

# Concatenation-Type Selfie Numbers With Factorial and Square-Root

Received 13/09/17

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## Abstract

Numbers represented by their own digits by certain operations are considered as *selfie numbers*. Some times they are called as *wild narcissistic numbers*. There are many ways of representing *selfie numbers*. They can be represented in digit's order, reverse order of digits, increasing and/or decreasing order of digits, etc. These can be obtained by use of basis operations along with *factorial*, *square-root*, *Fibonacci sequence*, *Triangular numbers*, *binomial coefficients*, *s-gonal values*, *centered polygonal numbers*, etc. In this work, we have written *selfie numbers* by use of *concatenation*, along with *factorial* and *square-root*. The concatenation idea is used in a very simple way. The work is limited up to 5 digits. Work on higher digits shall be dealt elsewhere.

*Based on Matt Parker's [10, 11] idea of  
Concatenation to solve "The 10,958 Problem" [17].*

## Contents

<b>1</b>	<b>Crazy Representations</b>	<b>2</b>
1.1	Selfie Numbers . . . . .	3
<b>2</b>	<b>Concatenation-Type Selfie Numbers</b>	<b>3</b>
2.1	Sequential Representations . . . . .	4
2.1.1	Both Ways . . . . .	4
2.1.2	Digit's Order . . . . .	4
2.1.3	Reverse Order of Digits . . . . .	5
2.2	Non Sequential Representations . . . . .	7
2.2.1	Both Ways . . . . .	7
2.2.2	Digit's Order . . . . .	10
2.2.3	Reverse Order of Digits . . . . .	17
<b>3</b>	<b>Number Patterns</b>	<b>31</b>
<b>4</b>	<b>Summary: Selfie Numbers</b>	<b>34</b>
4.1	Factorial . . . . .	34
4.2	Factorial and Square-Root . . . . .	34
4.3	Fibonacci Sequence . . . . .	35
4.4	Triangular Numbers . . . . .	37
4.5	Binomial Coefficients . . . . .	37
4.6	S-gonal numbers . . . . .	38
4.7	Centered Polygonal Numbers . . . . .	39

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# 1 Crazy Representations

In [17], author wrote number from 1 to 11111 in increasing and decreasing orders of 1 to 9 and 9 to 1. By use of basic opeartion, we got all numbers except 10958 in the increasing case. We can write it by use of factorial and/or square-root. See below:

$$\begin{aligned}10958 &:= 1 + 2 + 3!! + (-4 + 5! + 6 - 7) \times 89 \\10958 &:= 1 \times 2 \times (3!! - 4! \times (5 + 6) + 7! - 8 - 9)\end{aligned}$$

For more solutions refer [5, 6, 7] Moreover, this work appeared as improbable research [1, 2, 3, 4].

Recently, Matt Parker [10, 11, 12] gave a new idea of finding this number by using **concatenation** among numbers. See below:

$$10958 := 1 \times 23 + ((4 \times 5 \times 6) \| 7 + 8) \times 9,$$

where

$$a \| b := 10 \times a + b, a \in \mathbf{Z}, b \in \{0, 1, 2, 3, 4, 6, 7, 8, 9\}. \quad (1)$$

The notation "  $\|$  " is known as **concatenation**. More on it can be seen in [9]. The number 23 can also be written as  $2 \| 3$ , but it don't make any effect on the representation.

From *mathematical point of view* the study of concatenation as operator is very deep. For details see [9]. Some general idea can be see at [13, 15]. Some times it is called as **Triangles of the Gods** [16] given below:

$$\begin{array}{c}1 \\12 \\123 \\1234 \\12345 \\123456 \\1234567 \\12345678 \\\dots \dots\end{array}$$

**Remark 1.1.** Our aim here is not to go much deep. Only to work with basic idea, i.e.,  $10 \times a + b$ , where  $a$  and  $b$  are integers, with condition that  $b$  is only of single digit. Let us see below some examples,

$$\begin{aligned}2 \| 3 &:= 2 \times 10 + 3 = 23 \\(2 + 3) \| 5 &:= (2 + 3) \times 10 + 5 = 55 \\(5 \times 4 + 7) \| (2 + 3) &:= 27 \times 10 + 5 = 275.\end{aligned}$$

Here we should observe that, in case of real concatenation, when the second component of the pair is of two digits, then the first one is automatically of two digits, i.e., it become as  $5 \| (7 + 8) = 5 \| 15 = 5 \times 100 + 15 = 515$ . Another example,  $1 \| 23 := 100 + 23 = 123$ . In this case we can say that  $5 \| 15 = 51 \| 5$   $1 \| 23 = 12 \| 3$ . This type os situation is still not under study. In another opportunity, we shall work with general case of concatenation.

Based on above details we shall bring selfie numbers. First, below is an idea of **selfie numbers** with examples.

## 1.1 Selfie Numbers

Numbers represented by their own digits by certain operations are considered as "**selfie numbers**". Some times they are called as **wild narcissistic numbers**. There are many ways of representing "**selfie numbers**". They can be represented in digit's order, reverse order of digits, increasing and/or decreasing order of digits, etc. These can be obtained by use of basis operations along with **factorial**, **square-root**, **Fibonacci sequence**, **Triangular numbers**, **binomial coefficients**, **s-gonal values**, **centered polygonal numbers**, etc. Below are some examples with **factorial** and **square-root** written in both ways, i.e., in digit's order and its reverse:

$$\begin{aligned}
 936 &:= (\sqrt{9})!^3 + 6! &= 6! + (3!)^{\sqrt{9}} \\
 1296 &:= \sqrt{(1+2)!^9 / 6} &= 6^{(\sqrt{9}+2-1)} \\
 2896 &:= 2 \times (8 + (\sqrt{9})!! + 6!) &= (6! + (\sqrt{9})!! + 8) \times 2 \\
 331779 &:= 3 + (31 - 7)^{\sqrt{7+9}} &= \sqrt{9} + (7 \times 7 - 1)^3 \times 3 \\
 342995 &:= (3^4 - 2 - 9)^{\sqrt{9}} - 5 &= -5 + (-9 + 9^2 - \sqrt{4})^3 \\
 759375 &:= (-7 + 59 - 37)^5 &= (5 + 7 + 3)^{\sqrt{9}-5+7} \\
 759381 &:= 7 + (5 \times \sqrt{9})^{-3+8} - 1 &= -1 + (8 \times 3 - 9)^5 + 7
 \end{aligned}$$

More examples of **selfie numbers** in different situations are given as summary in last section 4.

In this work our aim is to bring **selfie numbers** by use of **concatenation**, along with **factorial** and **square-root**. The work is limited up to 5 digits. Study for higher digits shall be dealt elsewhere.

## 2 Concatenation-Type Selfie Numbers

This section brings the selfie numbers by use of formula (1) with factorial and square-root. It has been divided in small subsections according to each type of situation. Before starting there are few numbers those can be written without use of factorial and square-root. See below:

- **Digit's Order**

$$\begin{aligned}
 15129 &:= \langle (-1 + 5) \parallel 1 \rangle^2 \times 9 \\
 33124 &:= \langle (3 \times 3) \parallel 1 \rangle^2 \times 4
 \end{aligned}$$

- **Reverse Order of Digits**

$$\begin{array}{ll}
 1255 := 5 \times \langle 5^2 \parallel 1 \rangle & 15477 := 77 \times \langle (4 \times 5) \parallel 1 \rangle \\
 1288 := 8 \times \langle (8 \times 2) \parallel 1 \rangle & 24964 := (4 + \langle (6 + 9) \parallel 4 \rangle)^2 \\
 1359 := 9 \times \langle (5 \times 3) \parallel 1 \rangle & 26896 := (\langle (6 + 9) \parallel 8 \rangle + 6)^2 \\
 1449 := 9 \times \langle (4 \times 4) \parallel 1 \rangle & 39304 := (\langle 4 \parallel 03 \rangle - 9)^3
 \end{array}$$

## 2.1 Sequential Representations

There are many numbers those can be written in sequential way, i.e., from 0 to 9 they have symmetric consecutive representations. Again we have divided it in three part. First one both ways, second one in digit's order and third one in reverse order of digits.

### 2.1.1 Both Ways

$$\begin{aligned}
 30960 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 0 = 0 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30961 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 1 = 1 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30962 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 2 = 2 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30963 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 3 = 3 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30964 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 4 = 4 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30965 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 5 = 5 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30966 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 6 = 6 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30967 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 7 = 7 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30968 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 8 = 8 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle \\
 30969 &:= \langle (3 + 0!) \parallel \sqrt{9} \rangle \times 6! + 9 = 9 + 6! \times \langle (\sqrt{9} + 0!) \parallel 3 \rangle
 \end{aligned}$$

### 2.1.2 Digit's Order

$$\begin{aligned}
 37440 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 0 & 39840 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 0 \rangle \\
 37441 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 1 & 39841 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 1 \rangle \\
 37442 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 2 & 39842 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 2 \rangle \\
 37443 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 3 & 39843 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 3 \rangle \\
 37444 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 4 & 39844 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 4 \rangle \\
 37445 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 5 & 39845 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 5 \rangle \\
 37446 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 6 & 39846 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 6 \rangle \\
 37447 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 7 & 39847 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 7 \rangle \\
 37448 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 8 & 39848 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 8 \rangle \\
 37449 &:= 3!! \times \langle (7 - \sqrt{4}) \parallel \sqrt{4} \rangle + 9 & 39849 &:= -(-3 + 9)! + 8! + \langle 4! \parallel 9 \rangle
 \end{aligned}$$

**40080** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 0$   
**40081** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 1$   
**40082** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 2$   
**40083** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 3$   
**40084** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 4$   
**40085** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 5$   
**40086** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 6$   
**40087** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 7$   
**40088** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 8$   
**40089** :=  $-\langle 4! \parallel 0! \rangle + 0! + 8! + 9$

**44640** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 0$   
**44641** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 1$   
**44642** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 2$   
**44643** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 3$   
**44644** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 4$   
**44645** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 5$   
**44646** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 6$   
**44647** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 7$   
**44648** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 8$   
**44649** :=  $(4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 9$

**46690** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 0 \rangle$   
**46691** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 1 \rangle$   
**46692** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 2 \rangle$   
**46693** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 3 \rangle$   
**46694** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 4 \rangle$

**46695** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 5 \rangle$   
**46696** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 6 \rangle$   
**46697** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 7 \rangle$   
**46698** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 8 \rangle$   
**46699** :=  $4 + 6^6 + \langle \sqrt{9} \parallel 9 \rangle$

**69120** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 0$   
**69121** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 1$   
**69122** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 2$   
**69123** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 3$   
**69124** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 4$   
**69125** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 5$   
**69126** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 6$   
**69127** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 7$   
**69128** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 8$   
**69129** :=  $6! \times \langle 9 \parallel (1+2)! \rangle + 9$

**75840** :=  $7! \times 5!/8 + \langle 4! \parallel 0 \rangle$   
**75841** :=  $7! \times 5!/8 + \langle 4! \parallel 1 \rangle$   
**75842** :=  $7! \times 5!/8 + \langle 4! \parallel 2 \rangle$   
**75843** :=  $7! \times 5!/8 + \langle 4! \parallel 3 \rangle$   
**75844** :=  $7! \times 5!/8 + \langle 4! \parallel 4 \rangle$   
**75845** :=  $7! \times 5!/8 + \langle 4! \parallel 5 \rangle$   
**75846** :=  $7! \times 5!/8 + \langle 4! \parallel 6 \rangle$   
**75847** :=  $7! \times 5!/8 + \langle 4! \parallel 7 \rangle$   
**75848** :=  $7! \times 5!/8 + \langle 4! \parallel 8 \rangle$   
**75849** :=  $7! \times 5!/8 + \langle 4! \parallel 9 \rangle$

### 2.1.3 Reverse Order of Digits

**01320** :=  $0 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01321** :=  $1 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01322** :=  $2 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01323** :=  $3 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01324** :=  $4 + (2+3)! \times \langle 1 \parallel 0! \rangle$

**01325** :=  $5 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01326** :=  $6 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01327** :=  $7 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01328** :=  $8 + (2+3)! \times \langle 1 \parallel 0! \rangle$   
**01329** :=  $9 + (2+3)! \times \langle 1 \parallel 0! \rangle$

<b>03050</b> := $0 + 50 \times \langle 3! \parallel 0! \rangle$	<b>21965</b> := $5 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$
<b>03051</b> := $1 + 50 \times \langle 3! \parallel 0! \rangle$	<b>21966</b> := $6 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$
<b>03052</b> := $2 + 50 \times \langle 3! \parallel 0! \rangle$	<b>21967</b> := $7 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$
<b>03053</b> := $3 + 50 \times \langle 3! \parallel 0! \rangle$	<b>21968</b> := $8 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$
<b>03054</b> := $4 + 50 \times \langle 3! \parallel 0! \rangle$	<b>21969</b> := $9 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$
<b>03055</b> := $5 + 50 \times \langle 3! \parallel 0! \rangle$	
<b>03056</b> := $6 + 50 \times \langle 3! \parallel 0! \rangle$	
<b>03057</b> := $7 + 50 \times \langle 3! \parallel 0! \rangle$	
<b>03058</b> := $8 + 50 \times \langle 3! \parallel 0! \rangle$	
<b>03059</b> := $9 + 50 \times \langle 3! \parallel 0! \rangle$	
<b>03720</b> := $0 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45360</b> := $0 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03721</b> := $1 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45361</b> := $1 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03722</b> := $2 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45362</b> := $2 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03723</b> := $3 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45363</b> := $3 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03724</b> := $4 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45364</b> := $4 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03725</b> := $5 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45365</b> := $5 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03726</b> := $6 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45366</b> := $6 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03727</b> := $7 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45367</b> := $7 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03728</b> := $8 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45368</b> := $8 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>03729</b> := $9 + (-2+7)! \times \langle 3 \parallel 0! \rangle$	<b>45369</b> := $9 + 6! \times \langle 3! \parallel \sqrt{5+4} \rangle$
<b>04790</b> := $0 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84960</b> := $0 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04791</b> := $1 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84961</b> := $1 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04792</b> := $2 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84962</b> := $2 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04793</b> := $3 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84963</b> := $3 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04794</b> := $4 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84964</b> := $4 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04795</b> := $5 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84965</b> := $5 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04796</b> := $6 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84966</b> := $6 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04797</b> := $7 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84967</b> := $7 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04798</b> := $8 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84968</b> := $8 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>04799</b> := $9 - 9 + 7! - \langle 4! \parallel 0! \rangle$	<b>84969</b> := $9 + 6! \times \langle (9+\sqrt{4}) \parallel 8 \rangle$
<b>21960</b> := $0 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$	
<b>21961</b> := $1 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$	
<b>21962</b> := $2 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$	
<b>21963</b> := $3 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$	
<b>21964</b> := $4 + 6! \times \langle (\sqrt{9})! \parallel 1 \rangle / 2$	

## 2.2 Non Sequential Representations

In this subsection, there are numbers those are not in a sequential way as of subsection above. Again, we have divided it in three subsections. One on both ways. Second on digit's order and third on reverse order of digits.

### 2.2.1 Both Ways

Below are selfie numbers those can be written in both ways, i.e., in digit's order and its reverse. The first three numbers are written in one way as they are palindromes.

$$\mathbf{15851} := (1 + 5!) \times \langle (8 + 5) \parallel 1 \rangle$$

$$\mathbf{44644} := (4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 4$$

$$\mathbf{74347} := 7 \times 43 \times \langle 4! \parallel 7 \rangle$$

$$\mathbf{396} := \langle 3! \parallel (\sqrt{9})! \rangle \times 6 = \langle 6 \parallel (\sqrt{9})! \rangle \times 3!$$

$$\mathbf{10582} := \langle 1 \parallel 0! \rangle \times (5! \times 8 + 2) = (2 + 8 \times 5!) \times \langle 0! \parallel 1 \rangle$$

$$\mathbf{10584} := \langle 1 \parallel 0! \rangle \times 5! \times 8 + 4! = 4! + 8 \times 5! \times \langle 0! \parallel 1 \rangle$$

$$\mathbf{10635} := (-\langle 1 \parallel 0! \rangle + 6!) \times 3 \times 5 = 5 \times 3 \times (6! - \langle 0! \parallel 1 \rangle)$$

$$\mathbf{14379} := (-1 - \langle 4! \parallel 3! \rangle + 7!) \times \sqrt{9} = \sqrt{9} \times (7! - 3! - \langle 4! \parallel 1 \rangle)$$

$$\mathbf{15079} := -\langle (-1 + 5) \parallel 0! \rangle + 7! \times \sqrt{9} = \sqrt{9} \times 7! - \langle (-0! + 5) \parallel 1 \rangle$$

$$\mathbf{15162} := \langle \sqrt{-1+5} \parallel 1 \rangle \times (6! + 2) = (2 + 6!) \times \langle \sqrt{-1+5} \parallel 1 \rangle$$

$$\mathbf{15696} := (-1 + 5)! \times \left( 6! - \langle (\sqrt{9})! \parallel 6 \rangle \right) = \left( -\langle 6 \parallel (\sqrt{9})! \rangle + 6! \right) \times (5 - 1)!$$

$$\mathbf{17324} := \langle 4! \parallel (-2 + 3!) \rangle \times 71 = \sqrt{1+7!} \times \langle (3! - 2)! \parallel 4 \rangle$$

$$\mathbf{17346} := \langle (-1 + 7) \parallel 3! \rangle + 4! \times 6! = 6! \times 4! + \langle 3! \parallel (7 - 1) \rangle$$

$$\mathbf{19844} := \langle 4! \parallel \sqrt{4} \rangle \times \left( \langle 8 \parallel \sqrt{9} \rangle - 1 \right) = \left( 1 + \sqrt{\sqrt{9^8}} \right) \times \langle 4! \parallel \sqrt{4} \rangle$$

$$\mathbf{20147} := 7! \times 4 - \langle 1 \parallel 0! \rangle - 2 = -2 - \langle 0! \parallel 1 \rangle + 4 \times 7!$$

$$\mathbf{23593} := \langle 3 \parallel \sqrt{9} \rangle \times (-5 + 3!!) - 2 = -2 + (3!! - 5) \times \langle \sqrt{9} \parallel 3 \rangle$$

$$\mathbf{24964} := (4 + \langle (6 + 9) \parallel 4 \rangle)^2 = (2 + \langle (4! - 9) \parallel 6 \rangle)^{\sqrt{4}}$$

$$\mathbf{29789} := \langle \sqrt{9} \parallel (8 - 7) \rangle^{\sqrt{9}} - 2 = -2 + \langle \sqrt{9} \parallel (-7 + 8) \rangle^{\sqrt{9}}$$

$$\mathbf{29793} := \langle 3 \parallel (-(\sqrt{9})! + 7) \rangle^{\sqrt{9}} + 2 = 2 + \langle \sqrt{9} \parallel (7 - (\sqrt{9})!) \rangle^3$$

$$\mathbf{30172} := -2 + (7! - \langle 1 \parallel 0! \rangle) \times 3! = 3! \times (-\langle 0! \parallel 1 \rangle + 7!) - 2$$

$$\mathbf{30174} := \sqrt{4} \times (7! - \langle 1 \parallel 0! \rangle) \times 3 = -3 \times (\langle 0! \parallel 1 \rangle - 7!) \times \sqrt{4}$$

$$\mathbf{30282} := \langle \sqrt{2 \times 8} \parallel 2 \rangle \times (0! + 3!!) = (3!! + 0!) \times \langle \sqrt{2 \times 8} \parallel 2 \rangle$$

$$\mathbf{30606} := ((6 + 0!)! + \langle 6 \parallel 0! \rangle) \times 3! = ((3! + 0!)! + \langle 6 \parallel 0! \rangle) \times 6$$

$$\mathbf{30636} := (\langle 6 \parallel 3! \rangle + (6 + 0!)!) \times 3! = ((3! + 0!)! + \langle 6 \parallel 3! \rangle) \times 6$$

$$\mathbf{30897} := \left\langle 3 \parallel \sqrt{0!+8} \right\rangle^{\sqrt{9}} - 7! = -7! + \left\langle \sqrt{9} \parallel \sqrt{8+0!} \right\rangle^3$$

$$\mathbf{34398} := (\langle 3! \parallel \sqrt{4} \rangle - 3!!) \times 9 + 8! = 8! + 9 \times (\langle 3! \parallel \sqrt{4} \rangle - 3!!)$$

$$\mathbf{34704} := 3! \times \langle 4! \parallel (7 \times 0)! \rangle \times 4! = \langle 4! \parallel (0 \times 7)! \rangle \times 4! \times 3!$$

$$\mathbf{39105} := (3!! - 9) \times \langle 1 \parallel 0! \rangle \times 5 = 5 \times \langle 0! \parallel 1 \rangle \times (-9 + 3!!)$$

$$\mathbf{39304} := (3^9 - \langle 3 \parallel 0! \rangle) \times \sqrt{4} = (\langle 4 \parallel 03 \rangle - 9)^3$$

$$\mathbf{39498} := -\langle 3 \times 9 \parallel 4 \rangle \times \sqrt{9} + 8! = 8! - \left\langle 9 \parallel \sqrt{4} \right\rangle \times 9 + 3!$$

$$\mathbf{39658} := \left\langle 3! \parallel \sqrt{9} \right\rangle - 6! - 5 + 8! = 8! - 5 + \left\langle 6 \parallel \sqrt{9} \right\rangle - 3!!$$

$$\mathbf{39786} := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times 8 - 6 = -6 + 8 \times (7! - \langle (\sqrt{9})! \parallel 3! \rangle)$$

$$\mathbf{39789} := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times 8 - \sqrt{9} = -\sqrt{9} + 8 \times (7! - \langle (\sqrt{9})! \parallel 3! \rangle)$$

$$\mathbf{39792} := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times ((\sqrt{9})! + 2) = 2^{\sqrt{9}} \times (7! - \langle (\sqrt{9})! \parallel 3! \rangle)$$

$$\mathbf{39879} := \left\langle 3! \parallel \sqrt{9} \right\rangle \times (-87 + (\sqrt{9})!!) = (\sqrt{9} + 7!/8) \times \langle (\sqrt{9})! \parallel 3 \rangle$$

$$\mathbf{39918} := -3! \times (\langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle + 1) + 8! = 8! - (1 + \langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle) \times 3!$$

$$\mathbf{39942} := -\langle 3! \parallel \sqrt{9} \rangle \times (\sqrt{9})! + (4 \times 2)! = (2 \times 4)! - \langle (\sqrt{9})! \parallel \sqrt{9} \rangle \times 3!$$

$$\mathbf{39948} := -\langle (3 \times \sqrt{9}) \parallel \sqrt{9} \rangle \times 4 + 8! = 8! - 4 \times \langle 9 \parallel (9/3) \rangle$$

$$\mathbf{40058} := -\sqrt{4} \times (\langle 0! \parallel 0! \rangle + 5!) + 8! = 8! - (5! + \langle 0! \parallel 0! \rangle) \times \sqrt{4}$$

$$\mathbf{40078} := -\langle 4! \parallel 0! \rangle - (0 \times 7)! + 8! = 8! - \langle (-7 + \langle 0! \parallel 0! \rangle)! \parallel \sqrt{4} \rangle$$

$$\mathbf{40108} := -\langle \langle \sqrt{4} \parallel 0! \rangle \parallel 1 \rangle - 0! + 8! = 8! - \langle \langle (0! + 1) \parallel 0! \rangle \parallel \sqrt{4} \rangle$$

$$\mathbf{40158} := -\langle 4 \parallel 0! \rangle - 1 - 5! + 8! = 8! - \langle (5 + \langle 1 \parallel 0! \rangle) \parallel \sqrt{4} \rangle$$

$$\mathbf{40238} := -\langle 4 \parallel 0! \rangle \times \sqrt{-2 + 3!} + 8! = 8! - \langle (3! + 2) \parallel \sqrt{04} \rangle$$

$$\mathbf{40353} := \langle (\sqrt{4} + 0!) \parallel 3 \rangle + (5 + 3)! = (3 + 5)! + \langle 3 \parallel 0! \rangle + \sqrt{4}$$

$$\mathbf{40362} := \langle 4 \parallel \sqrt{0!+3} \rangle + (6 + 2)! = (2 + 6)! + \langle (3 + 0!) \parallel \sqrt{4} \rangle$$

$$\mathbf{40364} := \langle 4 \parallel 0! \rangle + 3 + (\sqrt{64})! = (\sqrt{4} + 6)! + \langle (3 + 0!) \parallel 4 \rangle$$

$$\mathbf{40378} := \langle \sqrt{4} \parallel 0! \rangle + 37 + 8! = 8! - 7 + \langle 3! \parallel 0! \rangle + 4$$

$$\mathbf{40479} := \langle 4! \parallel 0! \rangle \times 4! \times 7 - 9 = -9 + 7 \times \langle 4! \parallel 0! \rangle \times 4!$$

