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S-gonal and Centered Polygonal Selfie Numbers, and Connections with Binomials Coefficients

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Abstract

During past years, author studied different types of "selfie numbers", with extra operations as, factorial, square-root, Fibonacci sequence values, binomials coefficients, etc. This paper brings "selfie numbers" in terms of "s-gonal numbers" and "centered polygonal numbers". S-gonal numbers, in particular lead us to **triangle, square, pentagonal, hexagonal** sides, etc. The centered polygonal numbers are the extensions of s-gonal numbers. The work is done in digit's order and its reverse. A combine study of binomial coefficients, s-gonal numbers and centered polygonal numbers is also made.

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1 Selfie Numbers

Recently, author studied different ways of expressing numbers in such a way that both sides are with same digits. One side is with number, and another side is an expression formed by same digits with some operations. These types of numbers we call **selfie numbers**. Some times they are called as **wild narcissistic numbers**. These numbers are represented by their own digits by use of certain operations. Subsections below give different ways of writing **selfie numbers**. Examples of selfie numbers with **Fibonacci sequence**, **Triangular numbers**, **binomial coefficients**, etc. are also given.

1.1 Selfie Numbers with Factorial

This subsection brings **selfie numbers** with use of factorial. See below some examples:

$$\begin{aligned} 145 &= 1! + 4! + 5!. & 363239 &= 36 + 323 + 9!. \\ 733 &= 7 + 3!! + 3!. & 363269 &= 363 + 26 + 9!. \\ 5177 &= 5! + 17 + 7!. & 403199 &= 40319 + 9!. \end{aligned}$$

$$\begin{aligned} 1463 &= -1! + 4! + 6! + 3!! & 361469 &= 3! - 6! - 1! + 4! - 6! + 9!. \\ 10077 &= -1! - 0! - 0! + 7! + 7!. & 364292 &= 3!! + 6! - 4! - 2! + 9! - 2!. \\ 40585 &= 4! + 0! + 5! + 8! + 5!. & 397584 &= -3!! + 9! - 7! + 5! + 8! + 4!. \\ 80518 &= 8! - 0! - 5! - 1! + 8!. & 398173 &= 3! + 9! + 8! + 1! - 7! + 3!. \\ 317489 &= -3! - 1! - 7! - 4! - 8! + 9!. & 408937 &= -4! + 0! + 8! + 9! + 3!! + 7!. \\ 352797 &= -3! + 5 - 2! - 7! + 9! - 7!. & 715799 &= -7! - 1! + 5! - 7! + 9! + 9!. \\ 357592 &= -3! - 5! - 7! - 5! + 9! - 2!. & 720599 &= -7! - 2! + 0! - 5! + 9! + 9!. \\ 357941 &= 3! + 5! - 7! + 9! - 4! - 1!. \end{aligned}$$

For more details refer author's work [14].

1.2 Selfie Numbers with Factorial and Square-Root

This subsection brings **selfie numbers** with use of factorial and/or square-root. See below some examples:

$$\begin{aligned} 936 &:= (\sqrt{9})!^3 + 6! &= 6! + (3!)^{\sqrt{9}}. \\ 1296 &:= \sqrt{(1+2)!^9/6} &= 6^{(\sqrt{9}+2-1)}. \\ 2896 &:= 2 \times (8 + (\sqrt{9})!! + 6!) &= (6! + (\sqrt{9})!! + 8) \times 2. \\ 331779 &:= 3 + (31 - 7)^{\sqrt{7+9}} &= \sqrt{9} + (7 \times 7 - 1)^3 \times 3. \\ 342995 &:= (3^4 - 2 - 9)^{\sqrt{9}} - 5 &= -5 + (-9 + 9^2 - \sqrt{4})^3. \\ 759375 &:= (-7 + 59 - 37)^5 &= (5 + 7 + 3)^{\sqrt{9}-5+7}. \\ 759381 &:= 7 + (5 \times \sqrt{9})^{-3+8} - 1 &= -1 + (8 \times 3 - 9)^5 + 7. \end{aligned}$$

Examples given above are with **factorial** and **square-root** [19, 20]. First column numbers are in **digit's order** and second columns are in **reverse order of digits**. For details refer author's work [7, 8, 9, 12, 13].

