refer to author's work [17]:

1.3 Pyramidical-Type Representations

Following of the same idea of subsection 1.2, below are numbers with pyramid-type representations:

$$\begin{aligned}\bullet\ 22 &= 0^1 - 1^0 - 2^2 + 3^3\\ &= 0^2 + 1^3 + 2^4 + 3^0 + 4^1\\ &= 0^4 - 1^5 + 2^3 + 3^2 + 4^0 + 5^1\\ &= 0^2 + 1^6 + 2^5 - 3^4 + 4^3 + 5^1 + 6^0\\ &= 0^5 + 1^7 - 2^6 - 3^4 + 4^1 + 5^3 + 6^2 + 7^0\\ &= 0^1 + 1^4 + 2^8 + 3^5 - 4^7 + 5^6 + 6^3 + 7^0 + 8^2\\ &= 0^6 - 1^9 + 2^8 - 3^7 + 4^5 + 5^4 + 6^3 + 7^1 + 8^0 + 9^2.\end{aligned}$$

$$\begin{aligned}\bullet\ 1089 &= 0^1 + 1^0 + 2^3 + 3^4 + 4^5 - 5^2\\ &= 0^4 - 1^6 + 2^1 + 3^3 + 4^5 + 5^0 + 6^2\\ &= 0^2 + 1^6 - 2^7 + 3^5 + 4^1 + 5^4 + 6^0 + 7^3\\ &= 0^0 - 1^7 + 2^4 - 3^8 + 4^6 + 5^5 + 6^1 + 7^3 + 8^2\\ &= 0^6 - 1^9 + 2^7 - 3^8 + 4^1 + 5^5 + 6^3 + 7^0 + 8^4 + 9^2.\end{aligned}$$

$$\begin{aligned}\bullet\ 1179 &= 0^1 + 1^0 + 2^5 + 3^6 + 4^4 + 5^3 + 6^2\\ &= 0^2 + 1^6 + 2^4 - 3^7 + 4^0 + 5^5 + 6^3 + 7^1\\ &= 0^6 + 1^7 - 2^8 + 3^5 + 4^1 + 5^4 + 6^0 + 7^2 + 8^3\\ &= 0^6 + 1^9 - 2^8 - 3^7 + 4^5 + 5^3 + 6^1 + 7^4 + 8^2 + 9^0.\end{aligned}$$

The digits appearing in bases and exponents are same in each case. For complete representations of natural numbers from 0 to 1500 refer to [15, 16]:

1.4 Single Digit Representations

In subsection 1.1, all the nine digits are used to write natural numbers. Here the work is done writing numbers for each digit separately. See examples below:

$$\begin{aligned}717 &= (1+1)^{11} - 11^{(1+1+1)}\\ &= 22^2 + 222 + 22/2\\ &= 3^{(3+3)} - 3 - 3\times 3\\ &= 4\times(4\times 44+4) - 4 + 4/4\\ &= (55\times(55+5+5)+5+5)/5\\ &= (6\times 6/(6+6))^6 - 6 - 6\\ &= 777 - 7\times 7 - 77/7\\ &= 8\times 88 + (88+8+8)/8\\ &= 9\times 9\times 9 - (99+9)/9.\end{aligned}$$

$$\begin{aligned}995 &= (11-1)^{(1+1+1)} - (11-1)/(1+1)\\ &= 22 + 2\times(22^2+2) + 2/2\\ &= 3\times 333 - 3 - 3/3\\ &= 4\times(4^4 - 4 - 4) + 4 - 4/4\\ &= 5\times(5+5)\times(5\times 5-5) - 5\\ &= 666 + 6\times 66 - 66 - 6/6\\ &= (7+7)\times(77-7) + 7 + 7 + 7/7\\ &= 888 + 88 + 8 + 88/8\\ &= 999 - (9+9+9+9)/9.\end{aligned}$$

Values are calculated up to 1.000.000, but the work is written only from 0 to 1000. For details, refer to [10]:

1.5 Single Letter Representations

We observe that the numbers written in previous subsection 1.4 are not in a symmetrical way. But there are numbers, that can be written in a symmetric way. Motivated by this idea, instead working for each digit separately, we can work with a **single letter** "a" . See examples below:

$$\begin{aligned}
5 &:= (aa-a)/(a+a). & 1089 &:= (aaaa-aa-aa)/a.\\
6 &:= (aa+a)/(a+a). & 1991 &:= (aaaaaa/aaa\times(a+a)-aa)/a.\\
55 &:= (aaa-a)/(a+a). & 2020 &:= (aaaaa-a)/aa\times(a+a)/a.\\
56 &:= (aaa+a)/(a+a). & 2035 &:= (aaaa-a)/(a+a+a)\times aa/(a+a).\\
561 &:= (aaaa+aa)/(a+a). & 4477 &:= (aaa/(a+a+a)\times aa\times aa)/(a\times a).\\
666 &:= aaa\times(aa+a)/((a+a)\times a). & 4999 &:= (aaaaa-aaaa-a-a)/(a+a).\\
925 &:= (aaaaa-aa)/(aa+a). & 5000 &:= (aaaaa-aaaa)/(a+a).
\end{aligned}$$

where $a\in\{1,2,3,4,5,6,7,8,9\}$, and $aa=10^2\times a+a$, $aaa=10^3\times a+10^2\times a+a$, etc.

For full work, refer to [11, 13]. The first reference is up to 3000 [11] numbers, while second reference extend it to 5000 [13] numbers.

For study on numbers in different situations refer to [3, 4, 5, 6]. Summary of above work can be seen in [18, 19].

1.6 Running Expressions

Previous section 1 give idea how we can write natural numbers in different situations using 9 or 10 digits. In this section also we shall do similar kind of work, but in little different way. It is based on the idea of subsection 1.1. We divide the numbers in equal parts, two or three in such a way that the results are increasing and decreasing order of 9 or 10 digits, for example we can write,

$$\begin{aligned}
1^{234} &= (5+67)/(8\times 9)\\
98/7+6 &= 54/3+2\times 1.
\end{aligned}$$

Below are more examples, written in increasing and decreasing ways:

- **Increasing Order**

$$\begin{aligned}
12 &= 3+4+(5\times 6+7+8)/9\\
123 &= 4+5+6\times 7+8\times 9\\
1234 &= -5+6!\ +7+8^{\sqrt{9}}
\end{aligned}$$

$$\begin{aligned}
12+3\times 4+5\times(6+7) &= 89\\
1+23+45+6! &= 789
\end{aligned}$$

... (1)

- **Decreasing Order**

$$\begin{aligned} 98-7\times(6+5)\times(4-3) &= 21 \\ \sqrt{9}\times 87+6+54 &= 321 \\ 9-8+7!-6\times 5! &= 4321 \end{aligned}$$

$$\begin{aligned} 9-8+7-6+5+4-3+2 &= 10 \\ 9\times(8+7)+6+5+4^3 &= 210 \\ (9-87+6!)\times 5!\,/4! &= 3210 \end{aligned}$$

$$\begin{aligned} 98 &= (7+6)\times 5+4\times 3+21 \\ 987 &= 6!\ +5!\ +(4+3)\times 21 \end{aligned}$$

$$\begin{aligned} 98 &= 7+65+4+32-10 \\ 987 &= 6!+54+3+210 \end{aligned}$$

... (2)

Above examples give representations separated by equality sign having the digits in either increasing and/or decreasing orders. There are numbers that can be written in increasing as well as decreasing orders at the same time with single or double equality signs, such as

- **16** $:= 12/3\times 4 \quad = 5+6+(7+8)/\sqrt{9}$
  $:= (9+87)/6 = 5+4+3\times 2+1.$

- **18** $= 12+3! \quad = \sqrt{4+5}\times 6 = 7+8+\sqrt{9}$
  $= \sqrt{9}+8+7 = \sqrt{6\times 54} \quad = -3+21 \ = \ 3!+2+10.$

- **120** $:= (1\times 2+3)! \quad = 4\times 5\times 6 = ((7+8)/\sqrt{9})!$
  $:= ((\sqrt{9})!-8+7)! = 6\times 5\times 4 = (3\times 2-1)! \quad = 3!\times 2\times 10$

... (3)

The examples given in (3) divides the numbers in two and three parts respectively with equality signs using the numbers in increasing as well as decreasing orders. We observe that the operations used are **addition, subtraction, multiplication, division, potentiation, factorial** and **square-root**. This work is a revision of of previous work [12]. This work is divided in two parts. First part give the numbers up to 3 digits. 4, 5 and 6 digits results are given in section part [20]. Increasing and decreasing orders are put together. **Factorial** and **square-root** are used along with basic operations. In continuation, the work is extended with use of **Fibonacci sequence** values. For details see [21, 22].

2 Double Equalities Running Expressions

In this section, we shall give equalities among the expressions divided em three parts as

$$[1,2,3] = [4,5,6] = [7,8,9]$$

in the increasing case, and

$$[9,8,7] = [6,5,4] = [3,2,1] or [3,2,1,0].$$

in the decreasing case. Below are the some possible numbers.

- **1**

$: 1^{23} = (4-5)^6 = (-7+8)^9$

$: (9-8)^7 = (6-5)^4 = 3-2\times 1$

$= (3-2)^{10}$

- **2**

$: 12/3! = \sqrt{4}\times(-5+6) = 7-8+\sqrt{9}$

$: \sqrt{9}-8+7 = 6/\sqrt{5+4} = 3-2+1$

$= 3-(21\times 0)!$

- **3**

$: (-1+2)\times 3 = 4+5-6 = (-7+8)\times\sqrt{9}$

$: \sqrt{9}\times(8-7) = 6-\sqrt{5+4} = 3\times(2-1)$

$= 3+21\times 0$

- **4**

$: 12/3 = 4\times(-5+6) = -7+8+\sqrt{9}$

$: \sqrt{9}+8-7 = (6-5)\times 4 = 3+2-1$

$= \sqrt{3\times 2+10}$

- **5**

$: 1\times 2+3 = 4-5+6 = (7+8)/\sqrt{9}$

$: (\sqrt{9})!-8+7 = 6-5+4 = 3\times 2-1$

- **6**

$: 1\times 2\times 3 = (4+5-6)! = 7+8-9$

$: -9+8+7 = 6\times(5-4)$

$= 3\times 2\times 1$

- **7**

$: 1+2\times 3 = -4+5+6 = 7\times(-8+9)$

$: (9-8)\times 7 = 6+5-4 = 3\times 2+1$

- **8**

$: 1\times 2^3 = \sqrt{4+\sqrt{5\times 6!}} = 7-8+9$

$: 9-8+7 = \sqrt{6!/5}-4 = 3^2-1$

- **9**

$: 12-3 = \sqrt{4+5}+6 = \sqrt{78+\sqrt{9}}$

$: 9\times(8-7) = 6+\sqrt{5+4} = 3^2\times 1$

• **10**

$: 9+8-7 = 6!/5! + 4 = 3^2 + 1$
$= (3-2) \times 10$

• **11**: $\sqrt{9} + 8!/7! = 6 + \sqrt{\sqrt{5^4}} = 3! \times 2 - 1$
$= 3 - 2 + 10$

• **12**

$: 1 \times 2 \times 3! = (\sqrt{4+5})! + 6 = 7 + 8 - \sqrt{9}$
$: -\sqrt{9} + 8 + 7 = 6 + (\sqrt{5+4})! = 3! \times 2 \times 1$
$= (3+2)!/10$

• **13**

$: 1 + 2 \times 3! = \sqrt{4} + 5 + 6 = 78/(\sqrt{9})!$
$: (\sqrt{9!/8!})! + 7 = 6 + 5 + \sqrt{4} = 3! \times 2 + 1$
$= 3!/2 + 10$

• **14**

$: 98/7 = -6 + 5 \times 4 = 3! - 2 + 10$

• **16**

$: 9!/8! + 7 = 6 + 5 \times \sqrt{4} = 3 \times 2 + 10$

• **18**

$: 12 + 3! = \sqrt{4+5} \times 6 = 7 + 8 + \sqrt{9}$
$: \sqrt{9} + 8 + 7 = \sqrt{6 \times 54} = -3 + 21$
$= 3! + 2 + 10$

• **24**

$: 1 + 23 = 4 + 5!/6 = 7 + 8 + 9$
$: 9 + 8 + 7 = (6-5) \times 4! = 3 + 21$

• **31**

$: \sqrt{9} \times 8 + 7 = 6 + \sqrt{5^4} = 32 - 1$

• **35**

$: (-\sqrt{9} + 8) \times 7 = 6 + 5 + 4! = (3!)^2 - 1$
$= 3 + \sqrt{2^{10}}$

• **42**

$: (\sqrt{9!/8!})! \times 7 = 6 \times (5 + \sqrt{4}) = 32 + 10$

• **48**

$: (\sqrt{9})!!/(8+7) = -6 + 54 = 3! \times (-2 + 10)$

• **63**

$: 9!/(8!/7) = 65 - \sqrt{4} = 3 \times 21$

• **64**

$: (9! - 8!)/7! = \sqrt{6! \times 5} + 4 = 32 \times (1 + 0!)$

• **72**

$: 12 \times 3! \quad = \sqrt{4! + 5!} \times 6 = 78 - (\sqrt{9})!$

$: 9 \times 8!/7! = 6!/(5 \times \sqrt{4}) = 3! \times (2 + 10)$

• **80**

$: (9! + 8!)/7! = 6!/(5 + 4) = (3! + 2) \times 10$

• **90**

$: \sqrt{9} + 87 = -6 + 5! - 4! = 3^2 \times 10$

• **120**

$: (1 \times 2 + 3)! \qquad = 4 \times 5 \times 6 = ((7 + 8)/\sqrt{9})!$

$: ((\sqrt{9})! - 8 + 7)! = 6 \times 5 \times 4 = (3 \times 2 - 1)!$

$= 3! \times 2 \times 10$

• **240**

$: \sqrt{(9! + 8!)/7} = 6! - 5! \times 4 = 3!!/(2 + 1)$

• **719**

$: -1 + (2 \times 3)! \ = 4 - 5 + 6! = 7 - 8 + (\sqrt{9})!!$

$: (\sqrt{9})!! - 8 + 7 = 6! - 5 + 4 = (3 \times 2)! - 1$

• **720**

$: (\sqrt{12 \times 3})! \ = 4! \times 5 \times 6 = (-9 + 8 + 7)!$

$: (7 + 8 - 9)! = 6 \times 5 \times 4! = (3 \times 2)! \times 1$

• **721**

$: 1 + (2 \times 3)! \quad = -4 + 5 + 6! = -7 + 8 + (\sqrt{9})!!$

$: (\sqrt{9})!! + 8 - 7 = 6! + 5 - 4 \quad = (3 \times 2)! + 1$

• **727**

$: (\sqrt{9!/8!})!! + 7 = 6! + 5 + \sqrt{4} = 3!! + (2 + 1)! + 0!$

• **840**

$: (-\sqrt{9} + 8)! \times 7 = 6! + 5 \times 4! = 3!! + ((2 + 1)! - 0!)!$

• **4320**

$: -(\sqrt{9!/8!})!! + 7! = 6 \times (\sqrt{5 + 4})!! = 3!! \times (2 + 1)!$

• **5040**

$: (1+2\times 3)! = (-4+5+6)! = 7!\times(-8+9)$

$: (9-8)\times 7! = (6+5-4)! \quad = (3\times 2+1)!$

• **5046**

$: (\sqrt{9!/8!})! + 7! = 6 + (5+\sqrt{4})! = 3! + ((2+1)! + 0!)!$

• **5760**

$: (\sqrt{9})!! \times 8!/7! = 6! + (5+\sqrt{4})! = 3!! \times (-2+10)$

• **15120**

$: \sqrt{9!/8!} \times 7! = 6! + 5!^{\sqrt{4}} = 3!! \times 21$

• **17280**

$: \sqrt{9} \times 8!/7 = 6 \times 5! \times 4! = 3!! \times (2+1+0!)!$

• **30240**

$: \sqrt{9!/8!!} \times 7! = 6 \times (5+\sqrt{4})! = 3! \times ((2+1)! + 0!)!$

• **40320**

$: 1 \times (2^3)! \quad = \sqrt{4+\sqrt{5\times 6!!}} = (7-8+9)!$

$: (9-8+7)! = (\sqrt{6!/5}-4)! \quad = (3^2-1)!$

• **279936**

$: (\sqrt{9!/8!!})^7 = 6^{5+\sqrt{4}} = 3!^{(2+1)!+0!}$

• **362880**

$: (12-3)! \quad = (\sqrt{4+5}+6)! = 7!\times 8\times 9$

$: 9!\times(8-7) = (6+\sqrt{5+4})! = (3^2\times 1)!$

3 Single Equality Running Expressions

In the previous section 2, we gave running expressions with double equalities in increasing and decreasing orders together. Unfortunately, there are only few examples. Below are examples of single equality running expressions. The results for increasing and decreasing orders are together. The examples are only up to 999. Further order, i.e., for higher digits, i.e., for 4, 5, 6 digits etc. are given in [20].

3.1 Increasing and Decreasing Orders

• 0

$: 9-8-7+6 = (5-4)^{32}-1$

$: 12/3-4 \quad = (56/7-8)\times 9$

• 1

$: 1^2 \quad = (-3+4)^{56789}$

$: 1^{23} \quad = (-4+5)^{6789}$

$: 1^{234} \quad = (-5+6)^{789}$

$: 1^{2345} \quad = (-6+7)^{89}$

$: 1^{23456} \quad = (-7+8)^{9}$

• 1

$: (9-8)^7 \quad = (6-5)^{4321}$

$: (9-8)^{76} \quad = (5-4)^{321}$

$: (9-8)^{765} \quad = (4-3)^{21}$

$: (9-8)^7 \quad = (654321\times 0)!$

$: (9-8)^{76} \quad = (54321\times 0)!$

$: (9-8)^{765} \quad = (4-3)^{210}$

$: (9-8)^{7654} = (3-2)^{10}$

• 2

$: 1^{23}-4+5 \quad = 6+7-8-\sqrt{9}$

$: 1^{234}-5+6 = 7-8+\sqrt{9}$

$: 12/3! \quad = 45-6\times 7+8-9$

$: \sqrt{9}-8+7 \quad = (6-5)^{432}+1$

$: \sqrt{9}-8+7 \quad = 6\times 5-4-3-21$

• 3

$: 1\times 2-3+4 \quad = 56-7\times 8+\sqrt{9}$

$: 1+2 \quad = 3+4\times (56/7-8)\times 9$

$: \sqrt{12-3} \quad = 4-(5+67)/(8\times 9)$

$: \sqrt{9\times (8-7)} = 6\times 54-321$

$: \sqrt{9\times (8-7)} = 6+5\times 4-3-2\times 10$

• 4

$: 1^{23}\times 4 \quad = 5-(-6+7)^{89}$

$: (9+8+7)/6 = 5-(4-3)^{21}$

$: (9+8+7)/6 = 54-(3+2)\times 10$

$: (9-8)^{765}\times 4 = \sqrt{3\times 2+10}$

$: (98/7+6)/5 \quad = 4+321\times 0$

$: (98/7+6)/5 \quad = 4+3-2-1$

• 5

$: 1\times 2+3 \quad = (45+67)/8-9$

$: 1^{23}+4 \quad = 5+6-7-8+9$

$: 1^{234}\times 5 \quad = 6-(-7+8)^9$

$: -1^{2345}+6 \quad = (7+8)/\sqrt{9}$

$: (9-8)^{76}\times 5 \quad = 4+3-2\times 1$

$: (9-8)^{765}+4 = 3\times 2-1$

$: (\sqrt{9})!-8+7 = 6-(5-4)^{321}$

$: (9-8)^{76}\times 5 \quad = 4-3^2+10$

$: (\sqrt{9})!-8+7 = 6-(54321\times 0)!$

• 6

$: \sqrt{12\times 3} \quad = (45-6+7+8)/9$

$: \sqrt{12\times 3} \quad = 4+5+6+(7-8)\times 9$

$: 1^{234}+5 \quad = 6\times (-7+8)^9$

$: 1^{2345}\times 6 \quad = 7+8-9$

$: (9-8)\times 7-6+5 \quad = 4+3-(21\times 0)!$

$: (9-8)^7\times 6 \quad = 5+(4-3)^{21}$

$: (9-8)^7\times 6 \quad = 54/3-2-10$

$: (9-8)^{76}+5 \quad = 4!+3-21$

$: (9-8)^{76}+5 \quad = 4+3-2+1$

$: -9+8+7 \quad = 6\times (5-4)^{321}$

$: -9+8+7 \quad = 6\times (5-4)+321\times 0$

$: -9+8+7 \quad = 6+54321\times 0$

$: 98+(7-6\times 5)\times 4 = 3\times 2\times 1$

• 7

$: \sqrt{12/3+45} \quad = 6+(-7+8)^9$

$: 1^{2345}+6 \quad = 7\times (-8+9)$

$: 1+\sqrt{2+34} \quad = 56/7+8-9$

$: (9-8)\times 7 \quad = 6+(5-4)^{321}$

$: (9-8)\times 7 \quad = 6+(54321\times 0)!$

$: (9-8)^7+6 \quad = 5+4!-32+10$

$: (9-8)^7+6 \quad = 5+4-3+2-1$

$: (9-8)^7+6 \quad = 54/3^2+1$

$: (98+7)/(6+5+4) = 3\times 2+1$

$: 9\times 8-(7+6)\times 5 \quad = \sqrt{4+32}+1$

• 8

$: 1\times 2^3 = (4-5)\times(6-78)/9$
$: 12/3+4 = 56/7\times(-8+9)$
$: 12-34+5\times 6 = 7-8+9$
$: 9-(8-7)^{65} = \sqrt{43+21}$
$: 98/7-6\times(5-4) = 3^2-1$
$: 98/7-6 = 54/(3\times 2)-1$
$: 9-8+7 = 6\times 5-43+21$
$: 9-8+7 = 6+(54/3+2)/10$
$: 9-8+7 = 6+5\times 4+3-21$
$: 9-8+7 = 654/3-210$

• 9

$: 1\times 23-4\times 5+6 = \sqrt{78+\sqrt{9}}$
$: -12\times 3+45 = (-6+7)^8\times 9$
$: 9\times(8-7)^6 = 5+4+321\times 0$
$: 9\times(8-7)^6 = 54/(3\times 2)\times 1$
$: 9\times(8-7)^{65} = 4+3+2\times 1$
$: 9\times(8-7)^{65} = 4-3-2+10$
$: 9\times(8-7) = 65-(4+3)\times(-2+10)$
$: 9\times(8-7) = 6-54/3+21$

• 10

$: 12-3-4+5 = 6\times(7+8)/9$
$: \sqrt{12\times 3}+4 = 5-67+8\times 9$
$: 9+(8-7)^6 = 54/(3\times 2)+1$
$: 9+(8-7)^6 = 54/3+2-10$
$: 9+(8-7)^{65} = 4\times(3+2)-10$
$: 9+(8-7)^{65} = 4+3+2+1$

• 11

$: 1^2\times(34-5\times 6)+7 = 8+\sqrt{9}$
$: -1+2\times 3! = \sqrt{45-6-7+89}$
$: 9-87+65+4! = 3-2+10$
$: \sqrt{9}+8!/7! = (65-43)/2\times 1$
$: \sqrt{9}+8\times(7-6) = (5\times 4-3^2)\times 1$
$: \sqrt{9}+8 = 7+6\times 54-32\times 10$
$: \sqrt{9}+8 = 7+6-5\times 4-3+21$

• 12

$: 12 = (3-4+5)\times(6\times(7-8)+9)$
$: 12 = (34-5\times 6)\times\left(\sqrt{\sqrt{78+\sqrt{9}}}\right)$
$: 12 = 3\times(4+(5+67)/8-9)$
$: 12 = 3\times(4+5+67-8\times 9)$
$: 12 = 3+(-4+5)^{678}\times 9$
$: 12 = 3+4+(5\times 6+7+8)/9$

• 12

$: 1\times 2\times 3! = \sqrt{4}+5-67+8\times 9$
$: (9-8)\times 7+6-5+4 = (3+2)!/10$
$: (9-8)^7+6+5 = 4\times(3+21\times 0)$
$: (9-8)^7+6+5 = 4\times 3\times(2-1)$
$: -\sqrt{9}+8+7 = (6+(54+3)\times 2)/10$
$: -\sqrt{9}+8+7 = (65-43)/2+1$

• 13

$: 1+2\times 3! = (45-6+78)/9$
$: 12/3+4+5 = 6-7\times(8-9)$
$: (9-8)\times 7+6 = 5+\sqrt{43+21}$
$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!+7 = (6-5)^{43}+2+10$
$: 98/7-6+5 = 4+3^2\times 1$

• 14

$: (1\times 2)\times(3+4) = (5+6)\times(-7+8)+\sqrt{9}$
$: 12\times 3/4+5 = 6+7-8+9$
$: 98/7\times(6-5) = (4+3)\times 2\times 1$
$: 98/7\times(6-5) = 4\times(3-2)+10$
$: 98/7 = 6+5+(4-3)\times 2+1$
$: 98/7 = 6+5+4+3^2-10$
$: 98/7 = 6+54/3!\times 2-10$
$: 98/7 = 6-5!+4\times 32\times 1$
$: 98/7 = 65-43+2-10$
$: 9-8+7+6 = 5+4-3-2+10$
$: 9-8+7+6 = 5-4\times 3+21$

• 15

$: 1+2+3\times 4 = 5\times(6\times(7-8)+9)$

$: 12+3 = 4+\sqrt{5\times 6\times 7-89}$

$: 12+3 = \sqrt{4}-56+78-9$

$: 12-3\times(4-5) = 6-(7-8)\times 9$

$: (\sqrt{9}+87)/6 = 5\times(4+3)-2\times 10$

$: (\sqrt{9}+87)/6 = 54/3-2-1$

• 16

$: 12/3\times 4 = 5\times(6+7-8)-9$

$: 12/3\times 4 = 5+6+(7+8)/\sqrt{9}$

$: 12+3-4+5 = 6-7+8+9$

$: (9\times(8-7)-6-5)^4 = 3\times 2+10$

$: (9+87)/6 = (5+43)/(2+1)$

$: (9+87)/6 = 5+4+3\times 2+1$

$: (9+87)/6 = 5+43-\sqrt{2^{10}}$

$: (9+87)/6 = 54/3-2\times 1$

$: -98/7+6\times 5 = 4^{3-2+1}$

$: -98/7+6\times 5 = \sqrt{4+32}+10$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+7 = 65-43-(2+1)!$

• 17

$: 1\times 2+3+4-5+6+7 = 8+9$

$: -1^{234}+5+6+7 = 8+9$

$: 9+8\times(7-6) = (54-3)/(2+1)$

$: 9+8\times(7-6) = 54/3!-2+10$

$: 9+8 = 7+(65-43)/2-1$

$: 9+8 = 7+65-43-2-10$

• 18

$: 12+3! = (\sqrt{4\times 56-7}-8)\times\sqrt{9}$

$: 12-3+4+5 = 6!-78\times 9$

$: (9+87-6)/5 = \sqrt{4}\times 3\times(2+1)$

$: (9+87-6)/5 = \sqrt{4+32\times 10}$

$: \sqrt{9}+8+7 = (65+43)/(2+1)!$

$: \sqrt{9}+8+7 = 6^5/432\times 1$

$: \sqrt{9}+8+7 = 6+54/3!+2+1$

$: \sqrt{9}+8+7 = 6+54-32-10$

$: 9-8\times 7+65 = 4+3!-2+10$

• 19

$: 9-8+7+6+5 = 4-3!+21$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!+7+6 = 54/(3\times 2)+10$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!+7+6 = 5-4-3+21$