$$\begin{aligned}
\mathbf{40698} &:= \left\langle \sqrt{4} \parallel 0! \right\rangle \times 6 \times \sqrt{9} + 8! &= 8! + (\sqrt{9})! \times (\langle 6 \parallel 0! \rangle + \sqrt{4}) \\
\mathbf{40998} &:= - \left\langle 4 \parallel \left( \sqrt{0! + \sqrt{9}} \right) \right\rangle + (\sqrt{9})!! + 8! = 8! + (\sqrt{9})!! - \left\langle (\sqrt{9} + 0!) \parallel \sqrt{4} \right\rangle \\
\mathbf{43533} &:= (-4! + 3!! - 5) \times \langle 3! \parallel 3 \rangle &= \langle 3! \parallel 3 \rangle \times (-5 + 3!! - 4!) \\
\mathbf{43913} &:= -4 - 3 + \left\langle (\sqrt{9})! \parallel 1 \right\rangle \times 3!! &= \langle 3! \parallel 1 \rangle \times (\sqrt{9})!! - 3 - 4 \\
\mathbf{43919} &:= \sqrt{4} + 3!! \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle - \sqrt{9} &= \left\langle (\sqrt{9})! \parallel 1 \right\rangle \times (\sqrt{9})!! + 3 - 4 \\
\\
\mathbf{44164} &:= \langle (4!/4) \parallel 1 \rangle \times (6! + 4) &= \langle (4! - 6) \parallel 1 \rangle \times \langle 4! \parallel 4 \rangle \\
\mathbf{44398} &:= - \left\langle 4! \parallel \sqrt{4} \right\rangle - 3!! + 9!/8 = 8! + (\sqrt{9})! \times 3!! - \left\langle 4! \parallel \sqrt{4} \right\rangle \\
\mathbf{44469} &:= \langle 4! \parallel 4 \rangle / 4 \times (6! + 9) &= \sqrt{9^6} \times \langle 4! \parallel 4 \rangle / 4 \\
\mathbf{44634} &:= -4!/4 + 6! \times \left\langle 3! \parallel \sqrt{4} \right\rangle &= -4 + 3!! \times \left\langle 6 \parallel \sqrt{4} \right\rangle - \sqrt{4} \\
\mathbf{44636} &:= -4 + (-4 + \langle 6 \parallel 3! \rangle) \times 6! = 6! \times \langle 3! \parallel (6 - 4) \rangle - 4 \\
\\
\mathbf{44642} &:= (4!/4)! \times \left\langle 6 \parallel \sqrt{4} \right\rangle + 2 &= (2 + 4)! \times \left\langle 6 \parallel \sqrt{4} \right\rangle + \sqrt{4} \\
\mathbf{44646} &:= (4!/4)! \times \left\langle 6 \parallel \sqrt{4} \right\rangle + 6 &= \left\langle 6 \parallel \sqrt{4} \right\rangle \times 6! + \sqrt{4} + 4 \\
\mathbf{45699} &:= 4! + (5 + 6!) \times \left\langle (\sqrt{9})! \parallel \sqrt{9} \right\rangle = \left\langle (\sqrt{9})! \parallel \sqrt{9} \right\rangle \times (6! + 5) + 4! \\
\mathbf{46344} &:= \sqrt{4^6} \times 3!! + \langle 4! \parallel 4! \rangle &= \langle 4! \parallel 4! \rangle + 3!! \times 64 \\
\\
\mathbf{46693} &:= 4 + 6^6 + \left\langle \sqrt{9} \parallel 3 \right\rangle &= \left\langle 3 \parallel \sqrt{9} \right\rangle + 6^6 + 4 \\
\mathbf{46944} &:= 4! + 6^{(\sqrt{9})!} + \langle 4! \parallel 4! \rangle &= \langle 4! \parallel 4! \rangle + (\sqrt{9})!^6 + 4! \\
\mathbf{46968} &:= -4! + \left\langle 6 \parallel (\sqrt{9})! \right\rangle \times (6! - 8) = (-8 + 6!) \times \left\langle (\sqrt{9})! \parallel 6 \right\rangle - 4! \\
\mathbf{47424} &:= \langle 4! \parallel 7 \rangle \times 4! \times 2 \times 4 &= 4 \times 2 \times \langle 4! \parallel 7 \rangle \times 4! \\
\mathbf{49236} &:= (4! + (\sqrt{9})!! + 2) \times \langle 3! \parallel 6 \rangle &= \langle 6 \parallel 3! \rangle \times (2 + (\sqrt{9})!! + 4!) \\
\\
\mathbf{49923} &:= \left\langle (4 \times \sqrt{9}) \parallel 9 \right\rangle^2 \times 3 &= 3 \times \left\langle (2 \times (\sqrt{9})!) \parallel 9 \right\rangle^{\sqrt{4}} \\
\mathbf{58444} &:= -5! + \left\langle (8 - 4)! \parallel \sqrt{4} \right\rangle^{\sqrt{4}} &= \left\langle 4! \parallel \sqrt{4} \right\rangle^{\sqrt{-4+8}} - 5! \\
\mathbf{64944} &:= \left\langle (6 \times 4) \parallel (\sqrt{9})! \right\rangle \times \langle 4! \parallel 4! \rangle = 4! \times (\sqrt{4} + 9) \times \langle 4! \parallel 6 \rangle \\
\mathbf{66954} &:= -6 + 6! \times \left\langle 9 \parallel \sqrt{5+4} \right\rangle &= \left\langle (4 + 5) \parallel \sqrt{9} \right\rangle \times 6! - 6 \\
\\
\mathbf{66996} &:= 6 \times 6 + \left\langle 9 \parallel \sqrt{9} \right\rangle \times 6! &= 6! \times \left\langle 9 \parallel \sqrt{9} \right\rangle + 6 \times 6 \\
\mathbf{71999} &:= 7! - 1 + (\sqrt{9})!! \times \left\langle 9 \parallel \sqrt{9} \right\rangle = (\sqrt{9})!! \times \left\langle 9 \parallel \sqrt{9} \right\rangle - 1 + 7! \\
\mathbf{77448} &:= 7 \times (7! + \langle 4! \parallel 4! \rangle) + 8! &= 8! + (\langle 4! \parallel 4! \rangle + 7!) \times 7 \\
\mathbf{79989} &:= -7 \times \left( \left\langle 9 \parallel \sqrt{9} \right\rangle + 8! \right) + 9! &= 9! - (8! + \left\langle 9 \parallel \sqrt{9} \right\rangle) \times 7
\end{aligned}$$

$$\begin{aligned}
\mathbf{80728} &:= \langle 8 \parallel 0! \rangle + 7 + 2 \times 8! &= 8! \times 2 + \langle 7 + 0! \parallel 8 \rangle \\
\mathbf{80804} &:= (\langle 8 \parallel 0! \rangle + 8! + 0!) \times \sqrt{4} &= \sqrt{4} \times (0! + \langle 8 \parallel 0! \rangle + 8!) \\
\mathbf{85344} &:= (\langle 4 \parallel \sqrt{4} \rangle + 3!!) \times (5! - 8) &= (-8 + 5!) \times (3!! + \langle 4 \parallel \sqrt{4} \rangle) \\
\mathbf{93955} &:= (\langle \sqrt{9} \rangle !! + \langle 3! \parallel \sqrt{9} \rangle) \times 5! - 5 = -5 + 5! \times (\langle \sqrt{9} \rangle !! + \langle 3! \parallel \sqrt{9} \rangle) \\
\mathbf{96624} &:= \langle (\sqrt{9})! \parallel 6 \rangle \times (6! \times 2 + 4!) &= (4! + 2 \times 6!) \times \langle 6 \parallel (\sqrt{9})! \rangle \\
\mathbf{98404} &:= \sqrt{9} + 8! + \langle 4! \parallel 0! \rangle^{\sqrt{4}} &= \langle 4! \parallel 0! \rangle^{\sqrt{4}} + 8! + \sqrt{9}
\end{aligned}$$

### 2.2.2 Digit's Order

Below are selfie numbers written in digit's order. The numbers appearing in subsection 2.2.1 are written again except those given in section on sequential representations 2.1.

$$\begin{aligned}
\mathbf{305} &:= \langle 3! \parallel 0! \rangle \times 5 &\mathbf{3969} &:= \langle 3! \parallel \sqrt{9} \rangle^{6/\sqrt{9}} \\
\mathbf{396} &:= \langle 3! \parallel (\sqrt{9})! \rangle \times 6 &\mathbf{4079} &:= -\langle 4! \parallel 0! \rangle + 7! - (\sqrt{9})!! \\
\mathbf{473} &:= -\langle 4! \parallel 7 \rangle + 3!! &\mathbf{4332} &:= -4! + \langle 3! \parallel 3! \rangle^2 \\
\mathbf{492} &:= \langle 4! \parallel (\sqrt{9})! \rangle \times 2 &\mathbf{4920} &:= \langle 4! \parallel (\sqrt{9})! \rangle \times 20 \\
\mathbf{793} &:= \langle 7 \parallel \sqrt{9} \rangle + 3!! &\mathbf{4937} &:= -\langle 4 + (\sqrt{9})! \parallel 3 \rangle + 7! \\
\mathbf{796} &:= \langle 7 \parallel (\sqrt{9})! \rangle + 6! &\mathbf{4997} &:= -\langle 4 \parallel (9/\sqrt{9}) \rangle + 7! \\
&&\mathbf{5040} &:= 5! \times (0! + \langle 4 \parallel 0! \rangle) \\
\mathbf{1446} &:= (-1 + \langle 4! \parallel \sqrt{4} \rangle) \times 6 &\mathbf{5091} &:= \langle 5 \parallel 0! \rangle + ((\sqrt{9})! + 1)! \\
\mathbf{1476} &:= (-1 + \langle 4! \parallel 7 \rangle) \times 6 &\mathbf{5097} &:= \langle 5 \parallel 0! \rangle + (\sqrt{9})! + 7! \\
\mathbf{1489} &:= 1 + \langle 4! \parallel 8 \rangle \times (\sqrt{9})! &\mathbf{5640} &:= 5! \times (6 + \langle 4 \parallel 0! \rangle) \\
\mathbf{1493} &:= -1 + \langle 4! \parallel 9 \rangle \times 3! &\mathbf{9984} &:= -\langle 9 \parallel (\sqrt{9})! \rangle + 8!/4 \\
\mathbf{1495} &:= (-1 + 4!) \times \langle (\sqrt{9})! \parallel 5 \rangle &\mathbf{10285} &:= \langle 1 \parallel 0! \rangle^2 \times 85 \\
\mathbf{1920} &:= (-1 + 9)! / \langle 2 \parallel 0! \rangle &\mathbf{10404} &:= \langle 10 \parallel \sqrt{4} \rangle^{\sqrt{04}} \\
\mathbf{1968} &:= \langle (1 + \sqrt{9})! \parallel 6 \rangle \times 8 &\mathbf{10582} &:= \langle 1 \parallel 0! \rangle \times (5! \times 8 + 2) \\
\mathbf{2904} &:= \langle 2 \times (\sqrt{9})! \parallel 0! \rangle \times 4! &\mathbf{10584} &:= \langle 1 \parallel 0! \rangle \times 5! \times 8 + 4! \\
\mathbf{3050} &:= \langle 3! \parallel 0! \rangle \times 50 &\mathbf{10635} &:= (-\langle 1 \parallel 0! \rangle + 6!) \times 3 \times 5 \\
\mathbf{3535} &:= 3!! \times 5 - \langle 3! \parallel 5 \rangle &\mathbf{10648} &:= \langle 1 \parallel 0! \rangle^{6/\sqrt{4}} \times 8 \\
&&\mathbf{10789} &:= -\langle 1 \parallel 0! \rangle + (7 + 8) \times (\sqrt{9})!! \\
\mathbf{3844} &:= \langle 3! \parallel (8/4) \rangle^{\sqrt{4}} &\mathbf{12544} &:= \langle (1 + 2 \times 5) \parallel \sqrt{4} \rangle^{\sqrt{4}} \\
\mathbf{3905} &:= (3!! + \langle (\sqrt{9})! \parallel 0! \rangle) \times 5 &\mathbf{14056} &:= \langle (1 + 4!) \parallel 0! \rangle \times 56
\end{aligned}$$

$$\mathbf{14091} := \langle (-1 + 4!) \parallel 0! \rangle \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle$$

$$\mathbf{14379} := (-1 - \langle 4! \parallel 3! \rangle + 7!) \times \sqrt{9}$$

$$\mathbf{14632} := \langle (-1 + 4!) \parallel 6 \rangle \times \langle 3! \parallel 2 \rangle$$

$$\mathbf{14760} := (-1 + \langle 4! \parallel 7 \rangle) \times 60$$

$$\mathbf{14873} := 1 - \langle 4! \parallel 8 \rangle + 7! \times 3$$

$$\mathbf{15079} := -\langle (-1 + 5) \parallel 0! \rangle + 7! \times \sqrt{9}$$

$$\mathbf{15129} := \langle (-1 + 5) \parallel 1 \rangle^2 \times 9$$

$$\mathbf{15141} := (1 + (5 + 1)!) \times \left\langle \sqrt{4} \parallel 1 \right\rangle$$

$$\mathbf{15162} := \left\langle \sqrt{-1 + 5} \parallel 1 \right\rangle \times (6! + 2)$$

$$\mathbf{15367} := (1 + 5!) \times \langle (3! + 6) \parallel 7 \rangle$$

$$\mathbf{15488} := (1 + 5!) \times \langle (4 + 8) \parallel 8 \rangle$$

$$\mathbf{15535} := (-1 + 5! + 5!) \times \langle 3! \parallel 5 \rangle$$

$$\mathbf{15696} := (-1 + 5)! \times \left( 6! - \left\langle (\sqrt{9})! \parallel 6 \right\rangle \right)$$

$$\mathbf{15851} := (1 + 5!) \times \langle (8 + 5) \parallel 1 \rangle$$

$$\mathbf{15972} := (1 + 5!) \times \left\langle \left( (\sqrt{9})! + 7 \right) \parallel 2 \right\rangle$$

$$\mathbf{16896} := \sqrt{\sqrt{16^8}} \times \left\langle (\sqrt{9})! \parallel 6 \right\rangle$$

$$\mathbf{17039} := -1 + \langle 7 \parallel 0! \rangle \times 3!! / \sqrt{9}$$

$$\mathbf{17040} := \sqrt{1 + 7!} \times (-0! + \langle 4! \parallel 0! \rangle)$$

$$\mathbf{17324} := \sqrt{1 + 7!} \times \langle (3! - 2)! \parallel 4 \rangle$$

$$\mathbf{17329} := 1 + \langle 7 \parallel 3! \rangle^2 \times \sqrt{9}$$

$$\mathbf{17343} := \langle (-1 + 7) \parallel 3 \rangle + 4! \times 3!!$$

$$\mathbf{17346} := \langle (-1 + 7) \parallel 3! \rangle + 4! \times 6!$$

$$\mathbf{17424} := \langle (17 - 4) \parallel 2 \rangle^{\sqrt{4}}$$

$$\mathbf{17463} := \sqrt{1 + 7!} \times \langle 4! \parallel 6 \rangle - 3$$

$$\mathbf{17464} := \sqrt{1 + 7!} \times \langle 4! \parallel 6 \rangle - \sqrt{4}$$

$$\mathbf{17466} := \sqrt{1 + 7!} \times \langle (4 \times 6) \parallel 6 \rangle$$

$$\mathbf{17469} := \sqrt{1 + 7!} \times \langle 4! \parallel 6 \rangle + \sqrt{9}$$

$$\mathbf{17495} := -1 + \left\langle 7 \parallel \sqrt{4} \right\rangle \times \sqrt{9^5}$$

$$\mathbf{17640} := 1 \times 7!/6 \times \left\langle \sqrt{4} \parallel 0! \right\rangle$$

$$\mathbf{17641} := 1 + 7!/6 \times \left\langle \sqrt{4} \parallel 1 \right\rangle$$

$$\mathbf{18504} := \left( (\sqrt{1 + 8})!! + \langle 5 \parallel 0! \rangle \right) \times 4!$$

$$\mathbf{18744} := \sqrt{1^8 + 7!} \times \langle 4! \parallel 4! \rangle$$

$$\mathbf{19225} := \left( 1 + \left\langle (\sqrt{9})! \parallel 2 \right\rangle^2 \right) \times 5$$

$$\mathbf{19680} := \left\langle (1 + \sqrt{9})! \parallel 6 \right\rangle \times 80$$

$$\mathbf{19844} := \left( 1 + \sqrt{\sqrt{9^8}} \right) \times \left\langle 4! \parallel \sqrt{4} \right\rangle$$

$$\mathbf{19845} := 1 \times \sqrt{\sqrt{9^8}} \times \langle 4! \parallel 5 \rangle$$

$$\mathbf{20147} := -2 - \langle 0! \parallel 1 \rangle + 4 \times 7!$$

$$\mathbf{20182} := \langle 2 \parallel 0! \rangle + 1 + 8!/2$$

$$\mathbf{20349} := \langle 2 \parallel 0! \rangle \times (3!! + \langle 4! \parallel 9 \rangle)$$

$$\mathbf{20880} := (\langle 2 \parallel 0! \rangle + 8) \times \left( \sqrt{8 + 0!} \right)!!$$

$$\mathbf{20979} := -\langle 2 \parallel 0! \rangle^{\sqrt{9}} + 7! \times \left( \sqrt{9} \right)!$$

$$\mathbf{23042} := 2 + 3!! \times \left\langle (0! + \sqrt{4}) \parallel 2 \right\rangle$$

$$\mathbf{23392} := \left( 2 + 3^{3!} \right) \times \left\langle \sqrt{9} \parallel 2 \right\rangle$$

$$\mathbf{23593} := -2 + (3!! - 5) \times \left\langle \sqrt{9} \parallel 3 \right\rangle$$

$$\mathbf{24288} := 2 \times 4!! / \langle 2 \parallel (8/8) \rangle!$$

$$\mathbf{24957} := -\left\langle 24 \parallel \sqrt{9} \right\rangle + 5 \times 7!$$

$$\mathbf{24964} := (2 + \langle (4! - 9) \parallel 6 \rangle)^{\sqrt{4}}$$

$$\mathbf{25048} := \langle 2 \times 5 \parallel 0! \rangle \times \langle 4! \parallel 8 \rangle$$

$$\mathbf{25149} := \langle 2 \times 5 \parallel 1 \rangle \times \langle 4! \parallel 9 \rangle$$

$$\mathbf{25344} := 2^5 \times 3 \times \langle 4! \parallel 4! \rangle$$

$$\mathbf{25405} := ((2 + 5)! + \langle 4 \parallel 0! \rangle) \times 5$$

$$\mathbf{25407} := 2 + 5 \times (\langle 4 \parallel 0! \rangle + 7!)$$

$$\mathbf{25575} := (\langle (2 + 5) \parallel 5 \rangle + 7!) \times 5$$

$$\mathbf{26136} := \langle (2 \times 6) \parallel 1 \rangle \times \sqrt{3!^6}$$

$$\mathbf{27362} := 2 + \langle 7 \parallel 3! \rangle \times 6!/2$$

$$\mathbf{29040} := \left( 2 + \sqrt{9} \right)! \times (0! + \langle 4! \parallel 0! \rangle)$$

$$\begin{aligned}
\mathbf{29042} &:= 2 + \left( (\sqrt{9})! - 0! \right)! \times \langle 4! \parallel 2 \rangle \\
\mathbf{29440} &:= 2 + \left( (\sqrt{9})!! - \sqrt{4} \right) \times \langle 4 \parallel 0! \rangle \\
\mathbf{29549} &:= 29 + 5! \times \langle 4! \parallel (\sqrt{9})! \rangle \\
\mathbf{29640} &:= (2 + \sqrt{9})! \times (6 + \langle 4! \parallel 0! \rangle) \\
\mathbf{29789} &:= -2 + \left\langle \sqrt{9} \parallel (-7 + 8) \right\rangle^{\sqrt{9}} \\
\mathbf{29793} &:= 2 + \left\langle \sqrt{9} \parallel \left( 7 - (\sqrt{9})! \right) \right\rangle^3 \\
\mathbf{29997} &:= - \left\langle \left( -2 + (\sqrt{9})! \right)! \parallel \sqrt{9} \right\rangle + (\sqrt{9})! \times 7! \\
\mathbf{30172} &:= 3! \times (-\langle 0! \parallel 1 \rangle + 7!) - 2 \\
\mathbf{30173} &:= -\langle 3! \parallel 0! \rangle + (-1 + 7!) \times 3! \\
\mathbf{30174} &:= -3 \times (\langle 0! \parallel 1 \rangle - 7!) \times \sqrt{4} \\
\mathbf{30179} &:= -\langle 3! \parallel 0! \rangle + 1 \times 7! \times (\sqrt{9})! \\
\mathbf{30264} &:= \langle (3 + 0!) \parallel 2 \rangle \times 6! + 4! \\
\mathbf{30273} &:= \langle 3 \parallel 0! \rangle + 2 + 7! \times 3! \\
\mathbf{30282} &:= (3!! + 0!) \times \left\langle \sqrt{2 \times 8} \parallel 2 \right\rangle \\
\mathbf{30307} &:= \langle 3! \parallel 0! \rangle + 3! \times (0! + 7!) \\
\mathbf{30337} &:= \langle 3! \parallel 0! \rangle + 3! \times (3! + 7!) \\
\mathbf{30500} &:= \langle 3! \parallel 0! \rangle \times 500 \\
\mathbf{30576} &:= (\langle 3! \parallel 0! \rangle - 5 + 7!) \times 6 \\
\mathbf{30606} &:= ((3! + 0!)! + \langle 6 \parallel 0! \rangle) \times 6 \\
\mathbf{30636} &:= ((3! + 0!)! + \langle 6 \parallel 3! \rangle) \times 6 \\
\mathbf{30667} &:= (\langle 3! \parallel 0! \rangle + 6! \times 6) \times 7 \\
\mathbf{30866} &:= \langle 3! \parallel 0! \rangle \times \left( \sqrt{8^6} - 6 \right) \\
\mathbf{30897} &:= \left\langle 3 \parallel \sqrt{0! + 8} \right\rangle^{\sqrt{9}} - 7! \\
\mathbf{31232} &:= \langle 3! \parallel 1 \rangle \times 2^{3^2} \\
\mathbf{32830} &:= \langle 3! \parallel 2 \rangle + 8^{(3!-0!)} \\
\mathbf{32854} &:= \langle 3! \parallel 2 \rangle + 8^5 + 4! \\
\mathbf{33044} &:= (3!! + \langle 3 \parallel 0! \rangle) \times 44 \\
\mathbf{33124} &:= \langle (3 \times 3) \parallel 1 \rangle^2 \times 4 \\
\mathbf{33327} &:= (\langle 3! \parallel 3 \rangle + 3!)^2 \times 7 \\
\mathbf{33492} &:= 3 + \left\langle (-3! + 4!) \parallel \sqrt{9} \right\rangle^2 \\
\mathbf{33589} &:= (-\langle 3! \parallel 3! \rangle + 5 \times 8!) / (\sqrt{9})! \\
\mathbf{33597} &:= 3^{3!} \times \left\langle 5 \parallel \sqrt{9} \right\rangle - 7! \\
\mathbf{33696} &:= 3!^3 \times \langle (6 + 9) \parallel 6 \rangle \\
\mathbf{34398} &:= \left( \langle 3! \parallel \sqrt{4} \rangle - 3!! \right) \times 9 + 8! \\
\mathbf{34495} &:= 3!! \times (4! + 4!) - \left\langle (\sqrt{9})! \parallel 5 \right\rangle \\
\mathbf{34496} &:= -\langle 3! \parallel 4 \rangle + 4! \times \left( (\sqrt{9})!! + 6! \right) \\
\mathbf{34624} &:= \langle 3! \parallel 4 \rangle + 6! \times 2 \times 4! \\
\mathbf{34702} &:= (3!! \times 4! + \langle 7 \parallel 0! \rangle) \times 2 \\
\mathbf{34704} &:= 3! \times \langle 4! \parallel (7 \times 0)! \rangle \times 4! \\
\mathbf{34937} &:= \left( 3! + \left\langle 4 \parallel \sqrt{9} \right\rangle \right) \times (3!! - 7) \\
\mathbf{34944} &:= \left( 3! \times \left\langle 4! \parallel \sqrt{9} \right\rangle - \sqrt{4} \right) \times 4! \\
\mathbf{34972} &:= 3 + \left\langle (\sqrt{4} \times 9) \parallel 7 \right\rangle^2 \\
\mathbf{35939} &:= -3 + 5 + \left\langle \sqrt{9} \parallel 3 \right\rangle^{\sqrt{9}} \\
\mathbf{35964} &:= (3 + 5)! - \left( \left\langle (\sqrt{9})! \parallel 6 \right\rangle^{\sqrt{4}} \right) \\
\mathbf{36567} &:= (-3 + 6!) \times \langle 5 \parallel (-6 + 7) \rangle \\
\mathbf{37560} &:= 3! \times 7! + 5! \times \langle 6 \parallel 0! \rangle \\
\mathbf{38073} &:= \langle (3 + 8) \parallel 0! \rangle \times 7^3 \\
\mathbf{38520} &:= 3!! + 8! - 5! \times \langle 2 \parallel 0! \rangle \\
\mathbf{39050} &:= \left( 3!! + \left\langle (\sqrt{9})! \parallel 0! \right\rangle \right) \times 50 \\
\mathbf{39052} &:= \left( 3!! + \left\langle \sqrt{9} \parallel 0! \right\rangle \right) \times 52 \\
\mathbf{39105} &:= (3!! - 9) \times \langle 1 \parallel 0! \rangle \times 5 \\
\mathbf{39204} &:= \left( 3! \times \left( \left\langle \sqrt{9} \parallel 2 \right\rangle + 0! \right) \right)^{\sqrt{4}} \\
\mathbf{39228} &:= -3! \times \langle (9 \times 2) \parallel 2 \rangle + 8! \\
\mathbf{39284} &:= 3^9 \times 2 - \left\langle 8 \parallel \sqrt{4} \right\rangle \\
\mathbf{39304} &:= \left( 3^9 - \langle 3 \parallel 0! \rangle \right) \times \sqrt{4}
\end{aligned}$$