1.3 Selfie Numbers with Fibonacci Sequence

The examples given in subsections, 1.1 and 1.2 are with **factorial** and **square-root**. Still, one can have similar kind of results using **Fibonacci sequence** values. See below:

$$\begin{aligned} 235 &= 2 + F(F(F(3) + 5)). & 63 &= 3 \times F(F(6)). \\ 256 &= 2^5 \times F(6). & 882 &= 2 \times F(8) \times F(8). \\ 4427 &= (F(4) + 4^2) \times F(F(7)). & 1631 &= F(13) \times (6 + 1). \\ 46493 &= F(4 \times 6) + (-4 + 9)^3. & 54128 &= 8 \times (F(2) + F(1 \times 4 \times 5)). \end{aligned}$$

First column values are in **digit's order** and the second columns values are in **reverse order of digits**. For more details see author's [16, 17, 18].

1.4 Selfie Numbers with Triangular Numbers

The examples given in subsections, 1.1 1.2 and 1.3 are with **factorial**, **square-root** and **Fibonacci sequence** numbers. Still, one can have similar kind of results using **Triangular numbers**. See below:

$$\begin{aligned} 1069 &:= T(10) - T(6) + T(T(9)). & 874 &:= T(T(T(4))) - T(T(7) + 8). \\ 1081 &:= T(1 + T(08 + 1)). & 0105 &:= 50 + T(10). \\ 2887 &:= T(T(T(T(2)))) + T(T(8) + T(8)) + T(7). & 1155 &:= -T(T(5)) + T(51 - 1). \\ 4965 &:= T(-4 + 9) + T(-T(6) + T(T(5))). & 1224 &:= T(T(T(4)) - T(T(2))) - 2 + 1. \\ 4999 &:= 49 + T(99). & 2418 &:= T(81) - T(42). \\ 99545 &:= T(9) + T(9) \times T(T(T(5) - 4)) + 5. & 99632 &:= 2 + (3 + T(T(6) + T(9))) \times T(9). \\ 99546 &:= T(9) + T(9) \times T(T(T(5) - 4)) + 6. & 99633 &:= 3 + (3 + T(T(6) + T(9))) \times T(9). \end{aligned}$$

First column values are in **digit's order** and the second column values are in **reverse order of digits**. For more details see author's work [22].

1.5 Selfie Numbers with Binomial Coefficients

The examples given in subsection 1.3 and 1.4 are with **Fibonacci sequence** and **Triangular numbers** respectively. Still, one can have similar kind of examples, using **Binomial coefficients**. See below some examples written in **both ways, digit's order** and **reverse order of digits**:

$$\begin{aligned} 6435 &:= C(C(6, 4), 3 + 5) = C(5 \times 3, \sqrt{4} + 6). \\ 15504 &:= C(15 + 5, 0! + 4) = C(4 \times 05, 5 \times 1). \\ 42504 &:= C(4!, \sqrt{2 \times 50/4}) = C(4!, -05 + 24). \\ 54264 &:= C(5 + 4^2, C(6, 4)) = C(4! - 6/2, (\sqrt{4} + 5)!). \\ 74613 &:= C(7 \times 4 - 6, 1 \times 3!) = C(3! + 16, (-4 + 7)!). \end{aligned}$$

$$\begin{array}{ll}
2650 := C(-1 + 26, 5 - 0!). & 28 := C(8, 2). \\
12870 := C(1 \times 2 \times 8, 7 + 0!). & 792 := C(2 \times (\sqrt{9})!, 7). \\
14950 := C(-1 + 4! + \sqrt{9}, 5 - 0!). & 924 := C(4!/2, (\sqrt{9})!). \\
18564 := C(18, (5 - 6 + 4)!). & 2024 := C(4!, 2 + (0 \times 2)!). \\
19448 := C(19 - \sqrt{4}, \sqrt{4} + 8). & 4845 := C(5 \times 4, 8 - 4). \\
26334 := C(2 + C(6, 3), 3 + \sqrt{4}). & 00378 := C(C(8, \sqrt{7-3}), 0! + 0!). \\
43758 := C(4! - 3!, 7 - 5 + 8). & 00792 := C(2 \times (\sqrt{9})!, 7 - 0! - 0!). \\
53130 := C(5^{3-1}, 3! - 0!). & 00924 := C(4!/2, \sqrt{9} \times (0! + 0!)).
\end{array}$$

The symbol C used for binomial coefficients is given by

$$C(m, r) = \frac{m!}{r! \times (m-r)!}, \quad m \geq r \geq 0, \quad m, r \in \mathbf{N}.$$

For more details refer author's work [21]. For summary of author's work on numbers refer [23]. Also refer [5, 6] for historical books on numbers.

2 Polygonal Numbers

This section deals with definitions of **S-gonal** and **Centered polygonal** numbers. For more information on these numbers refer web-sites [1, 2, 3, 4].