$: 98-76-5+\sqrt{4} = 3^2+10$

$: 9-8+7+6+5 = 4+3+2+10$

• 20

$: 9+8+(7+65)/4! = \sqrt{3!-2}\times 10$

$: -9+87-65+4+3 = 2\times 10$

$: 98/7+6 = (5-4+3-2)\times 10$

$: 98/7+6 = 5+(4+3)\times 2+1$

$: 98/7+6 = 5+4+3-2+10$

$: 98/7+6 = 54/3+2\times 1$

• 21

$: (1+2)\times(3+4) = \sqrt{56\times 7/8\times 9}$

$: -1-23+45 = (6-7+8)\times\sqrt{9}$

$: (\sqrt{9})!+8+7 = 65-43-2+1$

$: \sqrt{9}\times(8-7+6) = 54-32-1$

$: 98-7\times(6+5) = (4-3)\times 21$

$: (\sqrt{9})!+8+7 = \sqrt{654-3-210}$

$: 98-76-5+4 = 3\times((2+1)!+0!)$

• 22

$: -1+23 = 4+(5+67)/8+9$

$: -12+34 = 5\times 6-7+8-9$

$: -12+34 = 5+(-6+7)\times(8+9)$

$: 9+8\times(7-6)+5 = 43-21$

$: \sqrt{9}+8!/7!+6+5 = 43-21$

$: (9-8)\times 7+6+5+4 = 32-10$

• 23

$: 1 \times 23 = 45 + 67 - 89$

$: 1 \times 23 = 4 - 56 + 78 - \sqrt{9}$

$: -1 + 23 - 4 + 5 = 6 - 7 + 8 \times \sqrt{9}$

$: 1 - 23 + 45 = 6 - 7 + 8 \times \sqrt{9}$

$: 9 + \sqrt{87 - 6} + 5 = 4 \times 3 \times 2 - 1$

$: \sqrt{9} \times 8 - 7 + 6 = 54 - 32 + 1$

$: 9 + \sqrt{87 - 6} + 5 = 43 - 2 \times 10$

$: \sqrt{9} \times 8 - 7 + 6 = 5 - 4 + 32 - 10$

• 24

$: 1 \times 2 - 34 + 56 = 7 + 8 + 9$

$: 1 + 23 = 4 \times (5 + (-6 + 7)^{89})$

$: 1 + 23 = 4 \times 5 \times 6 - 7 - 89$

$: 1 + 23 = 4 + 5 + 6 - (7 - 8) \times 9$

$: 1 + 23 = \sqrt{4} \times (5 \times 6 + 78)/9$

$: 12/3 + 4 \times 5 = 6 + 7 + 8 + \sqrt{9}$

$: 12 + 3 \times 4 = 5 + 6 + 78/(\sqrt{9})!$

$: 12 + 3 + 4 + 5 = \sqrt{6 \times 7 + 89}$

• 24

$: (9 - 8)^{765} \times 4! = 3 + 21$

$: 9 + 8 + 7 \times (6 - 5) = 4 \times 3 \times 2 \times 1$

$: 9 + 8 + 7 = 6 + 54/3 \times (2 - 1)$

$: \sqrt{9} \times 8 = 7 + 6^5/432 - 1$

$: 9 + 8 + 7 = 65 - 43 + 2 \times 1$

$: \sqrt{(9 + 87) \times 6} = (5 + 4)/3 + 21$

$: 9 + 8 + 7 = 6 + 5 \times (4 + 32)/10$

$: 9 + 8 + 7 = 654 - 3 \times 210$

$: 9 + 8 + 7 \times (6 - 5) = (4 + 3)!/210$

$: \sqrt{(9 + 87) \times 6} = 5! - 43 \times 2 - 10$

$: \sqrt{9} \times 8 = 7 + 6 + 5 - 4 \times (3 - 2) + 10$

• 25

$: 1 + 23 - 4 + 5 = 6 \times 7 - 8 - 9$

$: 1 \times 23 + \sqrt{4} = 56/7 + 8 + 9$

$: 1 + (-2 + 3!)! = \sqrt{4} \times 56 - 78 - 9$

$: (9 + 87)/6 + 5 + 4 = 3 + 21 + 0!$

• 26

$: 1^{23} \times 4 \times 5 + 6 = 78/\sqrt{9}$

$: 1 \times 23 + \sqrt{4 + 5} = (6 + 7) \times (8 - (\sqrt{9})!)$

$: (-(\sqrt{9})! + 8) \times (7 + 6) = 5 \times (4 - 3) + 21$

$: (9 - 8)^7 \times (6 \times 5 - 4) = 3! + 2 \times 10$

$: (-(\sqrt{9})! + 8) \times (7 + 6) = 54/3 - 2 + 10$

• 27

$: (1 + 2)^3 = 4 + 5 - 6 + 7 + 8 + 9$

$: (1 + 2)^3 = 45 - 6! + 78 \times 9$

$: 1 \times 23 + 4 = 5 - 67 + 89$

$: \sqrt{9 \times (87 - 6)} = 5 + 43 - 21$

$: 98 - 76 + 5 = 4 + 3 + 2 \times 10$

$: \sqrt{9 \times (87 - 6)} = 54 \times (3 + 2)/10$

• 28

$: 1 + 23 + 4 = \sqrt{-5 + 6! + 78 - 9}$

$: 98/7 - 6 + 5 \times 4 = 3! + 21 + 0!$

$: (98 + 7 \times 6)/5 = 4 + 3 + 21$

$: \sqrt{9} \times 8 \times 7/6 = (5 + 4) \times 3 + 2 - 1$

$: \sqrt{9} \times 8 \times 7/6 = 5 + 43 - 2 \times 10$

• 29

$: 1 \times 2 + 3 + 4! = 5 \times 6 - (-7 + 8)^9$

$: \sqrt{(9 + 87) \times 6} + 5 = -4 + 32 + 1$

$: \sqrt{(9 + 87) \times 6} + 5 = \sqrt{4^3} + 21$

• 30

$: (12 + 3) \times \sqrt{4} = 56 - 78/\sqrt{9}$

$: -12 - 3 + 45 = 6 + 7 + 8 + 9$

$: 9 + 8 + 7 + 6 = 54 - 3 - 21$

$: (9 - 8)^7 \times 6 \times 5 = (4 - 3 + 2) \times 10$

$: 9 + 8 + 7 + 6 = 54/3 + 2 + 10$

$: 98 - 7 - 65 + 4 = 32 - 1 - 0!$

• 31

$: 98 - 76 + 5 + 4 = 32 - 1$

$: \sqrt{9} \times 8 + 7 = (654 - 3)/21$

$: \sqrt{9} \times 8 + 7 = 6 + 5 - 4 + 3 + 21$

$: \sqrt{9} + 8 \times (7 - 6) + 5 \times 4 = 32 - 1$

$: -\sqrt{9} - 8 + 7 \times 6 = (5 - 4) \times 32 - 1$

$: \sqrt{9} \times 8 + 7 = 6 + 54 + 3 - \sqrt{2^{10}}$

$: -\sqrt{9} - 8 + 7 \times 6 = 54 - 3 - 2 \times 10$

• 32

$: (9-8)^7 \times 6 \times 5 + \sqrt{4} = 32 \times 1$

$: \sqrt{9 \times (87-6)} + 5 \quad = 4^3/2 \times 1$

$: 98 - 76 + 5 + \sqrt{4} + 3 \; = \sqrt{2^{10}}$

$: \sqrt{9 \times (87-6)} + 5 \quad = 4 \times 3 + 2 \times 10$

• 33

$: 1 - 2 + 34 \qquad = 5 + (6+78)/\sqrt{9}$

$: 1 - 2 + 34 \qquad = 5 + (6+78)/\sqrt{9}$

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right) + 7 \times 6 = (5-4) \times 32 + 1$

• 34

$: 1^2 \times 34 \qquad = 5 \times (6+7-8) + 9$

$: (98 - 76 - 5) \times \sqrt{4} \; = 32 + 1 + 0!$

$: -98 \times 7 + 6! \qquad = 5 - 4 + 32 + 1$

$: 9 + (-8+7+6) \times 5 = \sqrt{4} + 32 \times 1$

$: 9 + (-8+7+6) \times 5 = 4 \times 3 \times 2 + 10$

• 35

$: 1^2 + 34 \qquad = 5 + 6 + 7 + 8 + 9$

$: 12 - 3 + 4 \times 5 + 6 = 7 \times (8 - \sqrt{9})$

$: ((9-8)^7 + 6) \times 5 = 4 + 32 - 1$

$: ((9-8)^7 + 6) \times 5 = 43 + 2 - 10$

$: (-\sqrt{9} + 8) \times 7 \quad = 6 + (5+4) \times 3 + 2 \times 1$

$: (-\sqrt{9} + 8) \times 7 \quad = 6 + 5 \times 4 - 3 + 2 + 10$

$: (-\sqrt{9} + 8) \times 7 \quad = 65 + \sqrt{4} - 32 \times 1$

$: (-\sqrt{9} + 8) \times 7 \quad = 65 - 4 - 3!^2 + 10$

$: 9 + 87 - 65 + 4 \quad = 3 + \sqrt{2^{10}}$

• 36

$: (12-3) \times 4 \quad = 5 \times 6 + 7 + 8 - 9$

$: 1 \times 2 + 34 \quad = 5 + 6 \times 7 - 8 - \sqrt{9}$

$: 12 \times 3 \quad = 4 \times (56/7 - 8 + 9)$

$: 12 \times 3 \quad = 4 + 5 + 6 + 7 + 8 + (\sqrt{9})!$

$: 12 \times 3 \quad = 4 + 56 - 7 - 8 - 9$

$: 12/3 \times (4+5) \quad = 6 \times (7 + 8 - 9)$

$: (-9 + 8 + 7) \times 6 = 54 + 3 - 21$

• 37

$: 1 + 2 + 34 \qquad = 5 \times 6 - 7 \times (8-9)$

$: 1 + 2 + 34 \qquad = 5 + 6 + 78/\sqrt{9}$

$: 12 \times 3 - 4 + 5 \qquad = 6 \times 7 - 8 + \sqrt{9}$

$: 12 \times 3 - 4 + 5 \qquad = 6 + 7 + 8 \times \sqrt{9}$

$: (9-8) \times (7 \times 6 - 5) = 4 + 32 + 1$

$: 98 - (7+6) \times 5 + 4 \; = 3!^2 + 1$

$: \sqrt{9} - 8 + 7 \times 6 \qquad = 54/3 \times 2 + 1$

$: \sqrt{9} - 8 + 7 \times 6 \qquad = 54 + 3 - 2 \times 10$

• 38

$: 12 \times 3 + \sqrt{4} = 5 \times 6 + 7 - 8 + 9$

• 39

$: 1^2 \times (34+5) \quad = 6!/(7+8) - 9$

$: 12 + 3 + 4! \qquad = 5! + 6 - 78 - 9$

$: -98 \times 7 + 6! + 5 = 4! + 3 + 2 + 10$

$: -98 - 7 + 6!/5 \; = (4+3)^2 - 10$

$: -98 - 7 + 6!/5 \; = 4 + 3!^2 - 1$

$: \left(\sqrt{\sqrt{9^8} - 7!}\right) \quad = 6 + 5 - 4 + 32 \times 1$

$: \left(\sqrt{\sqrt{9^8} - 7!}\right) \quad = 65 - 4 - 32 + 10$

• 40

$: 12 \times 3 + 4 \qquad = 5 \times (-6 + 78)/9$

$: 12 \times 3 + 4 \qquad = 5 \times (-6 + 78)/9$

$: 12 \times 3 + 4 \qquad = 5 - 6 - 7 + 8 \times (\sqrt{9})!$

$: 1 - 2 \times 3 + 45 \qquad = (6 + 7 - 8)!/\sqrt{9}$

$: (\sqrt{9})! - 8 + 7 \times 6 \; = 5 \times \sqrt{43 + 21}$

$: (\sqrt{9})! - 8 + 7 \times 6 \; = 5 + 43 + 2 - 10$

$: 9 - 87 - 6 + 5! + 4 = (3! - 2) \times 10$

• 41

$: (\sqrt{9})! \times 8 - 7 \quad = (6-5) \times (43 - 2 \times 1)$

$: -9 + 8 + 7 \times 6 \; = 5 + 4 + 32 \times 1$

$: -9 - 8 - 7 + 65 = 43 - 2 \times 1$

• 42

$: 1^2 \times (3+45-6) = 7!/(8-\sqrt{9})!$

$: 1+2+34+5 = 6\times 7\times(-8+9)$

$: 12+3!+4! = 5!-67-8-\sqrt{9}$

$: (9-8)\times 7\times 6 = (5-4)\times(32+10)$

$: (9-8)\times 7\times 6 = 5+4+32+1$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!\times 7 = 6+54+3-21$

$: 9-8-7-6+54 = 32+10$

$: \sqrt{9}\times(8+7-6+5) = 43-(21\times 0)!$

$: \sqrt{9}\times(8+7-6+5) = 43-2+1$

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+7\times 6+5+4 = 32+10$

• 43

$: 1^2-3+45 = 67-8\times\sqrt{9}$

$: 1-2\times(3-4!) = \sqrt{5^6}+7-89$

$: 9-8+7\times 6!/5! = 4^3-21$

$: 9-8+7\times 6!/5! = 43+21\times 0$

$: 9-8+7\times 6 = 5\times\sqrt{4}+32+1$

$: 9-8+7\times 6 = 5+\sqrt{4}+3!^2\times 1$

$: 9-8+7\times 6 = 5-4+32+10$

• 44

$: (-1+23)\times\sqrt{4} = 5!/6+7+8+9$

$: 1\times 2-3+45 = 6\times 7+8-(\sqrt{9})!$

$: 98/7+6\times 5 = 43+(21\times 0)!$

$: 98/7+6\times 5 = 43+2-1$

• 45

$: 1^{23}\times 45 = (6+7-8)\times 9$

$: 9\times(-8+7+6) = 5+43-2-1$

$: 9-8-76+5! = 43+2\times 1$

$: \sqrt{9}\times(8+7) = 6+54/3+21$

$: \sqrt{9}\times(8+7) = 6+54-3-2-10$

$: \sqrt{9}\times(8+7) = 6+54-3-2-10$

$: \sqrt{9}\times(8+7) = 65+4-3-21$

• 46

$: 12+34 = 5+6\times 7+8-9$

$: 12+34 = 5+6+7\times(8-\sqrt{9})$

$: 12+34 = 56+7-8-9$

$: -9+8\times 7-6+5 = 4+32+10$

$: -9+8\times 7-6+5 = 43+2+1$

$: -9+8+7\times 6+5 = 4+32+10$

$: -98/7+6+54 = 3!^2+10$

$: -\sqrt{9}+(8!-7!)/6! = 5+43-2\times 1$

$: -\sqrt{9}+(8!-7!)/6! = 54/3\times 2+10$

• 47

$: 1+23\times\sqrt{4} = 56+(7-8)\times 9$

$: 12+34-5+6 = 7\times 8-9$

$: (\sqrt{9})!\times 8-7+6 = 5+43-2+1$

$: -9+8\times 7 = 65\times 4-3-210$

$: -9+8\times 7 = 65-4\times 3-(2+1)!$

• 48

$: (1+23)\times\sqrt{4} = 56-7+8-9$

$: 12\times(3-4+5) = 6\times(7-8+9)$

$: (9-8+7)\times 6 = 54-3-2-1$

$: (\sqrt{9})!!/(8+7) = 65-4-3!\times 2-1$

$: (\sqrt{9})!\times 8 = 7+6+54/3\times 2-1$

$: (\sqrt{9})!\times 8 = 7+6+\sqrt{5^4}\times(3-2)+10$

$: (\sqrt{9})!\times 8 = 7+6-5-\sqrt{4}+32+10$

$: 9-87+6+5! = 4!+3+21$

• 49

$: 1+2\times 3!\times 4 = 56+7\times(8-9)$

$: 1^2-3+45+6 = 7^{8-(\sqrt{9})!}$

• 50

$: (1+(-2+3!)!)\times\sqrt{4} = 56-7-8+9$

$: -1+23\times\sqrt{4}+5 = 67-8-9$

$: 1+23-4+5\times 6 = 7\times 8-(\sqrt{9})!$

$: -(\sqrt{9})!+8\times 7!/6! = 5+43+2\times 1$

$: -(\sqrt{9})!+8\times 7!/6! = 54+3\times 2-10$

$: -(\sqrt{9})!+8\times 7 = 65-4-3+2-10$

$: 1\times 2+3+45 = 67-8-9$

$: 9\times 8-76+54 = (3+2)\times 10$

$: -\sqrt{9}+8!/7!\times 6+5 = (4+3)^2+1$

$: -\sqrt{9}+8!/7!\times 6+5 = (4+3-2)\times 10$

• 51

$: (1+2)^3+4! = 5!/6\times 7-89$

$: 12+34+5 = 6+(7+8)\times\sqrt{9}$

$: 12+34+5 = 6+(7+8)\times\sqrt{9}$

$: \sqrt{9}\times(8+7)+6 = 5+43+2+1$

$: \sqrt{9}\times(8+7)+6 = 54-3+21\times 0$

• 52

$: (1+2\times 3!)\times 4 = 5-6\times 7+89$

$: 1+2\times 3+45 = 6\times 78/9$

$: 1+2\times 3+45 = 6\times 78/9$

$: -\sqrt{9}\times 8+76 = 5+4!+3+2\times 10$

$: -\sqrt{9}\times 8+76 = 5+4\times 3!\times 2-1$

$: -\sqrt{9}\times 8+76 = 54-3+2-1$

$: -\sqrt{9}+8+7\times 6+5 = 4\times(3!\times 2+1)$

$: -\sqrt{9}+8+7\times 6+5 = 4^3-2-10$

• 53

$: 1\times 2^3+45 = 6+7\times 8-9$

$: 1^{23}-4+56 = 7\times 8-\sqrt{9}$

$: -1+2\times(3+4!) = 5!+67\times(8-9)$

$: -1+2^{3!} = 4+5-6\times(7-8)\times 9$

$: -9+8\times 7+6 = 54+3^2-10$

$: -9+8\times 7+6 = 54-3+2\times 1$

$: -\sqrt{9}+8\times 7 = (65+43)/2-1$

$: \sqrt{9}-8-7+65 = (4!+3)\times 2-1$

$: \sqrt{9}-8-7+65 = \sqrt{43^2}+10$

• 54

$: 12-3+45 = 6\times(-7+8)\times 9$

$: 9\times(8-7)\times 6 = 5+(4+3)^2\times 1$

$: 9\times(8-7)\times 6 = 54+321\times 0$

$: 9\times(8-7)\times 6 = 54-3+2+1$

$: 98+76-5! = \sqrt{4}\times 32-10$

• 55

$: 1+2\times(3+4!) = 56-(-7+8)^9$

$: 12/3+45+6 = 7+8\times(\sqrt{9})!$

$: 12/3+45+6 = 7+8\times(\sqrt{9})!$

$: (12+3-4)\times 5 = 6+7^{8-(\sqrt{9})!}$

$: (\sqrt{9})!\times 8+7!/6! = 54+3-2\times 1$

$: (\sqrt{9})!\times 8+7!/6! = 54-3^2+10$

$: (\sqrt{9})!\times 8+7 = (65+43)/2+1$

$: (\sqrt{9})!\times 8+7 = 6+54-(3+2)\times 1$

$: (\sqrt{9})!\times 8+7 = 6+54+3+2-10$

$: (\sqrt{9})!\times 8+7 = 65-4-3-2-1$

$: \sqrt{9}+8-76+5! = 4!+32-1$

$: \sqrt{9}+8-76+5! = 43+2+10$

• 56

$: 12\times 3+4\times 5 = 67-8-\sqrt{9}$

$: -(\sqrt{9})!+8\times 7+6 = 5+4!\times 3-21$

$: 98-7\times 6 = 5+43-2+10$

• 57

$: -1+2\times(34-5) = 6!/(7+8)+9$

$: 9+8!/7!\times 6 = (54+3)\times(2-1)$

$: 9+8!/7!\times 6 = 5+4^3-2-10$

$: -9+8-7+65 = 4!+32+1$

• 58

$: (9-8)\times(-7+65) = 4\times 3!\times 2+10$

$: (9-8)\times(-7+65) = 4^3-(2+1)!$

$: 9+(8!-7!)/6! = 54+3+2-1$

$: 9+(8!-7!)/6! = 54-3\times 2+10$

• 59

$: 1+2\times(34-5) = 6\times 7+8+9$

$: 12-\sqrt{3^4}+56 = 7\times 8+\sqrt{9}$

$: 9+8+7\times 6 = 54+3+2\times 1$

$: 9+8+7\times 6 = 54-3-2+10$

$: 9-8-7+65 = (4+3)^2+10$

$: \sqrt{9}+8\times 7 = 6+5\times 4+32+1$

$: \sqrt{9}+8\times 7 = 65-4-3+2-1$

• 60

$: 12+3+45 = 6\times(-7+8+9)$
$: (12+3)\times 4 = 5\times(6+7+8-9)$
$: (12+3)\times 4 = 5\times(6+7+8-9)$
$: (9+8-7)\times 6 = 5+43+2+10$
$: (9+8-7)\times 6 = 54+3\times 2\times 1$

• 61

$: 1^2+3\times 4\times 5 = 6+7+8\times(\sqrt{9})!$
$: (\sqrt{9})!\times 8+7+6 = 5+4!+32\times 1$
$: (\sqrt{9})!\times 8+7+6 = 5+4^3+2-10$
$: (\sqrt{9})!\times 8+7+6 = 54+3\times 2+1$
$: 98-7\times 6+5 = 4^3-2-1$

• 62

$: (1+23)/4+56 = 7\times 8+(\sqrt{9})!$
$: 12+(3!+4)\times 5 = 67-8+\sqrt{9}$
$: (\sqrt{9})!+8\times 7 = 6+54+3-2+1$
$: (\sqrt{9})!+8\times 7 = 6-54+(3+2)!-10$
$: -(\sqrt{9})!-8+76 = 5\times 4+32+10$
$: -(\sqrt{9})!-8+76 = 54+3^2-1$
$: 98/7-6+54 = 3\times 21-0!$
$: -\sqrt{9\times(8-7)}+65 = 4^3-2\times 1$

• 63

$: -1+2^{3!} = 45-6+7+8+9$
$: 9\times 87-6! = 54-3+2+10$
$: 9\times 8-\sqrt{76+5} = 43+2\times 10$
$: 9-8-7+65+4 = 3\times 21$
$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times 7 = 65-4+3-2+1$

• 64

$: 1\times 2^{3!} = 45+67-8\times(\sqrt{9})!$
$: 1\times 2^{3!} = \sqrt{4}+(5-67)\times(8-9)$
$: 1\times 2^{3\times\sqrt{4}} = 56+7-8+9$
$: (\sqrt{9}-8+7)^6 = 5\times 4\times 32/10$
$: (\sqrt{9}-8+7)^6 = 5-4+3\times 21$
$: 9+8+7\times 6+5 = 43+21$
$: 98+7-65+4! = 32\times(1+0!)$
$: -\sqrt{9}+8\times 7+6+5 = 43+21$

• 65

$: (12+3)\times 4+5 = 67-8+(\sqrt{9})!$
$: 1+2^{3!} = 4!+(5+6-7)!+8+9$
$: 1+2^{3!} = 4+5+67-8-\sqrt{9}$
$: 1+2^{3!} = 4-5+67+8-9$
$: 1+2^{3!} = \sqrt{4}+56-7\times(8-9)$
$: 1+\sqrt{2^{3\times 4}} = 56-(7-8)\times 9$
$: (9-8)^7\times 65 = 4^3+2-1$
$: (9-8)^7\times 65 = 43+21+0!$
$: 9+8\times 7 = 6-5+43+21$
$: 9+8\times 7 = 65+4321\times 0$
$: \sqrt{9}+8\times 7+6 = 5\times(4\times 3+2-1)$
$: \sqrt{9}+8\times 7+6 = 5+\sqrt{4+32}\times 10$

• 66

$: (1-23)\times(\sqrt{4}-5) = 67+8-9$
$: 1\times 2^{3!}+\sqrt{4} = 56-7+8+9$
$: (9-8)^7+65 = 4!+32+10$
$: (9-8)^7+65 = 4^3+2\times 1$
$: 98-(7+6-5)\times 4 = 3\times(21+0!)$
$: \sqrt{9}\times 8+7\times 6 = (5+4!)\times 3-21\times 0!$
$: \sqrt{9}\times 8+7\times 6 = 5+(4^3-2-1)$

• 67

$: -1+2\times 34+5!/6 = 78+9$
$: -1+23+45 = 67\times(-8+9)$
$: \sqrt{9}-8+7+65 = 4+3\times 21$
$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+76 = (5+4!)\times 3-21+0!$

• 68

$: 1\times(23+45) = 67-8+9$
$: 1\times 2\times 34 = 56+7+8-\sqrt{9}$
$: 1\times 2\times 34 = 5-6+78-9$
$: (\sqrt{9})!+8\times 7+6 = 5+4^3-2+1$
$: (\sqrt{9})!+8\times 7+6 = 5+43+2\times 10$
$: \sqrt{9}\times(8-7)+65 = 4+3\times 21+0!$

• 69

$: 1+2\times 34 = (-5+6)\times 78-9$

$: 1+2\times 34 = 5-6+7!/(8\times 9)$

$: 12-3+4+56 = 78-9$

$: (\sqrt{9})!+(8!+7!)/6! = 5+43+21$

$: (\sqrt{9})!+(8!+7!)/6! = 54+3+2+10$

$: (\sqrt{9}+8)-7+65 = 4!\times 3-2-1$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times 7+6 = 5+43+21$

• 70

$: (1+2\times 3)\times\sqrt{4}\times 5 = 6!\times 7/(8\times 9)$

$: 1\times 2+3\times 4+56 = 7!/(8\times 9)$

$: -\left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!+76 = 5+4^3+2-1$

• 71

$: 1-2+3\times 4! = 5+67+8-9$

$: (9-8)\times(76-5) = 4!\times 3-2+1$

$: 9\times 8-7+6 = 5+4^3+2\times 1$

$: 9\times 8-7+6 = 54\times 3/2-10$

$: 9-8\times 7-6+5!+4 = \sqrt{(3\times 2+1)!+0!}$

$: \sqrt{9-8+7!} = 6+5+4!\times 3-2-10$

$: \sqrt{9-8+7!} = 65+4!+3-21$

• 72

$: (1+2)^3+45 = 67+8-\sqrt{9}$

$: 12\times 3! = (45-6-7-8)\times\sqrt{9}$

$: 12\times 3! = 45+6+7+8+(\sqrt{9})!$

$: 12\times 3! = \sqrt{4}+5!-67+8+9$

$: 12\times 3\times\sqrt{4} = 5-67\times(8-9)$

• 72

$: 9\times 8 = (7-6)\times 54-3+21$

$: 9\times 8 = (7+6)\times 5+4+3+21\times 0$

$: 9\times 8 = 7\times 6+5\times 4+(3-2)\times 10$

$: 9\times 8 = 7+65+4-3-2+1$

$: 9\times 8 = 7+65+4321\times 0$

$: 9\times 8 = \sqrt{76+5}+4^3-2+1$

$: 9\times 8!/7! = 65-4+3-2+10$

$: 9\times 8!/7! = 65-\sqrt{4}+3^2\times 1$

$: 9+8+7-6+54 = 3!\times(2+10)$

$: 9-8+76 = 5+4\times(-3+21)$

$: 9-8+76 = 5+4^3-2+10$

• 72

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+76+5 = 4\times(-3+21)$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!\times 7+6\times 5 = 4\times(-3+21)\times 0!$