$$39328 := -3!! - \langle (9 \times 3) \parallel 2 \rangle + 8!$$

$$39378 := -3! \times \langle (9 + 3!) \parallel 7 \rangle + 8!$$

$$39435 := (3!! - \sqrt{9}) \times \langle (\sqrt{4} + 3) \parallel 5 \rangle$$

$$39438 := -\langle (3 \times 9) \parallel 4! \rangle \times 3 + 8!$$

$$39468 := -\langle 3 \parallel \sqrt{9} \rangle \times 4 - 6! + 8!$$

$$39484 := -3!! - \langle 9 \parallel \sqrt{4} \rangle + 8! - 4!$$

$$39498 := -\langle (3 \times 9) \parallel 4 \rangle \times \sqrt{9} + 8!$$

$$39508 := -3!! - \langle 9 \parallel \sqrt{5 - 0!} \rangle + 8!$$

$$39535 := -3!! + (\sqrt{9} + 5)! - \langle 3! \parallel 5 \rangle$$

$$39538 := -\langle 3! \parallel \sqrt{9 - 5} \rangle - 3!! + 8!$$

$$39658 := \langle 3! \parallel \sqrt{9} \rangle - 6! - 5 + 8!$$

$$39690 := \langle 3! \parallel \sqrt{9} \rangle \times (6! - 90)$$

$$39738 := -\langle (3 \times \sqrt{9}) \parallel 7 \rangle \times 3! + 8!$$

$$39768 := (-\langle 3! \parallel \sqrt{9} \rangle + 7! - 6) \times 8$$

$$39786 := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times 8 - 6$$

$$39789 := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times 8 - \sqrt{9}$$

$$39792 := (-\langle 3! \parallel (\sqrt{9})! \rangle + 7!) \times ((\sqrt{9})! + 2)$$

$$39879 := \langle 3! \parallel \sqrt{9} \rangle \times (-87 + (\sqrt{9})!!)$$

$$39894 := -\langle 3! \parallel (\sqrt{9})! \rangle + 8! - (\sqrt{9})!!/\sqrt{4}$$

$$39918 := -3! \times (\langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle + 1) + 8!$$

$$39942 := -\langle 3! \parallel \sqrt{9} \rangle \times (\sqrt{9})! + (4 \times 2)!$$

$$39948 := -\langle (3 \times \sqrt{9}) \parallel \sqrt{9} \rangle \times 4 + 8!$$

$$40058 := -\sqrt{4} \times (\langle 0! \parallel 0! \rangle + 5!) + 8!$$

$$40068 := -(\langle 4 \parallel 0! \rangle + 0!) \times 6 + 8!$$

$$40073 := -\langle 4! \parallel 0! \rangle + (0! + 7)! - 3!$$

$$40078 := -\langle 4! \parallel 0! \rangle - (0 \times 7)! + 8!$$

$$40079 := -\langle 4! \parallel 0! \rangle + (\sqrt{0! + 7 \times 9})!$$

$$40098 := -\langle (4! - 0!) \parallel 0! \rangle + 9 + 8!$$

$$40108 := -\langle \langle \sqrt{4} \parallel 0! \rangle \parallel 1 \rangle - 0! + 8!$$

$$40109 := -\langle \langle \sqrt{4} \parallel 0! \rangle \parallel 1 \rangle + (-0! + 9)!$$

$$40158 := -\langle 4 \parallel 0! \rangle - 1 - 5! + 8!$$

$$40185 := -4 - \langle 0! \parallel 1 \rangle + 8! + 5!$$

$$40238 := -\langle 4 \parallel 0! \rangle \times \sqrt{-2 + 3!} + 8!$$

$$40247 := \langle 4! \parallel 0! \rangle \times \langle 2^4 \parallel 7 \rangle$$

$$40279 := -\langle 4 \parallel 0! \rangle + (2 + 7)!/9$$

$$40281 := -\langle 4 \parallel 0! \rangle + 2 + 8! \times 1$$

$$40299 := -\langle \sqrt{4} \parallel (0 \times 2)! \rangle + 9!/9$$

$$40340 := \langle \sqrt{4} \parallel 0! \rangle + (3! + \sqrt{4})! - 0!$$

$$40341 := \langle \sqrt{4} \parallel 0! \rangle + (3 + 4 + 1)!$$

$$40353 := \langle (\sqrt{4} + 0!) \parallel 3 \rangle + (5 + 3)!$$

$$40358 := \langle 4 \parallel 03 \rangle - 5 + 8!$$

$$40361 := \langle 4 \parallel 0! \rangle + (3 + 6 - 1)!$$

$$40362 := \langle 4 \parallel \sqrt{0! + 3} \rangle + (6 + 2)!$$

$$40364 := \langle 4 \parallel 0! \rangle + 3 + (\sqrt{64})!$$

$$40368 := \langle \sqrt{4} \parallel 0! \rangle + \sqrt{3^6} + 8!$$

$$40378 := \langle \sqrt{4} \parallel 0! \rangle + 37 + 8!$$

$$40428 := \langle (4 + 0!) \parallel 4 \rangle \times 2 + 8!$$

$$40448 := \langle (\sqrt{4} + 0!) \parallel \sqrt{4} \rangle \times 4 + 8!$$

$$40479 := \langle 4! \parallel 0! \rangle \times 4! \times 7 - 9$$

$$40482 := \langle 4 \parallel 0! \rangle \times 4 + 8! - 2$$

$$40485 := \langle 4 \parallel 0! \rangle + 4 + 8! + 5!$$

$$40535 := \langle \langle \sqrt{4} \parallel 0! \rangle \parallel 5 \rangle + (3 + 5)!$$

$$40538 := \langle \langle \sqrt{4} \parallel 0! \rangle \parallel 5 + 3 \rangle + 8!$$

$$40564 := \langle 4! \parallel (-0! + 5) \rangle + (\sqrt{64})!$$

$$40571 := \langle 4! \parallel \sqrt{0! + 5!} \rangle + (7 + 1)!$$

$$\mathbf{40578} := \left\langle 4! \parallel \sqrt{0! + 5!} \right\rangle + 7 + 8!$$

$$\mathbf{40588} := \left\langle \left\langle \sqrt{4} \parallel 0! \right\rangle + 5 \parallel 8 \right\rangle + 8!$$

$$\mathbf{40648} := \langle 4 \parallel 0! \rangle \times \sqrt{64} + 8!$$

$$\mathbf{40685} := \langle 4! \parallel (-0! + 6) \rangle + 8! + 5!$$

$$\mathbf{40698} := \left\langle \sqrt{4} \parallel 0! \right\rangle \times 6 \times \sqrt{9} + 8!$$

$$\mathbf{40783} := -\langle (4! + 0!) \parallel 7 \rangle + 8! + 3!!$$

$$\mathbf{40948} := (\sqrt{4} + 0!)!! - \left\langle 9 \parallel \sqrt{4} \right\rangle + 8!$$

$$\mathbf{40959} := \langle 4 \parallel 0! \rangle \times (-9 + 5!) \times 9$$

$$\mathbf{40998} := -\left\langle 4 \parallel \sqrt{0! + \sqrt{9}} \right\rangle + (\sqrt{9})!! + 8!$$

$$\mathbf{40999} := -\langle 4 \parallel 0! \rangle + (\sqrt{9})!! + 9!/9$$

$$\mathbf{41248} := \langle (4! - 1) \parallel 2 \rangle \times 4 + 8!$$

$$\mathbf{41283} := \langle 4! \parallel (1 + 2) \rangle + 8! + 3!!$$

$$\mathbf{41286} := \langle 4! \parallel (1 + 2)! \rangle + 8! + 6!$$

$$\mathbf{41328} := 4! \times \langle (1 + 3) \parallel 2 \rangle + 8!$$

$$\mathbf{41493} := \left\langle \sqrt{4} \parallel 1 \right\rangle + 4!^{\sqrt{9}} \times 3$$

$$\mathbf{41637} := \left\langle \sqrt{4} \parallel 1 \right\rangle + 6^{3!} - 7!$$

$$\mathbf{41868} := \langle 4! \parallel 18 \rangle \times 6 + 8!$$

$$\mathbf{41934} := \langle 4! \parallel 1 \rangle \times \left( -(\sqrt{9})! + 3!!/4 \right)$$

$$\mathbf{41984} := \sqrt{(4 \times 1)^9} \times \left\langle 8 \parallel \sqrt{4} \right\rangle$$

$$\mathbf{42088} := \langle (4! - 2) \parallel 0! \rangle \times 8 + 8!$$

$$\mathbf{42498} := \langle 4! \parallel (-2 + 4) \rangle \times 9 + 8!$$

$$\mathbf{43152} := (-4! + 3!!) \times \langle (1 + 5) \parallel 2 \rangle$$

$$\mathbf{43248} := \langle (4 \times 3) \parallel 2 \rangle \times 4! + 8!$$

$$\mathbf{43404} := 4! + 3!! \times \langle 4! \parallel 0! \rangle / 4$$

$$\mathbf{43533} := (-4! + 3!! - 5) \times \langle 3! \parallel 3 \rangle$$

$$\mathbf{43555} := (\langle 4! \parallel 3 \rangle + 5!) \times 5! - 5$$

$$\mathbf{43560} := (\langle 4! \parallel 3 \rangle + 5!) \times (6 - 0!)!$$

$$\mathbf{43591} := -4! + (3!! - 5) \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle$$

$$\mathbf{43896} := -4! + \langle 3! \parallel (-8 + 9) \rangle \times 6!$$

$$\mathbf{43908} := -4 + 3!! \times \left\langle (\sqrt{9})! \parallel 0! \right\rangle - 8$$

$$\mathbf{43909} := -\sqrt{4} + 3!! \times \left\langle (\sqrt{9})! \parallel 0! \right\rangle - 9$$

$$\mathbf{43913} := -4 - 3 + \left\langle (\sqrt{9})! \parallel 1 \right\rangle \times 3!!$$

$$\mathbf{43914} := -4 + 3!! \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle - \sqrt{4}$$

$$\mathbf{43915} := (\sqrt{4} \times 3)! \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle - 5$$

$$\mathbf{43916} := -4 + \langle (-3 + 9) \parallel 1 \rangle \times 6!$$

$$\mathbf{43917} := 4 + 3!! \times \left\langle \sqrt{9}! \parallel 1 \right\rangle - 7$$

$$\mathbf{43918} := -\sqrt{4} + 3!! \times \left\langle (\sqrt{9})! \parallel 1^8 \right\rangle$$

$$\mathbf{43919} := \sqrt{4} + 3!! \times \left\langle (\sqrt{9})! \parallel 1 \right\rangle - \sqrt{9}$$

$$\mathbf{43920} := (\sqrt{4} \times 3)! \times \left\langle (\sqrt{9} \times 2) \parallel 0! \right\rangle$$

$$\mathbf{43922} := \sqrt{4} + 3!! \times \left\langle (\sqrt{9})! \parallel (2/2) \right\rangle$$

$$\mathbf{43924} := 4 + 3!! \times \left\langle (\sqrt{9})! \parallel (2/\sqrt{4}) \right\rangle$$

$$\mathbf{43930} := 4 + 3! + (\sqrt{9})!! \times \langle 3! \parallel 0! \rangle$$

$$\mathbf{43944} := 4! + 3!! \times \left\langle (\sqrt{9})! \parallel (4/4) \right\rangle$$

$$\mathbf{44164} := \langle (4!/4) \parallel 1 \rangle \times (6! + 4)$$

$$\mathbf{44392} := \left( -4 + (\sqrt{4} \times 3)! \right) \times \left\langle (\sqrt{9})! \parallel 2 \right\rangle$$

$$\mathbf{44394} := \sqrt{4} + (-4 + 3!!) \times \left\langle (\sqrt{9})! \parallel \sqrt{4} \right\rangle$$

$$\mathbf{44398} := -\langle 4! \parallel \sqrt{4} \rangle - 3!! + 9!/8$$

$$\mathbf{44469} := \langle 4! \parallel 4 \rangle / 4 \times (6! + 9)$$

$$\mathbf{44590} := \sqrt{4} \times \langle 4! \parallel 5 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{44632} := -4 - 4 + 6! \times \langle 3! \parallel 2 \rangle$$

$$\mathbf{44634} := -4!/4 + 6! \times \left\langle 3! \parallel \sqrt{4} \right\rangle$$

$$\mathbf{44636} := -4 + (-4 + \langle 6 \parallel 3! \rangle) \times 6!$$

$$\mathbf{45336} := (-4 + 5! \times \langle 3! \parallel 3 \rangle) \times 6$$

$$\mathbf{45479} := (-\sqrt{4} + 5^4) \times \left\langle 7 \parallel \sqrt{9} \right\rangle$$

$$\mathbf{45664} := 4^5 + 6! \times \left\langle 6 \parallel \sqrt{4} \right\rangle$$

<b>45699</b> := $4! + (5 + 6!) \times \langle (\sqrt{9})! \parallel \sqrt{9} \rangle$	<b>53824</b> := $\langle (5 \times 3 + 8) \parallel 2 \rangle^{\sqrt{4}}$
<b>45835</b> := $-\langle 4! \parallel 5 \rangle - 8! + 3!! \times 5!$	<b>54294</b> := $5 + (\langle 4! \parallel 2 \rangle - 9)^{\sqrt{4}}$
<b>45909</b> := $\left( (\sqrt{4} + 5)! + \langle (\sqrt{9})! \parallel 0! \rangle \right) \times 9$	<b>54590</b> := $-5 \times (\sqrt{4} - 5! \times \langle 9 \parallel 0! \rangle)$
<b>46056</b> := $-4! + \langle 6 \parallel (-0! + 5) \rangle \times 6!$	<b>54739</b> := $-5 + 4! + \langle 7 \parallel 3! \rangle \times (\sqrt{9})!!$
<b>46326</b> := $\langle 4! \parallel 6 \rangle + 3!! \times 2^6$	<b>55080</b> := $5! \times \langle 5 \parallel 0! \rangle \times (8 + 0!)$
<b>46344</b> := $\sqrt{4^6} \times 3!! + \langle 4! \parallel 4! \rangle$	<b>58035</b> := $5! + \langle 8 \parallel 0! \rangle \times (3!! - 5)$
<b>46670</b> := $(\sqrt{4} - 6!) \times (6 - \langle 7 \parallel 0! \rangle)$	<b>58320</b> := $(-5 + 8)!! \times \langle (3! + 2) \parallel 0! \rangle$
<b>46763</b> := $\langle (4 + 6) \parallel 7 \rangle + 6^{3!}$	<b>58444</b> := $-5! + \langle (8 - 4)! \parallel \sqrt{4} \rangle^{\sqrt{4}}$
<b>46902</b> := $\langle 4! \parallel 6 \rangle + (\sqrt{9})!^{(0!+2)!}$	<b>58920</b> := $5! \times (8^{\sqrt{9}} - \langle 2 \parallel 0! \rangle)$
<b>46930</b> := $(\sqrt{4} + 6!) \times \langle (\sqrt{9})! \parallel (3! - 0!) \rangle$	<b>58968</b> := $(-5 + \langle 8 \parallel (\sqrt{9})! \rangle) \times (6! + 8)$
<b>46944</b> := $4! + 6^{(\sqrt{9})!} + \langle 4! \parallel 4! \rangle$	<b>59009</b> := $(-5! + \sqrt{9^{(0!  0!)}}) / \sqrt{9}$
<b>46954</b> := $(\sqrt{4} + 6!) \times \langle (\sqrt{9})! \parallel 5 \rangle + 4!$	<b>59045</b> := $\langle (-5 + 9)! \parallel 0! \rangle \times \langle 4! \parallel 5 \rangle$
<b>46968</b> := $-4! + \langle 6 \parallel (\sqrt{9})! \rangle \times (6! - 8)$	<b>59880</b> := $5! + (\sqrt{9})!! \times \langle 8 \parallel \sqrt{8 + 0!} \rangle$
<b>47424</b> := $\langle 4! \parallel 7 \rangle \times 4! \times 2 \times 4$	<b>59926</b> := $\langle (5 + \sqrt{9}) \parallel \sqrt{9} \rangle \times (2 + 6!)$
<b>47488</b> := $(\langle 4! \parallel 7 \rangle \times 4! + 8) \times 8$	<b>60846</b> := $(\langle 6 \parallel 0! \rangle + 8!/4) \times 6$
<b>47496</b> := $-4! + \langle (7 - 4)! \parallel (\sqrt{9})! \rangle \times 6!$	<b>61832</b> := $(6! - 1) \times \langle 8 \parallel 3! \rangle - 2$
<b>49200</b> := $\langle 4! \parallel (\sqrt{9})! \rangle \times 200$	<b>61834</b> := $(6! - 1) \times \langle 8 \parallel (3 \times \sqrt{4}) \rangle$
<b>49236</b> := $(4! + (\sqrt{9})!! + 2) \times \langle 3! \parallel 6 \rangle$	<b>61920</b> := $6! \times \langle (-1 + 9) \parallel (2 + 0!)! \rangle$
<b>49248</b> := $4! \times 9 \times \langle \langle 2 \parallel \sqrt{4} \rangle \parallel 8 \rangle$	<b>62496</b> := $\langle 6 \times 2 \parallel 4 \rangle \times 9!/6!$
<b>49704</b> := $4! - (\sqrt{9})!! \times \left( -\langle 7 \parallel 0! \rangle + \sqrt{4} \right)$	<b>63084</b> := $(6! + \langle 3 \parallel 0! \rangle) \times 84$
<b>49790</b> := $\left( 4 + (\sqrt{9})! \right) \times \left( 7! - \langle (\sqrt{9})! \parallel 0! \rangle \right)$	<b>63360</b> := $6! \times (-3 + \langle (3 + 6) \parallel 0! \rangle)$
<b>49923</b> := $\langle (4 \times \sqrt{9}) \parallel 9 \rangle^2 \times 3$	<b>63888</b> := $(6! + 3!) \times \langle 8 \parallel \sqrt{8 \times 8} \rangle$
<b>49933</b> := $\left( 4 + \langle \sqrt{9} \parallel \sqrt{9} \rangle \right)^3 - 3!!$	<b>64080</b> := $6! \times \left( -\sqrt{4} + \langle (0! + 8) \parallel 0! \rangle \right)$
<b>51984</b> := $(5! + \langle (1 + 9) \parallel 8 \rangle)^{\sqrt{4}}$	<b>64729</b> := $(6 + \langle 4! \parallel 7 \rangle)^2 + (\sqrt{9})!!$
<b>53347</b> := $-5 + 3!^3 \times \langle 4! \parallel 7 \rangle$	<b>64944</b> := $\langle 6 \times 4 \parallel (\sqrt{9})! \rangle \times \langle 4! \parallel 4! \rangle$
<b>64980</b> := $(6! + \sqrt{4}) \times (9 + \langle 8 \parallel 0! \rangle)$	<b>66954</b> := $-6 + 6! \times \langle 9 \parallel \sqrt{5 + 4} \rangle$
<b>66996</b> := $6 \times 6 + \langle 9 \parallel \sqrt{9} \rangle \times 6!$	<b>68085</b> := $(6! + \langle 8 \parallel 0! \rangle) \times 85$
<b>68400</b> := $6! \times (84 + \langle 0! \parallel 0! \rangle)$	

$$\mathbf{69092} := \left( 6! + \langle \sqrt{9} \parallel 0! \rangle \right) \times 92$$

$$\mathbf{69336} := 6! \times \langle 9 \parallel 3! \rangle + \sqrt{3!^6}$$

$$\mathbf{69408} := 6 \times (\sqrt{9})! \times \langle 4! \parallel 0! \rangle \times 8$$

$$\mathbf{69435} := \left( \langle 6 \parallel \sqrt{9} \rangle + 4!^3 \right) \times 5$$

$$\mathbf{69792} := (-6 + \sqrt{9^7}) \times \langle \sqrt{9} \parallel 2 \rangle$$

$$\mathbf{71999} := 7! - 1 + (\sqrt{9})!! \times \langle 9 \parallel \sqrt{9} \rangle$$

$$\mathbf{72595} := (\langle (7+2) \parallel 5 \rangle + 9!) / 5$$

$$\mathbf{73435} := \langle (7+3) \parallel \sqrt{4} \rangle \times 3!! - 5$$

$$\mathbf{73439} := (-7 + 3!!) \times \langle (4+3!) \parallel \sqrt{9} \rangle$$

$$\mathbf{73464} := \langle (7+3) \parallel \sqrt{4} \rangle \times 6! + 4!$$

$$\mathbf{74347} := 7 \times 43 \times \langle 4! \parallel 7 \rangle$$

$$\mathbf{74949} := 7 \times \langle 4 \parallel \sqrt{9} \rangle \times \langle 4! \parallel 9 \rangle$$

$$\mathbf{77448} := 7 \times (7! + \langle 4! \parallel 4! \rangle) + 8!$$

$$\mathbf{79345} := 7 \times 9! / \langle 3 \parallel \sqrt{4} \rangle - 5$$

$$\mathbf{79524} := \langle 7 \times (9-5) \parallel 2 \rangle^{\sqrt{4}}$$

$$\mathbf{79989} := -7 \times (\langle 9 \parallel \sqrt{9} \rangle + 8!) + 9!$$

$$\mathbf{80482} := (-\langle 8 \parallel 0! \rangle + \sqrt{4} + 8!) \times 2$$

$$\mathbf{80728} := \langle 8 \parallel 0! \rangle + 7 + 2 \times 8!$$

$$\mathbf{80802} := (\langle 8 \parallel 0! \rangle + 8!) \times 02$$

$$\mathbf{80804} := (\langle 8 \parallel 0! \rangle + 8! + 0!) \times \sqrt{4}$$

$$\mathbf{80832} := (8! + \langle (0! + 8) \parallel 3! \rangle) \times 2$$

$$\mathbf{85344} := (-8 + 5!) \times (3!! + \langle 4 \parallel \sqrt{4} \rangle)$$

$$\mathbf{86400} := (8! - 6!) \times 4! / \langle 0! \parallel 0! \rangle$$

$$\mathbf{89264} := (-8 + \langle (\sqrt{9})! \parallel 2 \rangle \times 6!) \times \sqrt{4}$$

$$\mathbf{89304} := 8 \times \sqrt{9} \times \langle 3! \parallel 0! \rangle^{\sqrt{4}}$$

$$\mathbf{90659} := -\langle (\sqrt{9})! \parallel 0! \rangle + 6! \times (5! + (\sqrt{9})!)$$

$$\mathbf{90741} := (-(\sqrt{9})!! + 0! + 7!) \times \langle \sqrt{4} \parallel 1 \rangle$$

$$\mathbf{90782} := (\langle \sqrt{9} \parallel 0! \rangle + 7! + 8!) \times 2$$

$$\mathbf{90846} := ((\sqrt{9})!! + 0!) \times \langle (8+4) \parallel 6 \rangle$$

$$\mathbf{91295} := \langle \sqrt{9} \parallel 1 \rangle^2 \times 95$$

$$\mathbf{92248} := \langle (\sqrt{9})! \parallel 2 \rangle^2 \times 4! - 8$$

$$\mathbf{93259} := (\sqrt{9})!^{3!} \times 2 - \langle 5 \parallel \sqrt{9} \rangle$$

$$\mathbf{93584} := ((\sqrt{9})!! \times \langle 3! \parallel 5 \rangle - 8) \times \sqrt{4}$$

$$\mathbf{93852} := (-9 + 3!!) \times \langle (8+5) \parallel 2 \rangle$$

$$\mathbf{93955} := ((\sqrt{9})!! + \langle 3! \parallel \sqrt{9} \rangle) \times 5! - 5$$

$$\mathbf{93960} := ((\sqrt{9})!! + \langle 3! \parallel \sqrt{9} \rangle) \times (6 - 0!)!$$

$$\mathbf{93984} := \langle \sqrt{9} \parallel 3 \rangle \times ((\sqrt{9})!! - 8) \times 4$$

$$\mathbf{94080} := 9! \times \langle \sqrt{4} \parallel 0! \rangle / \langle 8 \parallel 0! \rangle$$

$$\mathbf{94089} := 9 + \langle \sqrt{4} \parallel 0! \rangle \times 8!/9$$

$$\mathbf{94320} := (\sqrt{9})!! \times \langle (4+3^2) \parallel 0! \rangle$$

$$\mathbf{96624} := \langle (\sqrt{9})! \parallel 6 \rangle \times (6! \times 2 + 4!)$$

$$\mathbf{96795} := (-\sqrt{9} + 6!) \times \langle 7 + (\sqrt{9})! \parallel 5 \rangle$$

$$\mathbf{97344} := (\sqrt{9} \times \langle (7+3) \parallel 4 \rangle)^{\sqrt{4}}$$

$$\mathbf{97920} := (\sqrt{9})!! \times \langle 7 + (\sqrt{9})! \parallel (2+0!)! \rangle$$

$$\mathbf{98404} := \sqrt{9} + 8! + \langle 4! \parallel 0! \rangle^{\sqrt{4}}$$

$$\mathbf{99225} := \langle (\sqrt{9})! \parallel \sqrt{9} \rangle^2 \times 25$$

$$\mathbf{99360} := 9! - (\sqrt{9})! \times 3!! \times \langle 6 \parallel 0! \rangle$$