2.1 S-gonal Numbers

The general formula for **s-sides of a polygon (s-gonal)** is given by

$$P_s(n) := \frac{n(n-1)(s-2)}{2} + n, \quad s > 2. \quad (1)$$

See below some particular cases:

Triangle (3-gonal): $P_3(n) = \frac{n(n+1)}{2}$

Sequence values: 1, 3, 6, 10, 15,

Square (4-gonal): $P_4(n) = n^2$

Sequence values: 1, 4, 9, 16, 25,

Pentagonal (5-gonal): $P_5(n) = \frac{n(3n-1)}{2}$

Sequence values: 1, 5, 12, 22,

Hexagonal (6-gonal): $P_6(n) = n(2n-1)$

Sequence values: 1, 6, 15, 28,

Recently, author [24] wrote, **Hardy-Ramanujan number 1729** in terms of **S-gonal numbers**:

$$\begin{aligned}
 1729 &:= P_3(26) + P_3(52). \\
 &:= P_4(6) + P_4(18) + P_4(37). \\
 &:= P_5(3) + P_5(34). \\
 &:= P_6(9) + P_6(18) + P_6(22). \\
 &:= P_7(9) + P_7(14) + P_7(21). \\
 &:= P_8(4) + P_8(12) + P_8(21). \\
 &:= P_9(1) + P_9(2) + P_9(15) + P_9(17). \\
 &:= P_{10}(1) + P_{10}(3) + P_{10}(21). \\
 &:= P_{11}(1) + P_{11}(9) + P_{11}(18).
 \end{aligned}$$

Calculating further values, the exact values for 1729 are for **12-gonal**, **24-gonal** and **84-gonal**. See below:

$$1729 := P_{12}(19) = P_{24}(13) = P_{84}(7).$$

Moreover, 7, 13 and 19 are the *multiplicative factors* of 1729, i.e., $1729 = 7 \times 13 \times 19$.

According to **s-gonal** values given in (1), below are selfie representations of 1729 in digit's order and reverse:

$$\begin{aligned}
 1729 &:= 1 \times 7 \times (P_4(P_4(P_4(2)))) - 9 &= (-9 + P_4(P_4(P_4(2)))) \times 7 \times 1. \\
 &:= 1 + (7 + P_5(2))^{\sqrt{9}} &= P_5(\sqrt{9}) + P_5(P_5(2) \times 7 - 1). \\
 &:= 1 \times P_7 \left(\sqrt{P_7(7) \times P_7(2)} \right) - P_7(9) &= -P_7(9) + P_7(27 + 1). \\
 &:= 1 \times P_8(7) \times \left(-P_8(2) + P_8(\sqrt{9}) \right) &= P_8(9) \times P_8(2) - 71. \\
 &:= 1 + 72 \times P_9(\sqrt{9}) &= P_9(\sqrt{9}) \times (P_9(2))! / 7! + 1. \\
 &:= -1 - P_{10}(7 + P_{10}(2)) + P_{10}(P_{10}(\sqrt{9})) &= P_{10}(P_{10}(\sqrt{9})) - P_{10}(P_{10}(2) + 7) - 1. \\
 &:= -1^7 + P_{11}(P_{11}(2) + 9) &= P_{11}(9) + P_{11}(P_{11}(2) + 7) + 1.
 \end{aligned}$$

In case of P_{12} , P_{24} and P_{84} , we have exact values.

$$\begin{aligned}
 1729 &:= P_{12}(19) = P_{12}(1 + 7 + 2 + 9) = P_{12}(9 + 2 + 7 + 1). \\
 &:= P_{24}(13) = P_{24}(-1 + 7 - 2 + 9) = P_{24}(9 - 2 + 7 - 1). \\
 &:= P_{84}(7) = P_{84}((1 + 7) \times 2 - 9) = P_{84}(-9 + 2 \times (7 + 1)).
 \end{aligned}$$

2.2 Centered Polygonal Numbers

The centered polygonal numbers are the extensions of s-gonal numbers. The general formula for **centered polygonal numbers** is given by

$$K_t(n) := \frac{tn(n-1)}{2} + 1, \quad t > 2. \quad (2)$$

See below some particular cases:

$$\text{Centered triangular numbers: } K_3(n) := \frac{3n(n-1)}{2} + 1$$

$$\text{Sequence values: } 1, 4, 10, 19, 31, \dots$$

$$\text{Centered square numbers: } K_4(n) := \frac{4n(n-1)}{2} + 1$$

$$\text{Sequence values: } 1, 5, 13, 25, 41, \dots$$

$$\text{Centered pentagonal numbers: } K_5(n) := \frac{5n(n-1)}{2} + 1$$

$$\text{Sequence values: } 1, 6, 16, 31, 51, \dots$$

$$\text{Centered hexagonal numbers: } K_6(n) := \frac{6n(n-1)}{2} + 1$$

$$\text{Sequence values: } 1, 7, 19, 37, 61, \dots$$

Based on definition of (2), for individual values of k , we can write 1729 as:

$$1729 := K_3(1) + K_3(2) + K_3(13) + K_3(32).$$

$$:= K_4(1) + K_4(2) + K_4(3) + K_4(7) + K_4(29).$$

$$:= K_5(1) + K_5(2) + K_5(14) + K_5(23).$$

$$:= K_6(1) + K_6(2) + K_6(3) + K_6(4) + K_6(5) + K_6(9) + K_6(22).$$

$$:= K_7(1) + K_7(2) + K_7(3) + K_7(4) + K_7(5) + K_7(9) + K_7(20).$$

$$:= K_8(1) + K_8(2) + K_8(3) + K_8(4) + K_8(5) + K_8(6) + K_8(9) + K_8(12) + K_8(13).$$

$$:= K_{11}(7) + K_{11}(17).$$

$$:= K_{14}(1) + K_{14}(2) + K_{14}(3) + K_{14}(5) + K_{14}(6) + K_{14}(8) + K_{14}(12).$$

$$:= K_{15}(1) + K_{15}(2) + K_{15}(9) + K_{13}(13).$$

Below are values of 1729 in terms of centered polygonal numbers in digit's order and its reverse:

$$1729 := 1 + (\sqrt{K_3(7) + K_3(2)})^{\sqrt{9}} = (\sqrt{9} + K_3(2)!) \times K_3(7) + 1.$$

$$:= 1 + (7 + K_4(2))^{\sqrt{9}}.$$

$$:= 1 + (K_5(7) + 2) \times K_5(\sqrt{9}) = K_5(\sqrt{9}) \times (2 + K_5(7)) + 1.$$

$$:= K_6(1 + 7 - 2) \times K_6(\sqrt{9}) = K_6(\sqrt{9}) \times K_6(-2 + 7 + 1).$$

$$:= 1 + (K_9(7) + 2) \times 9 = 9 \times (2 + K_9(7)) + 1.$$

$$:= 1 \times 7 + K_{10}(2) + K_{10}(\sqrt{K_{10}(9)}) = K_{10}(\sqrt{K_{10}(9)}) + K_{10}(2) + 7 \times 1.$$

$$:= 1^7 + K_{11}(2)^{\sqrt{9}} = K_{11}(K_{11}(\sqrt{9})/2) + K_{11}(7) \times 1.$$

$$:= K_{13}(\sqrt{17^2}) - K_{13}(\sqrt{9}) = (\sqrt{9})! \times (K_{13}(2) + K_{13}(7)) + 1.$$

In this paper, we shall write **selfie numbers** by use of **s-gonal Numbers** and **centered polygonal numbers** defined in (1) (2) respectively. A combined study

relating selfie numbers with **binomial coefficients**, **s-gonal numbers** and **centered polygonal numbers** is also made in last section.

3 Selfie Numbers with S-gonal Values

This section brings **selfie numbers** written in terms of **s-gonal numbers**. The examples are divided in three subsection. First subsection give in both ways, i.e., in order digits and its reverse together. The second subsection give numbers in digit's orders, and the third subsection give in reverse order of digits. The results are limited up to 5 digits. Higher digits shall be seen elsewhere.

From now onwards we shall use the notation $P(n, s)$ for **s-gonal numbers**, i.e.,

$$P(n, s) := P_s(n), s \geq 3.$$

From mathematical point of view, we can calculate values of $P(n, s)$ for $s \leq 2$, but from practical point of view, **s-gonal numbers** are considered for $s \geq 3$.

Three subsections below give examples of **s-gonal selfie numbers** in three different ways. One with digits order and its reverse both ways, second in digit's order and third in reverse order of digits

3.1 Both Ways: Digit's Order and Reverse

This subsection brings **s-gonal selfie numbers** written in digit's order and its reverse together.