• 73

$: 1^2+3\times 4! = 56/7\times 8+9$

$: 9-8+7+65 = 4!\times 3+2-1$

• 74

$: 12\times 3!+\sqrt{4} = 5-6!+789$

$: (\sqrt{9})!-8+76 = 5!-43-2-1$

$: (\sqrt{9})!-8+76 = 5!-4-32-10$

$: 9\times(8-7)+65 = 4!\times 3+2\times 1$

$: 9\times(8-7)+65 = \sqrt{4}\times 32+10$

• 75

$: 1+2+3\times 4! = 5\times(6-(7-8)\times 9)$

$: 12+3+4+56 = 78-\sqrt{9}$

$: -9+8+76 = (-5+43)\times 2-1$

$: 98+7-6\times 5 = 43+\sqrt{2^{10}}$

• 76

$: 12\times 3!+4 = 5+6+7\times 8+9$

$: (9-8)\times 76 = (-5+43)\times 2\times 1$

$: (9-8)\times 76 = 54+32-10$

$: 9+8\times 7+6+5 = 4\times\sqrt{3!!/2+1}$

$: 9+8\times 7+6+5 = 43\times 2-10$

• 77

$: -1+2\times(34+5) = 6+\sqrt{7!-8+9}$

$: (\sqrt{9}+8)\times 7 = 6+5+\sqrt{4}+3\times 21+0!$

$: (\sqrt{9}+8)\times 7 = 65+4\times 3\times(2-1)$

$: 9-8+76 = 5+4\times(-3+21)$

$: 9-8+76 = 54+3+2\times 10$

• 78

$: (123-45) = 6\times 78/(\sqrt{9})!$

$: -1-2+3^4 = 5-6+7+8\times 9$

$: (9+8\times 7)\times 6/5 = 4!\times 3+(2+1)!\times 0!$

$: (9+8\times 7)\times 6/5 = 4!\times 3+(2+1)!$

$: -9+87 = 6+5+4+3\times 21$

$: -9+87 = 6+54+3!+2+10$

$: -9+87 = 6+54-3+21$

$: -9+87 = 65+(4+3)\times 2-1$

$: -9+87 = 65+4-3+2+10$

$: -9+87 = 65-4!/3+21$

$: -\sqrt{9}+87 = 6+54-3\times(2-10)$

• 79

$: 1\times 2\times 34+5+6 = 7+8\times 9$

$: 9\times 8+7!/6! = 5!-43+2\times 1$

$: 9\times 8+7!/6! = 5+\sqrt{4}\times 32+10$

$: 9\times 8+7 = 6+5\times\sqrt{4}+3\times 21$

$: 9\times 8+7 = 6+54+3^2+10$

$: 9\times 8+7 = 65-4-3+21$

$: 98/7+65 = 4!\times 3+(2+1)!+0!$

• 80

$: 12/3\times 4\times 5 = (6!+7!)/(8\times 9)$

$: 1-2+3^4 = 5+6+78-9$

$: 98-(7+65)/4 = (3!+2)\times 10$

$: (9+87)/6\times 5 = (4+3!-2)\times 10$

$: \left(\sqrt{\sqrt{9^8}}\right)-7+6 = 5\times 4+3\times 2\times 10$

$: \left(\sqrt{\sqrt{9^8}}\right)-7+6 = 54\times 3/2-1$

• 81

$: (-1+2)\times 3^4 = 5-6-7+89$

$: (12-3)\times(\sqrt{4+5}+6) = 78+\sqrt{9}$

$: 1^2\times 3^4 = (5+67)/8\times 9$

$: 12\times 3+45 = 6\times(7+8)-9$

$: (9-8)\times 76+5 = (4!+3)\times(2+1)$

$: -(\sqrt{9})!+87 = 6^5/(43\times 2+10)$

$: -(\sqrt{9})!+87 = 6+5!-43-2\times 1$

$: 9\times(8+7-6) = 5+43\times 2-10$

$: 9\times(8+7-6) = 54\times 3/2\times 1$

$: 9\times\sqrt{87-6} = 5+4+32\times 1$

$: \sqrt{9}\times(87-6-54) = 3^{2\times(1+0!)}$

• 81

$: \sqrt{\sqrt{9^8}} = 7+(6+54\times 3)/2-10$

$: \sqrt{\sqrt{9^8}} = 7+65-4\times 3+21$

$: \sqrt{\sqrt{9^8}} = 76+5\times(4-3)^{21}$

$: \sqrt{\sqrt{9^8}} = 76+5+4321\times 0$

• 82

$: 1^2+3^4 = (5-6)\times(7-89)$

$: 1^2+3^4 = 56+78/\sqrt{9}$

$: 9-8+76+5 = (43-2)\times(1+0!)$

• 83

$: (\sqrt{9}+8)\times 7+6 = 5\times 4+3\times 21$

$: (\sqrt{9}+8)\times 7+6 = 54-3+\sqrt{2^{10}}$

$: 1\times 2+3^4 = 5+67+8+\sqrt{9}$

$: \sqrt{9}+8+7+65 = 4!/3!\times 21-0!$

• 84

$: -1\times 2+3^4+5 = 67+8+9$

$: 12\times(3\times 4-5) = 67+8+9$

$: 12\times(3\times 4-5) = 6\times 7\times(8-(\sqrt{9})!)$

$: 12\times(3+4) = 5\times(6-7)+89$

$: 123-45+6 = 78+(\sqrt{9})!$

• 84

$: 98/7 \times 6 = (5-4+3) \times 21$

$: 98/7 \times 6 = 5! - \sqrt{(4+32)^{1+0!}}$

$: -\sqrt{9} + 87 = 6 + 54 + 3 + 21$

$: -\sqrt{9} + 87 = 65 + 4 + 3 + 2 + 10$

$: \sqrt{98 \times (7+65)} = 4!/3! \times 21$

$: \sqrt{98 \times (7+65)} = \sqrt{4} \times (32+10)$

• 85

$: 1 - 2 \times (3 - 45) = 6 + 7 + 8 \times 9$

• 86

$: 9 \times \sqrt{87-6} + 5 = 43 \times 2 \times 1$

• 87

$: (1+2)! + 3^4 = 56 + 7 + 8 \times \sqrt{9}$

$: 12 \times 3! + 4 + 5 + 6 = 78 + 9$

$: 12 \times 3 + 45 + 6 = 78 + 9$

$: -1 - 2 + 34 + 56 = 78 + 9$

$: (\sqrt{9})! \times 87/6! \times 5! = 43 \times 2 + 1$

$: \sqrt{9} + 8 + 76 = 54 + 32 + 1$

• 88

$: (-1+23) \times 4 = 5 + 6 + 7 \times (8 + \sqrt{9})$

$: \sqrt{\sqrt{9^8}} + 7!/6! = 54 + 32 + 1 + 0!$

$: \sqrt{\sqrt{9^8}} + 7!/6! = \sqrt{5^4} + 3 \times 21$

$: \sqrt{\sqrt{9^8}} + 7 = 6 + 54 \times 3/2 + 1$

$: \sqrt{\sqrt{9^8}} + 7 = 6 - 5 + 43 \times 2 + 1$

$: \sqrt{\sqrt{9^8}} + 7 = 65 + 43 - 2 \times 10$

• 89

$: 12 + 3 \times 4 + 5 \times (6+7) = 89$

$: 12 + 3 + \sqrt{4} + 5 + 67 = 89$

$: -1 + 23 + 4 + 56 + 7 = 89$

$: 1 + 23 + \sqrt{4} + 56 + 7 = 89$

$: (-1+23) \times 4 + (-5+6)^7 = 89$

$: (1-23) \times (4-5) + 67 = 89$

$: 12 \times (3+4) + 5 \times (-6+7) = 89$

• 89

$: 1 + 2^{3!} + 4! = 5 + 67 + 8 + 9$

$: (\sqrt{9})!!/8 - 7 + 6 = 5! + \sqrt{4} - 32 - 1$

$: (\sqrt{9})!!/8 - 7 + 6 = 54 + 3!^2 - 1$

$: 9 + 8 + 7 + 65 = (4! + 3!) \times (2+1) - 0!$

• 90

$: (1+2) \times (3! + 4!) = 5 \times (6! - 78 \times 9)$

$: 1^2 \times (34 + 56) = (7+8) \times (\sqrt{9})!$

$: (\sqrt{9})!!/8 = 7 + (6 + 54 \times 3)/2 - 1$

$: (\sqrt{9})!!/8 = 7 + 6 + 54 + 3 + 2 \times 10$

$: 9 + 87 - 6 = 54/(3 \times 2) \times 10$

$: 98 - 7 - 6 + 5 = (4! + 3!) \times (2+1)$

$: 98 - 7 - 6 + 5 = (4 + 3 + 2) \times 10$

$: \sqrt{9} \times (8 + 76 - 54) = 3^2 \times 10$

$: \sqrt{9} + 87 = (6 - 5 + \sqrt{4} + 3 \times 2) \times 10$

$: \sqrt{9} + 87 = 6 \times 5 + 4 \times (-3! + 21)$

$: \sqrt{9} + 87 = 6 \times 5 + \sqrt{4 + 32} \times 10$

$: \sqrt{9} + 87 = 6 + 5! - 4 - 32 \times 1$

$: \sqrt{9} + 87 = 65 + 4 \times 3 \times 2 + 1$

$: \sqrt{9} + 87 = 65 + \sqrt{4} + 3 + 2 \times 10$

• 91

$: (98-7) \times (6-5) = (4! + 3!) \times (2+1) + 0!$

• 92

$: 1 \times 23 \times 4 = 5 + 6 + 78 + \sqrt{9}$

$: 1 \times 23 \times 4 = 5 + 6 + 78 + \sqrt{9}$

• 93

$: (-1+23) \times 4 + 5 = 6 + 78 + 9$

$: 1 + 23 \times 4 = 5 + 6 - 7 + 89$

$: 12 + 3^4 = 5 + 6 - 7 + 89$

$: 12 + 3^4 = 5 + 6 - 7 + 89$

$: 9 + 8 + 76 = 5! + 4 - 32 + 1$

$: 9 + 8 + 76 = 5! - 4 - 3 - 2 \times 10$

$: 9 + 8 + 76 = 5 + 4 \times (32 - 10)$

$: (\sqrt{9})! + 87 = 6 - 5 + 4! \times 3 + 2 \times 10$

$: (\sqrt{9})! + 87 = 6 + 54 + 32 + 1$

• 94

$: \sqrt{\sqrt{9^8}} + 7 + 6 = 5! - 4 - 32 + 10$

$: \sqrt{\sqrt{9^8}} + 7 + 6 = -5^4 + (3 \times 2)! - 1$

• 95

$: (12+3+4)\times 5 = (6+7)\times 8-9$
$: -9+8\times(7+6) = (-5+4!)\times(-3-2+10)$
$: -9+8\times(7+6) = (5+43)\times 2-1$
$: 9+87-6+5 = 4\times(3!-2)!-1$
$: 9+87-6+5 = 4\times(3+21)-0!$

• 96

$: \sqrt{12/3}\times 45+6 = 7+89$
$: (1+23)\times 4 = 5+67+8\times\sqrt{9}$
$: (1+23)\times 4 = \sqrt{56-7}+89$
$: 1\times 2\times(3+45) = 6\times(7+8)+(\sqrt{9})!$
$: -1+23\times 4+5 = 6+(7+8)\times(\sqrt{9})!$
$: 12\times 3+4+56 = 7+89$
$: 98+7-6-5+\sqrt{4} = 3\times\sqrt{2^{10}}$

• 96

$: 9+87 = (6-5)\times 4\times(3+21)$
$: 9+87 = (6-5)\times 43\times 2+10$
$: 9+87 = (6-5)\times(43\times 2+10)$
$: 9+87 = 6+5+43\times 2-1$
$: 9+87 = 6+54+3\times(2+10)$
$: 9+87 = 65+4^3/2-1$
$: 9+87 = 65+4+3!+21$
$: 9+87 = 65+43-2-10$
$: 9+87 = 65-\sqrt{4}+32+1$
$: \sqrt{9}+87+6 = (5+43)\times 2\times 1$
$: \sqrt{9}+87+6 = 54+32+10$

• 97

$: 1\times 23\times 4+5 = 6!-7\times 89$
$: (\sqrt{9})!!/8+7 = 65\times\sqrt{4}-32-1$
$: (\sqrt{9})!!/8+7 = 65+4\times(3^2-1)$
$: 98-7+6 = (5+43)\times 2+1$
$: 98-7+6 = 5+4\times((3!-2)!-1)$
$: 98-7+6 = 5+4\times(3+2\times 10)$

• 98

$: -1-23-4+5!+6 = 7\times(8+(\sqrt{9})!)$
$: 12-34+5! = (6+7)\times 8-(\sqrt{9})!$
$: 9+8+76+5 = \sqrt{4}+3\times\sqrt{2^{10}}$
$: ((\sqrt{9})!+8)\times 7 = 6+(54-3)\times 2-10$
$: ((\sqrt{9})!+8)\times 7 = 6+5+43\times 2+1$
$: ((\sqrt{9})!+8)\times 7 = 65+4\times 3+21$
$: ((\sqrt{9})!+8)\times 7 = 65+\sqrt{43^2}-10$

• 98

$: 98 = (7-6)\times 5!-43+21$
$: 98 = (7-6)\times 5+4!\times 3+21$
$: 98 = (7-6)\times 5+4!\times 3+21+0$
$: 98 = (7+6)\times 5+4\times 3+21$
$: 98 = 7\times 6+5!-43-21$
$: 98 = 7\times 6+5+4!\times 3-21$
$: 98 = 7\times 6+5+43-2+10$
$: 98 = 7+65+\sqrt{4}+3+21$

• 98

$: 98 = 7+65+4+32-10$
$: 98 = 7+6+54+32-1$
$: 98 = 76\times 5/4+3+21\times 0$
$: 98 = 76+5+4+3!/2+10$
$: 98 = 76+5+\sqrt{4}+3+2+10$
$: 98 = 76+5+\sqrt{4}-3!+21$
$: 98 = 76+54-32\times 1$
$: 98 = 7!/6!+5+43\times 2\times 1$
$: 98 = 7!/6!+54\times 3/2+10$

• 99

$: -1\times 23+\sqrt{4}+5! = 6\times(7+8)+9$
$: 98+(7-6)^5 = (4+3!)^2-1$
$: 98+(7-6)^5 = (\sqrt{4}+3)!-21$

• 100

$: (1+(-2+3!)!)\times 4 = 5+(6+7)\times 8-9$
$: (98/7+6)\times 5 = (4+3!)^2\times 1$
$: (98/7+6)\times 5 = (4+3\times 2)\times 10$
$: \sqrt{9}\times 8+76 = (5+4+3-2)\times 10$
$: \sqrt{9}\times 8+76 = 5\times 4\times(3+2)\times 1$

• **101**

$: (1+23)\times 4+5 = (6+7)\times 8-\sqrt{9}$

$: -\sqrt{9}+8\times(7+6) = (54-3)\times 2-1$

$: -\sqrt{9}+8\times(7+6) = 5+43\times 2+10$

$: \sqrt{9}+87+6+5 = (4+3!)^2+1$

• **102**

$: (1+2)\times 34 = 5!/6-7+89$

$: 1-23+4+5! = 6+7+89$

$: 9+87+6 = (54-3)\times 2\times 1$

$: 9+87+6 = 5!/4\times 3+2+10$

$: 9+87+6 = 5+4\times(3!-2)!+1$

$: 9+87+6 = 5+4\times(3+21)+0!$

$: 9+87+6 = 54+3!\times(-2+10)$

• **103**

$: (\sqrt{9})!!/8+7+6 = (54-3)\times 2+1$

• **104**

$: 123-4!+5 = 6+7\times(8+(\sqrt{9})!)$

$: ((\sqrt{9})!!+8)/7 = 6+5!+4-3!-2\times 10$

$: ((\sqrt{9})!!+8)/7 = 6+5!-4+3-21$

$: ((\sqrt{9})!+8)\times 7+6 = 5!+\sqrt{4}+3-21$

$: ((\sqrt{9})!+8)\times 7+6 = 54+(3+2)\times 10$

$: 98+7-6+5 = 4\times(3!+2\times 10)$

• **105**

$: (12+3)\times(\sqrt{4}+5) = 6!\times 7/(8\times(\sqrt{9})!)$

$: -12+3\times(45-6) = 7!/(8\times(\sqrt{9})!)$

• **105**

$: 98+7!/6! = (5+\sqrt{4})\times(3+2+10)$

$: 98+7!/6! = 5\times(4-3)\times 21$

• **105**

$: 98+7 = (6-5)\times(\sqrt{4}+3)\times(21+0)$

$: 98+7 = (6-5)\times(\sqrt{4}+3)\times 21$

$: 98+7 = 6\times 5\times 4-3-2-10$

$: 98+7 = 6\times 5+4!\times 3+2+1$

$: 98+7 = 6+5\times 4\times(3+2)-1$

$: 98+7 = 6+5+4+3^2\times 10$

$: 98+7 = 6+\sqrt{5+4}\times(32+1)$

$: 98+7 = 65+43-2-1$

$: 98+7 = 65+\sqrt{4}+3!+\sqrt{2^{10}}$

• **106**

$: 1+(23-\sqrt{4})\times 5 = (6+7!/8)/(\sqrt{9})!$

• **107**

$: (1+2)\times 34+5 = (6+7)\times 8+\sqrt{9}$

$: 98+\sqrt{76+5} = 4\times 3^{2+1}-0!$

$: \sqrt{9}+8\times(7+6) = 5!+4!/3-21$

$: \sqrt{9}+8\times(7+6) = 5!+\sqrt{4}+3!-21$

• **108**

$: (1+2)^3\times 4 = (5+6-7+8)\times 9$

$: 12\times(3-4)+5! = 6\times(7+8+\sqrt{9})$

$: (\sqrt{9}+8+7)\times 6 = 54\times(3-2+1)$

$: (\sqrt{9}+87)\times 6/5 = 4\times(3!+21)$

• **110**

$: (-12+34)\times 5 = (6+7)\times 8+(\sqrt{9})!$

$: (98-76)\times 5 = (4+3-2)!-10$

$: (\sqrt{9})!+8\times(7+6) = 5\times(43-21)$

$: (\sqrt{9})!+8\times(7+6) = 5\times 4^3-210$

$: 98+7+6-5+4 = (3+2)!-10$

• **111**

$: -12\times 3/4+5! = (6+7-8)!-9$

$: 98+7+6 = 5!-4-3-2\times 1$

$: 98+7+6 = 5+(\sqrt{4}+3)\times 21+0!$

• **112**

$: -12/3-4+5! = 6\times 7\times 8/\sqrt{9}$

$: -9+8\times 7+65 = (\sqrt{4}+3)!+2-10$

• **113**

$: 123-\sqrt{4}\times 5 = (6+7)\times 8+9$

$: 9+8\times(7+6!/5!) = (\sqrt{4}+3)!-(2+1)!-0!$

$: 9+8\times(7+6) = (54+3)\times 2-1$

• **114**

$: -(1+2)!+(3+\sqrt{4})! = 5\times 6+78+(\sqrt{9})!$

$: 9\times 8+7\times 6 = (54+3)\times 2\times 1$

$: 9\times 8+7\times 6 = 5+4\times 3^{2+1}+0!$

$: 9\times 8+7\times 6 = 54\times 3!-210$

$: 9\times 8+7\times 6 = 54+3\times 2\times 10$

$: -\sqrt{9}+87+6\times 5 = (\sqrt{4}+3)!-(2+1)!$

$: -\sqrt{9}+87+6\times 5 = 4+(3+2)!-10$

• 115

$: 1+234-5! = 67+8\times(\sqrt{9})!$

• 117

$: (1+2)\times(34+5) = (6+7-8)!-\sqrt{9}$

$: 9\times(8\times(7-6)+5) = (\sqrt{4}+3)!-2-1$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times(7+6) = 5+(\sqrt{4}+3)!+2-10$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times(7+6) = 54+3\times 21$