### 2.2.3 Reverse Order of Digits

Below are selfie numbers written in reverse order of digits. The numbers appearing in subsection [?] are written again except those given in subsection on sequential representations 2.1.

$$\mathbf{147} := 7 \times \langle \sqrt{4} \parallel 1 \rangle$$

$$\mathbf{241} := -1 + \langle 4! \parallel 2 \rangle$$

$$\mathbf{244} := \langle 4! \parallel \sqrt{4^2} \rangle$$

$$\mathbf{264} := \langle 4! \parallel (6 - 2)! \rangle$$

$$\mathbf{396} := \langle 6 \parallel (\sqrt{9})! \rangle \times 3!$$

$$\mathbf{0328} := 8 \times \langle (-2 + 3!) \parallel 0! \rangle$$

$$\mathbf{0329} := (\sqrt{9})!!/2 - \langle 3 \parallel 0! \rangle$$

$$\mathbf{0357} := 7 \times \langle 5 \parallel (3 \times 0)! \rangle$$

$$\mathbf{0362} := 2 \times \langle (6 \times 3) \parallel 0! \rangle$$

$$\mathbf{0364} := 4 \times \langle (6 + 3) \parallel 0! \rangle$$

$$\mathbf{0105} := 5 \times \langle (0! + 1) \parallel 0! \rangle$$

$$\mathbf{0109} := \left( (\sqrt{9})! - 0! \right)! - \langle 1 \parallel 0! \rangle$$

$$\mathbf{0122} := 2 \times \langle (2 + 1)! \parallel 0! \rangle$$

$$\mathbf{0124} := 4 \times \langle (2 + 1) \parallel 0! \rangle$$

$$\mathbf{0132} := 2 \times 3! \times \langle 1 \parallel 0! \rangle$$

$$\mathbf{0366} := 6 \times \langle 6 \parallel (3 \times 0)! \rangle$$

$$\mathbf{0375} := 5 \times \langle (7 \parallel 3!) - 0! \rangle$$

$$\mathbf{0408} := 8 \times \langle (0! + 4) \parallel 0! \rangle$$

$$\mathbf{0427} := 7 \times \langle (2 + 4) \parallel 0! \rangle$$

$$\mathbf{0182} := 2 \times \langle (8 + 1) \parallel 0! \rangle$$

$$\mathbf{0183} := 3 \times \langle (\sqrt{8 + 1})! \parallel 0! \rangle$$

$$\mathbf{0186} := 6 \times \langle \sqrt{8 + 1} \parallel 0! \rangle$$

$$\mathbf{0201} := \langle 10 \times 2 \parallel 0! \rangle$$

$$\mathbf{0451} := \sqrt{1 + 5!} \times \langle 4 \parallel 0! \rangle$$

$$\mathbf{0455} := 5 \times \langle (5 + 4) \parallel 0! \rangle$$

$$\mathbf{0459} := 9 \times \langle 5 \parallel (4 \times 0)! \rangle$$

$$\mathbf{0482} := 2 \times \langle (8 - 4)! \parallel 0! \rangle$$

$$\mathbf{0483} := 3 \times \langle (\sqrt{8 \times 4}) \parallel 0! \rangle$$

$$\mathbf{0217} := 7 \times \langle (1 + 2) \parallel 0! \rangle$$

$$\mathbf{0231} := \langle (-1 + (3! - 2)!) \parallel 0! \rangle$$

$$\mathbf{0241} := \langle 1 \times 4! \parallel (2 \times 0)! \rangle$$

$$\mathbf{0243} := \langle (3! \times 4) \parallel 2 \rangle + 0!$$

$$\mathbf{0486} := 6 \times \langle 8 \parallel (4 \times 0)! \rangle$$

$$\mathbf{0249} := (\sqrt{9})! + \langle 4! \parallel 2 \rangle + 0!$$

$$\mathbf{0251} := \langle (1 \times 5^2) \parallel 0! \rangle$$

$$\mathbf{0261} := \langle (\sqrt{16})! \parallel \langle 2 \parallel 0! \rangle \rangle$$

$$\mathbf{0273} := 3 \times \langle (7 + 2) \parallel 0! \rangle$$

$$\mathbf{0488} := 8 \times \langle (\sqrt{8} - \sqrt{4}) \parallel 0! \rangle$$

$$\mathbf{0492} := 2 \times \langle (\sqrt{9})! \times \langle 4 \parallel 0! \rangle \rangle$$

$$\mathbf{0497} := 7 \times \langle (\sqrt{9} - \sqrt{4}) \parallel 0! \rangle$$

$$\mathbf{0498} := \langle 8 \parallel \sqrt{9} \rangle \times \langle \sqrt{4} + 0! \rangle$$

$$\mathbf{0279} := 9 \times \langle \sqrt{7 + 2} \parallel 0! \rangle$$

$$\mathbf{0287} := 7 \times \langle (8/2) \parallel 0! \rangle$$

$$\mathbf{0305} := \langle 5 \parallel 0! \rangle \times 3! - 0!$$

$$\mathbf{0306} := 6 \times \langle (-0! + 3!) \parallel 0! \rangle$$

$$\mathbf{0324} := 4 \times \langle 2^3 \parallel 0! \rangle$$

$$\mathbf{0504} := \langle \sqrt{4} \parallel 0! \rangle \times (5 - 0!)!$$

$$\mathbf{0546} := 6 \times \langle (4 + 5) \parallel 0! \rangle$$

$$\mathbf{0549} := 9 \times \langle (\sqrt{4 + 5})! \parallel 0! \rangle$$

$$\mathbf{0589} := (\sqrt{9})!! - \langle (8 + 5) \parallel 0! \rangle$$

$$\mathbf{0637} := 7 \times \langle (3 + 6) \parallel 0! \rangle$$

$$\mathbf{0648} := 8 \times \langle (\sqrt{4} + 6) \parallel 0! \rangle$$

$$\mathbf{0659} := (\sqrt{9})! \times 5! - \langle 6 \parallel 0! \rangle$$

$$\mathbf{0709} := (\sqrt{9})!! - \langle 0! \parallel (7 \times 0)! \rangle$$

$$\mathbf{0742} := \langle 2 \parallel \sqrt{4} \rangle + (7 - 0!)!$$

$$\mathbf{0783} := 3!! - 8 + \langle 7 \parallel 0! \rangle$$

$$\mathbf{0791} := (\sqrt{1 \times 9})!! + \langle 7 \parallel 0! \rangle$$

$$\mathbf{0819} := 9 \times \langle (1 + 8) \parallel 0! \rangle$$

$$\mathbf{0847} := 7 \times \langle (4 + 8) \parallel 0! \rangle$$

$$\mathbf{0968} := 8 \times \langle (6 + (\sqrt{9})!) \parallel 0! \rangle$$

$$\mathbf{0987} := 7 \times \langle (8 + (\sqrt{9})!) \parallel 0! \rangle$$

$$\mathbf{1255} := 5 \times \langle 5^2 \parallel 1 \rangle$$

$$\mathbf{1288} := 8 \times \langle (8 \times 2) \parallel 1 \rangle$$

$$\mathbf{1342} := \langle 2 \parallel \sqrt{4} \rangle \times \langle 3! \parallel 1 \rangle$$

$$\mathbf{1359} := 9 \times \langle (5 \times 3) \parallel 1 \rangle$$

$$\mathbf{1403} := \langle 3! \parallel 0! \rangle \times (4! - 1)$$

$$\mathbf{1438} := -8 + 3! \times \langle 4! \parallel 1 \rangle$$

$$\mathbf{1449} := 9 \times \langle (4 \times 4) \parallel 1 \rangle$$

$$\mathbf{1455} := 5 \times \langle (5 + 4!) \parallel 1 \rangle$$

$$\mathbf{1494} := \langle 4! \parallel 9 \rangle \times (4 - 1)!$$

$$\mathbf{1928} := 8 \times \langle (-2 + (\sqrt{9})!)! \parallel 1 \rangle$$

$$\mathbf{1944} := 4! \times \langle (4!/\sqrt{9}) \parallel 1 \rangle$$

$$\mathbf{1952} := 2^5 \times \langle (\sqrt{9})! \parallel 1 \rangle$$

$$\mathbf{1984} := \langle 4! \parallel 8 \rangle \times (9 - 1)$$

$$\mathbf{2809} := \left( \langle (\sqrt{9})! \parallel 0! \rangle - 8 \right)^2$$

$$\mathbf{3024} := 4! \times \langle 2 \parallel 0! \rangle \times 3!$$

$$\mathbf{3044} := 4 \times (\langle 4 \parallel 0! \rangle + 3!!)$$

$$\mathbf{3509} := -\langle 9 \parallel 0! \rangle + 5 \times 3!!$$

$$\mathbf{3955} := -5 + 5! \times \langle \sqrt{9} \parallel 3 \rangle$$

$$\mathbf{4356} := \langle (6!/5!) \parallel 3! \rangle^{\sqrt{4}}$$

$$\mathbf{4392} := \langle (2 \times 9) \parallel 3 \rangle \times 4!$$

$$\mathbf{4794} := -\langle 4! \parallel (\sqrt{9})! \rangle + \left( \sqrt{\sqrt{7^4}} \right)!$$

$$\mathbf{4973} := -3 + 7! - \langle (\sqrt{9})! \parallel 4 \rangle$$

$$\mathbf{4974} := -\sqrt{4} + 7! - \langle (\sqrt{9})! \parallel 4 \rangle$$

$$\mathbf{4976} := 6! \times 7 - \langle (\sqrt{9})! \parallel 4 \rangle$$

$$\mathbf{4979} := \sqrt{9} + 7! - \langle (\sqrt{9})! \parallel 4 \rangle$$

$$\mathbf{5904} := \langle 4 \parallel 0! \rangle \times (\sqrt{9})!!/5$$

$$\mathbf{00123} := \langle (3! \times 2) \parallel 1 \rangle + 0! + 0!$$

$$\mathbf{00124} := \sqrt{4} \times (\langle (2 + 1)! \parallel 0! \rangle + 0!)$$

$$\mathbf{00129} := 9 \times 2 + \langle \langle 1 \parallel 0! \rangle \parallel 0! \rangle$$

$$\mathbf{00132} := \langle (2 \times 3! + 1) \parallel 0! \rangle + 0!$$

$$\mathbf{00138} := (8 + \langle 3! \parallel 1 \rangle) \times (0! + 0!)$$

$$\mathbf{00142} := 2 \times \langle ((4 - 1)! + 0!) \parallel 0! \rangle$$

$$\mathbf{00157} := 7 \times (5 - 1)! - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00159} := \langle (\sqrt{9} \times 5) \parallel 10 \rangle - 0!$$

$$\mathbf{00162} := 2 \times \langle (6 + 1 + 0!) \parallel 0! \rangle$$

$$\mathbf{00168} := (8 + 6) \times (\langle 1 \parallel 0! \rangle + 0!)$$

$$\mathbf{00179} := (\sqrt{9})!!/(-7 + \langle 1 \parallel 0! \rangle) - 0!$$

$$\mathbf{00182} := \langle 2 \times (8 + 1) \parallel 0! \rangle + 0!$$

$$\mathbf{00183} := 3 \times \langle (8 - 1 - 0!) \parallel 0! \rangle$$

$$\mathbf{00189} := 9 \times \langle (-8 + 10) \parallel 0! \rangle$$

$$\mathbf{00192} := \langle *2 \times 9 + 1 \parallel 0! \rangle + 0!$$

$$\mathbf{00193} := 3! \times \left( \langle \sqrt{9} \parallel 1 \rangle + 0! \right) + 0!$$

$$\mathbf{00198} := (8 + 9 + 1) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00213} := 3 \times \langle (1 + 2)! + 0! \parallel 0! \rangle$$

$$\mathbf{00214} := \langle \langle \sqrt{4} \parallel 1 \rangle \parallel 2 \rangle + 0! + 0!$$

$$\mathbf{00215} := 5 - 1 + \langle \langle 2 \parallel 0! \rangle \parallel 0! \rangle$$

$$\mathbf{00218} := 8 - 1 + \langle \langle 2 \parallel 0! \rangle \parallel 0! \rangle$$

$$\mathbf{00219} := 9 - 1 + \langle \langle 2 \parallel 0! \rangle \parallel 0! \rangle$$

$$\mathbf{00231} := \langle (1 \times 3 + 20) \parallel 0! \rangle$$

$$\mathbf{00234} := \langle 4! \parallel (3+2) \rangle - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00247} := 7 + \langle 4! \parallel (2 \times 0)! \rangle - 0!$$

$$\mathbf{00248} := 8 \times \left\langle \left( \sqrt{4} + (2 \times 0)! \right) \parallel 0! \right\rangle$$

$$\mathbf{00249} := 9 + \langle 4! \parallel ((2 \times 0)! - 0!) \rangle$$

$$\mathbf{00256} := 6 + \left\langle 5^2 \parallel 0! \right\rangle - 0!$$

$$\mathbf{00261} := \langle (1 \times 6 + 20) \parallel 0! \rangle$$

$$\mathbf{00271} := \langle (1 \times 7 + 20) \parallel 0! \rangle$$

$$\mathbf{00275} := 5 \times (7 - 2) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00281} := \langle (1 \times 8 + 20) \parallel 0! \rangle$$

$$\mathbf{00284} := 4 \times \langle (8 - (2 \times 0)!) \parallel 0! \rangle$$

$$\mathbf{00291} := \langle (1 \times 9 + 20) \parallel 0! \rangle$$

$$\mathbf{00297} := \sqrt{7 + (\sqrt{9})!!} + 2 \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00312} := 2 \times 13! / \langle 0! \parallel 0! \rangle$$

$$\mathbf{00315} := 5 \times (1 + \langle 3! \parallel (0! + 0!) \rangle)$$

$$\mathbf{00341} := (1 + 4! + 3!) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00342} := 2 \times \langle (4! - 3! - 0!) \parallel 0! \rangle$$

$$\mathbf{00346} := 6! / \sqrt{4} - 3 - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00349} := (9 - 4)! \times 3 - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00369} := 9 \times \langle (6 - 3 + 0!) \parallel 0! \rangle$$

$$\mathbf{00372} := (\sqrt{2+7})! \times (\langle 3! \parallel 0! \rangle + 0!)$$

$$\mathbf{00374} := (4! + 7 + 3) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00394} := -\sqrt{4} + (\sqrt{9})! \times 3! \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00395} := -5! + 9!/3!! + \langle 0! \parallel 0! \rangle$$

$$\mathbf{00396} := 6 \times (9 - 3) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00421} := -1 + 2 \times \left\langle \left\langle \sqrt{4} \parallel 0! \right\rangle \parallel 0! \right\rangle$$

$$\mathbf{00426} := 6 \times \langle (2 + 4 + 0!) \parallel 0! \rangle$$

$$\mathbf{00437} := 7 \times \langle 3! \parallel 4 \rangle - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00452} := 2 \times (-5 + \langle (4! - 0!) \parallel 0! \rangle)$$

$$\mathbf{00453} := 3 \times \left( 5! + \left\langle \left( \sqrt{4} + 0! \right) \parallel 0! \right\rangle \right)$$

$$\mathbf{00462} := 2 \times \langle (6 \times 4 - 0!) \parallel 0! \rangle$$

$$\mathbf{00463} := -3! + 6! - \langle (4! + 0!) \parallel 0! \rangle$$

$$\mathbf{00468} := \sqrt{8^6} - 4 \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00469} := -9 + 6! - \langle 4! \parallel 0! \rangle - 0!$$

$$\mathbf{00473} := \left( -3! + \sqrt{7^4} \right) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00476} := 6! + 7 - \langle (4! + 0!) \parallel 0! \rangle$$

$$\mathbf{00491} := \left( -1 + (\sqrt{9})! \right)! \times 4 + \langle 0! \parallel 0! \rangle$$

$$\mathbf{00495} := 5 \times 9 \times \langle (4 \times 0)! \parallel 0! \rangle$$

$$\mathbf{00498} := \left\langle 8 \parallel \sqrt{9} \right\rangle \times (4 + 0! + 0!)$$

$$\mathbf{00524} := 4!^2 - \langle 5 \parallel 0! \rangle - 0!$$

$$\mathbf{00528} := 8 \times (-2 + 5)! \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00539} := (9 \times 3! - 5) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00542} := 2 \times \langle (-4! + \langle 5 \parallel 0! \rangle) \parallel 0! \rangle$$

$$\mathbf{00543} := 3 \times \langle (4! - 5 - 0!) \parallel 0! \rangle$$

$$\mathbf{00567} := 7 \times \left\langle \sqrt{65 - 0!} \parallel 0! \right\rangle$$

$$\mathbf{00568} := 8 \times \langle (6 + (5 \times 0)!) \parallel 0! \rangle$$

$$\mathbf{00573} := 3!! - 7 \times \left\langle \sqrt{5 - 0!} \parallel 0! \right\rangle$$

$$\mathbf{00579} := (\sqrt{9})!! - \left\langle \left( 7 \times \sqrt{5 - 0!} \right) \parallel 0! \right\rangle$$

$$\mathbf{00583} := (3! \times 8 + 5) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00594} := (49 + 5) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00627} := (-7 + 2^6) \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00634} := -4! + 3!! - \langle 6 \parallel 0! \rangle - 0!$$

$$\mathbf{00639} := 9 \times \langle (3! + (6 \times 0)!) \parallel 0! \rangle$$

$$\mathbf{00653} := -\langle 3! \parallel 5 \rangle + 6! - 0! - 0!$$

$$\mathbf{00654} := (\sqrt{4+5})!! - 6 \times \langle 0! \parallel 0! \rangle$$

$$\mathbf{00658} := (8 - 5)!! - \langle 6 \parallel 0! \rangle - 0!$$

$$\mathbf{00684} := 4! + \sqrt{(8! - 6!) \times \langle 0! \parallel 0! \rangle}$$

$$\mathbf{00689} := (\sqrt{9})!! - \langle (8 - 6 + 0!) \parallel 0! \rangle$$

$$\mathbf{00695} := -5 - 9 + 6! - \langle 0! \parallel 0! \rangle$$

$$\mathbf{00724} := (4 + 2)! - 7 + \langle 0! \parallel 0! \rangle$$

$$\mathbf{00731} := (13 - 7)! + \langle 0! \parallel 0! \rangle$$

$$\mathbf{00732} := 2 \times 3! \times \langle 7 - 0! \parallel 0! \rangle$$

$$\mathbf{00743} := 3 \times \langle 4! \parallel 7 \rangle + 0! + 0!$$

<b>00781</b> := $\sqrt{1^8 + 7!} \times \langle 0! \parallel 0! \rangle$	<b>01254</b> := $(-4 + 5! - 2) \times \langle 1 \parallel 0! \rangle$
<b>00789</b> := $(\sqrt{9})!! + 8 + \langle (7 - 0!) \parallel 0! \rangle$	<b>01298</b> := $(\left(8 - \sqrt{9}\right)! - 2) \times \langle 1 \parallel 0! \rangle$
<b>00791</b> := $-1 + 9!/7! \times \langle 0! \parallel 0! \rangle$	<b>01302</b> := $\langle 2 \parallel 0! \rangle \times (\langle 3! \parallel 1 \rangle + 0!)$
<b>00792</b> := $(2 + 9) \times (\langle 7 \parallel 0! \rangle + 0!)$	
<b>00794</b> := $\sqrt{4} + 9!/7! \times \langle 0! \parallel 0! \rangle$	
<b>00837</b> := $7!/3! + 8 - \langle 0! \parallel 0! \rangle$	<b>01337</b> := $7 \times \langle (3 \times 3! + 1) \parallel 0! \rangle$
<b>00843</b> := $3 \times \langle (4 \times (8 - 0!)) \parallel 0! \rangle$	<b>01345</b> := $-5! + 4! \times \langle 3! \parallel 1 \rangle + 0!$
<b>00846</b> := $6 \times \langle (\sqrt{4} \times (8 - 0!)) \parallel 0! \rangle$	<b>01353</b> := $(-3 + 5! + 3!) \times \langle 1 \parallel 0! \rangle$
<b>00859</b> := $(\sqrt{9})!! + 5! + 8 + \langle 0! \parallel 0! \rangle$	<b>01364</b> := $(4! + 6!) / 3! \times \langle 1 \parallel 0! \rangle$
<b>00891</b> := $1 \times \sqrt{\sqrt{9^8}} \times \langle 0! \parallel 0! \rangle$	<b>01369</b> := $(\sqrt{9})!! + 6! - \langle (3! + 1) \parallel 0! \rangle$
<b>00892</b> := $(2 + 9) \times \langle 8 \parallel 0! \rangle + 0!$	<b>01375</b> := $(5 + 7! \times 3) / \langle 1 \parallel 0! \rangle$
<b>00917</b> := $7 \times \left( (-1 + (\sqrt{9})!)! + \langle 0! \parallel 0! \rangle \right)$	<b>01386</b> := $6 \times \langle (8 \times 3 - 1) \parallel 0! \rangle$
<b>00946</b> := $\langle \sqrt{64} \parallel (\sqrt{9})! \rangle \times \langle 0! \parallel 0! \rangle$	<b>01397</b> := $(7 + (\sqrt{9})!!/3!) \times \langle 1 \parallel 0! \rangle$
<b>00956</b> := $6! - 5 + \langle (\sqrt{9} + 0!)! \parallel 0! \rangle$	<b>01399</b> := $(\sqrt{9})!! + (\sqrt{9})!! - \langle (3 + 1) \parallel 0! \rangle$
<b>00957</b> := $7!/5 - \langle ((\sqrt{9})! - 0!) \parallel 0! \rangle$	
<b>00968</b> := $(8 + 6!/9) \times \langle 0! \parallel 0! \rangle$	<b>01407</b> := $7 \times \langle (-0! + \langle \sqrt{4} \rangle \parallel 1) \parallel 0! \rangle$
<b>00984</b> := $4! \times \langle 8 - \sqrt{9} - 0! \parallel 0! \rangle$	<b>01408</b> := $(8 + (0! + 4)!) \times \langle 1 \parallel 0! \rangle$
<b>01044</b> := $4 \times \langle (4! + 0! + 1) \parallel 0! \rangle$	<b>01429</b> := $(\sqrt{9} \times 2)! \times \sqrt{4} - \langle 1 \parallel 0! \rangle$
<b>01045</b> := $(5! - 4! - 0!) \times \langle 1 \parallel 0! \rangle$	<b>01431</b> := $(1 + 3!!) \times \sqrt{4} - \langle 1 \parallel 0! \rangle$
<b>01048</b> := $8 \times \langle (4! - \langle 0! \parallel 1 \rangle) \parallel 0! \rangle$	<b>01437</b> := $(-7 + 3!!) \times \sqrt{4} + \langle 1 \parallel 0! \rangle$
<b>01055</b> := $5 \times \langle \langle \sqrt{5 - 0!} \parallel 1 \rangle \parallel 0! \rangle$	
<b>01059</b> := $9 \times 5! - \langle (0! + 1) \parallel 0! \rangle$	<b>01444</b> := $(\langle 4 \parallel \sqrt{4} \rangle - 4)^{1+0!}$
<b>01069</b> := $9 \times (6 - 0!)! - \langle 1 \parallel 0! \rangle$	<b>01445</b> := $(\sqrt{5+4})! \times \langle 4! \parallel 1 \rangle - 0!$
<b>01089</b> := $(98 + 0!) \times \langle 1 \parallel 0! \rangle$	<b>01447</b> := $(7 - 4)! \times \langle 4! \parallel 1 \rangle + 0!$
<b>01155</b> := $5 \times \langle ((5 - 1)! - 1) \parallel 0! \rangle$	<b>01448</b> := $8 \times \langle (4! - (4 - 1)!) \parallel 0! \rangle$
<b>01197</b> := $7 \times \langle ((\sqrt{9})! + 11) \parallel 0! \rangle$	<b>01451</b> := $(1 + 5)! \times \sqrt{4} + \langle 1 \parallel 0! \rangle$
<b>01205</b> := $5 \times \langle (0! + 2 + 1)! \parallel 0! \rangle$	
<b>01206</b> := $6 \times \langle (-0! + 21) \parallel 0! \rangle$	<b>01452</b> := $(-2 + 5)! \times (\langle 4! \parallel 1 \rangle + 0!)$
<b>01224</b> := $4! \times \langle (2 + 2 + 1) \parallel 0! \rangle$	<b>01463</b> := $(3! + 6!) \times \sqrt{4} + \langle 1 \parallel 0! \rangle$
<b>01229</b> := $(\sqrt{9})!! \times 2 - \langle 21 \parallel 0! \rangle$	<b>01469</b> := $\sqrt{9^6 \times 4} + \langle 1 \parallel 0! \rangle$
<b>01245</b> := $5 \times \langle 4! \parallel (-2 + \langle 1 \parallel 0! \rangle) \rangle$	<b>01498</b> := $-8 + (\sqrt{9})! \times \langle (4! + 1) \parallel 0! \rangle$
<b>01247</b> := $7!/4 - 2 - \langle 1 \parallel 0! \rangle$	

