## **RESEARCH GROUP IN** MATHEMATICAL INEQUALITIES AND APPLICATIONS

## **PROBLEM CORNER**

Problem 8, (2009)

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A function  $f: \mathbb{R}^+ \to \mathbb{R}$ , where  $\mathbb{R}^+ = [0, \infty)$ , is said to be *s*-convex in the second sense if

$$f\left(\alpha x + \beta y\right) \le \alpha^{s} f\left(x\right) + \beta^{s} f\left(y\right)$$

for all  $x, y \in [0, \infty)$ ,  $\alpha, \beta \ge 0$  with  $\alpha + \beta = 1$  and for some fixed  $s \in (0, 1]$ , (see [1]).

We have the following question:

If  $f: I \to \mathbb{R}$ , satisfies the following conditions:

- (1) f is s-Hölder continuous on I with  $s \in (0, 1]$ ,
- **(2)** Γ,

then, f is s-convex on I. Under what condition(s)  $\Gamma$  would the result hold?

## References

 H. HUDZIK AND L. MALIGRANDA, Some remarks on s-convex functions, Aequationes Math., 48 (1994), 100– 111.

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