• 118

$: 9+8\times(7+6)+5 = (\sqrt{4}+3)!-2\times 1$

$: 9+8\times(7+6)+5 = 4\times 32-10$

$: 98+7+6+5+\sqrt{4} = (3+2)!-1-0!$

• 119

$: 1\times 2-\sqrt{3^4}+5!+6 = 7\times(8+9)$

$: -1^{234}+5! = 6-7+(8-\sqrt{9})!$

$: -1+(2+3)! = 4!+5-6+7+89$

$: -1+(2+3)! = 4+5!+67-8\times 9$

• 119

$: (9+8)\times 7!/6! = (5+\sqrt{4})\times(-3+2\times 10)$

• 119

$: (9+8)\times 7\times(6-5) = (4+3-2)!-1$

$: (9+8)\times 7\times(6-5) = 4!\times(3+2)-1$

$: (9+8)\times 7 = 6!/5+\sqrt{4}-3^{2+1}$

$: (9+8)\times 7 = 6\times 5^{\sqrt{4}}-32+1$

$: (\sqrt{9}-8)\times(7-6\times 5)+4 = (3+2)!-1$

$: \sqrt{9}+8\times 7+6+54 = (3+2)!-1$

• 120

$: (1\times 2+3)! = 45+6+78-9$

$: (1+2)\times 34+5+6+7 = (8-\sqrt{9})!$

$: 1\times(2+3)! = 4+5!/6+7+89$

$: 1\times(2+3)! = \sqrt{4}+5+678/(\sqrt{9})!$

$: 12\times(3!+4) = 6!/(7+8-9)$

• 120

$: (9-8)\times 7\times(6+5)+43 = ((2+1)!-0!)!$

$: 9+87+\sqrt{6\times 54}+3! = ((2+1)!-0!)!$

$: 98+7+6+5+4 = (3+2)!\times 1$

$: ((\sqrt{9})!-8+7)! = 6+54+3\times 2\times 10$

$: ((\sqrt{9})!-8+7)! = 65+4!+32-1$

$: (\sqrt{\sqrt{9^8}}-76)! = (5+4321\times 0)!$

$: (\sqrt{\sqrt{9^8}}-76)! = (54+3!)\times 2\times 1$

$: -9\times 87+6!\times 5/4+3 = ((2+1)!-0!)!$

$: \sqrt{9}+87+6\times 5 = 4!\times(3\times 2-1)$

$: \sqrt{9}+87+6\times 5 = \sqrt{4}\times 3\times 2\times 10$

• 120

$: (-\sqrt{9}+8)! = 7+6+5!+4+3-2\times 10$

$: (-\sqrt{9}+8)! = 7+6+5!-4\times 3-2+1$

$: (-\sqrt{9}+8)! = 76+5\times 4+3+21$

$: (-\sqrt{9}+8)! = 76+54\times(3-2)-10$

• 121

$: 1+(2+3)! = 4!+56/7+89$

$: 1+(2+3)! = 4+5\times 6+78+9$

$: 1+(2+3)! = 45-6-7+89$

• 121

$: 9\times(8\times(7-6)+5)+4 = (3+2)!+1$

$: 9+87+6-5+4! = (3+2)!+1$

$: 98-7+6\times 5 = 4!\times(3+2)+1$

• 122

$: 1\times 2+(3+\sqrt{4})! = 5!-6+7-8+9$

$: \sqrt{9}-(8-7)^6+5! = -4+3!\times 21$

• 123

$: 123 = 4!+5\times 6+78-9$

$: 123 = 4\times(5+6)+7+8\times 9$

$: 123 = 4+5+6\times 7+8\times 9$

$: 123 = 4+5-6+((7+8)/\sqrt{9})!$

$: 123 = 45+6+78-(\sqrt{9})!$

$: 123 = 45+67+8+\sqrt{9}$

$: 123 = \sqrt{4}+5\times 6\times 7-89$

$: 123 = \sqrt{4}+56+7\times 8+9$

$: 123 = (4+5-6)\times(-7+8\times(\sqrt{9})!)$

$: 123 = (-4+5)\times(6+7-8)!+\sqrt{9}$

• **123**

: $\sqrt{123^{\sqrt{4}}} = 5! - 6 - (7-8) \times 9$

• **123**

: $9 \times (8-7) - 6 + 5! = 4! \times 3! - 21$

: $9 \times (8-7) - 6 + 5! = 4 + (3+2)! - 1$

: $98 - 7 + 6 \times 5 + \sqrt{4} = 3 + ((2+1)! - 0!)!$

: $\sqrt{\sqrt{9^8}} + 7 \times 6 = 5 + 4 \times 32 - 10$

• **124**

: $1 \times ((2+3)! + 4) = 5 + 6 - 7 + (8 - \sqrt{9})!$

: $(9+8) \times 7!/6! + 5 = 4 \times (32-1)$

: $(\sqrt{9})! \times 8 + 76 = 5! + 4 + 321 \times 0$

: $(\sqrt{9})! \times 8 + 76 = 5^4/(3+2) - 1$

: $\sqrt{9} + 8 \times 7 + 65 = 4 \times (32-1)$

• **125**

: $123 + \sqrt{4} = 56 + 78 - 9$

: $1^{23} + 4 + 5! = 6 + 7 \times (8+9)$

• **125**

: $(9+8) \times 7 + 6 = 5! - 4 - 3 + 2 + 10$

: $(9+8) \times 7 + 6 = 5^4/(3+2) \times 1$

: $9 \times 8 - 7 + 6 + 54 = 3! \times 21 - 0!$

: $9 \times 8 - 7 + \sqrt{6! \times 5} = (\sqrt{4}+3)^{2+1}$

• **126**

: $(1+2)! \times (-3+4!) = (6+7+8) \times (\sqrt{9})!$

: $123 - \sqrt{4} + 5 = 5 \times 6 + 7 + 89$

• **126**

: $(98+7) \times 6/5 = 4 + (3+2)! + 1 + 0!$

: $9 \times (8!/7! + 6) = (5 + 4 - 3) \times 21$

: $9 \times (8!/7! + 6) = 5 + 4! \times (3+2) + 1$

: $9 + 87 + 6 \times 5 = \sqrt{4} \times 3 \times 21$

: $98 - 7 + 6 + 5 + 4! = 3! \times 21$

• **127**

: $1^{234} + 5! + 6 = 7 + (8 - \sqrt{9})!$

: $(123+4) \times (-5+6) = 7 + (8 - \sqrt{9})!$

: $123 + 4 = 5! - 6 + 78/(\sqrt{9})!$

: $123 + 4 = 56 + \sqrt{7! - 8 + 9}$

• **127**

: $(\sqrt{9})! + 8 \times 7 + 65 = 4 \times 32 - 1$

: $(-\sqrt{9} + 8)! + 7!/6! = 5! + 4 + 3 + 2 - 1 - 0!$

: $(-\sqrt{9} + 8)! + 7!/6! = 5 - 4 + 3! \times 21$

: $(-\sqrt{9} + 8)! + 7 = (6+5)^{\sqrt{4}} + 3 \times 2 \times 1$

: $(-\sqrt{9} + 8)! + 7 = 6 + 5! - 4 + 3 + 2 \times 1$

: $(-\sqrt{9} + 8)! + 7 = 65 + \sqrt{4} \times (32-1)$

: $98 \times (7-6) + 5 + 4! = 3! \times 21 + 0!$

: $98 - 7 + 6 + 5!/4 = 3! \times 21 + 0!$

• **128**

: $1 \times 2^{3+4} = 5! + 6 + 7 - 8 + \sqrt{9}$

• **128**

: $(-(\sqrt{9})! + 8)^{7!/6!} = 5! + \sqrt{4} + 3 \times 2 \times 1$

: $(-(\sqrt{9})! + 8)^{7!/6!} = 5 \times 4^{3!-2}/10$

: $(-(\sqrt{9})! + 8)^7 = 6 + 5! - 4 + 3 + 2 + 1$

: $(-(\sqrt{9})! + 8)^7 = 6 - 5 + 4 \times 32 - 1$

: $(-(\sqrt{9})! + 8)^7 = 65 + 4^3 - 2 + 1$

: $(-(\sqrt{9})! + 8)^7 = 65 + 43 + 2 \times 10$

: $98/7 - 6 + 5! = 4 \times 32 \times 1$

: $\sqrt{\sqrt{9^8}} + 7 \times 6 + 5 = 4 \times 32 \times 1$

• **129**

: $1 + 2^{3+4} = 5!/6 \times 7 - 8 - \sqrt{9}$

: $123 + (\sqrt{4+5})! = -6 + (7+8) \times 9$

: $(\sqrt{9})! \times 8 + 76 + 5 = 43 \times (2+1)$

• **130**

: $(1 + 2^{3!}) \times \sqrt{4} = 5 + 6 + 7 \times (8+9)$

: $(9-8) \times (76+54) = (3+2)! + 10$

: $9 + (8-7)^6 + 5! = 4 + 3! \times 21$

: $9 + 8 \times 7 + 65 = (4 + 3^2) \times 10$

: $9 + 8 \times 7 + 65 = 4 + 3! \times 21$

• **131**

: $12 + 3 - 4 + 5! = 6 \times 7 + 89$

: $\sqrt{9} + 8 \times (7-6) + 5! = 4 \times (32+1) - 0!$

• **132**

: $12 + (3 + \sqrt{4})! = 5! + 6 + 7 + 8 - 9$

• 132

$: \sqrt{9}-8-7+6!/5 = 4\times(32+1)$

$: (\sqrt{9})!!/8+7\times 6 = 5!+4!\times 3!/(2+10)$

$: (\sqrt{9})!!/8+7\times 6 = 5+4\times 32-1$

• 133

$: 123+\sqrt{4}\times 5 = 6+7+(8-\sqrt{9})!$

$: 98+7!/6!\times 5 = 4\times(32+1)+0!$

$: (-\sqrt{9}+8)!+7+6 = 5!+4-3+2+10$

$: (-\sqrt{9}+8)!+7+6 = 5+4\times 32\times 1$

• 134

$: 1-2+3\times 45 = 67\times(8-(\sqrt{9})!)$

$: 9\times(8+7)-6+5 = (4\times 3)^2-10$

$: (-(\sqrt{9})!+8)^7+6 = 5+4\times 32+1$

• 135

$: (12+3)\times(\sqrt{4+5}+6) = (7+8)\times 9$

$: 9\times(8+7!/6!) = 5^{4-3+2}+10$

$: 9\times(8+7!/6!) = 5+4+3!\times 21$

$: 98+7+6\times 5 = (4!+3)\times((2+1)!-0!)$

• 135

$: 9\times(8+7) = 6+5!+4+3+2\times 1\times 0!$

$: 9\times(8+7) = 6+5+4\times(32-1)$

$: 9\times(8+7) = 65+(\sqrt{4}+3+2)\times 10$

$: 9\times(8+7) = 65+4!\times 3-2\times 1$

• 136

$: (98\times 7-6)/5 = 4\times(32+1+0!)$

• 137

$: (98\times 7-6)/5 = 4!\times 3!-(2+1)!-0!$

• 138

$: -(1+2)!+3!\times 4! = 56-7+89$

$: 9\times 8+(7+6)\times 5 = 4!\times 3!-(2+1)!$

$: 9\times 8+(7+6)\times 5 = 4\times 32+10$

• 139

$: \sqrt{\sqrt{9^8}}-7+65 = 4\times(3!^2-1)-0!$

• 140

$: 98/7+6+5! = (4+3)\times 2\times 10$

$: 98/7+6+5! = 4\times(3!^2-1)$

$: 98+7\times 6 = 5!+4\times(3\times 2-1)$

$: 98+7\times 6 = 5!+4+3\times 2+10$

$: 98+7\times 6 = 5\times(4+3+21)$

$: 98+7\times 6 = 54\times 3-21-0!$

• 141

$: 1\times 23-\sqrt{4}+5! = 6+(7+8)\times 9$

$: -1-2+3!\times 4! = 5!/6\times 7-8+9$

$: 9\times(8+7)+6 = 54\times 3-21$

$: -\sqrt{9}\times(8-7)+6!/5 = (\sqrt{4}+3)!+21$

• 142

$: -1\times 2+3!\times 4! = 5!-67+89$

$: 98-76+5! = (4\times 3)^2-1-0!$

$: 98-76+5! = 4!\times 3!-2\times 1$

• 143

$: -1+(2+3)!+4! = 56+78+9$

$: -1+2\times 3\times 4! = 56+78+9$

$: 123+4\times 5 = (6+7)\times(8+\sqrt{9})$

• 143

$: (\sqrt{9}+8)\times(7+6) = -5+4\times(3!^2+1)$

$: (\sqrt{9}+8)\times(7+6) = 5+4\times 32+10$

$: -9+87+65 = (4\times 3)^2-1$

• 144

$: (1+2)\times(3+45) = 6\times(7+8+9)$

$: 12\times 3\times 4 = (56/7+8)\times 9$

$: 12\times 3\times 4 = 5+67+8\times 9$

• 144

$: (9+8+7)\times 6 = (5+43)\times(2+1)$

$: 9\times 8+7+65 = (4\times 3)^2\times 1$

$: 9\times 8+7+65 = 4\times 3\times(2+10)$

$: 9+87-6+54 = 3!!\times 2/10$

• 145

$: 1+2\times 3\times 4! = 5!+6\times 7-8-9$

$: 98+7\times 6+5 = (4\times 3)^2+1$

• 146

$: 1\times 2+3!\times 4! = 5+6+(7+8)\times 9$

$: -(\sqrt{9})!+87+65 = 4!\times 3!+2\times 1$

$: -(\sqrt{9})!+87+65 = -4^3+210$

• 147

$: 123+4! = 56\times 7/8\times\sqrt{9}$

$: \sqrt{9}\times(8!-7!)/6! = 5!+4+3+2\times 10$

$: \sqrt{9}\times(8!-7!)/6! = 5!-4+32-1$

• **148**

: $9\times 8+76 = 5!+4+3+21$

: $9\times 8+76 = 5!-4+32\times 1$

: $\sqrt{9}+8-7+6!/5 = 4\times(3!^2+1)$

• **149**

: $9\times 8+7\times(6+5) = 4!+3!\times 21-0!$

• **150**

: $(1+2)!+3!\times 4! = 5\times 6\times(7+8)/\sqrt{9}$

: $(12+3)\times\sqrt{4}\times 5 = (6\times 7+8)\times\sqrt{9}$

• **150**

: $9+8+7+6+5! = (4!-3^2)\times 10$

: $9+8+7+6+5! = 4!+3!\times 21$

: $\sqrt{9}\times(8+7\times 6) = 5+(4\times 3)^2+1$

: $\sqrt{9}\times(8+7\times 6) = \sqrt{5\times(43+2)}\times 10$

• **151**

: $-9-8+7!/(6\times 5) = 4!+3!\times 21+0!$

• **152**

: $(-(\sqrt{9})!+8)\times 76 = 5+(4+3)\times 21$

: $(-(\sqrt{9})!+8)\times 76 = 54\times 3!/2-10$

: $9-8+7+6!/5 = 4!\times 3!-2+10$

• **153**

: $-\sqrt{\sqrt{9^8}}\times 7+6! = (54-3)\times(2+1)$

• **154**

: $98/7\times(6+5) = (4\times 3)^2+10$

• **156**

: $12+3!\times 4! = 5!+6\times(7+8-9)$

: $-(\sqrt{9})!!+876 = 5!+4+32\times 1$

: $-(\sqrt{9})!!+876 = 5!+\sqrt{(4+32)^{1+0!}}$

: $98-7+65 = 4!\times 3!+2+10$

: $98-7+65 = 4!+3!\times(21+0!)$

• **157**

: $\sqrt{\sqrt{9^8}}+76 = 5!+4+32+1$

• **160**

: $(98/7-6)\times 5\times 4 = 4\times(3!-2)\times 10$

• **161**

: $-1+2\times 3^4 = 5+67+89$

: $9+87+65 = (4!+3)\times(2+1)!-0!$

• **162**

: $1\times 2\times 3^4 = (-5+67-8)\times\sqrt{9}$

: $-(\sqrt{9})!\times 8+7\times 6\times 5 = (4!+3)\times(2+1)!$

• **163**

: $1+2\times 3^4 = 5!+6\times 7-8+9$

: $98+(7+6)\times 5 = 43+((2+1)!-0!)!$

• **164**

: $-(\sqrt{9})!+8\times 7-6+5! = 4!\times 3!+2\times 10$

• **165**

: $\sqrt{9}\times(8+7\times 6+5) = 4!\times 3!+21$

• **166**

: $(\sqrt{9})!!/8+76 = 5!+43+2+1$

: $(\sqrt{9})!!/8+76 = 5!-4+(3+2)\times 10$

: $(\sqrt{9})!-8+7!/(6\times 5) = 4!\times 3!+21+0!$

• **168**

: $(1+2\times 3)\times 4! = (56+7)\times 8/\sqrt{9}$

: $(12+3!)\times(4+5)+6 = 7\times 8\times\sqrt{9}$

: $12-3\times(4-56) = 7\times 8\times\sqrt{9}$

• **168**

: $(9-8)\times 7!/(6\times 5) = 4\times(32+10)$

: $(9-8)\times 7!/(6\times 5) = \sqrt{4^3}\times 21$

: $\sqrt{9}\times 8\times 7!/6! = (5\times\sqrt{4}+3)^2-1$

: $\sqrt{9}\times 8\times 7!/6! = 5!+43+(2+1)!-0!$

: $\sqrt{9}\times 8\times 7 = (6+5-4)\times(3+21)$

: $\sqrt{9}\times 8\times 7 = (6-5)\times 4!/3\times 21$

: $\sqrt{9}\times 8\times 7 = 6+54\times 3\times(2-1)$

: $\sqrt{9}\times 8\times 7 = 6+54\times 3+21\times 0$

• **169**

: $1-2+34\times 5 = (6+7)^{8-(\sqrt{9})!}$

: $\sqrt{(1+2\times 3!)^4} = 5!-6+7+8\times(\sqrt{9})!$

• **172**

: $-\sqrt{9}\times 8+76+5! = 43\times(2+1+0!)$

• **174**

: $(1+2)!\times(34-5) = 6+7\times 8\times\sqrt{9}$

: $-(1+2)!+3!!/4 = (5\times 6+7-8)\times(\sqrt{9})!$

: $\sqrt{9}\times(-8\times 7-6+5!) = (-4!+3!!)/(2\times(1+0!))$

• 174

$: 98+76 = 5! + \sqrt{4} \times 3^{2+1}$

$: 98+76 = 5 + (4+3^2)^{1+0!}$

$: 98+76 = 54 \times 3 + 2 + 10$

$: 98+76 = 54 + (3+2)! \times 1$

$: 98+76 = 54 + 3! \times 2 \times 10$

• 179

$: 1-2+3!!/4 = 5! - 6 - 7 + 8 \times 9$

$: 98+76+5 \quad = (4!+3!) \times (2+1)! - 0!$

• 180

$: 12/3 \times 45 \quad = (-6!+7!)/(8 \times \sqrt{9})$

$: (\sqrt{12 \times 3})!/4 = 5 \times 6 \times (7+8-9)$

• 180

$: ((\sqrt{9})!! - 8)/(-7+6+5) + \sqrt{4} = 3!!/(2+1+0!)$

• 180

$: (9+8) \times 7 + 65 - 4 \quad = 3!!/(2 \times (1+0!))$

$: (-9+8+7) \times 6 \times 5 \quad = (4!+3!) \times (2+1)!$

$: (-9+8+7) \times 6 \times 5 \quad = \sqrt{4} \times 3^2 \times 10$

$: -(\sqrt{9})! + 8 \times 7 + 6 + 5! + 4 = 3!!/(2 \times (1+0!))$

$: \sqrt{\sqrt{9} \times (8+7) \times 6!} \quad = 54 + 3! \times 21$

• 182

$: 1 \times 2 + 3!!/4 = 5! + 67 - 8 + \sqrt{9}$

$: 1 \times 2 + 3!!/4 = 5 + (67-8) \times \sqrt{9}$

$: 12 + 34 \times 5 \quad = (6+7) \times (8 + (\sqrt{9})!)$

• 182

$: ((\sqrt{9})! + 8) \times (7+6) \quad = 5! + 4^3 - 2 \times 1$

$: ((\sqrt{9})! + 8) \times (7+6) \quad = 54 \times 3 + 2 \times 10$

$: (\sqrt{9})! + 8 + 7!/(6 \times 5) = 4! \times (3!+2) - 10$

• 183

$: (12+3!!)/4 = 5! - 6 + 78 - 9$

• 184

$: (9+8) \times 7 + 65 = 4 \times (3!^2 + 10)$

• 186

$: (1+2)! + 3!!/4 \quad = 5! + 67 + 8 - 9$

$: 1 + (2 \times 3)!/4 + 5 = (6 + 7 \times 8) \times \sqrt{9}$

• 186

$: (\sqrt{9} \times (8 \times 7 + 6)) = (5 - \sqrt{4})! \times (32 - 1)$

$: (\sqrt{9} \times (8 \times 7 + 6)) = -5 + 4! \times (3!+2) - 1$

$: \sqrt{9} \times (8 \times 7 + 6) \quad = 5 + (4 + 3!!)/(2 + 1 + 0!)$

• 187

$: 1 \times 2 + 3!!/4 + 5 = 67 + (8 - \sqrt{9})!$

• 189

$: 1 + 2 \times 34 + 5! = (6 + 7 + 8) \times 9$

• 189

$: 9 \times (8+7+6) \quad = (5 - \sqrt{4}) \times 3 \times 21$

$: 9 \times (8+7+6) \quad = 54/3! \times 21$

$: \sqrt{\sqrt{9^8}} - 7 - 6 + 5! = -4! + 3 + 210$

• 190

$: (\sqrt{9})! + 8 \times (-7 + 6 \times 5) = 4! \times (3!+2) - 1 - 0!$

• 191

$: -1 + 2^3 \times 4! \quad = 56 + (7+8) \times 9$

$: \sqrt{9} \times (8 \times 7 + 6) + 5 = 4! \times (3!+2) - 1$

$: \sqrt{9} \times (8 \times 7 + 6) + 5 = 4^3 \times (2+1) - 0!$

• 192

$: 1 \times 2^3 \times 4! \quad = \sqrt{(5+67) \times 8^{\sqrt{9}}}$

$: -9 + 87 + 6 \times (-5+4!) = 3! \times \sqrt{2^{10}}$

$: -9 + 87 - 6 + 5! \quad = 4^3 \times (2+1)$

$: -9 + 87 - 6 + 5! \quad = 4^3 \times (2+1)$

$: \sqrt{\sqrt{9^8}} - 7 - 6 + 5! + 4 \quad = 3! \times \sqrt{2^{10}}$

• 193

$: 1 + 2^3 \times 4! \quad = 5 \times 6 \times 7 - 8 - 9$

$: -(9+8) + 7 \times 6 \times 5 = 4! \times (3!+2) + 1$

$: -(9+8) + 7 \times 6 \times 5 = 4^3 \times (2+1) + 0!$

• 194

$: 9 \times (8+7+6) + 5 = 4! \times (3!+2) + 1 + 0!$

• 196

$: (-\sqrt{9} + 8)! + 76 = 5 + 4! \times (3!+2) - 1$

• 199

$: \sqrt{-(\sqrt{9})!! + 8! + 7 - 6} = -5! - \sqrt{4} + 321$

• 200

$: 9\times(8+7)+65=4\times(3+2)\times 10$

• 201

$: (12-3)^{\sqrt{4}}+5!=6!-7-8^{\sqrt{9}}$

• 204

$: (1+2)!\times 34 \quad =5!+67+8+9$

$: 12\times(3\times 4+5)=(6\times 7-8)\times(\sqrt{9})!$

$: \sqrt{9}\times(-8+76)=(5\times 4-3)\times(2+10)$

$: \sqrt{9}\times(-8+76)=5\times(43-2)-1$

$: \sqrt{9}\times(-8+76)=5+\sqrt{(\sqrt{4^3})!-(2+1)!!+0!}$

• 206

$: (\sqrt{9})!+8\times 7+6!/5=4!\times 3^2-10$

• 208

$: 1+23\times(4+5) \quad =(-6+7!/8)/\sqrt{9}$

$: (\sqrt{9})!-8+7\times 6\times 5=4-3!+210$

• 210

$: (1+2\times 3)!/4! \quad =5\times 6\times 7\times(-8+9)$

$: (12\times 3+4-5)\times 6=7!/(8\times\sqrt{9})$

$: (12+3!+4!)\times 5 \quad =6\times 7\times(8-\sqrt{9})$

• 210

$: 9+87-6+5! \quad =(4+3!)\times 21$

$: (-\sqrt{9}+8)\times 7\times 6=(-5+\sqrt{4}\times 3)\times 210$

$: (-\sqrt{9}+8)\times 7\times 6=5\times(43-2+1)$

• 210

$: 9\times(8+7)+6+5+4^3 \quad =210$

$: 9\times(-8+7\times 6)-5!+4\times 3! \quad =210$

$: 9\times(87-65)+4\times 3 \quad =210$

$: 9\times 87-6!/5\times 4+3 \quad =210$

$: -9+8!/(7\times 6\times 5)+4!+3 \quad =210$

$: -9+8+7!/(6\times 5)+43 \quad =210$

$: -9+8+76+5\times(4!+3) \quad =210$

$: \sqrt{-(\sqrt{9})!!+8!+7-6}+5+\sqrt{4}\times 3=210$

$: \sqrt{9}+8\times 7+6!/5+4+3 \quad =210$

$: \sqrt{9}-8+7\times 6\times 5+\sqrt{4}+3 \quad =210$

$: \sqrt{9+8!+7!}-6-5+4!/3 \quad =210$

$: -\sqrt{\sqrt{9^8}}\times 7+6!+54+3 \quad =210$

$: (9+8)\times(-7\times 6+54)+3! \quad =210$

$: (9-8+7)\times 6+54\times 3 \quad =210$

$: (\sqrt{9})!!/(8+7)+6\times(5+4)\times 3 \quad =210$

$: (\sqrt{9})!\times 8-7+6+5!+43 \quad =210$

$: (\sqrt{9}\times 8-7)\times\sqrt{6!/5}+\sqrt{4}\times 3 \quad =210$

$: 9+87-6+5!\times(4-3) \quad =210$

• 211

$: 9-8+7\times 6\times 5=4-3+210$

• 212

$: 1\times 23\times 4+5! \quad =(6+7!/8)/\sqrt{9}$

$: -(\sqrt{9})!+8+7\times 6\times 5+4=3!^{2+1}$

• 213

$: 9+(8+7)\times\sqrt{6!/5}+4!=3+210$

$: -9+8+7\times 6\times 5+4 \quad =3+210$

$: \sqrt{9+8!+7!} \quad =6\times(5+4!+3)+21$

$: \sqrt{9+8!+7!} \quad =6\times 5^{\sqrt{4}}+3\times 21$

$: \sqrt{9+8!+7!} \quad =6+5!+43\times 2+1$

$: \sqrt{9+8!+7!} \quad =6+5\times 43+2-10$

$: \sqrt{9+8!+7\times 6!} \quad =(5-4)\times(3+210)$

$: \sqrt{9+8!+7\times 6!} \quad =5\times 43-2\times 1$

• 214

$: -1\times 2+3!^{\sqrt{4+5}} \quad =(6!-78)/\sqrt{9}$

$: (-(\sqrt{9})!+8)\times(-7-6+5!)=4!/3!+210$

$: (9-8+7\times 6)\times 5+\sqrt{4} \quad =3!^{2+1}$

• 215

$: -1+(2+3)!-4!+5! = 6!+7-8^{\sqrt{9}}$

$: (9-8+7\times 6)\times 5 = 4!\times 3^2-1$

$: (9-8+7\times 6)\times 5 = \sqrt{4}+3+210$

$: 98+(7+6)\times(5+4) = 3!^{2+1}-0!$

• 216

$: (1+2)!^3 = 4\times(5\times 6+7+8+9)$

$: (1+2)!^3 = 4\times 5\times 6+7+89$

$: (1+2)!^3 = 4+\sqrt{5^6}+78+9$

$: (1+2)!^3 = \sqrt{4}-5+6+\sqrt{7!+8!+9}$

$: (1+23)\times(4+5) = (-6+78)\times\sqrt{9}$

$: (12-3)\times 4! = 5!\times 6-7\times 8\times 9$

• 216

$: -(\sqrt{9})!+8+7\times 6\times 5+4 = 3!+210$

$: (-\sqrt{9}+8)!+76+5\times 4 = 3!^{2+1}$

$: 9\times 8\times\sqrt{\sqrt{76+5}} = (\sqrt{4}\times 3)^{2+1}$

$: 9\times 8\times\sqrt{\sqrt{76+5}} = \sqrt{4}\times 3+210$

$: 9+87+6\times 5\times 4 = 3!+210$

$: \sqrt{(-9+8+7)^6} = 5\times 432/10$

$: \sqrt{(-9+8+7)^6} = 54\times(3+2-1)$

• 217

$: 9+8+76+5!+4 = 3!^{2+1}+0!$

$: 98-7+6+5! = 4!\times 3^2+1$

$: 98-7+6+5! = 4+3+210$

$: 98-7+6+5\times 4! = 3!^{2+1}+0!$

• 218

$: (1+2)!^3+\sqrt{4} = 5!+6\times 7+8!/(\sqrt{9})!!$

$: 98\times(7-6)+5! = \sqrt{4}+3!^{2+1}$

$: 98\times(7-6)+5! = \sqrt{4^3}+210$

• 219

$: \sqrt{9}\times(8+(7+6)\times 5) = \sqrt{4}+3!^{2+1}+0!$

$: \sqrt{9+8!+7!}+6 = 54/3!+210$

$: \sqrt{9+8!+7!}+6 = \sqrt{5+4}+3!^{2+1}$

• 220

$: (1+2)!^3+4 = 5+6!+7-8^{\sqrt{9}}$

$: \sqrt{9}\times 8+76+5! = 4+3!^{2+1}$

$: \sqrt{9}\times 8+76+5! = 4+3!+210$

• 221

$: 12\times(-3!+4!)+5 = (6+7)\times(8+9)$

$: (9+8)\times(7+6) = 5\times 43+(2+1)!$

$: (9+8)\times(7+6) = 5+\sqrt{4}\times 3+210$

$: (\sqrt{9}+8)+7\times 6\times 5 = 4+3!^{2+1}+0!$

• 222

$: 9+87+6+5! = 4\times 3+210$

• 224

$: \sqrt{9+8!+7!}+6+5 = (4+3)\times\sqrt{2^{10}}$

• 225

$: \sqrt{(12+3)^4} = 5\times(6+7-8)\times 9$

$: 1\times(2+3)\times 45 = (67+8)\times\sqrt{9}$

$: -9\times((8-7)-6)\times 5 = ((4!+3!)/2)^{1+0!}$

• 226

$: 1+(2+3)\times 45 = 678/\sqrt{9}$

$: (-(\sqrt{9})!+8)\times(-7!/6!+5!) = 4!\times 3^2+10$

• 228

$: \sqrt{9}\times(87-6-5) = 4!-3!+210$

$: \sqrt{9}\times(87-6-5) = 54/3+210$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)\times 76 = (-5+43)\times(2+1)!$