$$\begin{aligned}01499 &:= (\sqrt{9})! \times (9 + \langle 4! \parallel 1 \rangle) - 0! \\01506 &:= 6 \times \langle (0! + (5 - 1)!) \parallel 0! \rangle \\01525 &:= 5^2 \times \langle (5 + 1) \parallel 0! \rangle \\01547 &:= 7 \times \langle (4! - \sqrt{5 - 1}) \parallel 0! \rangle \\01549 &:= (9 + 4) \times 5! - \langle 1 \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}01559 &:= \langle (\sqrt{9})! \parallel 5 \rangle \times (5 - 1)! - 0! \\01575 &:= 5 \times 7! / (5 + \langle 1 \parallel 0! \rangle) \\01584 &:= 4! \times (8 - 5)! \times \langle 1 \parallel 0! \rangle \\01595 &:= \langle 5 + 9 \parallel 5 \rangle \times \langle 1 \parallel 0! \rangle \\01626 &:= 6 \times \langle (26 + 1) \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}01669 &:= 9! / \sqrt{6^6} - \langle 1 \parallel 0! \rangle \\01672 &:= 2 \times 76 \times \langle 1 \parallel 0! \rangle \\01688 &:= 8 \times \langle \langle (8 - 6) \parallel 1 \rangle \parallel 0! \rangle \\01697 &:= 7! / \sqrt{9} + 6 + \langle 1 \parallel 0! \rangle \\01746 &:= 6 \times \langle (4 \times 7 + 1) \parallel 0! \rangle \\01749 &:= (-9 + 4! \times 7) \times \langle 1 \parallel 0! \rangle \\01757 &:= 7 \times \left\langle \sqrt{\sqrt{5^{(7+1)}}} \parallel 0! \right\rangle \\01848 &:= \langle (8 \times \sqrt{4}) \parallel 8 \rangle \times \langle 1 \parallel 0! \rangle \\01879 &:= \sqrt{9} \times 7! / 8 - \langle 1 \parallel 0! \rangle \\01897 &:= 7 \times \left\langle \sqrt{9 \times 81} \parallel 0! \right\rangle\end{aligned}$$

$$\begin{aligned}01899 &:= 9 \times \langle (\sqrt{9} \times (8 - 1)) \parallel 0! \rangle \\01923 &:= \langle 3! \parallel 2 \rangle \times \langle \sqrt{9} \parallel 1 \rangle + 0! \\01924 &:= \langle 4! \parallel 2 \rangle + (\sqrt{9})!! \times (1 + 0!) \\01933 &:= 3!^3 \times 9 - \langle 1 \parallel 0! \rangle \\01942 &:= -2 + 4! \times \langle (9 - 1) \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}01947 &:= (7 \times 4! + 9) \times \langle 1 \parallel 0! \rangle \\01955 &:= (5! - 5) \times \left( (\sqrt{9})! + \langle 1 \parallel 0! \rangle \right) \\01967 &:= 7 \times \left\langle \sqrt{6! + 9} \parallel \langle 1 \parallel 0! \rangle \right\rangle \\01968 &:= 8 \times 6 \times \left\langle (\sqrt{9} + 1) \parallel 0! \right\rangle \\02037 &:= 7 \times \langle (\langle 3 \parallel 0! \rangle - 2) \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}02044 &:= -4 + \sqrt{4^{\langle 0! \parallel (2 \times 0)! \rangle}} \\02099 &:= \sqrt{9} \times \left( (\sqrt{9})!! - \langle (0! + 2)! \parallel 0! \rangle \right) \\02149 &:= 9 \times \langle 4! \parallel 1 \rangle - 20 \\02184 &:= 4! \times \langle (8 + 1) \parallel (2 \times 0)! \rangle \\02196 &:= 6 \times \left( \sqrt{9} \right)! \times \langle (1 + 2)! \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}02248 &:= 8 \times \langle (4! + 2 + 2) \parallel 0! \rangle \\02255 &:= 55 \times \langle (2 + 2) \parallel 0! \rangle \\02259 &:= 9 \times \langle 5^2 \parallel (2 \times 0)! \rangle \\02283 &:= (3! \times 8)^2 - \langle 2 \parallel 0! \rangle \\02305 &:= (\langle 5 \parallel 0! \rangle - 3)^2 + 0!\end{aligned}$$

$$\begin{aligned}02346 &:= \left( \langle 6 \parallel \sqrt{4} \rangle + 3!! \right) \times (2 + 0!) \\02349 &:= 9 \times \langle (4 \times 3! + 2) \parallel 0! \rangle \\02352 &:= (-2 + 5! - 3!) \times \langle 2 \parallel 0! \rangle \\02379 &:= \left( \sqrt{9} \right)!! + 7! / 3 - \langle 2 \parallel 0! \rangle \\02394 &:= ((-4 + 9)! - 3!) \times \langle 2 \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}02415 &:= (5! - 1 - 4) \times \langle 2 \parallel 0! \rangle \\02419 &:= (9 + 1) \times \langle 4! \parallel 2 \rangle - 0! \\02436 &:= (6! / 3! - 4) \times \langle 2 \parallel 0! \rangle \\02439 &:= 9 \times \langle (3 + 4!) \parallel (2 \times 0)! \rangle \\02445 &:= 5 \times (\langle 4! \parallel 4 \rangle \times 2 + 0!)\end{aligned}$$

$$\begin{aligned}02454 &:= -4! + \left( 5! - \sqrt{4} \right) \times \langle 2 \parallel 0! \rangle \\02495 &:= 5 \times \left( (\sqrt{9})!! - \langle (4! - 2) \parallel 0! \rangle \right) \\02499 &:= 9! / \left( (\sqrt{9})! \times 4! \right) - \langle 2 \parallel 0! \rangle \\02513 &:= -3! - 1 + 5! \times \langle 2 \parallel 0! \rangle \\02514 &:= -(4 - 1)! + 5! \times \langle 2 \parallel 0! \rangle\end{aligned}$$

$$\begin{aligned}02515 &:= -5 + 1 \times 5! \times \langle 2 \parallel 0! \rangle \\02532 &:= 2 \times 3! + 5! \times \langle 2 \parallel 0! \rangle \\02535 &:= 5 \times 3 + 5! \times \langle 2 \parallel 0! \rangle \\02541 &:= (1^4 + 5!) \times \langle 2 \parallel 0! \rangle \\02542 &:= \langle 2 \parallel \sqrt{4} \rangle + 5! \times \langle 2 \parallel 0! \rangle\end{aligned}$$

$$02545 := \sqrt{5^4} + 5! \times \langle 2 \parallel 0! \rangle$$

$$02562 := (\sqrt{-2+6} + 5!) \times \langle 2 \parallel 0! \rangle$$

$$02568 := 8 \times 6 + 5! \times \langle 2 \parallel 0! \rangle$$

$$02583 := \left( \sqrt{\sqrt{\sqrt{3^8}} + 5!} \right) \times \langle 2 \parallel 0! \rangle$$

$$02604 := (4 + (-0! + 6)!) \times \langle 2 \parallel 0! \rangle$$

$$02646 := \langle (6 \times \sqrt{4}) \parallel 6 \rangle \times \langle 2 \parallel 0! \rangle$$

$$02651 := \sqrt{1+5!} \times \langle (6-2)! \parallel 0! \rangle$$

$$02667 := (7 + 6!/6) \times \langle 2 \parallel 0! \rangle$$

$$02684 := -4 + 8! / (-6 + \langle 2 \parallel 0! \rangle)$$

$$02859 := (\sqrt{9} \times 5!) \times 8 - \langle 2 \parallel 0! \rangle$$

$$02892 := 2 \times (\sqrt{9})! \times \langle (8/2)! \parallel 0! \rangle$$

$$02904 := 4! \times \langle (0! + 9 + 2) \parallel 0! \rangle$$

$$02943 := \langle 3 \parallel \sqrt{4} \rangle \times 92 - 0!$$

$$02964 := 4 \times ((-6 + 9)!! + \langle 2 \parallel 0! \rangle)$$

$$02968 := 8 \times (6 \times \langle (\sqrt{9})! \parallel 2 \rangle - 0!)$$

$$02995 := 5 \times \left( (\sqrt{9})!! - \langle ((\sqrt{9})! \times 2) \parallel 0! \rangle \right)$$

$$03124 := 4 \times ((2 + 1)!! + \langle 3! \parallel 0! \rangle)$$

$$03142 := -2 + 4! \times \langle 13 \parallel 0! \rangle$$

$$03164 := 4 \times (6! + \langle (1 + 3!) \parallel 0! \rangle)$$

$$03195 := 5 \times 9 \times \langle (1 + 3!) \parallel 0! \rangle$$

$$03264 := \sqrt{4^6} \times \langle (2 + 3) \parallel 0! \rangle$$

$$03294 := (4! + \sqrt{9}) \times 2 \times \langle 3! \parallel 0! \rangle$$

$$03295 := 5 \times \left( -\langle (\sqrt{9})! \parallel 2 \rangle + 3!! + 0! \right)$$

$$03315 := 51 \times (\langle 3! \parallel 3! \rangle - 0!)$$

$$03343 := 3!! + 43 \times \langle 3! \parallel 0! \rangle$$

$$03355 := 55 \times \langle 3! \parallel (3 \times 0)! \rangle$$

$$03384 := 4! \times \langle (8 + 3!) \parallel (3 \times 0)! \rangle$$

$$03386 := 6! + \langle 8 \parallel 3! \rangle \times \langle 3 \parallel 0! \rangle$$

$$03396 := 6 \times (9 \times \langle 3! \parallel 3 \rangle - 0!)$$

$$03445 := 5 \times ((4!/4)! - \langle 3 \parallel 0! \rangle)$$

$$03482 := 2 \times (8!/4! + \langle 3! \parallel 0! \rangle)$$

$$03503 := \langle 3 \parallel 0! \rangle \times (5! - 3! - 0!)$$

$$03509 := -\langle 9 \parallel 0! \rangle + 5! \times 30$$

$$03552 := 2^5 \times \langle (5 + 3!) \parallel 0! \rangle$$

$$03559 := -(\sqrt{9})! + (5! - 5) \times \langle 3 \parallel 0! \rangle$$

$$03595 := -5^{\sqrt{9}} + 5! \times \langle 3 \parallel 0! \rangle$$

$$03624 := 4! \times \langle (2 \times 6 + 3) \parallel 0! \rangle$$

$$03658 := (-8 + 5! + 6) \times \langle 3 \parallel 0! \rangle$$

$$03661 := (-1 + 6) \times 6! + \langle 3! \parallel 0! \rangle$$

$$03696 := 6! + 96 \times \langle 3 \parallel 0! \rangle$$

$$03843 := \langle 3! \parallel (4!/8) \rangle \times \langle 3! \parallel 0! \rangle$$

$$03864 := 4! \times \langle (6 \times 8/3) \parallel 0! \rangle$$

$$03865 := 5 \times (6! - 8 + \langle 3! \parallel 0! \rangle)$$

$$03904 := 4^{\sqrt{09}} \times \langle 3! \parallel 0! \rangle$$

$$03905 := 5 \times \left( (\sqrt{09})!! + \langle 3! \parallel 0! \rangle \right)$$

$$03906 := \left( (6 - 0!)! + (\sqrt{9})! \right) \times \langle 3 \parallel 0! \rangle$$

$$03945 := -5! + 4^{(\sqrt{9})!} - \langle 3 \parallel 0! \rangle$$

$$03949 := (\sqrt{9})!^4 \times \sqrt{9} + \langle 3! \parallel 0! \rangle$$

$$03953 := -3! + 5! \times \langle \sqrt{9} \parallel 3 \rangle - 0!$$

$$03954 := (\sqrt{4+5})! \times \left( (\sqrt{9})!! - \langle 3! \parallel 0! \rangle \right)$$

$$03961 := (-1 + 6)! \times \langle \sqrt{9} \parallel 3 \rangle + 0!$$

$$03963 := -3! + \langle 6 \parallel \sqrt{9} \rangle^{3-0!}$$

$$03964 := 4 \times (6! + \langle (9 \times 3) \parallel 0! \rangle)$$

$$03965 := (56 + 9) \times \langle 3! \parallel 0! \rangle$$

$$03966 := -6! + 6 \times \left( (\sqrt{9})!! + \langle 3! \parallel 0! \rangle \right)$$

$$03968 := \left( 8 + 6! / (\sqrt{9})! \right) \times \langle 3 \parallel 0! \rangle$$

$$03984 := 4! \times \langle 8 \parallel \sqrt{9} \rangle \times (3 - 0!)$$

$$03999 := \langle (9 + \sqrt{9}) \parallel 9 \rangle \times \langle 3 \parallel 0! \rangle$$

$$\begin{aligned}
04059 &:= 9 \times \sqrt{5! + 0!} \times \langle 4 \parallel 0! \rangle \\
04069 &:= (\sqrt{9})! \times 6! - \langle (0! + 4!) \parallel 0! \rangle \\
04079 &:= (\sqrt{9})! \times (7 - 0!)! - \langle 4! \parallel 0! \rangle \\
04159 &:= -(\sqrt{9})!! + (5! - 1) \times \langle 4 \parallel 0! \rangle \\
04163 &:= \langle (3 \times 6) \parallel 1 \rangle \times (4! - 0!) \\
04179 &:= -(\sqrt{9})!! + 7! - \langle 14 \parallel 0! \rangle \\
04236 &:= \langle 6 \parallel 3! \rangle^2 - (4 + 0!)! \\
04239 &:= (\sqrt{9})! \times 3!! - \langle (2 \times 4) \parallel 0! \rangle \\
04299 &:= (\sqrt{9})! \times (\sqrt{9} \times 2)! - \langle \sqrt{4} \parallel 0! \rangle \\
04333 &:= 3^{3!} \times 3! - \langle 4 \parallel 0! \rangle \\
04337 &:= (7 - 3)^{3!} + \langle 4! \parallel 0! \rangle \\
04338 &:= (8 \times 3 - 3!) \times \langle 4! \parallel 0! \rangle \\
04353 &:= 3 \times (5 + 3! \times \langle 4! \parallel 0! \rangle) \\
04373 &:= 3!^7 / \langle 3! \parallel 4 \rangle - 0! \\
04386 &:= 6 \times (8 + 3 \times \langle 4! \parallel 0! \rangle) \\
04389 &:= (\sqrt{9})! \times (8 + 3!!) + \langle \sqrt{4} \parallel 0! \rangle \\
04393 &:= \langle 3! \times \sqrt{9} \parallel 3 \rangle \times 4! + 0! \\
04422 &:= 22 \times \langle (4! - 4) \parallel 0! \rangle \\
04437 &:= 7! - 3 \times \langle (4! - 4) \parallel 0! \rangle \\
04439 &:= 9!/3^4 - \langle 4 \parallel 0! \rangle \\
04455 &:= 55 \times \langle (4 + 4) \parallel 0! \rangle \\
04471 &:= 17 \times (\langle 4! \parallel 4! \rangle - 0!) \\
04473 &:= (3 + 7!/4!) \times \langle \sqrt{4} \parallel 0! \rangle \\
04494 &:= \langle 4! - \sqrt{9} \parallel 4 \rangle \times \langle \sqrt{4} \parallel 0! \rangle \\
04579 &:= ((\sqrt{9+7})! - 5) \times \langle 4! \parallel 0! \rangle \\
04584 &:= (-4 + 8)! \times \langle (-5 + 4!) \parallel 0! \rangle \\
04586 &:= -6 + (-8 + 5!) \times \langle 4 \parallel 0! \rangle \\
04589 &:= -\sqrt{9} + (-8 + 5!) \times \langle 4 \parallel 0! \rangle \\
04592 &:= (-2^{\sqrt{9}} + 5!) \times \langle 4 \parallel 0! \rangle \\
04596 &:= 6 \times ((\sqrt{9})!! + 5 + \langle 4 \parallel 0! \rangle)
\end{aligned}$$

$$\begin{aligned}
04599 &:= (99 + 5!) \times \langle \sqrt{4} \parallel 0! \rangle \\
04623 &:= (\langle 3! \parallel 2 \rangle + 6)^{\sqrt{4}} - 0! \\
04674 &:= ((-\sqrt{4} + 7)! - 6) \times \langle 4 \parallel 0! \rangle \\
04693 &:= 3! \times ((\sqrt{9})!! + \langle 6 \parallel \sqrt{4} \rangle) + 0! \\
04709 &:= -90 + 7! - \langle 4! \parallel 0! \rangle \\
04718 &:= -81 + 7! - \langle 4! \parallel 0! \rangle \\
04727 &:= -72 + 7! - \langle 4! \parallel 0! \rangle \\
04733 &:= (-\langle 3! \parallel 3! \rangle + 7! - \langle 4! \parallel 0! \rangle) \\
04736 &:= -63 + 7! - \langle 4! \parallel 0! \rangle \\
04754 &:= -45 + 7! - \langle 4! \parallel 0! \rangle \\
04757 &:= -7!/5! + 7! - \langle 4! \parallel 0! \rangle \\
04763 &:= -36 + 7! - \langle 4! \parallel 0! \rangle \\
04767 &:= 7! - (6 + 7) \times \langle \sqrt{4} \parallel 0! \rangle \\
04772 &:= -27 + 7! - \langle 4! \parallel 0! \rangle \\
04781 &:= -18 + 7! - \langle 4! \parallel 0! \rangle \\
04807 &:= 7! + 08 - \langle 4! \parallel 0! \rangle \\
04824 &:= 4! \times \langle (2 \times 8 + 4) \parallel 0! \rangle \\
04827 &:= 7! + 28 - \langle 4! \parallel 0! \rangle \\
04836 &:= 6 \times (3!! + \langle 8 \parallel (\sqrt{4} + 0!)! \rangle) \\
04837 &:= 7! + 38 - \langle 4! \parallel 0! \rangle \\
04838 &:= \langle (8 + 3) \parallel 8 \rangle \times \langle 4 \parallel 0! \rangle \\
04867 &:= 7! + 68 - \langle 4! \parallel 0! \rangle \\
04871 &:= -1 + 7! - 8 \times \langle \sqrt{4} \parallel 0! \rangle \\
04873 &:= -3! + 7! - \langle 8 \times \sqrt{4} \parallel 0! \rangle \\
04874 &:= \sqrt{4} + 7! - 8 \times \langle \sqrt{4} \parallel 0! \rangle \\
04877 &:= 7! + 78 - \langle 4! \parallel 0! \rangle \\
04879 &:= (\sqrt{9})!! \times 7 - \langle (8 \times \sqrt{4}) \parallel 0! \rangle \\
04887 &:= 7! + 8 - \langle (8 \times \sqrt{4}) \parallel 0! \rangle \\
04889 &:= ((\sqrt{9})!! + 8!) / 8 - \langle 4! \parallel 0! \rangle \\
04909 &:= ((\sqrt{9})! + 0!)! - \langle (9 + 4) \parallel 0! \rangle
\end{aligned}$$

$$\begin{aligned}
04917 &:= 7! - 1 \times \sqrt{9} \times \langle 4 \parallel 0! \rangle \\
04919 &:= \left( (\sqrt{9})! + 1 \right)! - \langle \sqrt{9} \times 4 \parallel 0! \rangle \\
04927 &:= 7! - \langle (2+9) \parallel 4 \rangle + 0! \\
04929 &:= (9-2)! - \langle (9+\sqrt{4}) \parallel 0! \rangle \\
04935 &:= \left( -5 + 3!!/\sqrt{9} \right) \times \langle \sqrt{4} \parallel 0! \rangle \\
04937 &:= 7! - \langle 3! \parallel \sqrt{9} \rangle - 40 \\
04961 &:= \left( 1 + 6! / (\sqrt{9})! \right) \times \langle 4 \parallel 0! \rangle \\
04972 &:= -2 + 7! - \langle (\sqrt{9})! \parallel (\sqrt{4} + 0!)! \rangle \\
04987 &:= 7! - \langle (8 - \sqrt{9}) \parallel \sqrt{4} \rangle - 0! \\
04995 &:= 5 \times 9 \times \langle (9 + \sqrt{4}) \parallel 0! \rangle \\
04999 &:= \left( (\sqrt{9})! + 9/9 \right)! - \langle 4 \parallel 0! \rangle \\
05009 &:= - \langle \sqrt{9} \parallel 0! \rangle + (0! + 5 + 0!)! \\
05019 &:= \left( (\sqrt{9})! + 1 \right)! - \langle \sqrt{-0! + 5} \parallel 0! \rangle \\
05027 &:= 7! - 2 - \langle 0! \parallel (5 \times 0)! \rangle \\
05029 &:= (9-2)! - \langle 0! \parallel (5 \times 0)! \rangle \\
05041 &:= (1 + \langle 4 \parallel 0! \rangle) \times 5! + 0! \\
05042 &:= 2 \times \left( \langle \sqrt{4} \parallel 0! \rangle \times 5! + 0! \right) \\
05061 &:= (1+6)! + \langle \sqrt{-0! + 5} \parallel 0! \rangle \\
05081 &:= (-1+8)! + \langle (-0! + 5) \parallel 0! \rangle \\
05091 &:= (-1+9-0!)! + \langle 5 \parallel 0! \rangle \\
05092 &:= (-2+9)! + 0! + \langle 5 \parallel 0! \rangle \\
05147 &:= 7! - 4 + \langle \sqrt{1+5!} \parallel 0! \rangle \\
05191 &:= \left( 1 + (\sqrt{9})! \right)! + \langle 15 \parallel 0! \rangle \\
05197 &:= \left( 7! + (\sqrt{9})! \right) + \langle 15 \parallel 0! \rangle \\
05248 &:= \langle 8 \parallel \sqrt{4} \rangle \times 2^{5+0!} \\
05291 &:= \left( 1 + (\sqrt{9})! \right)! + \langle 25 \parallel 0! \rangle \\
05297 &:= 7! + (\sqrt{9})! + \langle 25 \parallel 0! \rangle \\
05329 &:= \langle 9-2 \parallel 3 \rangle^{\sqrt{5-0!}} \\
05424 &:= 4! \times \left( \langle \langle 2 \parallel \sqrt{4} \rangle \parallel 5 \rangle + 0! \right) \\
05466 &:= 6 \times (6! + \langle (4! - 5) \parallel 0! \rangle) \\
05467 &:= 7 \times \left( 6! + \langle (\sqrt{4+5})! \parallel 0! \rangle \right) \\
05522 &:= 22 \times \langle (5 \times 5) \parallel 0! \rangle \\
05544 &:= 4! \times \langle (4! - 5/5) \parallel 0! \rangle \\
05589 &:= \sqrt{\sqrt{9^8}} \times (5! - \langle 5 \parallel 0! \rangle) \\
05709 &:= (9-0!)!/7 - \langle 5 \parallel 0! \rangle \\
05784 &:= 4! \times \langle (8 / (7-5))! \parallel 0! \rangle \\
05793 &:= \langle 3 \parallel \sqrt{9} \rangle + 7! + (5+0!)! \\
05803 &:= (3!! - 0!) \times 8 + \langle 5 \parallel 0! \rangle \\
05819 &:= \left( (\sqrt{9})!! + 1 \right) \times 8 + \langle 5 \parallel 0! \rangle \\
05843 &:= (3!! + 4) \times 8 + \langle 5 \parallel 0! \rangle \\
05867 &:= (7+6!) \times 8 + \langle 5 \parallel 0! \rangle \\
05895 &:= 5 \times 9 \times \langle (8+5) \parallel 0! \rangle \\
05904 &:= \langle 4! \parallel (\sqrt{09})! \rangle \times (5-0!)! \\
05964 &:= 4 \times \left( 6! + (\sqrt{9})!! + \langle 5 \parallel 0! \rangle \right) \\
05967 &:= (7+6) \times 9 \times \langle 5 \parallel 0! \rangle \\
06239 &:= 9 \times 3!! - \langle (-2+6)! \parallel 0! \rangle \\
06344 &:= \langle 4! \parallel 4 \rangle \times \left( \sqrt{3^6} - 0! \right) \\
06393 &:= 3!! + 93 \times \langle 6 \parallel 0! \rangle \\
06419 &:= 9 \times (-1+4)!! - \langle 6 \parallel 0! \rangle \\
06439 &:= 9 \times 3!! - \langle 4 \parallel (6 \times 0)! \rangle \\
06495 &:= -5 + 9^4 - \langle 6 \parallel 0! \rangle \\
06497 &:= \left\langle 7 \parallel (\sqrt{9})! \right\rangle^{\sqrt{4}} + 6! + 0! \\
06539 &:= 9 \times 3!! + 5! - \langle 6 \parallel 0! \rangle \\
06655 &:= 55 \times \langle (6+6) \parallel 0! \rangle \\
06744 &:= 4! \times \langle (4 \times 7) \parallel (6 \times 0)! \rangle \\
06832 &:= ((2+3)! - 8) \times \langle 6 \parallel 0! \rangle \\
06952 &:= -2 + \left( 5! - (\sqrt{9})! \right) \times \langle 6 \parallel 0! \rangle \\
06955 &:= -5 + 5! \times \left( -\sqrt{9} + \langle 6 \parallel 0! \rangle \right) \\
06993 &:= \langle 3! \parallel \sqrt{9} \rangle \times (-9 + (6-0!)!)
\end{aligned}$$