$$66 := P(6, 6) = P(6, 6).$$

$$396 := P(3!, (\sqrt{9})!) \times 6 = P(6, (\sqrt{9})!) \times 3!.$$

$$699 := 6! - P((\sqrt{9})!, \sqrt{9}) = -P((\sqrt{9})!, \sqrt{9}) + 6!.$$

$$1949 := -1 - (\sqrt{9})! + P(4!, 9) = -(\sqrt{9})! + P(4!, 9) - 1.$$

$$4164 := P(4!, -1 - 6 + 4!) = P(4!, -6 - 1 + 4!).$$

$$4464 := P(4!, 4 + 6) \times \sqrt{4} = P(4!, 6 + 4) \times \sqrt{4}.$$

$$4997 := \sqrt{4} - P(9, \sqrt{9}) + 7! = 7! - P(9, \sqrt{9}) + \sqrt{4}.$$

$$5424 := -5! + P(4!, -2 + 4!) = P(4!, -2 + 4!) - 5!.$$

$$5544 := P(5!/5, 4! - \sqrt{4}) = P(4!, -\sqrt{4} + 5!/5).$$

$$7497 := 7 \times P(4! - \sqrt{9}, 7) = 7 \times P(-\sqrt{9} + 4!, 7).$$

$$8344 := P(8 \times 3 + 4, 4!) = P(4! + 4, 3 \times 8).$$

$$8448 := 8 \times P(4!, 4!) - 8! = 8 \times P(4!, 4!) - 8!.$$

$$9927 := 7! \times 2 - P(9, (\sqrt{9})!) = -P(9, (\sqrt{9})!) + 2 \times 7!.$$

$$11344 := (-11 + 3!!) \times P(4, 4) = P(4, 4) \times (3!! - 11).$$

$$15099 := ((1 + 5)! - 0!) \times P((\sqrt{9})!, \sqrt{9}) = P((\sqrt{9})!, \sqrt{9}) \times (-0! + (5 + 1)!).$$

$$15399 := (-1 + \sqrt{5 \times 3!!}) \times P(9, 9) = P(9, 9) \times (\sqrt{3!! \times 5} - 1).$$

$$15696 := (-1 + 5)! \times (6! - P((\sqrt{9})!, 6)) = (-P(6, (\sqrt{9})!) + 6!) \times (5 - 1)!$$

$$17346 := P(-1 + 7, 3!) + 4! \times 6! = 6! \times 4! + P(3!, 7 - 1).$$

$$20454 := (2 + 0!)! + P(4!, 5) \times 4! = P(4!, 5) \times 4! + (0! + 2)!.$$

$$26688 := P((-2 + 6)!, 6 + 8) \times 8 = P(8, 3) \times 6! + 6! - 2.$$

$$30445 := (-3! - 0! + P(4!, 4!)) \times 5 = 5 \times (P(4!, 4!) - 0! - 3!).$$

$$30455 := (P((3 + 0!)!, 4!) - 5) \times 5 = 5 \times (-5 + P(4!, (0! + 3)!)).$$

$$30495 := (P((3 + 0!)!, 4!) + \sqrt{9}) \times 5 = 5 \times (\sqrt{9} + P(4!, (0! + 3)!)).$$

$$30599 := -3!! - 0! + 5! \times P(9, 9) = P(9, 9) \times 5! - 0! - 3!!.$$

$$30636 := ((3! + 0!)! + P(6, 3!)) \times 6 = (P(6, 3!) + (6 + 0!)!) \times 3!.$$

$$32399 := -3 + 2 + 3!! \times P(9, \sqrt{9}) = P(9, \sqrt{9}) \times 3!! + 2 - 3.$$

$$34299 := 3!! \times 4! \times 2 - P(9, 9) = -P(9, 9) + 2 \times 4! \times 3!!.$$

$$34342 := -2 + 4! \times P(3 + 4!, 3!) = P(3 + 4!, 3!) \times 4! - 2.$$

$$34977 := -3 - P(4!, \sqrt{9}) + 7! \times 7 = 7! \times 7 - \sqrt{9} - P(4!, 3).$$

$$36936 := P(3 \times 6, \sqrt{9}) \times \sqrt{3!^6} = P(6 \times 3, \sqrt{9}) \times 6^3.$$

$$37435 := 3!! \times (P(7, 4) + 3) - 5 = -5 + 3!! \times (4! + P(7, 3)).$$

$$38888 := -(3 + P(8, 8)) \times 8 + 8! = 8! - 8 \times (P(8, 8) + 3).$$

$$39198 := 3! - P((\sqrt{9} + 1)!, (\sqrt{9})!) + 8! = 8! - P((\sqrt{9} + 1)!, (\sqrt{9})!) + 3!.$$

$$39648 := -P(3 + 9, 6 \times \sqrt{4}) + 8! = 8! - P(\sqrt{4} \times 6, 9 + 3).$$

$$39685 := -P(3! \times \sqrt{9}, 6) + 8! + 5 = -5 + 8! - P(6 \times \sqrt{9}, 3!).$$