• 230

$: ((\sqrt{9})!!+8)/7+6+5! = \sqrt{4}\times(3+2)!-10$

• 232

$: (\sqrt{9})!!-8\times 76+5! = (-4!+3!!)/(2+1)$

• 233

$: -1+234 = 5-6+78\times\sqrt{9}$

$: \sqrt{9}\times 8\times 7+65 = (-4!+3!!)/(2+1)+0!$

• 234

$: -1\times 2+3!!/4+56 = 78\times\sqrt{9}$

$: 1\times 234 = (5+6+7+8)\times 9$

$: 9\times(8\times 7-6\times 5) = 4\times 3!+210$

$: \sqrt{\sqrt{9^8}-7!}\times 6 = (5-4+3)!+210$

$: \sqrt{\sqrt{9^8}-7!}\times 6 = 5!\times\sqrt{4}-3\times 2\times 1$

• 235

$: 1+234 = 5\times(-6\times 7+89)$

$: 1-2\times 3+\sqrt{4}\times 5! = (6!-7-8)/\sqrt{9}$

• 236

$: -9+(8!-7!)/(6!/5) = \sqrt{4}\times((3+2)!-1-0!)$

• 237

$: \sqrt{9}\times(8+76-5) = 4!+3+210$

• 239

$: -1+(2+3)!\times\sqrt{4} = 5\times 6\times(7-8+9)$

$: (-\sqrt{9}+8)!-7+6+5! = (4+3)!/21-0!$

$: (-\sqrt{9}+8)!-7+6+5! = \sqrt{4}\times(3+2)!-1$

$: 9-8+7\times(6\times 5+4) = 3!!/(2+1)-0!$

$: 98-7+6!/5+4 = 3!!/(2+1)-0!$

• 240

$: 1+234+5 = 6+78\times\sqrt{9}$

$: (1+2)!!/3 = 4+(\sqrt{5^6}-7)\times(8-(\sqrt{9})!)$

$: (1+2)!!/3 = \sqrt{4}+(5!+6-7)\times(8-(\sqrt{9})!)$

• 240

$: (\sqrt{9})!!/\sqrt{8+7-6} = (5\times(4-3))!\times 2\times 1$

$: (\sqrt{9})!!/\sqrt{8+7-6} = 5\times\sqrt{4}\times 3+210$

$: -9+(8!-7!)/(6!/5)+4 = 3!!/(2+1)$

$: \sqrt{9}\times(8+7+65) = (4+3)!/21$

$: \sqrt{9}\times(8+7+65) = 4\times 3\times 2\times 10$

$: \sqrt{9}-87+6\times 54 = (3!-2)!\times 10$

• 241

$: 1+(2+3)!\times\sqrt{4} = 5\times(-6+7\times 8)-9$

$: (9-8)^{76}+5!\times\sqrt{4} = 3!!/(2+1)+0!$

$: (-\sqrt{9}+8)!+7-6+5! = (4+3)!/21+0!$

$: (-\sqrt{9}+8)!+7-6+5! = \sqrt{4}\times(3+2)!+1$

• 242

$: (1+(2+3)!)\times\sqrt{4} = (5+6!-7+8)/\sqrt{9}$

$: (-(\sqrt{9})!+8)\times(7-6+5!) = \sqrt{4}\times((3+2)!+1)$

$: (-(\sqrt{9})!+8)\times(7-6+5!) = \sqrt{4}+3!!/(2+1)$

• 243

$: (1+2)\times 3^4 = 5\times 6!/(7+8)+\sqrt{9}$

$: (\sqrt{9})!-87+6\times 54 = 3^{(2+1)!-0!}$

$: \sqrt{9}\times(87-6) = 5!+(\sqrt{4}+3)!+2+1$

$: \sqrt{9}\times(87-6) = 5+\sqrt{4}\times(3+2)!-1-0!$

$: \sqrt{9}\times(87-6) = 54\times 3^2/(1+0!)$

$: \sqrt{9+8!+7!}+6\times 5 = 4+3!!/(2+1)-0!$

• 244

$: (1+2)!!/3+4 = \sqrt{5^6}+7\times(8+9)$

$: (\sqrt{9})!\times 8+76+5! = 4+3!!/(2+1)$

• 245

$: (1+2)!^3+4!+5 = 6\times(-7+8\times(\sqrt{9})!)$

$: ((\sqrt{9})!\times 8+7-6)\times 5 = 4+3!!/(2+1)+0!$

• 246

$: 123\times\sqrt{4} = 5\times 67-89$

$: ((\sqrt{9})!\times 8-7)\times 6 = (5\times 4!+3)\times 2\times 1$

$: ((\sqrt{9})!\times 8-7)\times 6 = 5!+4\times 32-1-0!$

$: \sqrt{9}+\left(\sqrt{\sqrt{87-6}}\right)^5 = 4^{3!-2}-10$

• 247

$: -\sqrt{9}+(8+7\times 6)\times 5 = (4!+3!!)/(2+1)-0!$

• 248

$: \sqrt{9}\times(87-6)+5 = (4!+3!!)/(2+1)$

$: \sqrt{9}\times(87-6)+5 = 4\times(3\times 21-0!)$

• 249

$: 98+7+6!/5 = (4!+3!!)/(2+1)+0!$

• 251

$: -9+8+7!\times 6/5! = 4\times 3\times 21-0!$

• 252

$: 12\times(-3+4!) = (5+6+7)\times(8+(\sqrt{9})!)$

$: -12+3!\times 4!+5! = (6+78)\times\sqrt{9}$

$: 9+\left(\sqrt{\sqrt{87-6}}\right)^5 = 4\times 3\times 21$

$: \sqrt{9}\times(8+76) = (5+4+3)\times 21$

• 253

$: ((-\sqrt{9}+8)!+7!\times 6)/5! = 43+210$

• 254

$: -(\sqrt{9})! + 8 + 7! \times 6/5! = 4^{3!-2} - 1 - 0!$

• 255

$: -1 + (2 - 3!)^4 = ((5+6) \times 7 + 8) \times \sqrt{9}$

$: (\sqrt{9} \times (8+7) + 6) \times 5 = 4^{3!-2} - 1$

$: (\sqrt{9} \times (8+7) + 6) \times 5 = 4^{3+2-1} - 0!$

• 256

$: ((\sqrt{9})! - 8)^{7+6-5} = 4 \times (3 \times 21 + 0!)$

$: ((\sqrt{9})! - 8)^{7+6-5} = 4^{3+2-1}$

$: (12/3)^4 = 5 \times (-6 + 7 \times 8) + (\sqrt{9})!$

• 257

$: 1 + (-2 + 3!)^4 = 5 + 6! - 78 \times (\sqrt{9})!$

$: -\sqrt{9} + 8 + 7! \times 6/5! = 4^{3!-2} + 1$

$: -\sqrt{9} + 8 + 7! \times 6/5! = 4^{3+2-1} + 0!$

• 258

$: (\sqrt{9})! \times 8 + 7 \times 6 \times 5 = 43 \times (2+1)! \times 0!$

$: (\sqrt{9})! \times 8 + 7 \times 6 \times 5 = 43 \times (2+1)!$

• 259

$: 9 + (8 \times 7 - 6) \times 5 = 43 \times (2+1)! + 0!$

• 260

$: (1 + 2^{3!}) \times 4 = 5 \times 6 \times 78/9$

$: 98 + 7 \times 6 + 5! = \sqrt{4} \times ((3+2)! + 10)$

• 261

$: \sqrt{9} \times 87 = 6 \times 5 + 4! - 3 + 210$

$: \sqrt{9} \times 87 = 6 \times 54 - 3 \times 21$

$: \sqrt{9} \times 87 = 6 + 5! \times \sqrt{4} - 3! + 21$

$: \sqrt{9} \times 87 = 6 + 5 + (\sqrt{4} + 3)^2 \times 10$

$: \sqrt{9} \times 87 = 65 + (4 \times 3 + 2)^{1+0!}$

• 263

$: \sqrt{9} + 8 + 7! \times 6/5! = 4! \times (3! \times 2 - 1) - 0!$

• 264

$: \sqrt{1 + (2+3)!} \times 4! = (5+6) \times (7+8+9)$

• 264

$: (9+8+7) \times 6 + 5! = 4! \times (3! \times 2 - 1)$

$: (9+8+7) \times 6 + 5! = 4! \times (3 - 2 + 10)$

• 265

$: (-9 + 8 \times 7 + 6) \times 5 = 4! + 3!!/(2+1) + 0!$

• 266

$: 1 \times 2 + 3! \times 4! + 5! = (6! + 78)/\sqrt{9}$

$: 98 + 7!/(6 \times 5) = 4^{3!-2} + 10$

• 270

$: 1 \times 2 \times 3 \times 45 = 6 \times (7+8) \times \sqrt{9}$

$: 9 \times (8-7) \times 6 \times 5 = (4! + 3!/2) \times 10$

$: \sqrt{9} \times (8+7) \times 6 = 54 \times (3+2) \times 1$

$: \sqrt{9} \times (8+7) \times 6 = 54 + 3! + 210$

• 278

$: \sqrt{9 + 8! + 7!} + 65 = 4! \times 3! \times 2 - 10$

• 279

$: \sqrt{9} \times (87+6) = (5+4) \times (32-1)$

$: \sqrt{9} \times (87+6) = 5 + 4^3 + 210$

• 280

$: (98 - 7 \times 6) \times 5 = (-4 + 32) \times 10$

• 282

$: 12 + 3! \times 45 = 6 \times (7 \times 8 - 9)$

$: (-9 + 8 \times 7) \times 6 = (5! + 4! - 3) \times 2 \times 1$

$: (-9 + 8 \times 7) \times 6 = 5! + (4! + 3) \times (2+1)!$

$: -98 + 76 \times 5 = 4! \times 3 + 210$

• 284

$: \sqrt{9} \times (87+6) + 5 = (4! \times 3! - 2) \times (1 + 0!)$

• 286

$: (\sqrt{9})! + (8! - 7!)/(6 + 5!) = 4! \times 3! \times 2 - 1 - 0!$

• 287

$: -1 + 2 \times 3! \times 4! = (5 \times 6 + 7) \times 8 - 9$

$: (-9 + 8 \times 7) \times 6 + 5 = 4! \times 3! \times 2 - 1$

• 288

$: 12 \times 34 - 5! = 6!/(7+8) \times (\sqrt{9})!$

$: (9 \times 8) \times (-7 + 6 + 5) = 4! \times 3! \times 2 \times 1$

$: (9 \times 8) \times (-7 + 6 + 5) = 4! \times 3 \times (2 + 1 + 0!)$

$: (\sqrt{9})!!/(8+7) \times 6 = (5+4) \times 32 \times 1$

$: (\sqrt{9})!!/(8+7) \times 6 = (5+4) \times 32 - 1 + 0!$

• **289**

$: 9+8\times 7!/(6!/5) = 4!\times 3!\times 2+1$

• **290**

$: (-\sqrt{9}+8)\times(-7+65) = (4!+3+2)\times 10$

• **294**

$: 1+2\times 3!\times 4!+5 \quad = 6\times 7^{8-(\sqrt{9})!}$

$: (\sqrt{9})!\times(8!-7!)/6! = (5!+4!+3)\times 2\times 1$

$: (\sqrt{9})!\times(8!-7!)/6! = (5+\sqrt{4})\times(32+10)$

• **300**

$: (12+3)\times 4\times 5 \quad = 6\times(7\times 8-(\sqrt{9})!)$

$: (9+8-7)\times 6\times 5 \;= (-\sqrt{4}+32)\times 10$

$: (\sqrt{9})!\times(8+7\times 6) = 5\times(4+3!)\times(2+1)!$

$: (\sqrt{9})!\times(8+7\times 6) = 5\times 4^3-2\times 10$

• **301**

$: -9+(8\times 7+6)\times 5 \;=\; 43\times((2+1)!+0!)$

• **306**

$: (1+2)!\times(3!+45) \quad = (6\times 7-8)\times 9$

$: (9+8)\times(7+6+5) = \sqrt{4}-3!!+2^{10}$

$: 9\times(-8+7\times 6) \quad = (54-3)\times(2+1)!$

$: 9\times(-8+7\times 6) \quad = 5!+(4!+3!!)/(2+1+0!)$

• **308**

$: 98+7\times 6\times 5 = 4-3!!+2^{10}$

• **311**

$: -9+8\times 7!/(6+5!) = 4!\times(3!\times 2+1)-0!$

• **312**

$: 1\times 2^3\times 4!+5! \quad = (6+7)\times 8\times\sqrt{9}$

$: \sqrt{9}\times 8\times(7+6!/5!) = 4!\times(3!\times 2+1)$

$: \sqrt{9}\times 8\times(7+6!/5!) = 4!\times(3!/2+10)$

$: \sqrt{9}\times 8\times(7+6) \quad = 5\times 4^3+2-10$

• **313**

$: \sqrt{9}+(8\times 7+6)\times 5 = 4!\times(3!\times 2+1)+0!$

• **314**

$: -(\sqrt{9})!+8\times 7!/(6+5!) = (-4!+3!)^2-10$

• **320**

$: (9+87)/6\times 5\times 4 \quad = 32\times 10$

$: -(\sqrt{9})!!+8+7\times 6!/5+4! = 32\times 10$

$: -(\sqrt{9})!\times 87+6!+5!+\sqrt{4} = 32\times 10$

$: (\sqrt{9})!+(8\times 7+6)\times 5+4 \;= 32\times 10$

$: (-\sqrt{9}+8-7)^6\times 5 \quad = 4^3/2\times 10$

• **321**

$: 9+(8\times 7+6)\times 5+\sqrt{4} \quad = 321$

$: \sqrt{9}\times(8\times(7+6)-5)+4! = 321$

$: \sqrt{9}\times 8\times(7+6)+5+4 \quad = 321$

$: \sqrt{9}\times 87+6+54 \quad = 321$

• **322**

$: -98+7!/(6!/5!\times\sqrt{4}) = 321+0!$

• **323**

$: (9+8)\times(7+\sqrt{6!/5}) \;= \sqrt{4}+321$

$: (-\sqrt{9}+8\times 7)\times 6+5 = \sqrt{4}+321$

• **324**

$: 12\times(3+4!) \quad = 5\times 67-8-\sqrt{9}$

$: 9\times(-8-76+5!) = (4!-3!)^2\times 1$

$: 9\times(-8-76+5!) = 4+32\times 10$

• **325**

$: (-\sqrt{9}-8+76)\times 5 = 4+321$

• **326**

$: \sqrt{9}\times 87+65 = 4+321+0!$

• **327**

$: -9+8\times 7\times 6 = (5!-4)\times 3-21$

$: -9+8\times 7\times 6 = 5+\sqrt{4}+32\times 10$

• **330**

$: (1+2)\times(-3!-4+5!) = 6\times(7+8\times(\sqrt{9})!)$

$: -(\sqrt{9})!+8\times 7\times 6 \quad = (5-4+32)\times 10$

$: -(\sqrt{9})!+8\times 7\times 6 \quad = 5+4+321$

• **333**

$: -12+345 \quad = 6\times 7\times 8-\sqrt{9}$

$: -\sqrt{9}+8\times 7\times 6 = (5+4)\times(3!^2+1)$

$: -\sqrt{9}+8\times 7\times 6 = 5+4!-3!!+2^{10}$

$: -\sqrt{9}+8\times 7\times 6 = 543-210$

• **335**

$: (-1+2\times 34)\times 5 = 67\times(8-\sqrt{9})$

• 336

$: (1+23)/4\times 56 = 7\times 8\times(\sqrt{9})!$

$: (\sqrt{9})!\times 8\times 7!/6! = (-5+4!-3)\times 21$

$: (\sqrt{9})!\times 8\times 7!/6! = 5\times 4!+3!+210$

$: (\sqrt{9})!\times 8\times 7 = 6\times 54+(3+2)!/10$

$: (\sqrt{9})!\times 8\times 7 = 6+5+4+321$

$: \sqrt{9}\times(-8+(7-6)\times 5!) = 4!\times(3!-2+10)$

• 339

$: -(1+2)!+345 = 6\times 7\times 8+\sqrt{9}$

$: \sqrt{9}+8\times 7\times 6 = (5!-4-3)\times(2+1)$

$: \sqrt{9}+8\times 7\times 6 = 5+(4!-3!)^2+10$

• 342

$: -1-2+345 = 6+7\times 8\times(\sqrt{9})!$

$: (\sqrt{9})!\times 8\times 7+6 = 5-4!+3!!/2+1$

$: (\sqrt{9})!+8!\times(7-6)/5! = (4+3)^{2+1}-0!$

$: (\sqrt{9})!+8\times 7\times 6 = (54+3)\times(2+1)!$

$: (\sqrt{9})!+8\times 7\times 6 = 5!+4\times 3+210$

• 343

$: -1\times 2+345 = (6-7+8)^{\sqrt{9}}$

$: \sqrt{9}+(-8+76)\times 5 = (4+3)^{2+1}$

• 344

$: \sqrt{9}+8\times 7\times 6+5 = 43\times(-2+10)$

• 345

$: 1^2\times 345 = 6\times 7\times 8+9$

$: 9+8\times 7\times 6!/5! = 4!+321$

$: 9+8\times 7\times 6!/5! = 4!+321$

$: 9+8\times 7\times 6 = 5+(\sqrt{4}+32)\times 10$

$: 9+8\times 7\times 6 = 54\times 3!+21$

• 346

$: (\sqrt{9})!+(-8+76)\times 5 = 4!+321+0!$

• 347

$: (\sqrt{9})!\times 8\times 7+6+5 = (-4!+3!!)/2-1$

• 348

$: -12+3!!/\sqrt{4} = (-5!/6+78)\times(\sqrt{9})!$

$: \sqrt{9}\times(8\times 7+\sqrt{6!\times 5}) = (-4!+3!!)/2\times 1$

$: \sqrt{9}\times(8\times 7+\sqrt{6!\times 5}) = (-4+3!!)/2-10$

• 349

$: 9+(-8+76)\times 5 = (-4!+3!!)/2+1$

$: 9+(-8+76)\times 5 = (-4!+3!!+2)/(1+0!)$

• 350

$: 98+7\times 6!/(5\times 4) = 3!!/2-10$

• 351

$: 9\times(-87+6+5! = (\sqrt{4}+3!!)/2-10$

• 352

$: 9+(8!+7!/6)/5! = sqrt4+3!!/2-10$

• 353

$: -9-8+76\times 5 = 4+3!!/2-1$

• 354

$: (-12+3!!)/\sqrt{4} = (-5+6!-7)/(8-(\sqrt{9})!)$

$: (\sqrt{9}+8\times 7)\times 6 = (-\sqrt{5!+4!}+3!!)/2\times 1$

$: 1\times 234+5! = 6\times(7\times 8+\sqrt{9})$

• 355

$: 9+8\times 7\times 6 = 5+(\sqrt{4}\times 3)!/2-10$

• 357

$: -1-2+3!!/\sqrt{4} = 5\times(-6+78)-\sqrt{9}$

$: -98+7\times 65 = (-4+3!!)/2-1$

• 358

$: (98+76-5)\times\sqrt{4} = 3!!/2-1-0!$

$: (\sqrt{9})!+8\times(-76+5!) = (-4+3!!)/2\times 1$

$: (\sqrt{9})!+8\times(-76+5!) = (\sqrt{4}\times 3)!/2-1-0!$

• 359

$: 1-2+3!!/\sqrt{4} = 5\times 67+8\times\sqrt{9}$

$: (\sqrt{9})!\times 8\times 7-6+5+4! = 3!!/2\times 1-0!$

$: (\sqrt{9})!\times 8\times 7-6+5+4! = 3!!/2-1$

$: (-\sqrt{9}+8)\times(76-5)+4 = 3!!/2-1$

$: -98+7\times 65+\sqrt{4} = 3!!/2-1$

• 359

$: (\sqrt{9}+8\times 7)\times 6+5 = ((\sqrt{4}\times 3)!-2)/(1+0!)$

$: (\sqrt{9}+8\times 7)\times 6+5 = (\sqrt{4}\times 3)!/2-1$

• 360

$: (12+3)\times 4! = 5!+6+78\times\sqrt{9}$

$: 1\times 2^3\times 45 = (6+7-8)!\times\sqrt{9}$

$: 1\times 234+5!+6 = 7!/(8+(\sqrt{9})!)$

$: (9\times(8-7)-6)\times 5! = (4+32)\times 10$

$: (-9+8+76)/5\times 4! = 3!^2\times 10$

$: \sqrt{9}\times(-8+7+6)! = 5\times 4\times(-3+21)$

$: (9\times(8-7)-6)\times 5! = (\sqrt{4}\times 3)!/2\times 1$

$: \sqrt{9}\times(-8+7+6)! = 54/3\times 2\times 10$

$: -\sqrt{9}\times 8+76\times 5+4 = 3!!/2\times 1$

$: -\sqrt{9}\times 8+76\times 5+4 = 3!^2\times 10$

• 360

$: \sqrt{9}\times(-8+(7-6)\times 5!)+4! = 3!!/2\times 1$

• 361

$: 9+(87+6-5)\times 4 = 3!!/2+1$

$: 9+8\times(-76+5!) = (4+3!!)/2-1$

$: 9+8\times(-76+5!) = (\sqrt{4}\times 3)!/2+1$

• 362

$: -\sqrt{9}+8\times 7\times 6+5+4! = 3!!/2+1+0!$

• 363

$: 1+2+3!!/\sqrt{4} = 5\times(-6+78)+\sqrt{9}$

$: -9-8+76\times 5 = 4+3!!/2-1$

• 364

$: ((\sqrt{9})!!+8)/(7!/6!-5) = 4+3!!/2\times 1$

$: ((\sqrt{9})!!+8)/(7!/6!-5) = 4+3!^2\times 10$

• 365

$: (9\times 8+7-6)\times 5 = 4+3!!/2+1$

• 366

$: (1+2)!+3\times 4!\times 5 = 6+7!/(8+(\sqrt{9})!)$

$: (12+3!!)/\sqrt{4} = 5\times(67+8)-9$

$: -(\sqrt{9})!-8+76\times 5 = 4+3!!/2+1+0!$

$: 1+(2\times 3)!/\sqrt{4}+5 = 6+7!/(8+(\sqrt{9})!)$

• 368

$: (\sqrt{9})!!+8\times(76-5!) = (-4+3!!)/2+10$

• 369

$: \sqrt{9}\times(\sqrt{\sqrt{87-6}}+5!) = (-\sqrt{4}+3!!)/2+10$

• 370

$: (\sqrt{9})!\times(87-6)-5!+4 = 3!!/2+10$

$: -(\sqrt{9})!+8\times(7\times 6+5) = (\sqrt{4}\times 3)!/2+10$

$: -\sqrt{9}\times 87+6+5^4 = 3!!/2+10$

• 371

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+76\times 5 = (4!+3!!)/2-1$

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+76\times 5 = (\sqrt{4}+3!!)/2+10$

• 372

$: ((\sqrt{9})!+8\times 7)\times 6 = (5!+4)\times 3\times(2-1)$

$: ((\sqrt{9})!+8\times 7)\times 6 = 54\times 3+210$

$: \sqrt{9}\times(8+76)+5! = (4!+3!!)/2\times 1$

$: \sqrt{9}\times(8+76)+5! = \sqrt{4}+3!!/2+10$

• 374

$: -\sqrt{\sqrt{9^8}}+7\times 65 = 4!+3!!/2-10$

• 377

$: (\sqrt{9})!\times(8\times 7+6)+5 = (4!-3!)\times 21-0!$

• 378

$: (\sqrt{9})!\times(8!+7!)/6! = 54/3\times 21$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times 7\times 6 = 5+(4!+3!!)/2+1$

• 379

$: -9+8+76\times 5 = (4!-3!)\times 21+0!$

• 380

$: (9-8)\times 76\times 5 = (\sqrt{4}+3!^2)\times 10$

$: (-\sqrt{9}+8)\times 76 = 5\times 4+3!!/2\times 1$

$: (-\sqrt{9}+8)\times 76 = 5\times\sqrt{4}+3!!/2+10$

• 382

$: -(\sqrt{9})!+8+76\times 5 = 4!+3!!/2-1-0!$

• 383

$: -9\times 8+7\times 65 = 4!+3!!/2-1$

$: -9\times 8+7\times 65 = 4^3\times(2+1)!-0!$

• 384

$: 12\times(3+4!+5) = 6!-7\times 8\times(\sqrt{9})!$

$: (\sqrt{9})!\times 8\times(7+6-5) = 4\times 3\times\sqrt{2^{10}}$

$: (\sqrt{9})!\times 8\times(7+6-5) = 4^3\times(2+1)!$

$: -(\sqrt{9})!\times 8\times 7+6! = (5+43)\times(-2+10)$

• 385

$: (9-8+76)\times 5 = 4!+3!!/2+1$

$: (9-8+76)\times 5 = 4^3\times(2+1)!+0!$

• 386

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!+76\times 5 = 4!+3!!/2+1+0!$$

• 390

$: (9+8\times 7)\times 6 = (5!+4+3!)\times(2+1)$

• 392

$: 1+(2+3!!)/\sqrt{4}+5\times 6 = 7\times 8!/(\sqrt{9})!!$

• 394

$: (\sqrt{9})!+8+76\times 5 = 4!+3!!/2+10$

• 396

$: -9+(87-6)\times 5 = (4!-3!)\times(21+0!)$

• 408

$: 12\times 34 = (5+6-7)!\times(8+9)$

$: (\sqrt{9})!\times(-8+76) = (5!-4!+3!!)/2\times 1$

$: (\sqrt{9})!\times(-8+76) = (54-3)\times(-2+10)$

• 410

$$: (\sqrt{\sqrt{9^8}}+7-6)\times 5 = (43-2)\times 10$$

• 414

$: -1+(2+3^4)\times 5 = 6\times(78-9)$

$: 9+(87-6)\times 5 = \sqrt{4}\times(-3+210)$

• 416

$: (-(\sqrt{9})!\times 8+7!)/\sqrt{6!/5} = \sqrt{4}\times 3!!-2^{10}$

• 420

$: 12\times(3+4)\times 5 = 6\times 7!/(8\times 9)$

$: 98/7\times 6\times 5 = (4!-3)\times 2\times 10$

• 422

$: -(\sqrt{9})!+8+7!/\sqrt{6!/5} = 432-10$

• 426

$: -(1+2)!+3\times(4!+5!) = 6\times\sqrt{7!-8+9}$

$: (\sqrt{9})!+(8+76)\times 5 = \sqrt{4}\times(3+210)$

• 430

$: ((-\sqrt{9}+8)!+7!)/\sqrt{6!/5} = \sqrt{43^2}\times 10$

• 431

$: -\sqrt{9}\times 8+7\times 65 = 432-1$

$: \sqrt{9-8+7!}\times 6+5 = 432-1$

• 432

$: (1+2\times 3!)\times 4!+5! = (-6+78)\times(\sqrt{9})!$

$: 12^3/4 = (5-6+7)\times 8\times 9$

$: (\sqrt{9})!\times 8\times\sqrt{76+5} = 432\times 1$

$: (\sqrt{9})!\times 8\times\sqrt{76+5} = 432\times 1$

$: 9\times 8!/7!\times 6 = 5!\times(4+32)/10$

$: 9\times 8!/7!\times 6 = 54\times(3^2-1)$

• 433

$$: 9-8\times(7-\sqrt{6!\times 5}) = 432+1$$

• 434

$$: (\sqrt{9})!+8+7\times\sqrt{6!\times 5} = 432+1+0!$$

• 440

$: \left(\sqrt{9}+8\right)\times 7!/(6+5!) = (4!-3)^2-1$

$: \left(\sqrt{9}+8\right)\times 7!/(6+5!) = 4\times((3+2)!-10)$

• 441

$: 9\times(8!-7!)/6! = (5+4+3!\times 2)^{1+0!}$

$: 9\times(8!-7!)/6! = 5\times 4!+321$

$: -9+(8+7)\times 6\times 5 = (4!-3)\times 21$

• 444

$$: \left(\sqrt{\sqrt{9^8}}-7\right)\times 6 = 5!+(-4!+3!)^2\times 1$$

$$: \left(\sqrt{\sqrt{9^8}}-7\right)\times 6 = 5!+\sqrt{4}+321+0!$$

• 450

$: (1+2)\times(3!+4!)\times 5 = (6\times 7+8)\times 9$

$: (9+87-6)\times 5 = (43+2)\times 10$

$: 9\times(8+7\times 6) = 5!\times 4-\sqrt{3^2}\times 10$

$: 9\times(8+7\times 6) = 5!+(4!+3^2)\times 10$

$: 9\times(8+7\times 6) = 5^{\sqrt{4}}\times 3!\times(2+1)$

• **451**

$: ((\sqrt{9})! \times 8 - 7) \times (6 + 5) \;=\; (4! - 3)^2 + 10$

• **455**

$: (9 - 8) \times 7 \times 65 \;=\; 4! \times \sqrt{3!!/2 + 1} - 0!$

• **456**

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)! \times 76 = (-5 + 4!) \times 3 \times (-2 + 10)$$

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)! \times 76 = 5! \times 4 - 3 - 21$$

$: \sqrt{9} \times (87 + 65) \quad = 4! \times (3^2 + 10)$

$: \sqrt{9} \times (87 + 65) \quad = 4! \times \sqrt{3!!/2 + 1}$

• **459**

$: -1 + 23 \times 4 \times 5 = 6 \times 78 - 9$

$: -\sqrt{9} \times 87 + 6! \;= 5! \times 4!/3! - 21$

• **462**

$: (1 + 2) \times (34 + 5!) \quad = 6 \times 78 - (\sqrt{9})!$

$: (\sqrt{9} + 8) \times 7 \times 6 \quad = 5! \times 4 + 3 - 21$

$: \sqrt{9} \times (-8 + 7 \times 6 + 5!) = (4! - 3) \times (21 + 0!)$

• **465**

$: (12 + 3^4) \times 5 \;=\; 6 \times 78 - \sqrt{9}$

• **468**

$: (123 - 45) \times 6 \;= 78 \times (\sqrt{9})!$

$: (-9 + 87) \times 6 \;= 5! \times 4 - 3! \times 2 \times 1$

$: (-9 + 87) \times 6 \;= 5! \times 4 - 3 \times 2 \times (1 + 0!)$

$: 9 \times (8 - 76 + 5!) = 4 \times (-3 + ((2 + 1)! - 0!)!)$

• **470**

$$: \left(\sqrt{\sqrt{9^8}} + 7 + 6\right) \times 5 \;=\; 4 \times (3 + 2)! - 10$$

• **471**

$: -12 + 3 + 4 \times 5! \;=\; 6 \times 78 + \sqrt{9}$

• **472**

$: 9 + 8 + 7 \times 65 \;=\; 4 \times ((3 + 2)! - 1 - 0!)$

• **474**

$: -1 \times 2 \times 3 + 4 \times 5! = 6 \times (7 + 8 \times 9)$

$: (9 \times 8 + 7) \times 6 \quad = 5! \times 4 - 3 - 2 - 1$

$: (9 \times 8 + 7) \times 6 \quad = 5! + (5! - 4) \times 3 + (2 + 1)!$

$: (9 \times 8 + 7) \times 6 \quad = 5! + 4! \times 3! + 210$

• **475**

$: (-9 + 8 \times (7 + 6)) \times 5 \;=\; 4 \times ((3 + 2)! - 1) - 0!$

• **476**

$: (-1 + (2 + 3)!) \times 4 \;=\; 5 + 6 \times 78 + \sqrt{9}$

• **477**

$: -\sqrt{9} + 8!/7! \times \sqrt{6! \times 5} \;=\; 4 \times ((3 + 2)! - 1) + 0!$

• **478**

$: 98 + 76 \times 5 \;=\; 4 \times (3 + 2)! - 1 - 0!$

• **479**

$: -1 + (2 + 3)! \times 4 \;\; = 5 + 6 + 78 \times (\sqrt{9})!$

$: (9 \times 8 + 7) \times 6 + 5 = 4 \times (3 + 2)! - 1$

• **480**

$: 1 \times (2 + 3)! \times 4 \quad = 5!/6 \times (7 + 8 + 9)$

$: (9 + 8 - 7 - 6) \times 5! = 4 \times (3 + 2)! \times 1$

$: (9 + 8 - 7 - 6) \times 5! = 4 \times 3! \times 2 \times 10$

• **481**

$: 1 + (2 + 3)! \times 4 \;=\; 56 \times 7 + 89$

• **482**

$: -(\sqrt{9})! + 8 \times 76 - 5! \;=\; \sqrt{4} \times (3!!/(2 + 1) + 0!)$

• **483**

$: \sqrt{9} + 8!/7! \times \sqrt{6! \times 5} \;=\; 4 \times ((3 + 2)! + 1) - 0!$