$$\mathbf{07299} := 9 \times \left( (\sqrt{9})!! + \langle (2+7) \parallel 0! \rangle \right)$$

$$\mathbf{07597} := \left( -7 - (\sqrt{9})! + 5! \right) \times \langle 7 \parallel 0! \rangle$$

$$\mathbf{07755} := 55 \times \langle (7+7) \parallel 0! \rangle$$

$$\mathbf{07839} := 9 \times (3!! + \langle (8+7) \parallel 0! \rangle)$$

$$\mathbf{07865} := (-5 + 6!) \times \langle (8-7) \parallel 0! \rangle$$

$$\mathbf{07952} := \left( -2 + 5! - (\sqrt{9})! \right) \times \langle 7 \parallel 0! \rangle$$

$$\mathbf{07995} := - \left( 5! + \sqrt{9} \right) \times \left( (\sqrt{9})! - \langle 7 \parallel 0! \rangle \right)$$

$$\mathbf{08019} := 9 \times \langle 1 \parallel 0! \rangle \times \langle 8 \parallel 0! \rangle$$

$$\mathbf{08343} := \langle 3! + 4 \parallel 3 \rangle \times \langle 8 \parallel 0! \rangle$$

$$\mathbf{08424} := (4! + 2) \times 4 \times \langle 8 \parallel 0! \rangle$$

$$\mathbf{08439} := (9! - 3) / \langle 4 \parallel \sqrt{8+0!} \rangle$$

$$\mathbf{08444} := 4 \times (\langle 4! \parallel 4! \rangle \times 8 - 0!)$$

$$\mathbf{08694} := \left( \langle 4! \parallel (\sqrt{9})! \rangle + 6! \right) \times (8 + 0!)$$

$$\mathbf{08844} := 44 \times \sqrt{8! + \langle 8 \parallel 0! \rangle}$$

$$\mathbf{08855} := 55 \times \langle (8+8) \parallel 0! \rangle$$

$$\mathbf{08964} := 4 \times \left( 6! \times \sqrt{9} + \langle 8 \parallel 0! \rangle \right)$$

$$\mathbf{08974} := \sqrt{4} \times (7 + 9!/ \langle 8 \parallel 0! \rangle)$$

$$\mathbf{08991} := \left( \left( -1 + (\sqrt{9})! \right)! - 9 \right) \times \langle 8 \parallel 0! \rangle$$

$$\mathbf{09159} := (9 + 5!) \times \left\langle 1 + (\sqrt{9})! \parallel 0! \right\rangle$$

$$\mathbf{09168} := 8 \times 6 \times \langle 19 \parallel 0! \rangle$$

$$\mathbf{09282} := \langle (2+8) \parallel 2 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09348} := - \left\langle 8 \parallel \sqrt{4} \right\rangle \times \left( 3! - \left( (\sqrt{9})! - 0! \right)! \right)$$

$$\mathbf{09373} := \langle (3+7) \parallel 3 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09456} := 6! + (5! - 4!) \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09464} := \langle (4+6) \parallel 4 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09555} := \langle (5+5) \parallel 5 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09646} := \langle (6+4) \parallel 6 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09664} := \sqrt{4^6} \times \langle (6+9) \parallel 0! \rangle$$

$$\mathbf{09737} := \langle (7+3) \parallel 7 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09828} := \langle (8+2) \parallel 8 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09834} := - \langle 4! \parallel 3! \rangle + 8! / \left( \sqrt{9} + 0! \right)$$

$$\mathbf{09919} := \langle (9+1) \parallel 9 \rangle \times \langle 9 \parallel 0! \rangle$$

$$\mathbf{09955} := 55 \times \langle (9+9) \parallel 0! \rangle$$

$$\mathbf{09966} := 66 \times \left\langle \left( (\sqrt{9})! + 9 \right) \parallel 0! \right\rangle$$

$$\mathbf{09984} := 4! \times 8 \times \left( -9 + \left\langle (\sqrt{9})! \parallel 0! \right\rangle \right)$$

$$\mathbf{09989} := \left( \sqrt{9} \right)!! \times \left( 8 + (\sqrt{9})! \right) - \langle 9 \parallel 0! \rangle$$

$$\mathbf{10275} := 5 \times \left( 7 + 2^{(0!||1)} \right)$$

$$\mathbf{10582} := (2 + 8 \times 5!) \times \langle 0! \parallel 1 \rangle$$

$$\mathbf{10584} := 4! + 8 \times 5! \times \langle 0! \parallel 1 \rangle$$

$$\mathbf{10593} := \left( 3!! + \sqrt{9^5} \right) \times \langle 0! \parallel 1 \rangle$$

$$\mathbf{10635} := 5 \times 3 \times (6! - \langle 0! \parallel 1 \rangle)$$

$$\mathbf{10789} := \left( \sqrt{9} \right)!! \times 8 + (7! - \langle 0! \parallel 1 \rangle)$$

$$\mathbf{10919} := \left( (\sqrt{9})! - 1 \right)! \times \langle 9 \parallel 0! \rangle - 1$$

$$\mathbf{10997} := \left( 7 + 9!/\sqrt{9} \right) / \langle 0! \parallel 1 \rangle$$

$$\mathbf{10998} := \left( 8! + (\sqrt{9})! \right) \times \sqrt{9} / \langle 0! \parallel 1 \rangle$$

$$\mathbf{11025} := (5 \times \langle 2 \parallel 0! \rangle)^{1+1}$$

$$\mathbf{11568} := 8 \times 6 \times \langle (5-1)! \parallel 1 \rangle$$

$$\mathbf{12144} := 4!! / \langle (4 \times 1 - 2) \parallel 1 \rangle!$$

$$\mathbf{12384} := 4! \times \langle 8 \parallel 3! \rangle \times (2+1)!$$

$$\mathbf{13176} := \sqrt{6^{7-1}} \times \langle 3! \parallel 1 \rangle$$

$$\mathbf{13255} := 55 \times \langle (-2+3!)! \parallel 1 \rangle$$

$$\mathbf{13448} := \left\langle 8 \parallel \sqrt{4} \right\rangle^{\sqrt{4}} \times (3-1)$$

$$\mathbf{14219} := \left( \left\langle (\sqrt{9})! \parallel 1 \right\rangle - 2 \right) \times \langle 4! \parallel 1 \rangle$$

$$\mathbf{14379} := \sqrt{9} \times (7! - 3! - \langle 4! \parallel 1 \rangle)$$

$$\mathbf{14397} := 7! \times \sqrt{9} - 3 \times \langle 4! \parallel 1 \rangle$$

$$\mathbf{14455} := -5 + 5!/\sqrt{4} \times \langle 4! \parallel 1 \rangle$$

$$\mathbf{14616} := \left( 6! - (\sqrt{16})! \right) \times \left\langle \sqrt{4} \parallel 1 \right\rangle$$

$$\mathbf{14647} := 7^4 \times 6 + \langle 4! \parallel 1 \rangle$$

$$\mathbf{14679} := \left( -\sqrt{9} \times 7 + 6! \right) \times \left\langle \sqrt{4} \parallel 1 \right\rangle$$

$$\mathbf{14873} := 3 \times \left( 7! - \left\langle 8 \parallel \sqrt{4} \right\rangle \right) - 1$$

$$\begin{aligned}
 \mathbf{14879} &:= \sqrt{9} \times 7! - \langle (8-4)! \parallel 1 \rangle \\
 \mathbf{14931} &:= (1 \times 3!! - 9) \times \langle \sqrt{4} \parallel 1 \rangle \\
 \mathbf{14942} &:= (-2 + 4^{\sqrt{9}}) \times \langle 4! \parallel 1 \rangle \\
 \mathbf{14992} &:= -2 + \left( (\sqrt{9})!! - (\sqrt{9})! \right) \times \langle \sqrt{4} \parallel 1 \rangle \\
 \mathbf{14994} &:= \left( (\sqrt{4 \times 9})! - (\sqrt{9})! \right) \times \langle \sqrt{4} \parallel 1 \rangle
 \end{aligned}
 \quad
 \begin{aligned}
 \mathbf{19375} &:= 5^{7-3} \times \langle \sqrt{9} \parallel 1 \rangle \\
 \mathbf{19592} &:= (2^9 + 5!) \times \langle \sqrt{9} \parallel 1 \rangle \\
 \mathbf{19844} &:= \langle 4! \parallel \sqrt{4} \rangle \times \left( \langle 8 \parallel \sqrt{9} \rangle - 1 \right) \\
 \mathbf{19924} &:= \langle 4! \parallel 2 \rangle + \left( \sqrt{9^9} - 1 \right) \\
 \mathbf{19974} &:= 4 \times 7! - \left( \sqrt{9} \right)! \times \langle \sqrt{9} \parallel 1 \rangle
 \end{aligned}$$

$$\begin{aligned}
 \mathbf{15079} &:= \sqrt{9} \times 7! - \langle (-0! + 5) \parallel 1 \rangle \\
 \mathbf{15096} &:= (6! - \langle 9 \parallel 0! \rangle) \times (5-1)! \\
 \mathbf{15144} &:= 4! + \langle \sqrt{4} \parallel 1 \rangle \times (5+1)! \\
 \mathbf{15162} &:= (2+6!) \times \langle \sqrt{-1+5} \parallel 1 \rangle \\
 \mathbf{15273} &:= 3 \times \left( 7! + \langle \sqrt{25} \parallel 1 \rangle \right)
 \end{aligned}
 \quad
 \begin{aligned}
 \mathbf{20048} &:= 8!/\sqrt{4} - \langle \langle 0! \parallel 0! \rangle \parallel 2 \rangle \\
 \mathbf{20147} &:= 7! \times 4 - \langle 1 \parallel 0! \rangle - 2 \\
 \mathbf{20909} &:= \left( (\sqrt{9})!! + 0! \right) \times \left( \langle \sqrt{9} \parallel 0! \rangle - 2 \right) \\
 \mathbf{22319} &:= \langle \sqrt{9} \parallel 1 \rangle \times 3!! - 2/2 \\
 \mathbf{22338} &:= \left( 8! + \langle 3! \parallel 3! \rangle^2 \right) / 2
 \end{aligned}$$

$$\begin{aligned}
 \mathbf{15436} &:= 63 \times \langle 4! \parallel 5 \rangle + 1 \\
 \mathbf{15477} &:= 77 \times \langle (4 \times 5) \parallel 1 \rangle \\
 \mathbf{15696} &:= \left( -\langle 6 \parallel (\sqrt{9})! \rangle + 6! \right) \times (5-1)! \\
 \mathbf{15851} &:= (1+5!) \times (\langle 8+5 \parallel 1 \rangle) \\
 \mathbf{16104} &:= 4! \times \langle 0! \parallel 1 \rangle \times 61
 \end{aligned}
 \quad
 \begin{aligned}
 \mathbf{23266} &:= 6^6/2 - \langle 3! \parallel 2 \rangle \\
 \mathbf{23409} &:= \langle (-9 + (04)!) \parallel 3 \rangle^2 \\
 \mathbf{23496} &:= \langle 6 \parallel (\sqrt{9})! \rangle \times (-4 + 3!!/2) \\
 \mathbf{23593} &:= \langle 3 \parallel \sqrt{9} \rangle \times (-5 + 3!!) - 2 \\
 \mathbf{23874} &:= -4^7 + 8! - \langle 3! \parallel 2 \rangle .
 \end{aligned}$$

$$\begin{aligned}
 \mathbf{16446} &:= \langle 6 \parallel \sqrt{4} \rangle + 4^{6+1} \\
 \mathbf{16742} &:= \langle 2 \parallel \sqrt{4} \rangle \times 761 \\
 \mathbf{16743} &:= -\langle 3! \parallel 4 \rangle + 7^{6+1} \\
 \mathbf{17249} &:= (\sqrt{9})!! \times 4! - \langle \sqrt{2+7} \parallel 1 \rangle \\
 \mathbf{17324} &:= \langle 4! \parallel (-2+3!) \rangle \times 71
 \end{aligned}
 \quad
 \begin{aligned}
 \mathbf{23994} &:= \langle 4 \parallel \sqrt{9} \rangle \times 9 \times \langle 3! \parallel 2 \rangle \\
 \mathbf{24334} &:= 4^{3!} \times 3! - \langle 4! \parallel 2 \rangle \\
 \mathbf{24649} &:= \left( \left( \langle 9 \parallel \sqrt{4} \rangle - 6! \right) / 4 \right)^2 \\
 \mathbf{24964} &:= (4 + \langle (6+9) \parallel 4 \rangle)^2 \\
 \mathbf{26896} &:= (\langle (6+9) \parallel 8 \rangle + 6)^2
 \end{aligned}$$

$$\begin{aligned}
 \mathbf{17346} &:= 6! \times 4! + \langle 3! \parallel (7-1) \rangle \\
 \mathbf{18244} &:= \langle 4! \parallel \sqrt{4} \rangle^2 - 8! \times 1 \\
 \mathbf{18264} &:= 4! \times \left( 6! + \langle \sqrt{2 \times 8} \parallel 1 \rangle \right) \\
 \mathbf{18544} &:= \langle 4! \parallel 4 \rangle \times (-5+81) \\
 \mathbf{19344} &:= (-4! \times 4 + 3!!) \times \langle \sqrt{9} \parallel 1 \rangle
 \end{aligned}
 \quad
 \begin{aligned}
 \mathbf{27883} &:= -3! + \langle (8+8) \parallel 7 \rangle^2 \\
 \mathbf{27889} &:= \langle (\sqrt{9} \times 8 - 8) \parallel 7 \rangle^2 \\
 \mathbf{28644} &:= \langle 4 \parallel \sqrt{4} \rangle \times 682 \\
 \mathbf{28764} &:= (-\langle 4! \parallel 6 \rangle + 7!) \times (8-2) \\
 \mathbf{29405} &:= (5! + 0!) \times \langle 4! \parallel \sqrt{9} \rangle + 2
 \end{aligned}$$

$$29524 := \langle 4! \parallel 2 \rangle \times \left( 5! + \sqrt{(\sqrt{9})!} - 2 \right)$$

$$29748 := \left( -\langle 8 \parallel \sqrt{4} \rangle + 7! \right) \times \sqrt{9} \times 2$$

$$29789 := \left\langle \sqrt{9} \parallel (8 - 7) \right\rangle^{\sqrt{9}} - 2$$

$$29793 := \left\langle 3 \parallel -(\sqrt{9})! + 7 \right\rangle^{\sqrt{9}} + 2$$

$$29808 := \langle 8 \parallel 0! \rangle \times \left( 8 + (\sqrt{9})!! / 2 \right)$$

$$29848 := \left\langle 8 \parallel \sqrt{4} \right\rangle \times \left( 8 + (\sqrt{9})!! \right) / 2$$

$$29994 := -\langle 4! \parallel (\sqrt{9})! \rangle + (\sqrt{9})! \times (9 - 2)!$$

$$30172 := -2 + (7! - \langle 1 \parallel 0! \rangle) \times 3!$$

$$30174 := \sqrt{4} \times (7! - \langle 1 \parallel 0! \rangle) \times 3$$

$$30282 := \left\langle \sqrt{2 \times 8} \parallel 2 \right\rangle \times (0! + 3!!)$$

$$30378 := (-8 + 7! + \langle 3 \parallel 0! \rangle) \times 3!$$

$$30473 := 3! \times 7! + \langle (4! - 0!) \parallel 3 \rangle$$

$$30474 := \left( -\sqrt{4} + 7! + \langle 4 \parallel 0! \rangle \right) \times 3!$$

$$30476 := 6 \times 7! + \langle (4! - 0!) \parallel 3! \rangle$$

$$30478 := -8 + (7! + \langle 4 \parallel 0! \rangle) \times 3!$$

$$30504 := \langle 4 \parallel 0! \rangle \times ((5 - 0!)! + 3!!)$$

$$30606 := ((6 + 0!)! + \langle 6 \parallel 0! \rangle) \times 3!$$

$$30636 := (\langle 6 \parallel 3! \rangle + (6 + 0!)!) \times 3!$$

$$30879 := (\sqrt{9})! \times 7! - \langle 8 \parallel 0! \rangle + 3!!$$

$$30897 := -7! + \left\langle \sqrt{9} \parallel \sqrt{8 + 0!} \right\rangle^3$$

$$31899 := \left\langle 9 \parallel \sqrt{9} \right\rangle \times (8 - 1)^3$$

$$32085 := 5 \times \langle 8 \parallel 0! \rangle^2 - 3!!$$

$$32448 := \left\langle (8 + \sqrt{4}) \parallel 4 \right\rangle^2 \times 3$$

$$32452 := (2 + 5!) \times \langle (4! + 2) \parallel 3! \rangle$$

$$33534 := \langle 4! \parallel 3 \rangle \times (5! + 3 \times 3!)$$

$$33768 := 8 \times 67 \times \langle 3! \parallel 3 \rangle$$

$$33924 := \left( \sqrt{4} + 2^9 \right) \times \langle 3! \parallel 3! \rangle$$

$$34398 := 8! + 9 \times \left( \langle 3! \parallel \sqrt{4} \rangle - 3!! \right)$$

$$34484 := -4 + 8! - 4! \times \langle 4! \parallel 3 \rangle$$

$$34486 := \left( 6! + \langle 8 \parallel \sqrt{4} \rangle \right) \times 43$$

$$34593 := \left( \langle 3! \parallel (\sqrt{9})! \rangle + 5! \right)^{\sqrt{4}} - 3$$

$$34599 := \left( \langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle + 5! \right)^{\sqrt{4}} + 3$$

$$34704 := \langle 4! \parallel (0 \times 7)! \rangle \times 4! \times 3!$$

$$35448 := 8! - 4! \times \langle (4 \times 5) \parallel 3 \rangle$$

$$35777 := 7 \times (7! + \langle 7 \parallel (-5 + 3!) \rangle)$$

$$35939 := \left\langle \sqrt{9} \parallel 3 \right\rangle^{\sqrt{9}} + 5 - 3$$

$$36432 := 23 \times 4! \times \langle 6 \parallel 3! \rangle$$

$$37044 := 4 \times \left\langle \sqrt{4} \parallel (0 \times 7)! \right\rangle^3$$

$$37297 := \left\langle 7 \parallel \sqrt{9} \right\rangle^2 \times 7 - 3!$$

$$37453 := 3!! \times \left\langle 5 \parallel \sqrt{4} \right\rangle + 7 + 3!$$

$$37536 := 6^3! - 5! \times \langle 7 \parallel 3! \rangle$$

$$37596 := \left( 6! + \sqrt{9} \right) \times \left\langle 5 \parallel \sqrt{7 - 3} \right\rangle$$

$$38155 := -5 + \left\langle 5 \parallel \sqrt{1 + 8} \right\rangle \times 3!!$$

$$38428 := 8! - \left\langle 2 \parallel \sqrt{4} \right\rangle \times \langle 8 \parallel 3! \rangle$$

$$38634 := -\langle 4! \parallel 3! \rangle - 6! + 8! - 3!!$$

$$38966 := 6! \times 6 \times 9 + \langle 8 \parallel 3! \rangle$$

$$39105 := 5 \times \langle 0! \parallel 1 \rangle \times (-9 + 3!!)$$

$$39302 := -2 + \left( 0! + \left\langle 3 \parallel \sqrt{9} \right\rangle \right)^3$$

$$39304 := (\langle 4 \parallel 03 \rangle - 9)^3$$

$$39375 := 5^{7-3} \times \left\langle (\sqrt{9})! \parallel 3 \right\rangle$$

$$\mathbf{39468} := 8! - 6! - 4 \times \langle \sqrt{9} \parallel 3 \rangle$$

$$\mathbf{39498} := 8! - \langle 9 \parallel \sqrt{4} \rangle \times 9 + 3!$$

$$\mathbf{39509} := -\langle 9 \parallel 0! \rangle + (5 + \sqrt{9})! - 3!!$$

$$\mathbf{39658} := 8! - 5 + \langle 6 \parallel \sqrt{9} \rangle - 3!!$$

$$\mathbf{39687} := 7!/8 \times \langle 6 \parallel \sqrt{9} \rangle - 3$$

$$\mathbf{40199} := 9!/9 - \langle 1 \parallel 0! \rangle^{\sqrt{4}}$$

$$\mathbf{40208} := 8! - \langle \langle 0! \parallel (2 \times 0)! \rangle \parallel \sqrt{4} \rangle$$

$$\mathbf{40238} := 8! - \langle (3! + 2) \parallel \sqrt{04} \rangle$$

$$\mathbf{40258} := 8! - \langle (5 - 2)! \parallel \sqrt{04} \rangle$$

$$\mathbf{40268} := 8! - \langle (6 - (2 \times 0)!) \parallel \sqrt{4} \rangle$$

$$\mathbf{39688} := -8 + 8! - 6! + \langle 9 \parallel 3! \rangle$$

$$\mathbf{39786} := -6 + 8 \times \left( 7! - \langle (\sqrt{9})! \parallel 3! \rangle \right)$$

$$\mathbf{39789} := -\sqrt{9} + 8 \times \left( 7! - \langle (\sqrt{9})! \parallel 3! \rangle \right)$$

$$\mathbf{39792} := 2^{\sqrt{9}} \times \left( 7! - \langle (\sqrt{9})! \parallel 3! \rangle \right)$$

$$\mathbf{39828} := 8! - 2 \times \langle (8 \times \sqrt{9}) \parallel 3! \rangle$$

$$\mathbf{40353} := (3 + 5)! + \langle 3 \parallel 0! \rangle + \sqrt{4}$$

$$\mathbf{40362} := (2 + 6)! + \langle (3 + 0!) \parallel \sqrt{4} \rangle$$

$$\mathbf{40364} := (\sqrt{4} + 6)! + \langle (3 + 0!) \parallel 4 \rangle$$

$$\mathbf{40378} := 8! - 7 + \langle 3! \parallel 0! \rangle + 4$$

$$\mathbf{40381} := 1 \times 8! + \langle 3! \parallel (0 \times 4)! \rangle$$

$$\mathbf{39834} := \langle 4! \parallel 3 \rangle + 8! - 9^3$$

$$\mathbf{39844} := \langle 4! \parallel 4 \rangle + 8! - (9 - 3)!$$

$$\mathbf{39848} := 8! + \langle 4! \parallel 8 \rangle - (9 - 3)!$$

$$\mathbf{39854} := \langle 4! \parallel 5 \rangle + 8! + 9 - 3!!$$

$$\mathbf{39879} := (\sqrt{9} + 7!/8) \times \langle (\sqrt{9})! \parallel 3 \rangle$$

$$\mathbf{40384} := \sqrt{4} + 8! + \langle 3! \parallel \sqrt{04} \rangle$$

$$\mathbf{40394} := (4!/\sqrt{9})! + \langle (3! + 0!) \parallel 4 \rangle$$

$$\mathbf{40401} := \langle (10 \times \sqrt{4}) \parallel 0! \rangle^{\sqrt{4}}$$

$$\mathbf{40479} := -9 + 7 \times \langle 4! \parallel 0! \rangle \times 4!$$

$$\mathbf{40524} := (4 \times 2)! + \langle 5 \parallel 0! \rangle \times 4$$

$$\mathbf{39918} := 8! - \left( 1 + \langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle \right) \times 3!$$

$$\mathbf{39924} := (4 \times 2)! - \langle (\sqrt{9})! \parallel (\sqrt{9})! \rangle \times 3!$$

$$\mathbf{39942} := (2 \times 4)! - \langle (\sqrt{9})! \parallel \sqrt{9} \rangle \times 3!$$

$$\mathbf{39948} := 8! - 4 \times \langle 9 \parallel (9/3) \rangle$$

$$\mathbf{40058} := 8! - (5! + \langle 0! \parallel 0! \rangle) \times \sqrt{4}$$

$$\mathbf{40548} := 8! + 4! + \langle 5 \parallel 0! \rangle \times 4$$

$$\mathbf{40564} := (\sqrt{4} + 6)! + \langle (5 - 0)! \parallel 4 \rangle$$

$$\mathbf{40698} := 8! + (\sqrt{9})! \times \left( \langle 6 \parallel 0! \rangle + \sqrt{4} \right)$$

$$\mathbf{40869} := (-\sqrt{9} + 6!) \times (\langle 8 \parallel 0! \rangle - 4!)$$

$$\mathbf{40926} := (6! - 2) \times \left( \langle (\sqrt{9})! \parallel 0! \rangle - 4 \right)$$

$$\mathbf{40078} := 8! - \langle (-7 + \langle 0! \parallel 0! \rangle)! \parallel \sqrt{4} \rangle$$

$$\mathbf{40108} := 8! - \langle \langle (0! + 1) \parallel 0! \rangle \parallel \sqrt{4} \rangle$$

$$\mathbf{40158} := 8! - \langle 5 + \langle 1 \parallel 0! \rangle \parallel \sqrt{4} \rangle$$

$$\mathbf{40184} := -4! + 8! - \langle \langle 1 \parallel 0! \rangle \parallel \sqrt{4} \rangle$$