$$39738 := -3! \times ((\sqrt{9})! + P(7, 3!)) + 8! = 8! - 3! \times P(7, (\sqrt{9})!) - 3!.$$

$$39792 := (-P(3!, (\sqrt{9})!) + 7!) \times ((\sqrt{9})! + 2) = 2^{\sqrt{9}} \times (7! - P((\sqrt{9})!, 3!)).$$

$$39894 := -P(3!, (\sqrt{9})!) + 8! - (\sqrt{9})!!/\sqrt{4} = P(4!, \sqrt{9}) + 8! - (\sqrt{9})! - 3!!.$$

$$39918 := -3! \times (P((\sqrt{9})!, (\sqrt{9})!) + 1) + 8! = 8! + (-1 - P((\sqrt{9})!, (\sqrt{9})!)) \times 3!.$$

$$39942 := (2 \times 4)! - P(9 \times \sqrt{9}, 3) = -P(3 \times 9, \sqrt{9}) + (4 \times 2)!.$$

$$42548 := P(4!, 2 \times 5) - 4 + 8! = 8! + P(4!, 5 \times 2) - 4.$$

$$42671 := -1 + 7 \times P((6 - 2)!, 4!) = P(4!, (-2 + 6)!) \times 7 - 1.$$

$$42674 := P(4!, (-2 + 6)!) \times 7 + \sqrt{4} = \sqrt{4} + 7 \times P((6 - 2)!, 4!).$$

$$43776 := P(4!, -3 + 7) \times 76 = (6! - P(7, 7)) \times 3 \times 4!.$$

$$43992 := P(4!, 3!) \times (\sqrt{9} + (\sqrt{9})!)^2 = (2^{\sqrt{9}})! + P(9, 3!) \times 4!.$$

$$44636 := -4 + (-4 + P(6, 3!)) \times 6! = 6! \times (P(3!, 6) - 4) - 4.$$

$$44976 := P(4!, 4!) + 9 \times (7! - 6!) = (-6! + 7!) \times 9 + P(4!, 4!).$$

$$46144 := 4 \times (6! + 1) \times P(4, 4) = P(4, 4) \times (1 + 6!) \times 4.$$

$$46399 := 4 + 6^{3!} - P(9, 9) = -P(9, 9) + 3!^6 + 4.$$

$$46646 := -4 + 6^{\sqrt{P(6, 4)}} - 6 = \sqrt{P(6, 4)^6} - 6 - 4.$$

$$46699 := -\sqrt{4} + 6^6 + P(9, \sqrt{9}) = P(9, \sqrt{9}) + 6^6 - \sqrt{4}.$$

$$\begin{aligned}
46942 &:= P(4 \times 6, 9) \times 4! - 2 &= -2 + P(4!, 9) \times 6 \times 4. \\
46968 &:= -4! + P(6, (\sqrt{9})!) \times (6! - 8) &= (-8 + 6!) \times P((\sqrt{9})!, 6) - 4!. \\
48336 &:= P(4!, 8) + P(3, 3)^6 &= 6^{P(3,3)} + 8!/4!. \\
49236 &:= (4! + (\sqrt{9})!! + 2) \times P(3!, 6) &= P(6, 3!) \times (2 + (\sqrt{9})!! + 4!). \\
49896 &:= 4! \times 9 \times P(8 + \sqrt{9}, 6) &= (6 + P(9, 8)) \times 9 \times 4!. \\
54909 &:= 5 + P(4!, (\sqrt{9} + 0)!) \times 9 &= 9 \times (P((0! + \sqrt{9})!, 4!) + 5).
\end{aligned}$$

$$\begin{aligned}
55473 &:= (P(5, 5) - 4!) \times (7! + 3) &= (3 + 7!) \times (-4! + P(5, 5)). \\
66066 &:= (6! + 6) \times P(0! + 6, 6) &= (6! + 6) \times P(0! + 6, 6). \\
68442 &:= -6 + (8! - P(4!, 4!)) \times 2 &= 2 \times (-P(4!, 4!) + 8!) - 6. \\
75593 &:= -7 + P(5, 5) \times \sqrt{9} \times 3!! &= 3!! \times \sqrt{9} \times P(5, 5) - 7. \\
77436 &:= (P(7, 7) - 4) \times (-3 + 6!) &= (6! - 3) \times (-4 + P(7, 7)).
\end{aligned}$$