• **484**

$: -(\sqrt{9} + 8) \times (76 - 5!) \;=\; 4 \times ((3 + 2)! + 1)$

• **485**

$: (98 - 7 + 6) \times 5 \;=\; 4 \times ((3 + 2)! + 1) + 0!$

• **486**

$: (1 + 2)! \times 3^4 \quad = (-5 + 67 - 8) \times 9$

$: 1 \times 2 \times 3 + 4 \times 5! = 6 \times (78 + \sqrt{9})$

486

$: (\sqrt{9})! \times (87 - 6) \;= 5 + 4 \times (3 + 2)! + 1$

$: (\sqrt{9})! \times (87 - 6) \;= 54 \times (-3 + 2 + 10)$

$: (\sqrt{9})! \times (87 - 6) \;= 54 \times 3^2 \times 1$

• **488**

$: -(\sqrt{9})!! + 8 \times (7 + 6!/5) \;=\; 4 \times ((3 + 2)! + 1 + 0!)$

• **490**

$: 98 \times (7 - 6) \times 5 \;=\; (4 + 3)^2 \times 10$

• **492**

$: 1\times 2\times 3!+4\times 5! = 6\times(-7+89)$

$: 12+3!!/\sqrt{4}+5! = 6\times(-7+89)$

$: 123\times 4 = 5!+(6+7\times 8)\times(\sqrt{9})!$

$: 123\times 4 = \sqrt{5\times 6!}\times 7+8\times 9$

• **500**

$: (\sqrt{9}\times 8+76)\times 5 = 4\times(3!\times 21-0!)$

• **503**

$: 9\times 8\times 7-6+5 = 4\times 3!\times 21-0!$

• **504**

$: (-1+23)^{\sqrt{4}}+5!/6 = 7\times 8\times 9$

$: 12\times(3\times 4-5)\times 6 = 7\times 8\times 9$

$: 12\times(-3+45) = (6+78)\times(\sqrt{9})!$

$: 12+3!+4\times 5!+6 = 7\times 8\times 9$

• **504**

$: -(\sqrt{9})!\times 8\times 7+6!+5! = 4\times 3!\times 21$

$: (-\sqrt{9}+87)\times 6 = 5!\times 4+3+21$

$: (-\sqrt{9}+87)\times 6 = \sqrt{5!+4!}\times(32+10)$

• **504**

$: 9\times 8\times 7 = (6-5)\times 4\times 3!\times 21$

$: 9\times 8\times 7 = (6+5!)\times(-\sqrt{4+32}+10)$

$: 9\times 8\times 7 = 6\times(5!-4-32\times 1)$

$: 9\times 8\times 7 = 6+5!\times 4-3+21$

$: 9\times 8\times 7 = 6+5!+(4!-3!)\times 21$

$: 9\times 8\times 7 = 65+(4!-3)^2-1-0!$

• **505**

$: (-\sqrt{9}+8\times(7+6))\times 5 = 4\times 3!\times 21+0!$

• **507**

$: -\sqrt{9+8!+7!}+6! = 5!\times 4+3!+21$

• **510**

$: (1+2)\times 34\times 5 = 6+7\times 8\times 9$

$: (9\times 8\times 7+6)\times(5-4) = 3!!-210$

$: (9+87+6)\times 5 = (\sqrt{4}\times 3)!-210$

$: -(\sqrt{9})!+8^{\sqrt{\sqrt{76+5}}}+4 = 3!!-210$

$: 9\times 8\times 7+6 = (5-4)\times 3!!-210$

$: 9\times 8\times 7+6 = 5\times(-4!+3!\times 21)$

$: \sqrt{\sqrt{9^8}}\times(7-6+5)+4! = 3!!-210$

• **511**

$: -1+2^{3\times\sqrt{4+5}} = 6-7+8^{\sqrt{9}}$

$: -1+2^{\sqrt{3^4}} = 5\times(6+7)\times 8-9$

• **512**

$: (1+2^{3!}+4!)\times 5+67 = 8^{\sqrt{9}}$

$: (-12+3!!)/4+5\times 67 = 8^{\sqrt{9}}$

$: (12+3\times 4)\times 5+56\times 7 = 8^{\sqrt{9}}$

$: (\sqrt{12/3})^{4+5} = (-6+7)\times 8^{\sqrt{9}}$

$: 1\times 2^{\sqrt{3^4}} = (5\times 6/(7+8))^9$

$: 1\times 2+3+4\times\sqrt{5^6}+7 = 8^{\sqrt{9}}$

• **512**

$: (-(\sqrt{9})!+8)^{\sqrt{76+5}} = 4^3\times(-2+10)$

$: (-(\sqrt{9})!+8)^{\sqrt{76+5}} = \sqrt{4^{3^2}}\times 1$

• **513**

$: 1+2^{\sqrt{3^4}} = (56-7+8)\times 9$

$: 9\times(87-6\times 5) = \sqrt{4^{3^2}}+1$

$: -9+87\times 6 = 5!\times 4+32+1$

$: -9+87\times 6 = 5+4\times(3!\times 21+0!)$

• **519**

$: 1+2^{3\times\sqrt{4+5}}+6 = 7+8^{\sqrt{9}}$

$: -\sqrt{9}+87\times 6 = (5+4)^3-210$

$: -\sqrt{9}+87\times 6 = 5+4+3!!-210$

• **520**

$: (9-8+7)\times 65 = 4\times((3+2)!+10)$

• **522**

$: (1+2)\times 3!\times(4!+5) = 6\times(78+9)$

• **522**

$: (\sqrt{9})!\times 87 = (6-5)\times\sqrt{4^{3^2}}+10$

$: (\sqrt{9})!\times 87 = (6+5!)\times 4-3+21$

$: (\sqrt{9})!\times 87 = 6!+5+4+3-210$

$: (\sqrt{9})!\times 87 = 6\times 5+4\times(3+((2+1)!-0!)!)$

$: (\sqrt{9})!\times 87 = 6+5!\times 4+3!^2\times 1$

$: (\sqrt{9})!\times 87 = 6+5!\times 4+3\times(2+10)$

$: (\sqrt{9})!\times 87 = 6+5+\sqrt{4^{3^2}}-1$

$: (\sqrt{9})!\times 87 = 65+4!\times\sqrt{3!!/2+1}+0!$

• **525**

$: \sqrt{9}+87\times 6 = 5\times(\sqrt{4}+3)\times 21$

• **527**

$: -1+2\times(3!\times 4!+5!)=67\times 8-9$

• **528**

$: (\sqrt{9})!\times(87+6-5)=4!\times(32-10)$

$: (\sqrt{9})!\times 87+6 = 5!+4!\times(-3+2\times 10)$

$: (\sqrt{9})!+87\times 6 = (5\times 4+3)^2\times 1-0!$

$: (\sqrt{9})!+87\times 6 = (5\times 4+3)^2-1$

• **529**

$: 1\times 23^{\sqrt{4}} = 5\times(6+7)\times 8+9$

529

$: 9+8\times(7+6)\times 5=(4!-3+2)^{1+0!}$

• **530**

$: 1+23^{\sqrt{4}}=5+6+7+8^{\sqrt{9}}$

• **531**

$: 9+87\times 6=543-2-10$

• **533**

$: (-1+23)\times 4!+5=67\times 8-\sqrt{9}$

• **534**

$: 1\times 23^{\sqrt{4}}+5 = (-6!+7!)/8-(\sqrt{9})!$

$: 9\times 8\times 7+6\times 5=4!+3!!-210$

• **539**

$: -1+2\times 3!\times 45=67\times 8+\sqrt{9}$

• **540**

$: 1\times 2\times 3!\times 45 = 6\times(7+8)\times(\sqrt{9})!$

$: (\sqrt{9}+8+7)\times 6\times 5=(4!+3)\times 2\times 10$

$: (\sqrt{9}+87)\times 6 = 54\times(3-2)\times 10$

$: (\sqrt{9}+87)\times 6 = 543-2-1$

• **543**

$: -1+2^{3!}+4\times 5!=(-6!+7!)/8+\sqrt{9}$

• **545**

$: (1+2)!!\times 3/4+5=67\times 8+9$

• **546**

$: (98-7)\times 6=5!+\sqrt{4}\times(3+210)$

$: (98-7)\times 6=543+2+1$

• **551**

$: -1+23\times 4! = 5+(-6!+7!)/8+(\sqrt{9})!$

$: (98-7)\times 6+5=4!\times((3!-2)!-1)-0!$

• **552**

$: 1\times 23\times 4! = 5!+6\times(78-(\sqrt{9})!)$

$: 12\times 3!+4\times 5! = 6!-7\times 8\times\sqrt{9}$

$: (\sqrt{9})!\times 87+6\times 5=4!\times((3!-2)!-1)$

$: (\sqrt{9})!\times 87+6\times 5=4!\times(3+2\times 10)$

$: -\sqrt{9}\times 8\times 7+6! = (5!+432)\times 1$

$: -\sqrt{9}\times 8\times 7+6! = 5!+432\times 1$

• **553**

$: 98+7\times 65=4!\times((3!-2)!-1)+0!$

• **558**

$: 1+23\times 4!+5=(6+7\times 8)\times 9$

$: 9\times(8\times 7+6)=(5!-4!-3)\times(2+1)!$

$: 9\times(8\times 7+6)=(5!-4)\times 3+210$

• **560**

$: (1+2\times 3)!/(4+5)=(6-7+8)!/9$

• **566**

$: \sqrt{\sqrt{9^8}}\times 7-6+5=(4\times 3!)^2-10$

• **567**

$: 9\times(8!+7!)/6! = (5+4)\times 3\times 21$

$: -9+8\times(7+65)=(4!+3)\times 21$

$: \sqrt{\sqrt{9^8}}\times 7 = (65-\sqrt{4})\times 3^2\times 1$

$: \sqrt{\sqrt{9^8}}\times 7 = 6!-(5!-43)\times 2+1$

$: \sqrt{\sqrt{9^8}}\times 7 = 6+5!\times\sqrt{4}+321$

$: \sqrt{\sqrt{9^8}}\times 7 = 6+5^4-3\times 21-0!$

• **573**

$: \sqrt{\sqrt{9^8}}\times 7+6=5+(4!+3)\times 21+0!$

• **574**

$: (\sqrt{9})!+8\times(76-5)=(4\times 3!)^2-1-0!$

• **575**

$: -1+(-2+3!)!\times 4!=56+7+8^{\sqrt{9}}$

• **576**

$: (1+23)^{\sqrt{4}} = 56/7\times 8\times 9$

$: 12\times(3+45) = 6\times(7+89)$

$: (9+87)\times 6 = (5!-4!)\times(3+2+1)$

$: (\sqrt{9}+8-7)\times 6!/5=4!\times(3+21)$

$: 9-87+654 = (3!-2)!^{1+0!}$

• **577**

$: 1+(-2+3!)!\times 4! = \sqrt{-5+6+7!}\times 8+9$

$: 9+8\times(76-5) \quad = (4\times 3!)^2+1$

$: 9+8\times(76-5) \quad = 4!\times(3+21)+0!$

• **578**

$: \sqrt{\sqrt{9^8}}\times 7+6+5 = 4!\times(3!-2)!+1+0!$

• **582**

$: ((\sqrt{9})!!/8+7)\times 6 = (5!+4)\times 3+210$

$: ((\sqrt{9})!!/8+7)\times 6 = 5+(4\times 3!)^2+1$

• **585**

$: (1+2\times 3!)\times 45 \ = 6!-(7+8)\times 9$

$: -9\times(8+7)+6! = 5\times(-4+(3+2)!+1)$

$: -9\times(8+7)+6! = 5+4+(3!-2)!^{1+0!}$

• **588**

$: ((\sqrt{9})!+8)\times 7\times 6 = (\sqrt{5^4}+3)\times 21$

• **592**

$: ((\sqrt{9})!-8)^7+6! = 5^4-32-1$

• **593**

$: -(-\sqrt{9}+8)!-7+6! = 5^4-32\times 1$

$: -(-\sqrt{9}+8)!-7+6! = 5^4-32+1-0!$

• **594**

$: 9\times(8-7+65) = (4!+3)\times(21+0!)$

• **599**

$: -9+8\times 76 = 5\times 4!\times(3+2)-1$

$: -9+8\times 76 = \sqrt{5^4}\times(3!-2)!-1$

• **600**

$: 12\times(3!+4)\times 5 \quad = 6!-((7+8)/\sqrt{9})!$

$: -((\sqrt{9})!-8+7)!+6! = (54+3\times 2)\times 10$

$: -((\sqrt{9})!-8+7)!+6! = \sqrt{5^4}\times(3+21)$

$: (98-7)\times 6+54 \quad = 3!!-((2+1)!-0!)!$

$: (\sqrt{9})!!\times(8-7)/6\times 5 = 4!\times((3!-2)!+1)$

• **600**

$: -(-\sqrt{9}+8)!-7+6!+5+\sqrt{4}$
$= 3!!-((2+1)!-0!)!$

$: (\sqrt{9})!!\times(8-7)/6\times 5$
$= (\sqrt{4}+3)!\times((2+1)!-0!)$

• **601**

$: -(9+8)\times 7+6! = 5\times 4!\times(3+2)+1$

$: -(9+8)\times 7+6! = 5^4-3-21$

$: -(9+8)\times 7+6! = 5-4+3!!-((2+1)!-0!)!$

• **602**

$: -(\sqrt{9})!+8\times 76 = 5^4-3-2\times 10$

• **604**

$: -9+8\times 76+5 = (4+3!!)-((2+1)!-0!)!$

• **605**

$: -\sqrt{9}+8\times 76 = 5\times((\sqrt{4}+3)!+2-1)$

$: -\sqrt{9}+8\times 76 = 5\times(4!\times(3+2)+1)$

• **607**

$: -(-\sqrt{9}+8)!+7+6! = 5^4+3-21$

$: -(-\sqrt{9}+8)!+7+6! = 5^4-3!-2-10$

• **607**

$: -(-\sqrt{9}+8)!+7+6!$
$= 5+\sqrt{4}+3!!-((2+1)!-0!)!$

• **611**

$: \sqrt{9}+8\times 76 = 5\times((\sqrt{4}+3)!+2)+1$

$: \sqrt{9}+8\times 76 = 5^4+3!-2\times 10$

• **612**

$: 9\times(-8+76) = (54-3)\times(2+10)$

• **614**

$: (\sqrt{9})!+8\times 76 = 5^4-3!\times 2+1$

$: (\sqrt{9})!+8\times 76 = 5^4-3+2-10$

• **615**

$: -98-7+6! = 5^4-3^2-1$

$: -98-7+6! = 5^{4\times(3-2)}-10$

• **617**

$: 9+8\times 76 = 5^4-3^2+1$

$: 9+8\times 76 = 5^4+\sqrt{3!-2}-10$

• **620**

$: -98-7+6!+5 = (4^3-2)\times 10$

• **621**

$: -123+(4+5!)\times 6 = 7!/8-9$

$: \sqrt{123^{\sqrt{4}}}\times 5+6 \quad = 7!/8-9$

• 622

$: (-(\sqrt{9})! - 8) \times 7 + 6! = 5^4 - 3! + 2 + 1$

$: (-(\sqrt{9})! - 8) \times 7 + 6! = 5^4 - 3 + 21 \times 0$

• 623

$: -(1+2) \times 34 + 5 + 6! = 7 \times 89$

$: -(\sqrt{9})!!/8 - 7 + 6! \quad = 5^4 - 3 + 2 - 1$

$: -(\sqrt{9})!!/8 - 7 + 6! \quad = -5 - \sqrt{4} + 3 \times 210$

• 624

$: (1+23) \times (-4 + 5 \times 6) = 7!/8 - (\sqrt{9})!$

$: -1 + (2+3)^4 \quad = 5! \times 6 - 7 - 89$

$: -9 - 87 + 6! \quad = 5^4 \times (3-2) - 1$

$: -9 - 87 + 6! \quad = 5^4 + 3^2 - 10$

• 625

$: 1 \times (2+3)^4 = 5 \times (6 + 7 \times (8+9))$

• 626

$: 1 + (2+3)^4 = (-56 + 7!)/8 + \sqrt{9}$

$: 1 + (2+3)^4 = 5 + 6! \times 7/8 - 9$

• 627

$: 1 \times 23 + 4 - 5! + 6! = 7!/8 - \sqrt{9}$

• 629

$: -1 + (2+3)^4 + 5 = 6 + 7 \times 89$

$: -98 + 7 + 6! \quad = 5^4 + 3 + 2 - 1$

$: -98 + 7 + 6! \quad = 5 + 4! \times (3!^2 - 10)$

$: -9 - 87 + 6! + 5 \quad = (4! + 3!) \times 21 - 0!$

• 630

$: 1 \times (2+3)^4 + 5 \quad = 6! - (7+8) \times (\sqrt{9})!$

$: (9+87) \times 6 + 54 \quad = 3 \times 210$

$: (98+7) \times 6 \quad = (54 + 3^2) \times 10$

$: (98+7) \times 6 \quad = 5 \times \sqrt{4} \times 3 \times 21$

$: (98+7) \times 6 \quad = 5 + (\sqrt{4}+3)^{2 \times (1+0!)}$

$: (\sqrt{9})!!/8 \times 7 \quad = 654 - 3 - 21$

$: 9 \times 8 \times 7 + 6 + 5! = (4! + 3!) \times 21$

$: 9 \times 8 \times 7 + 6 + 5! = (4+3)!/(-2+10)$

$: -9 - 8 - 7 + 654 \quad = 3 \times 210$

• 630

$: -(\sqrt{9})!!/8 - 7 + 6! + 5 + \sqrt{4} = 3 \times 210$

$: (\sqrt{9})! \times (87 - 6) + 5! + 4! \quad = 3 \times 210$

• 632

$: -\sqrt{\sqrt{9^8}} - 7 + 6! = 5! + \sqrt{4^{3^2}} \times 1$

$: -\sqrt{\sqrt{9^8}} - 7 + 6! = 5^4 + 3! + 2 - 1$

• 633

$: -1 \times 23 \times 4 + 5 + 6! = 7!/8 + \sqrt{9}$

$: 1 + 2^{\sqrt{3^4}} + 5! \quad = 6! - 78 - 9$

• 634

$: -98 + 7 + 6! + 5 = 4 + 3 \times 210$

• 636

$: 1 \times 2 + 34 - 5! + 6! = 7!/8 + (\sqrt{9})!$

$: 12 + 3!! + 4! - 5! \quad = 6! - 78 - (\sqrt{9})!$

$: \sqrt{9} - 87 + 6! \quad = 5! + 43 \times (2+10)$

$: \sqrt{9} - 87 + 6! \quad = 5^4 + 3! \times 2 - 1$

• 637

$: -(\sqrt{9})!!/8 + 7 + 6! = 5^4 + \sqrt{3! - 2} + 10$

$: -(\sqrt{9})!!/8 + 7 + 6! = -5 + \sqrt{4} \times 321$

• 638

$: (-1+23) \times (4! + 5) = 6! + 7 - 89$

• 639

$: -1 + 2^{3+4} \times 5 \quad = 6! \times 7/8 + 9$

$: (\sqrt{9})! - 87 + 6! = 5 \times 4 \times 32 - 1$

$: (\sqrt{9})! - 87 + 6! = 5 + 4 + 3 \times 210$

• 640

$: (-(\sqrt{9})!! + 8 + 7!/6) \times 5 = \sqrt{4} \times 32 \times 10$

• 641

$: 1 + 2^{3+4} \times 5 \quad = 6! - 7 - 8 \times 9$

$: -9 \times 8 - 7 + 6! \quad = 5 \times 4 \times 32 + 1$

$: -9 \times 8 - 7 + 6! \quad = 5^4 + 3 \times 2 + 10$

$: \sqrt{9} - 87 + 6! + 5 = \sqrt{4} \times 321 - 0!$

• 642

$: 9 - 87 + 6! \quad = 5 \times 4 \times 32 + 1 + 0!$

$: 9 - 87 + 6 \times 5! = \sqrt{4} \times 321$

• 643

$: -(\sqrt{9} + 8) \times 7 + 6! = 5^4 - 3 + 21$

$: -9 \times 8!/7! + 6! \quad = 5 + \sqrt{4} \times 321 + 0!$

• **644**

$: (\sqrt{9})!! - 87 + 6 + 5 = \sqrt{4} \times (321 + 0!)$

• **645**

$: (1 + 2^{3+4}) \times 5 = 6 + 7!/8 + 9$

• **646**

$: -\sqrt{\sqrt{9^8}} + 7 + 6! = 5 \times 43 \times (2 + 1) + 0!$

$: -\sqrt{\sqrt{9^8}} + 7 + 6! = 5^{4!/3!} + 21$

• **647**

$: 9 - 87 + 6! + 5 = 4! \times 3^{2+1} - 0!$

• **648**

$: (1 + 2)^3 \times 4! \quad = (5 \times 6 + 78) \times (\sqrt{9})!$

$: (1 + 2)^3 \times 4! \quad = 5 + 6! - 7 \times (8 + \sqrt{9})$

$: -1 + 23^{\sqrt{4}} + 5! \quad = 6 - 78 + (\sqrt{9})!!$

$: 12 \times 3! \times (4 + 5) = (-6 + 78) \times 9$

$: -9 \times 8!/7! + 6! \quad = 5^4 + 3 + 2 \times 10$

$: 9 \times 8 \times \sqrt{76 + 5} \quad = 4! \times (3! + 21)$

$: 9 \times 8 \times \sqrt{76 + 5} \quad = 4! \times 3^{2+1}$

• **649**

$: 1 \times 23^{\sqrt{4}} + 5! \quad = 6! - \sqrt{7! - 8 + 9}$

$: (\sqrt{9} + 8 \times 7) \times (6 + 5) = 5^4 + 3 + 21$

$: -\sqrt{9 - 8 + 7!} + 6! \quad = 4! \times 3^{2+1} + 0!$

• **650**

$: 1 + 23^{\sqrt{4}} + 5! = 6! - 7!/(8 \times 9)$

• **654**

$: (\sqrt{9})! \times (8 \times (7 + 6) + 5) = 4! + 3 \times 210$

• **655**

$: -1 - 2^{3!} + (\sqrt{4 + 5})!! = ((6! + 7) - (8 \times 9))$

$: -9 \times 8 + 7 + 6! \quad = 5^4 + 32 - 1 - 0!$

• **658**

$: -(\sqrt{9})! - 8 \times 7 + 6! = 5^4 + 32 + 1$

• **660**

$: -9 \times 8 + 7 + 6! + 5 = (4^3 + 2) \times 10$

• **661**

$: -\sqrt{9} - 8 \times 7 + 6! = 5^4 + 3!^2 \times 1$

$: -\sqrt{9} - 8 \times 7 + 6! = 5^4 + 3 \times (2 + 10)$

• **665**

$: -(\sqrt{9})! \times 8 - 7 + 6! = 5 + (4^3 + 2) \times 10$

• **667**

$: 1 \times 23 \times (4! + 5) = 6! - 7 \times 8 + \sqrt{9}$

$: \sqrt{9} - 8 \times 7 + 6! \quad = 5^4 + 32 + 10$

• **670**

$: (\sqrt{9})! - 8 \times 7 + 6! = (5 + 4^3 - 2) \times 10$

• **671**

$: -1 + 23 \times 4! + 5! = 6! + (7! - 8!)/(\sqrt{9})!!$

$: -1 + 23 \times 4! + 5! = 6! - 7^{8-(\sqrt{9})!}$

• **672**

$: 1 \times 23 \times 4! + 5! \quad = 678 - (\sqrt{9})!$

$: 1 \times 23 \times 4! + 5! \quad = 678 - (\sqrt{9})!$

$: (\sqrt{9})!! - 8!/7! \times 6 \quad = (5 + 4! + 3) \times 21$

$: (\sqrt{9})! \times (8 \times (-7 + 6) + 5!) = 4! \times (3^{2+1} + 0!)$

• **673**

$: 1 + 23 \times 4! + 5! = 6! - 7 \times 8 + 9$

• **675**

$: (12 + 3) \times 45 \quad = (67 + 8) \times 9$

$: -\sqrt{9} \times (8 + 7) + 6! = \sqrt{5^4} \times 3^{2+1}$

• **678**

$: ((-\sqrt{9} + 8)! - 7) \times 6 + 5 \times 4 = 3!! - 21 - 0!$

• **679**

$: -(\sqrt{9})! \times 8 + 7 + 6! = 5 - 4! + 3!! - 21 - 0!$

• **680**

$: 98 \times 7 = 6 + 5 \times 4 \times (32 + 1 + 0!)$

• **684**

$: 12 \times 3 \times (4! - 5) \quad = 678 + (\sqrt{9})!$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right) \times 76 = (-5 + 4!) \times 3!^2 \times 1$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right) \times 76 = 54 + 3 \times 210$