$$\mathbf{40185} := -5! + 8! + \langle 1 \parallel 0! \rangle + 4$$

$$\mathbf{40938} := 8! + 3!! - \langle (9 + 0!) \parallel \sqrt{4} \rangle$$

$$\mathbf{40978} := 8! + 7 \times \langle 9 \parallel 04 \rangle$$

$$\mathbf{40983} := 3!! + 8! - \langle (\sqrt{9})! \parallel 0! \rangle + 4$$

$$\mathbf{40998} := 8! + (\sqrt{9})!! - \langle (\sqrt{9} + 0!) \parallel \sqrt{4} \rangle$$

$$\mathbf{42384} := 4! \times \langle 8 \parallel 3! \rangle + (2 \times 4)!$$

$$\mathbf{43533} := \langle 3! \parallel 3 \rangle \times (-5 + 3!! - 4!)$$

$$\mathbf{43648} := (8 - 4! + 6!) \times \langle 3! \parallel \sqrt{4} \rangle$$

$$\mathbf{43856} := 6! \times 5 + 8! - \langle 3! \parallel 4 \rangle$$

$$\mathbf{43913} := \langle 3! \parallel 1 \rangle \times (\sqrt{9})!! - 3 - 4$$

$$\mathbf{43919} := \langle (\sqrt{9})! \parallel 1 \rangle \times (\sqrt{9})!! + 3 - 4$$

$$\mathbf{44164} := \langle (4! - 6) \parallel 1 \rangle \times \langle 4! \parallel 4 \rangle$$

$$\mathbf{44394} := (-4 + (\sqrt{9})!!) \times \langle 3! \parallel \sqrt{4} \rangle + \sqrt{4}$$

$$\mathbf{44398} := 8! + (\sqrt{9})! \times 3!! - \langle 4! \parallel \sqrt{4} \rangle$$

$$\mathbf{44469} := \sqrt{9^6} \times \langle 4! \parallel 4 \rangle / 4$$

$$\mathbf{44528} := (8^2 + 5!) \times \langle 4! \parallel \sqrt{4} \rangle$$

$$\mathbf{44616} := 6! \times \langle (1 \times 6) \parallel \sqrt{4} \rangle - 4!$$

$$\mathbf{44633} := -3 + 3!! \times \langle 6 \parallel \sqrt{4} \rangle - 4$$

$$\mathbf{44634} := -4 + 3!! \times \langle 6 \parallel \sqrt{4} \rangle - \sqrt{4}$$

$$\mathbf{44636} := 6! \times \langle 3! \parallel (6 - 4) \rangle - 4$$

$$\mathbf{44639} := \sqrt{9} + 3!! \times \langle 6 \parallel \sqrt{4} \rangle - 4$$

$$\mathbf{44642} := (2 + 4)! \times \langle 6 \parallel \sqrt{4} \rangle + \sqrt{4}$$

$$\mathbf{44644} := (4!/4)! \times \langle 6 \parallel \sqrt{4} \rangle + 4$$

$$\mathbf{44646} := \langle 6 \parallel \sqrt{4} \rangle \times 6! + \sqrt{4} + 4$$

$$\mathbf{44662} := -2 + 6! \times \langle 6 \parallel \sqrt{4} \rangle + 4!$$

$$\mathbf{44764} := (\sqrt{4} + 6!) \times \langle (7 - 4)! \parallel \sqrt{4} \rangle$$

$$\mathbf{44918} := 8! + 19 \times \langle 4! \parallel \sqrt{4} \rangle$$

$$\mathbf{44942} := -2 + \langle (4! - \sqrt{9}) \parallel \sqrt{4} \rangle^{\sqrt{4}}$$

$$\mathbf{45308} := 8! + (0! + 3!)! - \langle 5 \parallel \sqrt{4} \rangle$$

$$\mathbf{45696} := (6! - (\sqrt{9})!) \times \langle (6!/5!) \parallel 4 \rangle$$

$$\mathbf{45699} := \langle (\sqrt{9})! \parallel \sqrt{9} \rangle \times (6! + 5) + 4!$$

$$\mathbf{46344} := \langle 4! \parallel 4! \rangle + 3!! \times 64$$

$$\mathbf{46384} := -\langle 4! \parallel 8 \rangle + 3!^6 - 4!$$

$$\mathbf{46535} := -5 + \langle 3! \parallel 5 \rangle \times (6! - 4)$$

$$\mathbf{46605} := -\langle 5 \parallel 0! \rangle + \sqrt{6^{(6 \times \sqrt{4})}}$$

$$\mathbf{46619} := -\langle (\sqrt{9})! \parallel 1 \rangle + 6^6 + 4!$$

$$\mathbf{46693} := \langle 3 \parallel \sqrt{9} \rangle + 6^6 + 4$$

$$\mathbf{46944} := \langle 4! \parallel 4! \rangle + (\sqrt{9})!^6 + 4!$$

$$\mathbf{46968} := (-8 + 6!) \times \langle (\sqrt{9})! \parallel 6 \rangle - 4!$$

$$\mathbf{46978} := 8! \times 7 / (\sqrt{9})! - \langle 6 \parallel \sqrt{4} \rangle$$

$$\mathbf{47089} := (\langle \sqrt{9} \parallel (8 \times 0)! \rangle \times 7)^{\sqrt{4}}$$

$$\mathbf{47334} := (\langle 4! \parallel 3! \rangle + 3!!) \times \sqrt{7^4}$$

$$\mathbf{47424} := 4 \times 2 \times \langle 4! \parallel 7 \rangle \times 4!$$

$$\mathbf{47448} := 8 \times 4! \times \langle 4! \parallel 7 \rangle + 4!$$

$$\mathbf{47524} := (\langle (4! - 2) \parallel 5 \rangle - 7)^{\sqrt{4}}$$

$$\mathbf{49005} := 5 \times (\langle 0! \parallel 0! \rangle \times 9)^{\sqrt{4}}$$

$$\mathbf{49236} := \langle 6 \parallel 3! \rangle \times (2 + (\sqrt{9})!! + 4!)$$

$$\mathbf{49675} := -5 + 7! + 6! \times \langle (\sqrt{9})! \parallel \sqrt{4} \rangle$$

$$\mathbf{49923} := 3 \times \langle (2 \times (\sqrt{9})!) \parallel 9 \rangle^{\sqrt{4}}$$

$$\mathbf{50765} := (-5 + 6!) \times \langle 7 \parallel (0 \times 5)! \rangle$$

$$\mathbf{50907} := \langle 7 \parallel 0! \rangle \times (-\sqrt{9} + (0! + 5)!)$$

$$\mathbf{51479} := 9!/7 - \langle 4! \parallel 1 \rangle - 5!$$

$$\mathbf{53694} := (\langle 4! \parallel 9 \rangle - 6!) \times (3! - 5!)$$

$$\mathbf{54336} := 6^3! + \langle 3! \parallel 4 \rangle \times 5!$$

$$\mathbf{57148} := 8! + \langle \sqrt{4} \parallel 1 \rangle + 7^5$$

$$\mathbf{58444} := \langle 4! \parallel \sqrt{4} \rangle^{\sqrt{-4+8}} - 5!$$

$$\mathbf{59014} := -4! - \langle 1 \parallel 0! \rangle + 9^5$$

$$\mathbf{59018} := -\langle \sqrt{8+1} \parallel 0! \rangle + 9^5$$

$$\mathbf{59024} := -4 - \langle 2 \parallel 0! \rangle + 9^5$$

$$\mathbf{59028} := -\langle \sqrt{8/2} \parallel 0! \rangle + 9^5$$

$$\mathbf{59109} := \langle (\sqrt{9})! \parallel 0! \rangle - 1 + 9^5$$

$$\mathbf{59134} := 4! + \langle 3! \parallel 1 \rangle + 9^5$$

$$\mathbf{59291} := \langle (1 + \sqrt{9})! \parallel 2 \rangle + 9^5$$

$$\mathbf{59294} := \langle 4! \parallel \sqrt{9} \rangle + 2 + 9^5$$

$$\mathbf{59345} := \langle (5 + 4!) \parallel 3! \rangle + 9^5$$

$$\mathbf{59433} := 3! \times \langle 3! \parallel 4 \rangle + 9^5$$

$$\mathbf{59497} := 7 \times \langle (\sqrt{9})! \parallel 4 \rangle + 9^5$$

$$\mathbf{59938} := 8! + 3^9 - \langle (\sqrt{9})! \parallel 5 \rangle$$

$$\mathbf{60439} := 9!/3! - \langle 4 \parallel (0 \times 6)! \rangle$$

$$\mathbf{62436} := (6! + 3!) \times \langle 4 \times 2 \parallel 6 \rangle$$

$$\mathbf{62494} := \left( \langle 4! \parallel (\sqrt{9})! \rangle + 4 \right)^2 - 6$$

$$\mathbf{62638} := \langle 8 \parallel 3! \rangle \times 6! - 2 + 6!$$

$$\mathbf{63888} := \langle 8 \parallel \sqrt{8 \times 8} \rangle \times (3! + 6!)$$

$$\mathbf{64728} := \langle \sqrt{8^2} \parallel 7 \rangle \times (4! + 6!)$$

$$\mathbf{64944} := 4! \times (\sqrt{4} + 9) \times \langle 4! \parallel 6 \rangle$$

$$\mathbf{64984} := 4^8 - \langle 9 \parallel \sqrt{4} \rangle \times 6$$

$$\mathbf{66898} := \langle 8 \parallel \sqrt{9} \rangle \times (86 + 6!)$$

$$\mathbf{66954} := \langle 4 + 5 \parallel \sqrt{9} \rangle \times 6! - 6$$

$$\mathbf{66996} := 6! \times \langle 9 \parallel \sqrt{9} \rangle + 6 \times 6$$

$$\mathbf{68395} := -5 + \langle 9 \parallel (-3 + 8) \rangle \times 6!$$

$$\mathbf{69399} := -9 + \langle 9 \parallel 3! \rangle \times (\sqrt{9} + 6!)$$

$$\mathbf{69549} := \left( \langle 9 \parallel (\sqrt{4}) + 5 \rangle \right) \times (-\sqrt{9} + 6!)$$

$$\mathbf{70682} := 2 \times (8! + \langle 6 \parallel 0! \rangle - 7!)$$

$$\mathbf{71065} := 5^6 + \langle 0! \parallel 1 \rangle \times 7!$$

$$\mathbf{71999} := (\sqrt{9})!! \times \langle 9 \parallel \sqrt{9} \rangle - 1 + 7!$$

$$\mathbf{73444} := \langle 4! \parallel 4 \rangle \times 43 \times 7$$

$$\mathbf{74347} := 7 \times 43 \times \langle 4! \parallel 7 \rangle$$

$$\mathbf{77448} := 8! + (\langle 4! \parallel 4! \rangle + 7!) \times 7$$

$$\mathbf{79989} := 9! - (8! + \langle 9 \parallel \sqrt{9} \rangle) \times 7$$

$$\mathbf{80472} := (2 \times 7! - \langle \sqrt{4} \parallel 0! \rangle) \times 8$$

$$\mathbf{80529} := -9 + 2 \times (-\langle 5 \parallel 0! \rangle + 8!)$$

$$\mathbf{80532} := 2 \times (-3 - \langle 5 \parallel 0! \rangle + 8!)$$

$$\mathbf{80538} := (-8 + 3!) \times (\langle 5 \parallel 0! \rangle - 8!)$$

$$\mathbf{80583} := -3! + 8! - \langle 5 \parallel 0! \rangle + 8!$$

$$\mathbf{80589} := \sqrt{9} \times 8! - \langle 5 \parallel 0! \rangle - 8!$$

$$\mathbf{80598} := 8! + 9 - \langle 5 \parallel 0! \rangle + 8!$$

$$\mathbf{80662} := 2 \times (\langle (6/6) \parallel 0! \rangle + 8!)$$

$$\mathbf{80682} := 2 \times (\langle (8-6) \parallel 0! \rangle + 8!)$$

$$\mathbf{80698} := 8! - \sqrt{9} + \langle 6 \parallel 0! \rangle + 8!$$

$$\mathbf{80728} := 8! \times 2 + \langle (7 + 0!) \parallel 8 \rangle$$

$$\mathbf{80742} := 2 \times \langle (-\sqrt{4} + 7) \parallel 0! \rangle + 8!$$

$$\mathbf{80762} := 2 \times (\langle 6 \parallel (7 \times 0)! \rangle + 8!)$$

$$\mathbf{80782} := 2 \times (8! + \langle 7 \parallel (0 \times 8)! \rangle)$$

$$\mathbf{80794} := \sqrt{4} \times \left( (\sqrt{9})! + \langle 7 \parallel 0! \rangle + 8! \right)$$

$$\mathbf{80804} := \sqrt{4} \times (0! + \langle 8 \parallel 0! \rangle + 8!)$$

$$\mathbf{80842} := 2 \times \left( \langle (\sqrt{4} + 8) \parallel 0! \rangle + 8! \right)$$

$$\mathbf{80883} := 3 \times (8! + \langle 8 \parallel 0! \rangle) - 8!$$

$$\mathbf{80942} := 2 \times (\langle (4! - 9) \parallel 0! \rangle + 8!)$$

$$\mathbf{80982} := 2 \times (\langle (8 + 9) \parallel 0! \rangle + 8!)$$

$$\mathbf{85344} := \left( \langle 4 \parallel \sqrt{4} \rangle + 3!! \right) \times (5! - 8)$$

$$\begin{aligned}
87744 &:= (4! \times \langle 4! \parallel 7 \rangle + 7!) \times 8 \\
90567 &:= (7! \times 6 - \langle 5 \parallel 0! \rangle) \times \sqrt{9} \\
92364 &:= (-4 + 6!) \times \langle (3! \times 2) \parallel 9 \rangle \\
92493 &:= (3!! - \sqrt{9}) \times \langle (4!/2) \parallel 9 \rangle \\
93024 &:= (-\sqrt{4} + \langle 2 \parallel 0! \rangle)! / (3! + 9)! \\
93504 &:= (-\langle 4 \parallel 0! \rangle + 5^{3!}) \times (\sqrt{9})!
\end{aligned}$$

$$\begin{aligned}
93955 &:= -5 + 5! \times \left( (\sqrt{9})!! + \langle 3! \parallel \sqrt{9} \rangle \right) \\
94058 &:= \langle (8+5) \parallel 0! \rangle \times \left( -\sqrt{4} + (\sqrt{9})!! \right) \\
94794 &:= (4 \times \sqrt{9})!/7! - \langle 4! \parallel (\sqrt{9})! \rangle \\
96624 &:= (4! + 2 \times 6!) \times \langle 6 \parallel (\sqrt{9})! \rangle \\
98404 &:= \langle 4! \parallel 0! \rangle^{\sqrt{4}} + 8! + \sqrt{9} \\
99645 &:= 5 \times \left( \langle 4! \parallel 6 \rangle + \sqrt{9^9} \right)
\end{aligned}$$

### 3 Number Patterns

In 1966, Madachy [14] pp. 174-175, gave an idea of number patterns writing as:

$$\begin{array}{lll}
3^4 \times 425 := 34425 & 31^2 \times 325 := 312325 & 73 \times 9 \times 42 := 73942 \\
3^4 \times 4250 := 344250 & 31^2 \times 3250 := 3123250 & 73 \times 9 \times 420 := 739420 \\
3^4 \times 42500 := 3442500 & 31^2 \times 32500 := 31232500 & 73 \times 9 \times 4200 := 7394200
\end{array}$$

Based on same idea as above, there are some concatenation-type selfie numbers, those can be extended in patterned form just multiplying successively by 10. See below examples:

$$\begin{array}{ll}
305 := \langle 3! \parallel 0! \rangle \times 5 & 1968 := \langle (1 + \sqrt{9})! \parallel 6 \rangle \times 8 \\
3050 := \langle 3! \parallel 0! \rangle \times 50 & 19680 := \langle (1 + \sqrt{9})! \parallel 6 \rangle \times 80 \\
30500 := \langle 3! \parallel 0! \rangle \times 500 & 196800 := \langle (1 + \sqrt{9})! \parallel 6 \rangle \times 800 \\
396 := \langle 3! \parallel (\sqrt{9})! \rangle \times 6 & 3905 := (3!! + \langle (\sqrt{9})! \parallel 0! \rangle) \times 5 \\
3960 := \langle 3! \parallel (\sqrt{9})! \rangle \times 60 & 39050 := (3!! + \langle (\sqrt{9})! \parallel 0! \rangle) \times 50 \\
39600 := \langle 3! \parallel (\sqrt{9})! \rangle \times 600 & 390500 := (3!! + \langle (\sqrt{9})! \parallel 0! \rangle) \times 500 \\
492 := \langle 4! \parallel (\sqrt{9})! \rangle \times 2 & 10285 := \langle 1 \parallel 0! \rangle^2 \times 85 \\
4920 := \langle 4! \parallel (\sqrt{9})! \rangle \times 20 & 102850 := \langle 1 \parallel 0! \rangle^2 \times 850 \\
49200 := \langle 4! \parallel (\sqrt{9})! \rangle \times 200 & 1028500 := \langle 1 \parallel 0! \rangle^2 \times 8500 \\
1446 := (-1 + \langle 4! \parallel \sqrt{4} \rangle) \times 6 & 10635 := (-\langle 1 \parallel 0! \rangle + 6!) \times 3 \times 5 \\
14460 := (-1 + \langle 4! \parallel \sqrt{4} \rangle) \times 60 & 106350 := (-\langle 1 \parallel 0! \rangle + 6!) \times 3 \times 50 \\
144600 := (-1 + \langle 4! \parallel \sqrt{4} \rangle) \times 600 & 1063500 := (-\langle 1 \parallel 0! \rangle + 6!) \times 3 \times 500
\end{array}$$

<b>10648</b> := $\langle 1 \parallel 0! \rangle^{6/\sqrt{4}} \times 8$	<b>30667</b> := $(\langle 3! \parallel 0! \rangle + 6! \times 6) \times 7$
<b>106480</b> := $\langle 1 \parallel 0! \rangle^{6/\sqrt{4}} \times 80$	<b>306670</b> := $(\langle 3! \parallel 0! \rangle + 6! \times 6) \times 70$
<b>1064800</b> := $\langle 1 \parallel 0! \rangle^{6/\sqrt{4}} \times 800$	<b>3066700</b> := $(\langle 3! \parallel 0! \rangle + 6! \times 6) \times 700$
<b>14056</b> := $\langle (1 + 4!) \parallel 0! \rangle \times 56$	<b>33044</b> := $(3!! + \langle 3 \parallel 0! \rangle) \times 44$
<b>140560</b> := $\langle (1 + 4!) \parallel 0! \rangle \times 560$	<b>330440</b> := $(3!! + \langle 3 \parallel 0! \rangle) \times 440$
<b>1405600</b> := $\langle (1 + 4!) \parallel 0! \rangle \times 5600$	<b>3304400</b> := $(3!! + \langle 3 \parallel 0! \rangle) \times 4400$
<b>15129</b> := $\langle (-1 + 5) \parallel 1 \rangle^2 \times 9$	<b>33124</b> := $\langle (3 \times 3) \parallel 1 \rangle^2 \times 4$
<b>151290</b> := $\langle (-1 + 5) \parallel 1 \rangle^2 \times 90$	<b>331240</b> := $\langle (3 \times 3) \parallel 1 \rangle^2 \times 40$
<b>1512900</b> := $\langle (-1 + 5) \parallel 1 \rangle^2 \times 900$	<b>3312400</b> := $\langle (3 \times 3) \parallel 1 \rangle^2 \times 400$
<b>19225</b> := $\left(1 + \left\langle \left(\sqrt{9}\right)! \parallel 2 \right\rangle^2\right) \times 5$	<b>33327</b> := $(\langle 3! \parallel 3 \rangle + 3!)^2 \times 7$
<b>192250</b> := $\left(1 + \left\langle \left(\sqrt{9}\right)! \parallel 2 \right\rangle^2\right) \times 50$	<b>333270</b> := $(\langle 3! \parallel 3 \rangle + 3!)^2 \times 70$
<b>1922500</b> := $\left(1 + \left\langle \left(\sqrt{9}\right)! \parallel 2 \right\rangle^2\right) \times 500$	<b>3332700</b> := $(\langle 3! \parallel 3 \rangle + 3!)^2 \times 700$
<b>25405</b> := $((2 + 5)! + \langle 4 \parallel 0! \rangle) \times 5$	<b>39052</b> := $(3!! + \langle \sqrt{9} \parallel 0! \rangle) \times 52$
<b>254050</b> := $((2 + 5)! + \langle 4 \parallel 0! \rangle) \times 50$	<b>390520</b> := $(3!! + \langle \sqrt{9} \parallel 0! \rangle) \times 520$
<b>2540500</b> := $((2 + 5)! + \langle 4 \parallel 0! \rangle) \times 500$	<b>3905200</b> := $(3!! + \langle \sqrt{9} \parallel 0! \rangle) \times 5200$
<b>25575</b> := $(\langle (2 + 5) \parallel 5 \rangle + 7!) \times 5$	<b>39105</b> := $(3!! - 9) \times \langle 1 \parallel 0! \rangle \times 5$
<b>255750</b> := $(\langle (2 + 5) \parallel 5 \rangle + 7!) \times 50$	<b>391050</b> := $(3!! - 9) \times \langle 1 \parallel 0! \rangle \times 50$
<b>2557500</b> := $(\langle (2 + 5) \parallel 5 \rangle + 7!) \times 500$	<b>3910500</b> := $(3!! - 9) \times \langle 1 \parallel 0! \rangle \times 500$
<b>30576</b> := $(\langle 3! \parallel 0! \rangle - 5 + 7!) \times 6$	<b>39768</b> := $\left(-\left\langle 3! \parallel \sqrt{9} \right\rangle + 7! - 6\right) \times 8$
<b>305760</b> := $(\langle 3! \parallel 0! \rangle - 5 + 7!) \times 60$	<b>397680</b> := $\left(-\left\langle 3! \parallel \sqrt{9} \right\rangle + 7! - 6\right) \times 80$
<b>3057600</b> := $(\langle 3! \parallel 0! \rangle - 5 + 7!) \times 600$	<b>3976800</b> := $\left(-\left\langle 3! \parallel \sqrt{9} \right\rangle + 7! - 6\right) \times 800$
<b>30606</b> := $((3! + 0!)! + \langle 6 \parallel 0! \rangle) \times 6$	<b>40959</b> := $\langle 4 \parallel 0! \rangle \times (-9 + 5!) \times 9$
<b>306060</b> := $((3! + 0!)! + \langle 6 \parallel 0! \rangle) \times 60$	<b>409590</b> := $\langle 4 \parallel 0! \rangle \times (-9 + 5!) \times 90$
<b>3060600</b> := $((3! + 0!)! + \langle 6 \parallel 0! \rangle) \times 600$	<b>4095900</b> := $\langle 4 \parallel 0! \rangle \times (-9 + 5!) \times 900$
<b>30636</b> := $((3! + 0!)! + \langle 6 \parallel 3! \rangle) \times 6$	<b>45909</b> := $\left(\left(\sqrt{4} + 5\right)! + \left\langle \left(\sqrt{9}\right)! \parallel 0! \right\rangle\right) \times 9$
<b>306360</b> := $((3! + 0!)! + \langle 6 \parallel 3! \rangle) \times 60$	<b>459090</b> := $\left(\left(\sqrt{4} + 5\right)! + \left\langle \left(\sqrt{9}\right)! \parallel 0! \right\rangle\right) \times 90$
<b>3063600</b> := $((3! + 0!)! + \langle 6 \parallel 3! \rangle) \times 600$	<b>4590900</b> := $\left(\left(\sqrt{4} + 5\right)! + \left\langle \left(\sqrt{9}\right)! \parallel 0! \right\rangle\right) \times 900$

$$\mathbf{47424} := \langle 4! \parallel 7 \rangle \times 4! \times 2 \times 4$$

$$\mathbf{474240} := \langle 4! \parallel 7 \rangle \times 4! \times 2 \times 40$$

$$\mathbf{4742400} := \langle 4! \parallel 7 \rangle \times 4! \times 2 \times 400$$

$$\mathbf{47488} := (\langle 4! \parallel 7 \rangle \times 4! + 8) \times 8$$

$$\mathbf{474880} := (\langle 4! \parallel 7 \rangle \times 4! + 8) \times 80$$

$$\mathbf{4748800} := (\langle 4! \parallel 7 \rangle \times 4! + 8) \times 800$$

$$\mathbf{49923} := \langle (4 \times \sqrt{9}) \parallel 9 \rangle^2 \times 3$$

$$\mathbf{499230} := \langle (4 \times \sqrt{9}) \parallel 9 \rangle^2 \times 30$$

$$\mathbf{4992300} := \langle (4 \times \sqrt{9}) \parallel 9 \rangle^2 \times 300$$

$$\mathbf{60846} := (\langle 6 \parallel 0! \rangle + 8!/4) \times 6$$

$$\mathbf{608460} := (\langle 6 \parallel 0! \rangle + 8!/4) \times 60$$

$$\mathbf{6084600} := (\langle 6 \parallel 0! \rangle + 8!/4) \times 600$$

$$\mathbf{63084} := (6! + \langle 3 \parallel 0! \rangle) \times 84$$

$$\mathbf{630840} := (6! + \langle 3 \parallel 0! \rangle) \times 840$$

$$\mathbf{6308400} := (6! + \langle 3 \parallel 0! \rangle) \times 8400$$

$$\mathbf{68085} := (6! + \langle 8 \parallel 0! \rangle) \times 85$$

$$\mathbf{680850} := (6! + \langle 8 \parallel 0! \rangle) \times 850$$

$$\mathbf{6808500} := (6! + \langle 8 \parallel 0! \rangle) \times 8500$$

$$\mathbf{69092} := (6! + \langle \sqrt{9} \parallel 0! \rangle) \times 92$$

$$\mathbf{690920} := (6! + \langle \sqrt{9} \parallel 0! \rangle) \times 920$$

$$\mathbf{6909200} := (6! + \langle \sqrt{9} \parallel 0! \rangle) \times 9200$$

$$\mathbf{69408} := 6 \times (\sqrt{9})! \times \langle 4! \parallel 0! \rangle \times 8$$

$$\mathbf{694080} := 6 \times (\sqrt{9})! \times \langle 4! \parallel 0! \rangle \times 80$$

$$\mathbf{6940800} := 6 \times (\sqrt{9})! \times \langle 4! \parallel 0! \rangle \times 800$$

$$\mathbf{69435} := (\langle 6 \parallel \sqrt{9} \rangle + 4!)^3 \times 5$$

$$\mathbf{694350} := (\langle 6 \parallel \sqrt{9} \rangle + 4!)^3 \times 50$$

$$\mathbf{6943500} := (\langle 6 \parallel \sqrt{9} \rangle + 4!)^3 \times 500$$

$$\mathbf{80482} := (-\langle 8 \parallel 0! \rangle + \sqrt{4} + 8!) \times 2$$

$$\mathbf{804820} := (-\langle 8 \parallel 0! \rangle + \sqrt{4} + 8!) \times 20$$

$$\mathbf{8048200} := (-\langle 8 \parallel 0! \rangle + \sqrt{4} + 8!) \times 200$$

$$\mathbf{80802} := (\langle 8 \parallel 0! \rangle + 8!) \times 02$$

$$\mathbf{80802} := (\langle 8 \parallel 0! \rangle + 8!) \times 020$$

$$\mathbf{80802} := (\langle 8 \parallel 0! \rangle + 8!) \times 0200$$

$$\mathbf{80832} := (8! + \langle (0! + 8) \parallel 3! \rangle) \times 2$$

$$\mathbf{808320} := (8! + \langle (0! + 8) \parallel 3! \rangle) \times 20$$

$$\mathbf{8083200} := (8! + \langle (0! + 8) \parallel 3! \rangle) \times 200$$

$$\mathbf{90782} := (\langle \sqrt{9} \parallel 0! \rangle + 7! + 8!) \times 2$$

$$\mathbf{907820} := (\langle \sqrt{9} \parallel 0! \rangle + 7! + 8!) \times 20$$

$$\mathbf{9078200} := (\langle \sqrt{9} \parallel 0! \rangle + 7! + 8!) \times 200$$

$$\mathbf{91295} := \langle \sqrt{9} \parallel 1 \rangle^2 \times 95$$

$$\mathbf{912950} := \langle \sqrt{9} \parallel 1 \rangle^2 \times 950$$

$$\mathbf{9129500} := \langle \sqrt{9} \parallel 1 \rangle^2 \times 9500$$

$$\mathbf{99225} := \langle (\sqrt{9})! \parallel \sqrt{9} \rangle^2 \times 25$$

$$\mathbf{992250} := \langle (\sqrt{9})! \parallel \sqrt{9} \rangle^2 \times 250$$

$$\mathbf{9922500} := \langle (\sqrt{9})! \parallel \sqrt{9} \rangle^2 \times 2500$$

## 4 Summary: Selfie Numbers

This section, we shall give some idea of selfie numbers calculated in different situations. These are divided in subsection as below.