$$\begin{aligned}
77935 &:= (P(7, 7) - \sqrt{9}) \times (3!! - 5) &= (5 - 3!!) \times (\sqrt{9} - P(7, 7)). \\
77949 &:= P(7, 7) \times ((\sqrt{9})!! - 4!) - \sqrt{9} &= -\sqrt{9} + (-4! + (\sqrt{9})!!) \times P(7, 7). \\
80788 &:= P(8, 07) + 8! + 8! &= 8! + P(8, 7) + (08)!. \\
93488 &:= (\sqrt{9})!^{3!} \times \sqrt{4} + P(8, 8) &= P(8, 8) + \sqrt{4} \times 3!^{(\sqrt{9})!}. \\
96624 &:= P((\sqrt{9})!, 6) \times (6! \times 2 + 4!) &= (4! + 2 \times 6!) \times P(6, (\sqrt{9})!). \\
99744 &:= P((\sqrt{9})!, \sqrt{9}) \times 7! - P(4!, 4!) &= -P(4!, 4!) + 7! \times P((\sqrt{9})!, \sqrt{9}).
\end{aligned}$$

3.2 Digit's Order

Initially, the results are in symmetric way, and then the other numbers.

• Symmetric Representations

$$\begin{aligned}
1680 &:= P((\sqrt{16})!, 8) + 0. & 32760 &:= 3!!/2 \times P(7, 6) + 0. \\
1681 &:= P((\sqrt{16})!, 8) + 1. & 32761 &:= 3!!/2 \times P(7, 6) + 1. \\
1682 &:= P((\sqrt{16})!, 8) + 2. & 32762 &:= 3!!/2 \times P(7, 6) + 2. \\
1683 &:= P((\sqrt{16})!, 8) + 3. & 32763 &:= 3!!/2 \times P(7, 6) + 3. \\
1684 &:= P((\sqrt{16})!, 8) + 4. & 32764 &:= 3!!/2 \times P(7, 6) + 4. \\
1685 &:= P((\sqrt{16})!, 8) + 5. & 32765 &:= 3!!/2 \times P(7, 6) + 5. \\
1686 &:= P((\sqrt{16})!, 8) + 6. & 32766 &:= 3!!/2 \times P(7, 6) + 6. \\
1687 &:= P((\sqrt{16})!, 8) + 7. & 32767 &:= 3!!/2 \times P(7, 6) + 7. \\
1688 &:= P((\sqrt{16})!, 8) + 8. & 32768 &:= 3!!/2 \times P(7, 6) + 8. \\
1689 &:= P((\sqrt{16})!, 8) + 9. & 32769 &:= 3!!/2 \times P(7, 6) + 9. \\
&& 36720 &:= 3!! \times P(6, 7 - 2) + 0. \\
&& 36721 &:= 3!! \times P(6, 7 - 2) + 1. \\
&& 36722 &:= 3!! \times P(6, 7 - 2) + 2.
\end{aligned}$$

$$\begin{aligned} 36723 &:= 3!! \times P(6, 7 - 2) + 3. \\ 36724 &:= 3!! \times P(6, 7 - 2) + 4. \\ 36725 &:= 3!! \times P(6, 7 - 2) + 5. \\ 36726 &:= 3!! \times P(6, 7 - 2) + 6. \\ 36727 &:= 3!! \times P(6, 7 - 2) + 7. \\ 36728 &:= 3!! \times P(6, 7 - 2) + 8. \\ 36729 &:= 3!! \times P(6, 7 - 2) + 9. \end{aligned}$$

$$\begin{aligned} 39780 &:= -P(3! + 9, 7) + 8! + 0. \\ 39781 &:= -P(3! + 9, 7) + 8! + 1. \\ 39782 &:= -P(3! + 9, 7) + 8! + 2. \\ 39783 &:= -P(3! + 9, 7) + 8! + 3. \\ 39784 &:= -P(3! + 9, 7) + 8! + 4. \\ 39785 &:= -P(3! + 9, 7) + 8! + 5. \\ 39786 &:= -P(3! + 9, 7) + 8! + 6. \\ 39787 &:= -P(3! + 9, 7) + 8! + 7. \\ 39788 &:= -P(3! + 9, 7) + 8! + 8. \\ 39789 &:= -P(3! + 9, 7) + 8! + 9. \end{aligned}$$

$$\begin{aligned} 86400 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 0. \\ 86401 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 1. \\ 86402 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 2. \end{aligned}$$

$$\begin{aligned} 86403 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 3. \\ 86404 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 4. \\ 86405 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 5. \\ 86406 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 6. \\ 86407 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 7. \\ 86408 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 8. \\ 86409 &:= P(8, 6) \times (\sqrt{4} + 0)!! + 9. \end{aligned}$$