• **686**

$: 98\times 7!/6! = (5+\sqrt{4})^3\times 2\times 1$

$: 98\times 7 \quad = 6\times 5-4^3+(2+1)!!$

$: 98\times 7 \quad = 6+5!+(4!+32)\times 10$

$: 98\times 7 \quad = 6+5-4!+3!!-21$

$: 98\times 7 \quad = 654+32\times 1$

$: 98\times 7 \quad = \sqrt{6!\times 5}-4+3\times 210$

• **688**

$: (\sqrt{9})!!+8!/(-7!/6+5!)+4! = 3!!-\sqrt{2^{10}}$

$: 9\times(87-6-5)+4 \quad = 3!!-\sqrt{2^{10}}$

$: -\sqrt{9}\times 8-7+6!-5+4 \quad = 3!!-\sqrt{2^{10}}$

• **689**

$: -1+2\times 345 = 6!-7-8\times\sqrt{9}$

• **692**

$: 98\times 7+6 = 4+3!!-\sqrt{2^{10}}$

$: 98\times 7+6 = 5!-4+(3!-2)!^{1+0!}$

• **695**

$: (\sqrt{9})!!+(8-7-6)\times 5 = -4!+(3\times 2)!-1$

• **696**

$: (\sqrt{9})!\times 8\times(-7+65)/4 = 3!!-(2+1+0!)!$

$: -9-8-7+6! \quad = (5+4!)\times(3+21)$

• **698**

$: 9\times 8+7-6+5^4 \quad = 3!!-21-0!$

$: -\sqrt{9}\times 8-7+6!+5+4 = 3!!-21-0!$

• **699**

$: (\sqrt{9})!!+(8-7-6)\times 5+4 = 3!!-21$

$: -(\sqrt{9})!\times 8+7+6!+5\times 4 = 3!!-21$

$: (\sqrt{9})!-8\times 7+6!+5+4! \quad = 3!!-21$

$: -(\sqrt{9})!-8-7+6\times 5! \quad = (\sqrt{4}\times 3)!-21$

• **700**

$: (9+87)\times 6+5!+4 \quad = 3!!-2\times 10$

$: (98+7\times 6)\times 5 \quad = (\sqrt{4}\times 3)!-2\times 10$

$: (\sqrt{9})!!-8\times 7+\sqrt{6!/5}+4! = 3!!-2\times 10$

$: 98\times 7-6+5\times 4 \quad = 3!!-2\times 10$

• **702**

$: 1\times 2\times(345+6) \quad = 78\times 9$

$: (1+2)\times(-3!+\sqrt{4}\times 5!) = 6!-7-8-\sqrt{9}$

$: (12-3!)\times(-4+5!)+6 \quad = 78\times 9$

$: (\sqrt{9})!\times(87+6\times 5) \quad = \sqrt{4}+3!!-21+0!$

• **703**

$: -\sqrt{9}\times 8+7+6! = 5-4!+(3\times 2)!+1+0!$

• **704**

$: -(\sqrt{9})!-8-7+6!+5 = 4+3!!-21+0!$

$: \left(-\sqrt{\sqrt{\sqrt{9^8}}}\right)-7+6! \quad = (\sqrt{5+4})!+3!!-21-0!$

$: \left(-\sqrt{\sqrt{\sqrt{9^8}}}\right)-7+6! \quad = 5+(\sqrt{4}\times 3)!-21$

• **705**

$: (\sqrt{9})!!-8-7!/6! = 5^4+(3!+2)\times 10$

• **706**

$: -98/7+6! = 5!+(4\times 3!)^2+10$

$: -98/7+6! = 5+\sqrt{4}+3!!-21$

• **708**

$: -12+3!! = (-4+5)\times 6+78\times 9$

$: -12+3!! = 4!+5+6!+7-8\times(\sqrt{9})!$

$: -12+3!! = 4!-5+6!-7-8\times\sqrt{9}$

$: -12+3!! = 4+5+6!-7-8-(\sqrt{9})!$

$: -12+3!! = \sqrt{4}+(5-6+7)!-8-(\sqrt{9})!$

• **708**

$: -12+3!!+4\times 5 \quad = 6!+7-8+9$

$: (9+876)/5\times 4 \quad = 3!!-2-10$

$: \sqrt{9}-8-7+6! \quad = (5+4)^3-21$

$: \sqrt{9}-8-7+6! \quad = 5+4+3!!-21$

$: -(\sqrt{9})!\times 8+7+6!+5+4! = 3!!-2-10$

• **710**

$: -12+3!!+\sqrt{4} \quad = 5!\times 6+7-8-9$

$: 98\times 7\times(6-5)+4! \quad = (3\times 2)!-10$

$: -9-8+7+6! \quad = 5\times(4!\times 3!-2)\times 1$

$: -9-8+7+6! \quad = 5\times\sqrt{4}+3!!-2\times 10$

$: 98-7-6+5^4 \quad = (3\times 2)!-10$

$: -\sqrt{\sqrt{9^8}-7!}+6!+5+4! = (3\times 2)!-10$

• **712**

$: -12+3!!+4 \quad = 56/7\times 89$

$: (\sqrt{9})!!-8!/7! \quad = 6!+5-4-3^2\times 1$

$: (\sqrt{9})!+87-6+5^4 = 3!!+2-10$

$: -9+8-7+6! \quad = 5-4\times 3+(2+1)!!-0!$

$: -\sqrt{9}\times(8-7)+6! = 5+(\sqrt{4}\times 3)!+2-10$

• **713**

$: -(9-8)\times 7+6! = 5-4\times 3+(2+1)!!$

• **714**

$: (9+8)\times 7\times 6 = (5+4-3)!-(2+1)!$

$: (9+8)\times 7\times 6 = 5-4+3!!-(2+1)!-0!$

$: (9-8-7)+6\times 5! = 4+(3\times 2)!-10$

• **714**

$: -(\sqrt{9})!+8-7+6!-5+4 = 3!!-(2+1)!$

$: (\sqrt{9}-8)\times 7+6!+5+4! = 3!!-(2+1)!$

$: 9\times 87-65-4 = 3!!-(2+1)!$

• **715**

$: -(\sqrt{9})!+8-7+6! = 5+(\sqrt{4+32})!-10$

$: 9\times(8+76-5)+4 = 3!!-(2+1)!+0!$

$: 9\times(8+76-5)+4 = 3!!-(2+1)!+0!$

$: -9-8-7+6!-5+4! = 3!!-(2+1)!+0!$

• **716**

$: -9\times(8-7)+6!+5 = (\sqrt{4}\times 3)!-2-1-0!$

$: 98\times 7+6\times 5 = 4+3!!+2-10$

• **717**

$: -1-2+3!! = 4+5!+6!-7-(8-\sqrt{9})!$

$: -1-2+3!! = \sqrt{4}\times 5!+6\times 78+9$

• **717**

$: (-9+8)\times 7+6\times 5!+4 = 3!!-2-1$

$: -9\times 8+765+4! = 3!!-2-1$

$: \sqrt{\sqrt{9^8}}\times 7+6+5!+4! = 3!!-2-1$

• **717**

$: -9+8-7+6!+5 = 4+3!!-(2+1)!-0!$

$: -\sqrt{9}\times(8-7)+6! = 5-\sqrt{4^3}+(2+1)!!$

• **718**

$: -1\times 2+3!! = 4!+5+6!-7-8\times\sqrt{9}$

$: -1\times 2+3!! = 4+5!\times 6-7-8+9$

$: -1\times 2+3!! = 45+6!-7\times 8+9$

$: -1\times 2+3!! = \sqrt{4^5}-6\times 7+8+(\sqrt{9})!!$

$: -1\times 2+3!! = (-4+5)\times 6!-7+8-\sqrt{9}$

• **718**

$: -(9-8)\times 7+6!+5 = (\sqrt{4+32})!-1-0!$

• **718**

$: (9-8)^7\times(6!-5)+4 = (3\times 2)!-1$

$: (9-8-7)+6\times 5!+4 = 3!!-2\times 1$

$: 9+8+76+5^4 = 3!!-2\times 1$

$: -98/7+6!+\sqrt{5!+4!} = 3!!-2\times 1$

$: -\sqrt{9}\times 8-7+6!+5+4! = 3!!-2\times 1$

$: -\sqrt{9}\times 8-7+6!+5+4! = 3!!-2\times 1$

$: -\sqrt{9}-8!/7!+6!+5+4 = 3!!-2\times 1$

• **719**

$: -1+(2\times 3)! = 4\times 5!/6+7!/8+9$

$: -1+(2\times 3)! = 4+(5+6)\times(7\times 8+9)$

$: -1+(2\times 3)! = 4+5!\times 6-7+8-(\sqrt{9})!$

$: 1-2+3!! = 4!+5\times(67+8\times 9)$

$: 1-2+3!! = 4\times 5+6!-7-8-(\sqrt{9})!$

$: 1-2+3!! = 4\times 5-6-7-8+(\sqrt{9})!!$

$: 1-2+3!! = 4+5+6!+7-8-9$

$: -1+(\sqrt{2+34})! = 5+6\times 7\times(8+9)$

• **719**

$: 1+2+3-\sqrt{4}-5+6! = 7-8+(\sqrt{9})!!$

• **719**

$: (\sqrt{9})!!+(8-7-6)\times 5+4! = (3\times 2)!-1$

$: -(\sqrt{9})!\times 8-7+6!+54 = (3\times 2)!-1$

$: 9+8+(7+6)\times 54 = (3\times 2)!-1$

$: -9-8\times 7+6\times 5!+4^3 = (2+1)!!-0!$

$: (9+8)\times 7\times 6+5 = (\sqrt{4+32})!-1$

• **719**

$: -(9-8)^7+6! = (54/3^2)!-1$

$: -(9-8)^7+6! = 5\times 4+3!!-21$

$: (\sqrt{9})!!-8+7 = 6!/5+(4\times 3!)^2-1$

$: (\sqrt{9})!!-8+7 = 6!-5+4+3-2-1$

$: (\sqrt{9})!!-8+7 = 65+4!+3\times 210$

$: (9+8)\times 7\times 6+5 = (\sqrt{4+32})!\times 1-0!$

$: -(9-8)^7+6! = 5!-(\sqrt{4}+3)!+(2+1)!!-0!$

$: (\sqrt{9})!!-8+7 = 6\times 5-4!+3!!-(2+1)!-0!$

• 720

$: (1+2)!! = (3!+4)\times 5+6-7\times 8+(\sqrt{9})!!$

$: (1+2)!! = (3+\sqrt{4})!+5!\times(-67+8\times 9)$

$: (1+2)!! = 3!+4!+(5!-6-7+8)\times(\sqrt{9})!$

$: (1+2)!! = 3!+4!+5+6!-7\times(8-\sqrt{9})$

$: (1+2)!! = 3!+45+678-9$

$: (1+2)!! = 3!+45+678-9$

$: (1+2)!! = 3\times\sqrt{4}\times 5!\times(-6+7+8)/9$

$: (1+2)!! = 3^4+567+8\times 9$

$: (1+2)!! = 3+4!+(5-6+78)\times 9$

$: (1+2)!! = 3+4+5+6+78\times 9$

$: (1+2)!! = 3+4+5+6+78\times 9$

$: (1+2)!! = 3+\sqrt{4}\times 5+6!-78/(\sqrt{9})!$

$: (1+2)!! = 34+5+678+\sqrt{9}$

$: (1+2)!! = 34+5+678+\sqrt{9}$

$: (1+2)!! = \sqrt{3^4}+(-5+6+78)\times 9$

• 720

$: (\sqrt{12\times 3})! = 4!-5!+6!+7+89$

$: (\sqrt{12\times 3})! = 4+(5+6!)\times(-7+8)-9$

$: (\sqrt{12\times 3})! = 45+678-\sqrt{9}$

• 720

$: ((1+23)/4)! = (5+67+8)\times 9$

$: ((1+23)/4)! = 5+6!-(7+8)/\sqrt{9}$

$: (1^{234}+5)! \quad = 6!\times(-7+8)^9$

$: 1\times(2\times 3)! \quad = 4+5+6!+(7-8)\times 9$

$: 1^{2345}\times 6! \quad = (7+8-9)!$

• 720

$: 1-2+3!!/4+5+67\times 8 = (\sqrt{9})!!$

$: -123+45+6!+78 \quad = (\sqrt{9})!!$

• 720

$: ((-\sqrt{9}+8)!-7)\times 6+(5+\sqrt{4})\times 3! = (2+1)!!$

• 720

$: (\sqrt{9})!! = (8!+7!)/6!+5^4+32\times 1$

$: (\sqrt{9})!! = (8!-7!)/6!-5-4!+3!!-21+0!$

$: (\sqrt{9})!! = (8-7)\times 6\times 5-4!-3!+(2+1)!!$

$: (\sqrt{9})!! = 8!/7!+6!-5!/4+32-10$

$: (\sqrt{9})!! = 8\times(7+6)+5^4-3^2\times 1$

$: (\sqrt{9})!! = 8\times(-7+6+5)+(\sqrt{4}\times 3)!-\sqrt{2^{10}}$

$: (\sqrt{9})!! = 8\times 7!/(6+5!)+(4+3!^2)\times 10$

$: (\sqrt{9})!! = 8\times 7!/6!-5\times 4!\times 3+2^{10}$

$: (\sqrt{9})!! = 8\times 7!/6!-54+3!!-2\times 1$

$: (\sqrt{9})!! = 8\times 7+654\times(3-2)+10$

$: (\sqrt{9})!! = 8\times 7+654+3^2+1$

$: (\sqrt{9})!! = 8\times 76+(54-3)\times 2+10$

$: (\sqrt{9})!! = 8\times 76+5!-4-3-2+1$

$: (\sqrt{9})!! = 8+7!/6!+(5!-\sqrt{4})\times 3!-2-1$

$: (\sqrt{9})!! = 8+7\times 6\times 5+\sqrt{4}^{3^2}-10$

$: (\sqrt{9})!! = 8+7\times\sqrt{6!\times 5}+(4!\times 3!+2)\times(1+0!)$

$: (\sqrt{9})!! = 8+7+6!-5\times 4+3\times 2-1$

$: (\sqrt{9})!! = 8+7+6+5!\times\sqrt{4}\times 3-21$

$: (\sqrt{9})!! = 8+7+6+5-4+3!!-21-0!$

$: (\sqrt{9})!! = 8+76+5!+43\times(2+10)$

$: (\sqrt{9})!! = 8+76+5+(4!+3!)\times 21+0!$

$: (\sqrt{9})!! = 87\times 6+(5!-4!+3)\times 2\times 1$

$: (\sqrt{9})!! = 87\times 6+(5+4)\times(32-10)$

$: (\sqrt{9})!! = 87+6!-54-32-1$

$: (\sqrt{9})!! = 87+6+5^4+3-2+1$

$: (\sqrt{9})!! = 87+6+5^4-3!-2+10$

$: (\sqrt{9})!! = 87+6-5+\sqrt{4}+3\times 210$

$: (\sqrt{9})!! = \sqrt{-8\times 7+6!+5!}-5-4!+(3\times 2)!+1$

$: (\sqrt{9})!! = \sqrt{8+7-6}-5+\sqrt{4}+(3\times 2)!\times 1$

$: (\sqrt{9})!! = \sqrt{8+7-6}-\sqrt{5+4}+(3\times 2)!\times 1$

• 720

$: 9\times(8+7+65) = (4!+3-21)!$

$: 9\times(8+7+65) = (\sqrt{4+32})!\times 1$

$: 9\times(8+7+65) = 4+3!!-2-1-0!$

• 720

$: (-9+8+7)! = (6+54321\times 0)!$
$: (-9+8+7)! = 6\times(54+3!)\times 2\times 1$
$: (9-8)^7\times 6! = (5+(4-3)^{21})!$
$: (9-8)^7\times 6! = 5\times 4\times 3\times(2+10)$
$: (98+(7-6\times 5)\times 4)! = (3\times 2)!\times 1$
$: -9\times(8-7)+6!+5+4 = (3\times 2)!\times 1$
$: -9-8!/7!+6!+5+4\times 3 = (2+1)!!$
$: 98\times 7+6\times 5+4 = (3\times 2\times 1)!$

• 720

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!! = 7+6!-5-4+3-2+1$$
$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!! = 7+6+5+4+3!!-21-0!$$
$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!! = 7+6-5\times\sqrt{4}+3!!-2-1$$
$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!! = 76+(5\times 43)\times(2+1)-0!$$
$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!! = 76+5^4+\sqrt{3!!/2+1}$$

• 721

$: 1+(2\times 3)! = 4!\times 56-7\times 89$
$: 1+(2\times 3)! = 4!-5+6!-7-8-\sqrt{9}$
$: 1+(2\times 3)! = 4+5+6!-7+8-9$

• 721

$: 1+(\sqrt{2+34})! = 5+6!+7-8-\sqrt{9}$
$: -1+2+3\times\sqrt{4}\times 5! = 6!+(-7+8)^9$
$: -1-2+3!!+4 = 5!+6!-7\times(8+9)$

• 721

$: (\sqrt{9})!!-\sqrt{-8\times 7+6!+5!}+5+4! = (3\times 2)!\times 1+0!$
$: 9-8!/7!+6! = 5!-(\sqrt{4}+3)!+(2+1)!!+0!$

• 721

$: (9-8)^7+6! = (54/3^2)!+1$
$: (\sqrt{9})!!+(8-7)^{65} = (\sqrt{4+32})!+1$
$: 9+8\times(76+5)+4^3 = (2+1)!!+0!$
$: -9+8-7+6!+5+4 = (3\times 2)!+1$
$: -9+87+6!-5!+43 = (2+1)!!+0!$
$: 98\times 7+6+5+4! = (3\times 2)!+1$
$: 98+7\times(65+4!) = (3\times 2)!+1$
$: \sqrt{9}-8\times 7+6!+54 = 3!!+2-1$
$: -\sqrt{9}-8+7+6!+5 = (\sqrt{4+32})!\times 1+0!$
$: -\sqrt{9}-8+7+6!+5 = \sqrt{4}+(3\times 2)!-1$

• 722

$: 1\times 2+3!! = 4!-5+6!+7-8\times\sqrt{9}$
$: 1\times 2+3!! = 4+(5+6!-7)\times(-8+9)$
$: 1\times 2+3!! = 4+5+6!+7\times(8-9)$
$: 1\times 2+3!! = 4+5+6!+7\times(8-9)$
$: 1\times 2+3!! = \sqrt{4+5}+6!-(-7+8)^9$

• 722

$: 1+(2\times 3)!-4+5 = 6!+7-8+\sqrt{9}$
$: 1\times 2+(3\times\sqrt{4})! = 5+6!+(7-8)\times\sqrt{9}$
$: (\sqrt{12\times 3})!+\sqrt{4} = (5+6!)\times(-7+8)-\sqrt{9}$

• 722

$: -(\sqrt{9})!+8\times 76+5! = (\sqrt{4}\times 3)!+2\times 1$
$: 9\times 87-65+4 = 3!!+2\times 1$
$: -\sqrt{9}\times(8-7)+6!+5 = 4+(3\times 2)!-1-0!$
$: -\sqrt{9}\times(8-7)+6!+5 = 4+3!!-2\times 1$
$: -\sqrt{9}\times 8+7+6!-5+4! = 3!!+2\times 1$
$: \sqrt{9}-8+7+6! = 5\times\sqrt{4}+3!!+2-10$
$: \sqrt{9}-8+7+6! = 5-4+(3\times 2)!+1$
$: -\sqrt{9}-8-7+6!+5\times 4 = (3\times 2)!+1+0!$
$: -\sqrt{9}-8-7+6!+5\times 4 = 3!!+2\times 1$

• 723

$: (1+2)!!+3 = 4!+5!\times 6-7-8-(\sqrt{9})!$
$: (1+2)!!+3 = 4!+5!+67+8^{\sqrt{9}}$
$: (1+2)!!+3 = 4+5+6\times 7\times(8+9)$
$: (1+2)!!+3 = 4+5+6\times 7\times(8+9)$
$: (1+2)!!+3 = 45+6\times(-7+(8-\sqrt{9})!)$

• 723

$: 1\times 2+3!!-4+5=6!-(7-8)\times\sqrt{9}$

$: -1+(2\times 3)!+4 \;=5+6!-7+8-\sqrt{9}$

• 723

$: (9+8)\times 7\times 6+5+4 \quad =3!!+2+1$

$: \sqrt{9}\times(8-7)+6! \quad =(5+4)^3-(2+1)!$

$: \sqrt{9}\times(8-7)+6! \quad =(5-4)\times(3!!+2+1)$

$: -\sqrt{9}\times 8+7+6!+5\times 4=3!!+2+1$

$: -\sqrt{9}+8-7+6!+5 \quad =\sqrt{4}+(3\times 2)!+1$

• 724

$: (\sqrt{12\times 3})!+4 \quad =5+6!-(-7+8)^9$

$: 9\times(8+7+65)+4=3!!+2+1+0!$

$: \sqrt{9}+8-7+6! \quad =5-\sqrt{4}+(3\times 2)!+1$

• 725

$: ((1+23)/4)!+5 \;=6!+(7+8)/\sqrt{9}$

$: (9-8)^7\times(6!+5)=4+(3\times 2)!+1$

$: (\sqrt{9})!!-8+7+6=5\times((4\times 3)^2+1)$

$: (\sqrt{9})!!-8+7+6=5+(\sqrt{4}\times 3)!-2+1+0!$

• 726

$: (1+2)!!+3! \quad =45+678+\sqrt{9}$

$: (1+2)!+3!! \quad =(\sqrt{4})^5+6!-78/\sqrt{9}$

$: (1+2)!+3!! \quad =4!+(-5+6)\times 78\times 9$

$: (1+2)!+3!! \quad =4\times 5+6!-7\times(8-(\sqrt{9})!)$

$: 1+(\sqrt{2+34})!+5=6!+7+8-9$

$: 1+(\sqrt{2+34})!+5=6+(7+8-9)!$

• 726

$: (\sqrt{9})!\times(8\times 7+65) \quad =4+3!!+2\times 1$

$: (\sqrt{9})!\times(87+6\times 5)+4!=3!+(2+1)!!$

$: 1\times 2+3!!+4 \quad =5!\times 6+7+8-9$

$: -9+8+7+6! \quad =(5!+4-3)\times(2+1)!$

$: -9+8+7+6! \quad =(5+4-3)!+(2+1)!$

• 727

$: -1+2^3+(\sqrt{4+5})!!=6!-7\times(8-9)$

$: 1+2+3!!+4 \quad =5!+6!+7-(8-\sqrt{9})!$

• 727

$: (9-8)\times(7+6!) \quad =(5+4)^3-2\times 1$

$: (9-8)\times(7+6!) \quad =5+\sqrt{4}+(3\times 2)!\times 1$

$: (9-8)\times 7+6\times 5! \;=(4!+3)^2-1-0!$

$: (9-8)\times 7+6\times 5! \;=4+3+(2+1)!!$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!!+7=6!-5+4+3^2-1$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!!+7=6\times 5!-4+3-2+10$

• 728

$: (\sqrt{9})!!+8=7!\times 6/5!+4\times((3+2)!-1)$

$: (\sqrt{9})!!+8=7+6!+5-4-321\times 0$

$: (\sqrt{9})!!+8=7+6!+5-\sqrt{4^3}/2\times 1$

$: (\sqrt{9})!!+8=7+6+5\times((4\times 3)^2-1)$

$: (\sqrt{9})!!+8=7+6+5^4+3^2\times 10$

$: (\sqrt{9})!!+8=76+5^4+3^{2+1}$

$: (\sqrt{9})!!+8=76+5+4!\times 3^{2+1}-0!$

• 728

$: 1^{2345}+6!+7 \quad =8+(\sqrt{9})!!$

$: (\sqrt{9})!!+8!/7! \quad =6!+5+4-(321\times 0)!$

$: (\sqrt{9})!!+8!/7! \quad =6!+5-4+3\times 2+1$

$: 9-8+7+6! \quad =5!+\sqrt{4}\times(-3!!+2^{10})$

$: 9-8+7+6! \quad =5\times 4+3!!-2-10$

$: 9-8+7+6! \quad =5+4+(3\times 2)!-1$

$: 9-8+7+6\times 5!=(4!+3)^2-1$

$: 9-8+7+6\times 5!=(\sqrt{4}\times 3)!-2+10$

• 729

$: (1+2)^{3!} \quad =4!+5\times(6+(7+8)\times 9)$

$: (1+2)^{3!} \quad =4-5+6!-7+8+9$

$: (1+2)^{3!} \quad =45+678+(\sqrt{9})!$

$: (1+2)^{3!} \quad =\sqrt{4}+5+6!+7-8+\sqrt{9}$

$: (1+2)^{3\times\sqrt{4}} \;=((5+67)/8)^{\sqrt{9}}$

$: (1+2)^{3\times\sqrt{4}} \;=5+6!-7+8+\sqrt{9}$

$: (12-3)^{\sqrt{4+5}}=6!-(7-8)\times 9$

• 729

$: (98-76+5)^{\sqrt{4}} = 3^{(2+1)!}$

$: 9\times(87-6) = (5-4)\times 3^{(2+1)!}$

$: 9\times(87-6) = (54/3!)^{2+1}$

$: 9\times(87-6) = 5!/4+3!!-21$

$: 9\times(87-6) = 5+4+(3\times 2)!\times 1$

$: 9\times(87-6) = 5+4+(3\times 2)!-1+0!$

$: 9^{8\times(7-6)-5} = (4!+3)^{2+1-0!}$

$: 9^{8\times(7-6)-5} = (4!+3)^2\times 1$

• 729

$: -9-8+7+6!-5+4! = 3^{(2+1)!}$

$: -\sqrt{9}\times(8+7)+6!+54 = 3^{(2+1)!}$

• 730

$: (1+2)^{3!}-4+5 = 6!-7+8+9$

$: (\sqrt{9})!!-8-7+6-5+4! = (3\times 2)!+10$

$: (\sqrt{9})!\times(8\times 7+65)+4 = (3\times 2)!+10$

$: -9+8+7+6\times 5!+4 = (3\times 2)!+10$

$: 9+8-7+6! = 5-4+3^{(2+1)!}$

$: 9+8-7+6! = 5-4+3^{(2+1)!}$

$: 9+8-7+6\times 5! = (4!+3)^2+1$

$: 9+8-7+6\times 5! = (\sqrt{4+32})!+10$

$: 9+8-7+6\times 5! = 4+3!!+(2+1)!$

• 731

$: (1+2)^{3!}+\sqrt{4} = 5+6!+7+8-9$

$: \sqrt{9}+8!/7!+6! = 5\times\sqrt{4}+(3\times 2)!+1$

$: \sqrt{9}+8!/7!+6! = 5+4+3!!+2\times 1$

$: \sqrt{9}+8\times 76+5! = (4!+3)^2+1+0!$

$: \sqrt{9}+8\times 76+5! = \sqrt{4}+3^{(2+1)!}$

• 732

$: 12+3!! = 4!+5!\times 6-7-8+\sqrt{9}$

$: 12+3!! = 4!+5!+6\times 7\times(8+(\sqrt{9})!)$

$: 12+3!! = 4!+5+6!+7-8\times\sqrt{9}$

$: 12+3!! = 4+56\times 78/(\sqrt{9})!$

$: 12+3!! = 45+678+9$

$: 12+3!! = \sqrt{4}+5+6!+7-8+(\sqrt{9})!$

• 732

$: (12+3!!)\times(-4+5) = 6!+7+8-\sqrt{9}$

$: 12+(3\times\sqrt{4})! = 5\times 6+78\times 9$

• 732

$: (9-8)\times(7+6!+5) = (\sqrt{4}\times 3)!+2+10$

$: (9-8)\times(7+6!+5) = 4\times 3+(2+1)!!$

$: 9\times(-8+76)+5! = 4\times 3+(2+1)!!$

$: -9+8-7+6!+5\times 4 = 3!!+2+10$

$: -9+87+654 = 3!!+2+10$

$: -9-8!/7!+6!+5+4! = 3!!+2+10$

$: -\sqrt{9}\times 8+7+6!+5+4! = 3!!+2+10$

• 732

$: -\sqrt{9}+8+7+6! = (5!+\sqrt{4})\times\sqrt{3\times(2+10)}$

$: -\sqrt{9}+8+7+6! = (5+4)^3+2+1$

• 733

$: (1+2)^{3!}+4 = 5+6!+7-8+9$

$: 12+3!!-4+5 = 6!+78/(\sqrt{9})!$

• 733

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!!+7+6 = (5!+\sqrt{4})\times 3\times 2+1$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!!+7+6 = (5+4)^3+2+1+0!$

$: 9-8+7+6!+5 = 4+3^{(2+1)!}$

• 734

$: (1+2)^{3\times\sqrt{4}}+5 = 6!+7\times(8-(\sqrt{9})!)$

$: 12+3!!+\sqrt{4} = (5+6!)\times(-7+8)+9$

• 734

$: 9\times(87-6)+5 = 4+(3\times 2)!+10$

$: 98/7+6! = (5!+4)\times 3\times 2-10$

$: 98/7+6! = (5!+\sqrt{4})\times 3!+2\times 1$

$: 98/7+6! = (\sqrt{5+4})!+3!!-2+10$

$: 98/7+6! = 5+4+3!!+(2+1)!-0!$

• 735

$: (12-3)^{\sqrt{4+5}}+6 = 7+8+(\sqrt{9})!!$

$: (\sqrt{9})!!+8+7!/6! = (5+4)^3+(2+1)!$

$: (\sqrt{9})!!+8+7 = 6!+5+4+3\times 2\times 1$

$: (\sqrt{9})!!+8+7 = 6+5-4+3!!-2+10$

• 736

$: 12+3!!+4 = 5!-(6+7)\times 8+(\sqrt{9})!!$

• **737**

$: 1+23\times(\sqrt{4})^5 = 67\times(8+\sqrt{9})$

$: \sqrt{9}\times 8-7+6! = 5+4!+3!!-2-10$

$: \sqrt{9}\times 8-7+6! = 5+4\times 3+(2+1)!!$

• **738**

$: (1+2)!!-3!+4! = 5!\times 6+7+8+\sqrt{9}$

$: (1+2)!!-3!+4! = 5!-6+7!/8-(\sqrt{9})!$

$: 123\times(\sqrt{4+5})! = 6!+7+8+\sqrt{9}$

• **738**

$: \sqrt{9}+8+7+6! = 5\times 4+3!!-2\times 1$

$: \sqrt{9}+8+7+6! = 5\times\sqrt{4}+3!!-2+10$

$: \sqrt{9}+8+7+6\times 5! = 4!-3!+(2+1)!!$

• **740**

$: (9\times 8+76)\times 5 = (4!\times 3+2)\times 10$

$: 98\times 7!/6!+54 = 3!!+2\times 10$

$: 98\times 7+6\times(5+4) = 3!!+2\times 10$

• **741**

$: -1+2+3!!+4\times 5 = 6+7+8+(\sqrt{9})!!$

$: 12+3!!+4+5 = 6+7+8+(\sqrt{9})!!$

• **741**

$: (9-8)^7+6!+5\times 4 = 3!!+21$

$: (\sqrt{9})!!+8+7+6 = 5\times 4+(3\times 2)!+1$

$: (\sqrt{9})!!+8+7+6 = 5-4+3!!+21-0!$

$: (\sqrt{9})!+8+7+6! = 5-4+3!!+21-0!$

$: 9+8\times 76+5!+4 = 3!!+21$

$: 98/7+6!+5+\sqrt{4} = 3!!+21$

$: -\sqrt{9}\times(8)+765 = (\sqrt{4}\times 3)!+21$

• **741**

$: -\sqrt{\sqrt{9^8}-7!}+6!+5!/\sqrt{4} = 3!!+21$

$: \sqrt{\sqrt{\sqrt{9^8}}+7+6!+5} = 4!+3!!-2-1$

• **742**

$: -1\times 2+3!!+4! = 5!+6!-7\times(8+(\sqrt{9})!)$

$: -1\times 2+3!!+4! = 5+67\times(8+\sqrt{9})$

• **742**

$: -98+7!/6 = 5^{\sqrt{4}}+3!!-2-1$

$: -98+7!/6 = 54+3!!-\sqrt{2^{10}}$

$: \sqrt{9}\times 8-7+6!+5 = 4!+(3\times 2)!-1-0!$

$: \sqrt{9}\times 8-7+6!+5 = 4!+3!!-2\times 1$

$: \sqrt{9}+8+7+6\times 5!+4 = 3!!+21+0!$

• **743**

$: -1+(2\times 3)!+4! = 5+6!+7+8+\sqrt{9}$

$: \sqrt{9}+8+7+6!+5 = 4!+(3\times 2)!-1$

• **744**

$: (\sqrt{12\times 3})!+4! = 5!+6!-7-89$

$: 1\times(2\times 3)!+4! = 5!+6!-7-89$

$: 9+8+7+6! = 5^4+(3+2)!-1$

$: \sqrt{9}+87+654 = 3!!+(2+1+0!)!$

• **745**

$: 1+(2\times 3)!+4! = 5\times(6+7-8)+(\sqrt{9})!!$

• **746**

$: (1+2)!!-3+4!+5 = 6!+78/\sqrt{9}$

$: (1+2)!+3!!+4\times 5 = 6!+78/\sqrt{9}$

$: 1\times 2+3!!+4! = 5!\times 6+78/\sqrt{9}$

$: (\sqrt{9})!+8+7+6!+5 = 4!+3!!+2\times 1$

• **747**

$: (1+2)!!+3+4! = 5!+6+7!/8-9$

$: 1+2+3!!+4! = 5!+6+7!/8-9$

• **748**

$: -9-8+765 = 4+3!!+(2+1+0!)!$

• **749**

$: -98+7+6!+5! = 4!+3!+(2+1)!!-0!$

• **750**

$: (1+2)!+3!!+4! = (5!+6+7-8)\times(\sqrt{9})!$

$: -(\sqrt{9})!!/8+7!/6 = (5+4)^3+21$

$: -(\sqrt{9})!!/8+7!/6 = 5+4+3!!+21$

$: -(\sqrt{9})!!/8+7!/6 = 5+4+3!!+21+0!$

$: -\sqrt{9}-87+6!+5! = 4!+3!+(2+1)!!$

• **751**

$: 1\times 2+3!!+4!+5 = 6!+7+8\times\sqrt{9}$

$: 98\times 7+65 = 4!+3!+(2+1)!!+0!$

$: \sqrt{9}\times 8+7+6! = 5!/4+(3\times 2)!+1$

$: \sqrt{9}\times 8+7+6! = 5^4+3!\times 21$

• 752

$: ((\sqrt{9})! + 8) \times 7 + 654 = 3!! + \sqrt{2^{10}}$

$: -\sqrt{\sqrt{9^8}} - 7 + 6! + 5! = 4! + 3!! - 2 + 10$

• 753

$: (1+2)^{3!} + 4! = 5! - 6 + 7!/8 + 9$

$: 9 \times 87 - 6 \times 5 = 4! + 3^{(2+1)!}$

• 754

$: 1 \times 2 + 3!! + (\sqrt{4})^5 = 6 \times 7 - 8 + (\sqrt{9})!!$

$: (\sqrt{9})!! - 8 + 7 \times 6 = 5! + 4 + 3 \times 210$

$: (\sqrt{9})!! - 8 + 7 \times 6 = \sqrt{5^4} + 3^{(2+1)!}$

$: -\sqrt{9} - 8 + 765 = 4! + (3 \times 2)! + 10$

• 755

$: -(\sqrt{9} - 8) \times 7 + 6! = (5!/4 + 3!) \times 21 - 0!$

$: -(\sqrt{9} - 8) \times 7 + 6! = (5 + 4!) + 3! + (2+1)!!$

$: 1 + 2 + 3!! + (\sqrt{4})^5 = 6! + 7 \times (8 - \sqrt{9})$

• 756

$: (\sqrt{9})! \times 8 - 7 + 6! = 5 + 4! + 3!! + 2 + 10$

$: 12 + 3!! + 4! = (5! + 6) \times (7 + 8 - 9)$

$: 12 + 3! \times (4 + 5!) = (6 + 78) \times 9$

$: 9 \times (8 + 76) = (5 - \sqrt{4})! \times 3! \times 21$

$: 9 \times (8 + 76) = 54 \times (3! - 2 + 10)$

• 758

$: (\sqrt{9})!! + 8!/7! + 6 \times 5 = 4! \times 32 - 10$

• 759

$: -(\sqrt{\sqrt{9^8}}) + 7!/6 = 5!/4 + 3^{(2+1)!}$

$: -(\sqrt{\sqrt{9^8}}) + 7!/6 = 5 + 4! + (3 \times 2)! + 10$

• 761

$: 12 + 3!! + 4! + 5 = 6! - 7 + 8 \times (\sqrt{9})!$

$: (\sqrt{9})! \times 8 - 7 + 6! = 5 \times 4 + 3!! + 21$

$: (\sqrt{9})! \times 8 - 7 + 6! = 5 + 4! + 3!! + 2 + 10$

• 762

$: (1+2)!! - 3 + 45 = 6 \times (7 + (8 - \sqrt{9})!)$

$: 9 - 87 + 6! + 5! = 43 + (2+1)!! - 0!$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)! \times 7 + 6! = (5 + \sqrt{4}) \times 3! + (2+1)!!$