### 4.1 Factorial

This subsection brings **selfie numbers** with use of **factorial**. See below some examples:

$$145 = 1! + 4! + 5!$$

$$733 = 7 + 3!! + 3!$$

$$5177 = 5! + 17 + 7!.$$

$$363239 = 36 + 323 + 9!$$

$$363269 = 363 + 26 + 9!$$

$$403199 = 40319 + 9!.$$

$$1463 = -1! + 4! + 6! + 3!!.$$

$$10077 = -1! - 0! - 0! + 7! + 7!.$$

$$40585 = 4! + 0! + 5! + 8! + 5!.$$

$$80518 = 8! - 0! - 5! - 1! + 8!.$$

$$317489 = -3! - 1! - 7! - 4! - 8! + 9!.$$

$$352797 = -3! + 5 - 2! - 7! + 9! - 7!.$$

$$357592 = -3! - 5! - 7! - 5! + 9! - 2!.$$

$$357941 = 3! + 5! - 7! + 9! - 4! - 1!.$$

$$361469 = 3! - 6! - 1! + 4! - 6! + 9!.$$

$$364292 = 3!! + 6! - 4! - 2! + 9! - 2!.$$

$$397584 = -3!! + 9! - 7! + 5! + 8! + 4!.$$

$$398173 = 3! + 9! + 8! + 1! - 7! + 3!.$$

$$408937 = -4! + 0! + 8! + 9! + 3!! + 7!.$$

$$715799 = -7! - 1! + 5! - 7! + 9! + 9!.$$

$$720599 = -7! - 2! + 0! - 5! + 9! + 9!.$$

For details refer author's work [30, 31].

### 4.2 Factorial and Square-Root

Below are some examples with **factorial** and **square-root** written in both ways, i.e., in digit's order and its reverse

$$5040 := (5 + 0 + \sqrt{4})! + 0 = 0 + (\sqrt{4} + 0 + 5)!$$

$$5041 := (5 + 0 + \sqrt{4})! + 1 = 1 + (\sqrt{4} + 0 + 5)!$$

$$5042 := (5 + 0 + \sqrt{4})! + 2 = 2 + (\sqrt{4} + 0 + 5)!$$

$$5043 := (5 + 0 + \sqrt{4})! + 3 = 3 + (\sqrt{4} + 0 + 5)!$$

$$5044 := (5 + 0 + \sqrt{4})! + 4 = 4 + (\sqrt{4} + 0 + 5)!$$

$$5045 := (5 + 0 + \sqrt{4})! + 5 = 5 + (\sqrt{4} + 0 + 5)!$$

$$5046 := (5 + 0 + \sqrt{4})! + 6 = 6 + (\sqrt{4} + 0 + 5)!$$

$$5047 := (5 + 0 + \sqrt{4})! + 7 = 7 + (\sqrt{4} + 0 + 5)!$$

$$5048 := (5 + 0 + \sqrt{4})! + 8 = 8 + (\sqrt{4} + 0 + 5)!$$

$$5049 := (5 + 0 + \sqrt{4})! + 9 = 9 + (\sqrt{4} + 0 + 5)!$$

$$\begin{aligned}
\mathbf{936} &:= (\sqrt{9})!^3 + 6! &= 6! + (3!)^{\sqrt{9}} \\
\mathbf{1296} &:= \sqrt{(1+2)!^9/6} &= 6^{(\sqrt{9}+2-1)} \\
\mathbf{2896} &:= 2 \times (8 + (\sqrt{9})!! + 6!) &= (6! + (\sqrt{9})!! + 8) \times 2 \\
\mathbf{331779} &:= 3 + (31 - 7)^{\sqrt{7+9}} &= \sqrt{9} + (7 \times 7 - 1)^3 \times 3 \\
\mathbf{342995} &:= (3^4 - 2 - 9)^{\sqrt{9}} - 5 &= -5 + (-9 + 9^2 - \sqrt{4})^3 \\
\mathbf{759375} &:= (-7 + 59 - 37)^5 &= (5 + 7 + 3)^{\sqrt{9}-5+7}. \\
\mathbf{759381} &:= 7 + (5 \times \sqrt{9})^{-3+8} - 1 = -1 + (8 \times 3 - 9)^5 + 7.
\end{aligned}$$

The following examples are in digit's order and its reverse separately:

$$\begin{array}{ll}
\mathbf{120} := ((1+2)! - 0!)! & \mathbf{25} := 5^2 \\
\mathbf{127} := -1 + 2^7 & \mathbf{64} := \sqrt{4^6} \\
\mathbf{1673} := -1 - 6 + 7!/3 & \mathbf{289} := (9+8)^2 \\
\mathbf{1679} := 1 + (-6 + 7!)/\sqrt{9} & \mathbf{3894} := (\sqrt{4} + \sqrt{(\sqrt{9})!^8}) \times 3 \\
\mathbf{1680} := (1+6)!/\sqrt{8+0!} & \mathbf{4957} := 7! - 59 - 4! \\
\mathbf{38970} := -3!! + 8! - 9 \times 70 & \mathbf{6992} := 2^9 + 9 \times 6! \\
\mathbf{38986} := -3 + 8! - \sqrt{(\sqrt{9}+8)^6} & \mathbf{26493} := (2+6)! - 4!^{\sqrt{9}} - 3 \\
\mathbf{40310} := (\sqrt{4^{03}})! - 10 & \mathbf{30792} := 3! \times ((0+7)! + 92) \\
\mathbf{90894} := -(\sqrt{9})! + ((0!+8)! + (\sqrt{9})!!)/4 & \mathbf{54476} := (5! + 4!^4 - 7!)/6 \\
\mathbf{91560} := ((\sqrt{9})! + 1)! + 5! \times (6! + 0!) & \mathbf{75989} := \sqrt{9} \times (8 - (\sqrt{9})!!) + 5^7
\end{array}$$

First column numbers are in **digit's order** and second columns are in **reverse order of digits**. For details refer author's work [18, 19, 20, 23, 24].

### 4.3 Fibonacci Sequence

Fibonacci sequence numbers are well known in literature. This sequence is defined as

$$F(0) = 0, \quad F(1) = 1, \quad F(n+1) = F(n) + F(n-1), \quad n \geq 1.$$

Below are examples of **selfie numbers** by use of **Fibonacci sequence values**. This we have done in different situations, such as using  $F(\cdot)$  and  $F(F(\cdot))$  in separate works. See below examples:

$$\begin{aligned}
\mathbf{834660} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 0 = 0 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834661} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 1 = 1 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834662} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 2 = 2 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834663} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 3 = 3 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834664} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 4 = 4 + 6 \times (6 + F(4) \times F(3 \times 8))
\end{aligned}$$

$$\begin{aligned}
\mathbf{834665} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 5 = 5 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834666} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 6 = 6 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834667} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 7 = 7 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834668} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 8 = 8 + 6 \times (6 + F(4) \times F(3 \times 8)) \\
\mathbf{834669} &:= (F(8 \times 3) \times F(4) + 6) \times 6 + 9 = 9 + 6 \times (6 + F(4) \times F(3 \times 8)).
\end{aligned}$$

$$\begin{aligned}
\mathbf{21960} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 0 = 0 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21961} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 1 = 1 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21962} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 2 = 2 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21963} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 3 = 3 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21964} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 4 = 4 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21965} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 5 = 5 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21966} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 6 = 6 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21967} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 7 = 7 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21968} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 8 = 8 + (F(F(F(6))) + F(9)) \times 1 \times 2 \\
\mathbf{21969} &:= 2 \times 1 \times (F(9) + F(F(F(6)))) + 9 = 9 + (F(F(F(6))) + F(9)) \times 1 \times 2.
\end{aligned}$$

$$\begin{aligned}
\mathbf{143} &:= -1 + F(4 \times 3) & &= F(3 \times 4) - 1 \\
\mathbf{986} &:= F(9) \times (F(8) + F(6)) & &= (F(6) + F(8)) \times F(9) \\
\mathbf{1178} &:= F(11) \times F(7) + F(8) & &= F(8) + F(7) \times F(11) \\
\mathbf{2585} &:= F(2) + F(5 + 8 + 5) & &= F(5 + 8 + 5) + F(2) \\
\mathbf{12819} &:= 1 + F(2 \times (8 - 1)) \times F(9) & &= F(9) \times F((-1 + 8) \times 2) + 1 \\
\mathbf{24297} &:= F(2 \times 4) \times F(2 + 9) \times F(7) & &= F(7) \times F(9 + 2) \times F(4 \times 2) \\
\mathbf{39394} &:= -3 + 93 + F(9)^{F(4)} & &= (-4 + F(9)) \times 3 + F(9)^3 \\
\mathbf{74997} &:= -7 \times 4 + F(9 + 9 + 7) & &= F(7 + 9 + 9) - 4 \times 7 \\
\mathbf{87937} &:= -8 + F(7) \times F(9 \times 3 - 7) & &= F(7) \times F(3 \times 9 - 7) - 8 \\
\mathbf{98703} &:= 9 \times (F(8) + F(7 \times 03)) & &= (F(3 \times 07) + F(8)) \times 9 \\
\\
\mathbf{34} &:= F(3 \times F(4)) & & \mathbf{36} := 6^{F(3)} \\
\mathbf{233} &:= F(F(-2 + 3 \times 3)) & & \mathbf{143} := F(3 \times 4) - 1 \\
\mathbf{630} &:= F(F(6)) \times 30 & & \mathbf{231} := F(13) - 2 \\
\mathbf{1178} &:= F(11) \times F(7) + F(8) & & \mathbf{377} := F(-7 + 7 \times 3) \\
\mathbf{2079} &:= (-2 + F(F(07))) \times 9 & & \mathbf{986} := (F(6) + F(8)) \times F(9) \\
\mathbf{4864} &:= F(F(4))^8 \times (F(F(6)) - F(F(4))) & & \mathbf{1165} := 5 \times F(F(6 \times 1 + 1)) \\
\mathbf{8759} &:= -F(9 - 5)^7 + F(F(8)) & & \mathbf{1596} := F(F(6) + 9) - F(F(F(5 - 1))) \\
\mathbf{8849} &:= -9 \times F(F(F(F(4))) - 8)) + F(F(8)) & & \mathbf{2592} := F(2 \times 9) + F(5 + F(2)) \\
\mathbf{9349} &:= -F(F(9)/F(F(4))) + F(F(F(-3 + 9))) & & \mathbf{9756} := F(F(F(6))) - 5 \times 7 \times F(9)
\end{aligned}$$

First three blocks are in both ways. In the last block the first column values are in **digit's order** and the second columns values are in **reverse order of digits**. For more details see author's [27, 28, 29].

## 4.4 Triangular Numbers

Triangular numbers are very much famous in the literature of mathematics. The general formula to write these numbers is given by

$$T(n) = 1 + 2 + 3 + \dots = \frac{n+1}{2} = C(n+1, 2)$$

The examples given in above subsections are with **factorial**, **square-root**, **Fibonacci sequence** numbers, etc. Still, one can have similar kind of results using **Triangular numbers**. See below some examples:

<b>1069</b> := $T(10) - T(6) + T(T(9))$	<b>874</b> := $T(T(T(4))) - T(T(7) + 8)$
<b>1081</b> := $T(1 + T(08 + 1))$	<b>0105</b> := $50 + T(10)$
<b>2887</b> := $T(T(T(T(2)))) + T(T(8) + T(8)) + T(7)$	<b>1155</b> := $-T(T(5)) + T(51 - 1)$
<b>4965</b> := $T(-4 + 9) + T(-T(6) + T(T(5)))$	<b>1224</b> := $T(T(T(4)) - T(T(2))) - 2 + 1$
<b>4999</b> := $49 + T(99)$	<b>2418</b> := $T(81) - T(42)$
<b>99545</b> := $T(9) + T(9) \times T(T(T(5) - 4)) + 5$	<b>99632</b> := $2 + (3 + T(T(6) + T(9))) \times T(9)$
<b>99546</b> := $T(9) + T(9) \times T(T(T(5) - 4)) + 6.$	<b>99633</b> := $3 + (3 + T(T(6) + T(9))) \times T(9).$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. In consecutive sequential values we have:

<b>2210</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 0 = 0 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2211</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 1 = 1 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2212</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 2 = 2 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2213</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 3 = 3 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2214</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 4 = 4 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2215</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 5 = 5 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2216</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 6 = 6 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2217</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 7 = 7 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2218</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 8 = 8 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$
<b>2219</b> := $T(T(T(T(T(T(2))))/T(T(T(2))))) - 1 + 9 = 9 - 1 + T(T(T(T(T(T(2))))/T(T(T(2)))))$ .

For more details see author's work [34]. Due to high quantity of numbers, we worked only up to 4 digits, i.e., from 1 to 9999.

## 4.5 Binomial Coefficients

**Binomial coefficients** are well known in literature. They are given by

$$C(m, r) = \frac{m!}{r! \times (m-r)!}, \quad m \geq r \geq 0, \quad m, r \in N.$$

In above subsections, we gave examples of selfie numbers with **Fibonacci sequence**, **Triangular numbers**, etc. Still, one can have similar kind results using **binomial coefficients**. See below

some examples written in **both ways, digit's order and reverse order of digits:**

$$\begin{aligned} \mathbf{6435} &:= C(C(6, 4), 3 + 5) &= C(5 \times 3, \sqrt{4} + 6) \\ \mathbf{15504} &:= C(15 + 5, 0! + 4) &= C(4 \times 05, 5 \times 1) \\ \mathbf{42504} &:= C(4!, \sqrt{2 \times 50/4}) &= C(4!, -05 + 24) \\ \mathbf{54264} &:= C(5 + 4^2, C(6, 4)) &= C(4! - 6/2, (\sqrt{4+5})!) \\ \mathbf{74613} &:= C(7 \times 4 - 6, 1 \times 3!) &= C(3! + 16, (-4 + 7)!). \end{aligned}$$

$$\begin{aligned} \mathbf{12650} &:= C(-1 + 26, 5 - 0!) & \mathbf{28} &:= C(8, 2) \\ \mathbf{12870} &:= C(1 \times 2 \times 8, 7 + 0!) & \mathbf{792} &:= C(2 \times (\sqrt{9})!, 7) \\ \mathbf{14950} &:= C(-1 + 4! + \sqrt{9}, 5 - 0!) & \mathbf{924} &:= C(4!/2, (\sqrt{9})!) \\ \mathbf{18564} &:= C(18, (5 - 6 + 4)!) & \mathbf{2024} &:= C(4!, 2 + (0 \times 2)!) \\ \mathbf{19448} &:= C(19 - \sqrt{4}, \sqrt{4} + 8) & \mathbf{4845} &:= C(5 \times 4, 8 - 4) \\ \mathbf{26334} &:= C(2 + C(6, 3), 3 + \sqrt{4}) & \mathbf{00378} &:= C(C(8, \sqrt{7-3}), 0! + 0!) \\ \mathbf{43758} &:= C(4! - 3!, 7 - 5 + 8) & \mathbf{00792} &:= C(2 \times (\sqrt{9})!, 7 - 0! - 0!) \\ \mathbf{53130} &:= C(5^{3-1}, 3! - 0!). & \mathbf{00924} &:= C(4!/2, \sqrt{9} \times (0! + 0!)). \end{aligned}$$

Consecutive sequential representations:

$$\begin{aligned} \mathbf{25920} &:= (-2 + 5)!! \times C(9, 2) + 0 & \mathbf{98280} &:= 0 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25921} &:= (-2 + 5)!! \times C(9, 2) + 1 & \mathbf{98281} &:= 1 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25922} &:= (-2 + 5)!! \times C(9, 2) + 2 & \mathbf{98282} &:= 2 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25923} &:= (-2 + 5)!! \times C(9, 2) + 3 & \mathbf{98283} &:= 3 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25924} &:= (-2 + 5)!! \times C(9, 2) + 4 & \mathbf{98284} &:= 4 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25925} &:= (-2 + 5)!! \times C(9, 2) + 5 & \mathbf{98285} &:= 5 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25926} &:= (-2 + 5)!! \times C(9, 2) + 6 & \mathbf{98286} &:= 6 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25927} &:= (-2 + 5)!! \times C(9, 2) + 7 & \mathbf{98287} &:= 7 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25928} &:= (-2 + 5)!! \times C(9, 2) + 8 & \mathbf{98288} &:= 8 + C(C(8, 2), 8 - \sqrt{9}) \\ \mathbf{25929} &:= (-2 + 5)!! \times C(9, 2) + 9. & \mathbf{98289} &:= 9 + C(C(8, 2), 8 - \sqrt{9}). \end{aligned}$$

For more details refer author's work [32].

## 4.6 S-gonal numbers

The formula for **S-gonal numbers** is given by

$$P(n, s) := \frac{n(n-1)(s-2)}{2} + n, \quad s > 2.$$

This subsection brings some examples of selfie numbers using **S-gonal numbers**. These examples are in **digit's order** and in **reverse order of digits**:

$4992 := P(4!, 9 + 9 + 2)$ $7744 := (P(7, 7) - 4!)^{\sqrt{4}}$ $7896 := 7 \times P(8 \times \sqrt{9}, 6)$ $65485 := -P(6, 5) + \sqrt{4} \times 8^5$ $65943 := P(6, 5) \times ((\sqrt{9})!^4 - 3)$ $67977 := (6 + 7) \times (P(9, 7) + 7!)$ $72495 := -P(7 + 2, 4) + 9!/5$ $83544 := \sqrt{P(8, 3)} \times (5! - \sqrt{4})^{\sqrt{4}}.$	$8967 := 7 \times P(P(6, \sqrt{9}), 8)$ $9504 := 4! \times P(\sqrt{0! + 5!}, 9)$ $9744 := 4! \times P(4 \times 7, \sqrt{9})$ $49281 := 1 \times 8! + P(29, 4!)$ $49548 := -8! - P(4!, 5) + 9!/4$ $50424 := 4! \times P(-2 + 4!, \sqrt{0! + 5!})$ $52895 := (5 + P(9, 8))^2 - 5$ $53995 := (5! - P(9, \sqrt{9})) \times 3!! - 5.$
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The consecutive sequential examples are given by

$86640 := P(8, 6) \times (6! + \sqrt{4}) + 0$ $86641 := P(8, 6) \times (6! + \sqrt{4}) + 1$ $86642 := P(8, 6) \times (6! + \sqrt{4}) + 2$ $86643 := P(8, 6) \times (6! + \sqrt{4}) + 3$ $86644 := P(8, 6) \times (6! + \sqrt{4}) + 4$ $86645 := P(8, 6) \times (6! + \sqrt{4}) + 5$ $86646 := P(8, 6) \times (6! + \sqrt{4}) + 6$ $86647 := P(8, 6) \times (6! + \sqrt{4}) + 7$ $86648 := P(8, 6) \times (6! + \sqrt{4}) + 8$ $86649 := P(8, 6) \times (6! + \sqrt{4}) + 9.$	$5640 := 0 + P(4!, 6) \times 5$ $5641 := 1 + P(4!, 6) \times 5$ $5642 := 2 + P(4!, 6) \times 5$ $5643 := 3 + P(4!, 6) \times 5$ $5644 := 4 + P(4!, 6) \times 5$ $5645 := 5 + P(4!, 6) \times 5$ $5646 := 6 + P(4!, 6) \times 5$ $5647 := 7 + P(4!, 6) \times 5$ $5648 := 8 + P(4!, 6) \times 5$ $5649 := 9 + P(4!, 6) \times 5.$
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For more details refer author's work [33].

## 4.7 Centered Polygonal Numbers

The formula for **centered polygonal numbers** is given by

$$K(n, t) := \frac{t n(n - 1)}{2} + 1, \quad t > 2.$$

Below are some examples of selfie numbers with **centered polygonal numbers**. These are in **digit's order** and **inreverse order of digits**:

$2883 := K(2 \times 8, 8) \times 3$ $2888 := K(2 + 8, 8) \times 8$ $3640 := K(3!, 6) \times 40$ $14939 := -1 + (K(4!, (\sqrt{9})!) + 3) \times 9$ $14959 := (-1 + K(4!, (\sqrt{9})!) + 5) \times 9$	$15144 := K(15, (-1 + 4)!) \times 4!$ $15347 := (-1 + 5)! \times 3!! - K(4!, 7)$ $15399 := K(1 \times 5!/3!, 9) \times 9$ $00938 := K(\sqrt{K(8, 3!)}, (\sqrt{9})!) \times (0! + 0!)$ $01051 := K(15, 010)$
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$$\begin{aligned} \mathbf{01199} &:= K(9, \sqrt{9}) \times (1 + 10) \\ \mathbf{59938} &:= K(8, 3!) + (\sqrt{9})!! + 9^5 \\ \mathbf{62424} &:= 4! \times K(2 + 4!, 2 + 6) \end{aligned}$$

$$\begin{aligned} \mathbf{63384} &:= 4! + (K(8, 3) + 3) \times 6! \\ \mathbf{63744} &:= 4! \times (K(4!, 7) + 3 + 6!) \\ \mathbf{63973} &:= K(3! + 7, 9) \times K(3!, 6). \end{aligned}$$

The consecutive sequential examples are given by

$$\begin{aligned} \mathbf{99360} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 0 = 0 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99361} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 1 = 1 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99362} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 2 = 2 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99363} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 3 = 3 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99364} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 4 = 4 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99365} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 5 = 5 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99366} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 6 = 6 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99367} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 7 = 7 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99368} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 8 = 8 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9} \\ \mathbf{99369} &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 9 = 9 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \end{aligned}$$

For more details refer author's work [33].

## Acknowledgements

The author is thankful to T.J. Eckman, Georgia, USA (email: jeek@jeek.net) in programming the script to develop these representations. Thanks also extended to Matt Parker for introducing the idea of concatenation to write the number 10958 using 1 to 9.

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