• 763

$: (\sqrt{9})! - 8 + 765 = 43 + (2+1)!!$

• 764

$: -9 + 8 + 765 = 4! + 3!! + 2 \times 10$

• 765

$: (-1+2) \times 3!! + 45 = 6! + (7+8) \times \sqrt{9}$

$: (9-8) \times 765 = 4! + 3!! + 21$

$: \sqrt{9} \times (8+7) + 6! = (5! + 4) \times 3! + 21$

$: \sqrt{9} \times (8+7) + 6! = 5^{\sqrt{4}} + 3!! + 21 - 0!$

• 766

$: 9 - 8 + 765 = 4! \times 32 - 1 - 0!$

$: 9 - 8 + 765 = 4! + 3!! + 21 + 0!$

• 767

$: 1 \times 2 + 3!! + 45 = 6! + 7 \times 8 - 9$

$: -(\sqrt{9})! + 8 + 765 = 4! \times 32 - 1$

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)! \times 7 + 6! + 5 = 4! \times 32 - 1$

• 767

$: -9 + 8 \times 7 + 6! = (5! - 4!) \times (3! + 2) - 1$

$: -9 + 8 \times 7 + 6! = 5^{\sqrt{4}} + 3!! + 21 + 0!$

• 768

$: (1+2)!! + 3 + 45 = 6!/(7+8) + (\sqrt{9})!!$

$: -9 \times 8!/7! + 6! + 5! = 4! \times 32 \times 1$

$: -9 \times 8 + 7!/6 = (5! - 4!) \times (3 \times 2 + 1 + 0!)$

$: -9 \times 8 + 7!/6 = (5! - 4!) \times (3^2 - 1)$

• 769

$: 1 - 2^3 \times (4! - 5!) = 6! + 7^{8-(\sqrt{9})!}$

$: (\sqrt{9})!! + (8! - 7!)/(6 \times 5!) = 4! \times 32 + 1$

• 769

$: (\sqrt{9})!! + (8! - 7!)/6! = (5! - 4!) \times (3! + 2) + 1$

$: (\sqrt{9})!! + (8! - 7!)/6! = 5^4 + (3! \times 2)^{1+0!}$

• 770

$: (1+2)!! + (3! + 4) \times 5 = 6! + 7 \times 8 - (\sqrt{9})!$

$: (\sqrt{9})!! + 8 + 7 \times 6 = 5 + 4! + 3!! + 21$

$: (\sqrt{9})!! + 8 + 7 \times 6 = 54 + 3!! - 2 - 1 - 0!$

$: -\sqrt{9} + 8 + 765 = 4! \times 32 + 1 + 0!$

• **773**

$: -\sqrt{9}+8\times 7+6!=54+(3\times 2)!-1$

• **775**

$: (\sqrt{9})!\times 8+7+6!=5^{\sqrt{4}}\times(32-1)$

• **776**

$: 1+(2+\sqrt{3^4})\times 5+6!=7\times 8+(\sqrt{9})!!$

• **776**

$: \sqrt{9}+8+765 \quad =4!+3!!+\sqrt{2^{10}}.$

$: (\sqrt{9})!!+8\times 7!/6!=5!/\sqrt{4}+3!!-2-1-0!$

$: (\sqrt{9})!!+8\times 7!/6!=54+3!!+2\times 1$

$: (\sqrt{9})!!+8\times 7 \quad =6!+54+3-2+1$

$: (\sqrt{9})!!+8\times 7 \quad =6!-54+(3+2)!-10$

• **777**

$: 9\times 87-6=54+3!!+2+1$

• **778**

$: -(\sqrt{9})!-8\times 7+6!+5!=4!\times 32+10$

$: -\sqrt{9}+8\times 7+6!+5 \quad =4!\times 32+10$

• **782**

$: (\sqrt{9})!+8\times 7+6!=5!/\sqrt{4}+3!!+2\times 1$

$: (\sqrt{9})!+8\times 7+6!=5!/\sqrt{4}+3!!+2-1+0!$

• **783**

$: 9\times 87=(6-5)\times\sqrt{4^{3!}}+(2+1)!!-0!$

$: 9\times 87=6!\times(5-4)+3\times 21$

$: 9\times 87=6!+(5+4)/3\times 21$

$: 9\times 87=6+54+3!!+2+1$

$: 9\times 87=65+(\sqrt{4}\times 3)!-2\times 1$

$: 9\times 87=65-4+3!!+2+1-0!$

$: 9\times 87=\sqrt{6!\times 5}+4+(3\times 2)!-1$

$: 9\times 87=\sqrt{6!\times 5}+4+(3\times 2)!-1$

• **783**

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times 7+6!=(5+4!)\times 3^{2+1}$

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)\times 7+6!=54+3^{(2+1)!}$

• **784**

$: 9\times 87+6-5 \quad =4^3+(2+1)!!$

$: \sqrt{9}+8\times 7+6!+5=(-4+32)^{1+0!}$

$: \sqrt{9}+8\times 7+6!+5=4^3+(2+1)!!$

• **785**

$: 1+2^{3!}+(\sqrt{4+5})!!=6!+7\times 8+9$

$: 9+(8\times 7)+6\times 5!=4^3+(2+1)!!+0!$

• **785**

$: 9+8\times 7+6!=(\sqrt{5^4}+3)^2+1$

$: 9+8\times 7+6!=5!/\sqrt{4}+3!!+(2+1)!-0!$

• **789**

$: (1+2)^{3!}+4+56 \quad =789$

$: (1+2)^3\times(4!+5)+6=789$

$: 1+23+45+6! \quad =789$

• **789**

$: 9\times 87+6=5!/\sqrt{4}+3^{(2+1)!}$

$: 9\times 87+6=5+4^3+(2+1)!!$

• **791**

$: (\sqrt{9})!!-(8!-7!)/6!+5!=4!\times(32+1)-0!$

• **791**

$: \sqrt{9-8+7!}+6!=(5!-4-3)\times((2+1)!+0!)$

• **792**

$: (1+2)!!+3!!/(\sqrt{4}\times 5)=((6!+78)-(\sqrt{9})!)$

$: (1+2)!!+3\times 4! \quad =(5+67)\times(8+\sqrt{9})$

• **792**

$: -(\sqrt{9})!\times 8+7!/6=(5!+4\times 3)\times(2+1)!$

$: -(\sqrt{9})!\times 8+7!/6=5!+(4!-3)\times\sqrt{2^{10}}$

$: 9\times(87+6-5) \quad =4!\times(32+1)$

• **793**

$: (\sqrt{9})!!-8+76+5=4!\times 3+(2+1)!!+0!$

$: 9-8\times 7+6!+5! \quad =4!\times(32+1)+0!$

• **794**

$: \sqrt{\sqrt{9^8}}-7+6!=54+3!!+21-0!$

• **796**

$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right)!!+76=54+3!!+21+0!$

• **797**

$: (1+2)!! + 3 \times 4! + 5 = 6! + 7 \times (8 + \sqrt{9})$

$: (\sqrt{9}+8) \times 7 + 6! \quad = (-5+43) \times 21 - 0!$

$: (\sqrt{9}+8) \times 7 + 6! \quad = 5! - 43 + (2+1)!!$

$: -9 + 87 + 6! \quad = 5 + 4! \times (32+1)$

• **798**

$: 123 - 45 + 6! \ = 78 + (\sqrt{9})!!$

$: 9 \times 8 + 7 + 6! = (-5+43) \times 21$

$: -9 + 87 + 6! \ = (-5+43) \times 21$

$: -9 + 87 + 6! \ = 5 + 4! \times (32+1) + 0!$

• **799**

$: 9 \times 8 + 7 + 6! = (-5+43) \times 21 + 0!$

$: 9 \times 8 + 7 + 6! = \sqrt{5^4} \times 32 - 1$

• **801**

$: (1+2)!! + 3^4 = (5 + 6 + 78) \times 9$

• **804**

$: (\sqrt{9})!! + 8 + 76 \ = 5! - 4 + 3!! - \sqrt{2^{10}}$

$: 12 \times (3 \times 4! - 5) = 6 + 78 + (\sqrt{9})!!$

• **807**

$: (1+2)!! + 3 \times (4! + 5) = 6! + 78 + 9$

• **807**

$: (\sqrt{9})!! + 87 = 6! + 5! - 4! - 3^2 - 1 + 0!$

$: (\sqrt{9})!! + 87 = 6 \times 5 \times (4! + 3) - 2 - 1$

$: (\sqrt{9})!! + 87 = 6 + 5! \times 4 + 321$

• **808**

$: \sqrt{\sqrt{9^8}} + 7 + 6! = -5! - \sqrt{4} + 3!! + 210$

• **810**

$: (12 + 3!) \times 45 \ = 6 \times (7+8) \times 9$

$: 9 \times (8+7) \times 6 = 54 \times 3/2 \times 10$

$: 98 - 7 + 6! \quad = 54 \times (-3! + 21)$

• **813**

$: (\sqrt{9})! + 87 + 6! = 5! - 4! + 3!! - 2 - 1$

• **816**

$: 1 \times (2 \times 3)! - 4! + 5! = 6! + 7 + 89$

• **816**

$: 9 + 87 + 6! \quad = 5! - 4! + (3 \times 2)! \times 1$

$: 9 + 87 + 6! \quad = 5! - 4 + 3!! - 21 + 0!$

$: 98 - 7 + 6! + 5 = 4 \times (-3! + 210)$

• **817**

$: (\sqrt{9})!!/8 + 7 + 6! = 5! - 4! + (3 \times 2)! + 1$

• **818**

$: ((\sqrt{9})! + 8) \times 7 + 6! = (5!/4!)! + 3!! - 21 - 0!$

$: ((\sqrt{9})! + 8) \times 7 + 6! = 5! - 4! + 3!! + 2 \times 1$

$: 1 \times 2 + 3!! - 4! + 5! \ = 6! + 7 \times (8 + (\sqrt{9})!)$

• **820**

$: (-(-\sqrt{9}+8)! + 7!)/6 = (5! \times \sqrt{4}/3 + 2) \times 10$

$: (-(-\sqrt{9}+8)! + 7!)/6 = (-5! + (4+3)!)/(2+1)!$

• **823**

$: -9 - 8 + 7!/6 = 5! + 4 + 3!! - 21$

• **824**

$: -12 + 3!! - 4 + 5! \quad = (6+7) \times 8 + (\sqrt{9})!!$

$: (\sqrt{9})!! + 8 \times (7+6) = 5! + 4 + 3!! - 21 + 0!$

• **825**

$: (1+2)^{3!} - 4! + 5! = 6! + 7!/(8 \times (\sqrt{9})!)$

$: 98 + 7 + 6! \quad = 5 \times (4! \times 3! + 21)$

• **826**

$: -(\sqrt{9})! - 8 + 7!/6 = (5! - \sqrt{4}) \times (3 \times 2 + 1)$

$: -(\sqrt{9})! - 8 + 7!/6 = \sqrt{5^4} \times (32+1) + 0!$

• **828**

$: (-9 \times 8 + 7!)/6 \quad = 5! - 4! + 3!! + 2 + 10$

$: (-9 \times 8 + 7!)/6 \quad = 5! - 4 \times 3 + (2+1)!!$

$: -9 - 8 + 7!/6 + 5 = 4 \times (-3 + 210)$

• **829**

$: -\sqrt{9} - 8 + 7!/6 = 5^4 - 3! + 210$

• **831**

$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right) + 7!/6 = (5 + 4 \times 3!)^2 - 10$

• 832

$: (-(\sqrt{9})! \times 8 + 7!)/6 = 5! - (\sqrt{4}) + 3!! - (2+1)!$

$: (-(\sqrt{9})! \times 8 + 7!)/6 = 5^4 - 3 + 210$

• 833

$: -1 - 2 + 3!! - 4 + 5! = 6! - 7 + (8 - \sqrt{9})!$

$: (-\sqrt{9} + 8)! - 7 + 6! = 5! - 4 - 3 + (2+1)!!$

$: (-\sqrt{9} + 8)! - 7 + 6! = 5 + 4 \times (-3 + 210)$

• 835

$: \sqrt{9} - 8 + 7!/6 = 5! - 4 + (3 \times 2)! - 1$

$: \sqrt{9} - 8 + 7!/6 = 5 \times (-43 + 210)$

• 836

$: (\sqrt{9} + 8) \times 76 = (-5 + 43) \times (21 + 0!)$

$: (\sqrt{9} + 8) \times 76 = 5! - 4 + (3 \times 2)! \times 1$

• 837

$: 9 \times (87 + 6) = 5 \times 4! + 3!! - 2 - 1$

• 838

$: (\sqrt{9})! - 8 + 7!/6 = 5! - 4 + 3!! + 2 \times 1$

$: (\sqrt{9})! - 8 + 7!/6 = 5^4 + 3 + 210$

• 839

$: -1 + (2 \times 3)! + 4! \times 5 = 6! + 7 \times (8 + 9)$

$: (9 + 8) \times 7 + 6! = 5! \times (4 + 3) - 2 + 1$

$: (9 + 8) \times 7 + 6! = 5! + \sqrt{4} + 3!! - 2 - 1$

$: (-\sqrt{9} + 8)! \times 7 - 6 + 5 = 4! \times (3!^2 - 1) - 0!$

• 840

$: (1+2)!! + (3 + \sqrt{4})! = 5! + 6! \times (-7 + 8)^9$

$: (1+2)!! - 3! + 4! \times 5 + 6 = 7 \times (8 - \sqrt{9})!$

$: 1^2 \times (3+4) \times 5! = 6! + ((7+8)/\sqrt{9})!$

$: 123 - \sqrt{4+5} + 6! = 7 \times (8 - \sqrt{9})!$

• 840

$: (9-8) \times 7!/6 = (5 - 4 + 3) \times 210$

$: (9-8) \times 7!/6 = 5 \times 4!/3 \times 21$

$: 98/7 \times (6 + 54) = 3!! + ((2+1)! - 0!)!$

$: 98/7 \times \sqrt{6! \times 5} = (4+3)!/(2+1)!$

$: 98/7 \times \sqrt{6! \times 5} = 4!/3! \times 210$

• 840

$$: -\left(\sqrt{\sqrt{\sqrt{9^8}}}\right) + 7 + 6! + 5! + \sqrt{4} = 3!! + ((2+1)! - 0!)!$$

• 840

$: (-\sqrt{9} + 8)! \times 7 = (-6 + 5 \times 4) \times 3 \times 2 \times 10$

$: (-\sqrt{9} + 8)! \times 7 = 6 \times 5 \times (4 + 3 + 21)$

$: (-\sqrt{9} + 8)! \times 7 = 6 + 5! - 4 + 3!! - 2 \times 1$

$: (-\sqrt{9} + 8)! \times 7 = 6 + 5! - \sqrt{4} + 3!! - (2+1) - 0!$

• 841

$: (\sqrt{9} + 8) \times 76 + 5 = 4! \times (3!^2 - 1) + 0!$

$: 9 - 8 + 7!/6 = (5 + 4 \times 3!)^2 - 1 + 0!$

$: 9 - 8 + 7!/6 = 5! \times (4+3) + 2 - 1$

$: 9 - 8 + 7!/6 = 5 - 4 + 3!! + ((2+1)! - 0!)!$

• 842

$: -(\sqrt{9})! + 8 + 7!/6 = 5! + (\sqrt{4} \times 3)! + 2 \times 1$

$: -(\sqrt{9})! + 8 + 7!/6 = 5! + \sqrt{4} + 3!! + 2 - 1 - 0!$

$: 9 \times (87 + 6) + 5 = \sqrt{4} + 3!! + ((2+1)! - 0!)!$

• 843

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right) + 7!/6 = (5 + 4 \times 3!)^2 + 1 + 0!$$

$$: \left(\sqrt{\sqrt{\sqrt{\sqrt{9^8}}}}\right) + 7!/6 = 5! + 4 + (3 \times 2)! - 1$$

• 844

$: (\sqrt{9} \times 8 + 7!)/6 = 5! + 4 + (3 \times 2)! \times 1$

$: -9 + 8 + 7!/6 + 5 = 4 + 3!! + ((2+1)! - 0!)!$

• 845

$: -\sqrt{9} + 8 + 7!/6 = 5! + 4 + (3 \times 2)! + 1$

$: -\sqrt{9} + 8 + 7!/6 = 5! + \sqrt{4} + 3!! + 2 + 1$

• 846

$: (1+2)! + (3+4) \times 5! = 6 + 7 \times (8 - \sqrt{9})!$

$: (-\sqrt{9} + 8)! \times 7 + 6 = (5! + 4! - 3) \times (2+1)!$

$: (-\sqrt{9} + 8)! \times 7 + 6 = 5! + \sqrt{4} + 3!! + 2 + 1 + 0!$

• **847**

$: 1+2+3!!+4+5! \quad = 6!+7+(8-\sqrt{9})!$

$: (-\sqrt{9}+8)!+7+6! = 5!+4+3!!+2+1$

• **848**

$: (-(\sqrt{9})!+8)^7+6! = 5!\times(4+3)-2+10$

$: (-(\sqrt{9})!+8)^7+6! = 5!+\sqrt{4}+3!!+(2+1)!$

• **849**

$: \left(\sqrt{\sqrt{\sqrt{9^8}}}\right)+7!/6 = 5\times 4!+3^{(2+1)!}$

• **851**

$: \sqrt{9}+8+7!/6 = 5!+\sqrt{4}+3^{(2+1)!}$

$: \sqrt{9}+8+7!/6 = 5^4\times 3-2^{10}$

• **852**

$: (9\times 8+7!)/6 = 5!+4!+3!!-2-10$

$: (9\times 8+7!)/6 = 5!+\sqrt{4}\times 3!+(2+1)!!$

• **852**

$: (-\sqrt{9}+8)!+7+6!+5 = 4\times(3+210)$

• **854**

$: (\sqrt{9})!+8+7!/6 \quad = (5!+\sqrt{4})\times(3\times 2+1)$

$: (\sqrt{9})!+8+7!/6 \quad = 5!+4+(3\times 2)!+10$

$: 98/7+6!+5! \quad = 4!\times 3!^2-10$

$: \sqrt{\sqrt{\sqrt{9^8}}}+7!/6+5 = 4!\times 3!^2-10$

• **855**

$: (1+2)!!+3\times 45 = 6!+(7+8)\times 9$

$: (9\times(8+7))+6! = 5\times(4!+3)+(2+1)!!$

• **857**

$: 9+8+7!/6 = 5+4\times(3+210)$

• **860**

$: ((-\sqrt{9}+8)!+7!)/6!\times 5! = 43\times 2\times 10$

$: ((-\sqrt{9}+8)!+7!)/6 \quad = (54+32)\times 10$

$: 9\times(8+7)+6!+5 \quad = 43\times 2\times 10$

• **862**

$: -9+876 = 5+4!\times 3!^2-1-0!$

• **863**

$: 98+765 = 4!\times 3!^2\times 1-0!$

$: 98+765 = 4!\times 3!^2-1$

• **864**

$: 1\times 2\times 3\times(4!+5!) = (-6!+7!)/(8-\sqrt{9})$

$: 12^3/\sqrt{4} \quad = (5+6+7)\times 8\times(\sqrt{9})!$

• **864**

$: 9\times 8\times(7!/6!+5) = 4\times(3!+210)$

$: 9\times 8\times(7!/6!+5) = 4\times 3!^{2+1}$

$: 9+8+7+6!+5! \quad = 4\times(3!+210)$

• **864**

$: \sqrt{9}\times 8+7!/6 = (5!+4!)\times 3\times 2\times 1$

$: \sqrt{9}\times 8+7!/6 = 5!+4!\times(32-1)$

$: \sqrt{9}\times 8+7!/6 = 5!+4+3!!+21-0!$

$: \sqrt{9}\times 8+7!/6 = 54\times(3!+2)\times(1+0!)$

• **865**

$: ((-\sqrt{9}+8)!+7!)/6+5 = 4!\times 3!^2+1$

• **867**

$: -9+876 = 5!+4!+3!!+2+1$

$: -9+876 = 5!+4!+3+(2+1)!!$

• **870**

$: -(\sqrt{9})!+876 = 5+4!\times 3!^2+1$

$: -(\sqrt{9})!+876 = 5+4\times 3!^{2+1}+0!$

• **873**

$: -\sqrt{9}+876 = 5!+4!+3^{(2+1)!}$

$: -\sqrt{9}+876 = 5+4\times(3!^{2+1}+0!)$

• **879**

$: \sqrt{9}+876 = 5+4!\times 3!^2+10$

• **880**

$: 9+876 = 5-4!\times 3!+2^{10}$

• **882**

$: (\sqrt{9})! + 876 = (5+\sqrt{4}) \times 3! \times 21$

$: (\sqrt{9})! + 876 = 54 \times 3 + (2+1)!!$

$: 98 \times \sqrt{76+5} = (4!-3)^2 \times (1+0!)$

• **885**

$: 9 + 876 = 5! + 4! + 3!! + 21$

• **887**

$: (\sqrt{9})! + 876 + 5 = 4! \times (3!^2 + 1) - 0!$

• **888**

$: -12 + 3!!/4 \times 5 = 6! + 7 \times 8 \times \sqrt{9}$

$: -9 \times 8 + 7!/6 + 5! = 4! \times (3!^2 + 1)$

$: \sqrt{9} \times 8 \times 7 + 6! = 5! + 4! \times 32 \times 1$

$: \sqrt{9} \times 8 \times 7 + 6! = 5! + 4^3 \times (2+10)$

• **889**

$: (\sqrt{9})!! + (8! - 7!)/6! + 5! = 4! \times (3!^2 + 1) + 0!$

• **890**

$: 9 + 876 + 5 = (4! + 3!)^2 - 10$

• **898**

$: -(\sqrt{9})! - 8 \times (7!/6! - 5!) = (4! + 3!)^2 - 1 - 0!$

• **899**

$: 9 + 8 + 7 \times (6 + 5!) = (4! + 3!)^2 - 1$

• **900**

$: (1+2)!! + 3!!/4 = 5!/6 \times (7+8) \times \sqrt{9}$

$: (\sqrt{9})!! \times (8+7)/\sqrt{6!/5} = (4! + 3!)^2 \times 1$

$: (\sqrt{9})!! \times (8+7)/\sqrt{6!/5} = (-\sqrt{4} + 32)^{1+0!}$

• **901**

$: (9+8) \times (-7 + \sqrt{6! \times 5}) = (4! + 3!)^2 + 1$

• **902**

$: (\sqrt{9})! + 8 \times 7 + 6! + 5! = 43 \times 21 - 0!$

• **903**

$: (\sqrt{9})!! + (8! + 7!)/6! + 5! = 43 \times 21$

• **904**

$: (\sqrt{9})!! + 8 \times (-7 + 6 \times 5) = 43 \times 21 + 0!$

• **910**

$: 98/7 \times 65 = (4! + 3!)^2 + 10$

• **912**

$: (9 - 8 + 7) \times (-6 + 5!) = 4! \times (3!^2 + 1 + 0!)$

$: 9 \times 8 + 7!/6 = 5! + 4! \times (32 + 1)$

• **930**

$: ((1+2)! + 3!!/4) \times 5 = 6! + 7!/(8 \times \sqrt{9})$

$: (9 + 8 + 7 + 6!) \times 5/4 = 3!! + 210$

$: (\sqrt{9})!!/8 + 7!/6 = (5-4) \times 3!! + 210$

$: (\sqrt{9})!!/8 + 7!/6 = 5!/4 \times (32 - 1)$

$: \sqrt{9} \times (8 \times 7 + 6) \times 5 = (\sqrt{4} \times 3)! + 210$

$: \sqrt{9} \times 8 + 7 \times (6 + 5!) + 4! = 3!! + 210$

$: \sqrt{\sqrt{9^8}} + 7!/6 + 5 + 4 = 3!! + 210$

$: \sqrt{\sqrt{9^8}} + 7 + 6! + 5! + \sqrt{4} = 3!! + 210$

• **933**

$: \sqrt{9 + 8! + 7!} + 6! = \sqrt{5+4} + 3!! + 210$

• **936**

$: (1+2)!^3 + (\sqrt{4+5})!! = (6+7) \times 8 \times 9$

$: 9 \times 8 \times (7+6) = (5 \times 4! - 3) \times (-2 + 10)$

$: 9 \times 8 \times (7+6) = (5 - \sqrt{4})!^3 + (2+1)!!$

• **938**

$: 98 + 7!/6 = 5! \times 4!/3 - 21 - 0!$

• **946**

$: -(\sqrt{9})! + 8 \times (-7 + 6 + 5!) = 43 \times (21 + 0!)$

• **951**

$: -9 + 8!/(7 \times 6) = 5 + 43 \times (21 + 0!)$

• 954

$: (1+2)!! - 3! + \sqrt{4} \times 5! = 6! + 78 \times \sqrt{9}$

$: -(\sqrt{9})! + 8!/(7 \times 6) \quad = (5! \times 4 - 3) \times 2 \times 1$

$: -\sqrt{9} + 87 \times (6+5) \quad = 4! + 3!! + 210$

• 956

$: (\sqrt{9} + 8) \times 76 + 5! = 4 \times (3!!/(2+1) - 0!)$

• 957

$: -\sqrt{9} + 8!/(7 \times 6) = 5! \times (\sqrt{4})^3 - 2 - 1$

• 959

$: (-(\sqrt{9})! + 8!/7)/6 \quad = 5!/4 \times 32 - 1$

$: (-(\sqrt{9})! + 8!/7)/6 \quad = 5 \times 4! \times (3! + 2) - 1$

$: (-9+8) + 7!/6 + 5! = 4 \times 3!!/(2+1) - 0!$

• 960

$: (1+2)!!/3 \times 4 \quad = 5! \times (6 + 7 - (8 - \sqrt{9}))$

$: (98/7 - 6) \times 5! \quad = 4 \times 3!!/(2+1)$

$: (\sqrt{9})!! \times 8!/(7! \times 6) = (5 + 43) \times 2 \times 10$

$: (\sqrt{9})!! \times 8!/(7! \times 6) = 5!/4 \times 32 \times 1$

• 961

$: ((\sqrt{9})! + 8!/7)/6! \times 5! = 4 \times 3!!/(2+1)! + 0!$

$: ((\sqrt{9})! + 8!/7)/6 \quad = 5!/4 \times 32 + 1$

$: ((\sqrt{9})! + 8!/7)/6 \quad = 5 \times 4! \times (3! + 2) + 1$

• 963

$: \sqrt{9} + 8!/7/6 = \sqrt{5+4} \times 321$

• 964

$: (\sqrt{9} \times 8 + 7!)/6 + 5! = 4 \times (3!!/(2+1) + 0!)$

• 966

$: (\sqrt{9})! + 8!/(7 \times 6) = (5! \times 4 + 3) \times 2 \times 1$

• 969

$: 9 + 8!/7/6 = 5! \times \sqrt{4} + 3^{(2+1)!}$

• 972

$: 12 \times 3^4 = (5 \times 6 + 78) \times 9$

$: -\sqrt{9} + (8+7) \times 65 = 4 \times 3^{(2+1)!-0!}$

• 987

$: 987 = 6! + 5! + (4+3) \times 21$

$: 987 = 6! + 54 + 3 + 210$

$: 987 = 6! - 54 + 321$

$: 987 = 6 \times 5! + 4! + 3^{(2+1)!-0!}$

$: 987 = 6 + 5! \times 4!/3 + 21$

$: 987 = 65 \times 4 + 3!! + (2+1)! + 0!$

• 993

$: 987 + 6 = (5! + 4) \times (3! + 2) + 1$

• 999

$: \sqrt{9} + 876 + 5! = (4 + 3!)^{2+1} - 0!$

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