$$\begin{aligned} 86640 &:= P(8, 6) \times (6! + \sqrt{4}) + 0. \\ 86641 &:= P(8, 6) \times (6! + \sqrt{4}) + 1. \\ 86642 &:= P(8, 6) \times (6! + \sqrt{4}) + 2. \\ 86643 &:= P(8, 6) \times (6! + \sqrt{4}) + 3. \\ 86644 &:= P(8, 6) \times (6! + \sqrt{4}) + 4. \\ 86645 &:= P(8, 6) \times (6! + \sqrt{4}) + 5. \\ 86646 &:= P(8, 6) \times (6! + \sqrt{4}) + 6. \\ 86647 &:= P(8, 6) \times (6! + \sqrt{4}) + 7. \\ 86648 &:= P(8, 6) \times (6! + \sqrt{4}) + 8. \\ 86649 &:= P(8, 6) \times (6! + \sqrt{4}) + 9. \end{aligned}$$

• Non Symmetric Representations

$$\begin{aligned} 357 &:= P(3!, 5) \times 7. \\ 384 &:= 3! \times P(8, 4). \\ 1089 &:= P(10 + 8, 9). \\ 1326 &:= P(13 \times 2, 6). \\ 1403 &:= -1 + P(4!, 0! + 3!). \\ 1408 &:= P(-1 + 4! - 0!, 8). \\ 1495 &:= (-1 + P(4!, \sqrt{9})) \times 5. \\ 1639 &:= P(1 + P(6, 3), 9). \\ 1653 &:= P(-1 + 6 \times 5, 3!). \\ 1944 &:= P(1 \times 9, 4) \times 4!. \\ 3276 &:= 3!^2 \times P(7, 6). \\ 3564 &:= 3!! \times 5 - P(6, 4). \end{aligned}$$

$$\begin{aligned} 3570 &:= P(3!, 5) \times 70. \\ 3645 &:= 3\sqrt{P(6, 4)} \times 5. \\ 3843 &:= P(-3 + 4!, 8) \times 3. \\ 3888 &:= P(3 \times 8, 8 + 8). \\ 3960 &:= P(3!, (\sqrt{9})!) \times 60. \\ 4332 &:= -4! + P(3!, 3!)^2. \\ 4435 &:= P(4!, 4! - 3!) - 5. \\ 4436 &:= -4 + P(4!, 3 \times 6). \\ 4440 &:= P(4!, 4! - (\sqrt{4} + 0)!). \\ 4896 &:= 4 \times 8 \times P(9, 6). \\ 4992 &:= P(4!, 9 + 9 + 2). \\ 7744 &:= (P(7, 7) - 4!)^{\sqrt{4}}. \\ 7896 &:= 7 \times P(8 \times \sqrt{9}, 6). \end{aligned}$$

$$11495 := P(11, 4) \times 95.$$

$$13464 := P(13 + 4, 6) \times 4!.$$

$$13488 := (1 \times 3! + P(4!, 8)) \times 8.$$

$$14352 := P(-1 + 4!, 3) \times 52.$$

$$14950 := (-1 + P(4!, \sqrt{9})) \times 50.$$

$$15674 := 1 \times 5^6 + P(7, 4).$$

$$16544 := P(16, 5) \times 44.$$

$$16896 := \sqrt{\sqrt{16^8}} \times P((\sqrt{9})!, 6).$$

$$17289 := P(17, 2 \times 8) \times 9.$$

$$17639 := -1 + 7!/6 \times P(3!, \sqrt{9}).$$

$$17755 := P(1 + 7, 7) \times 5! - 5.$$

$$17760 := P(1 + 7, 7) \times (6 - 0!)!$$

$$18355 := P(1 + 8, 3!) \times 5! - 5.$$

$$18360 := P(1 + 8, 3!) \times (6 - 0!)!$$

$$18744 := (P(18, 7) - \sqrt{4}) \times 4!.$$

$$18792 := P(18, 7) \times ((\sqrt{9})! - 2)!$$

$$19888 := (1 + P(9, 8)) \times 88.$$

$$20445 := -2 - 0! + 4! \times P(4!, 5).$$

$$21546 := P(21, -5 + 4!) \times 6.$$

$$22704 := P(22, 7 - 0!) \times 4!.$$

$$23472 := 2 \times 3! \times P(4!, 7 + 2).$$

$$24384 := (P(24, 3 \times 8) \times 4).$$

$$24672 := 2 \times (P(4!, 6) + 7!) \times 2.$$

$$24674 := 2 + (P(4!, 6) + 7!) \times 4.$$

$$24986 := 2 + P(4!, 9 + 8) \times 6.$$

$$25965 := ((2 + 5)! + P(9, 6)) \times 5.$$

$$25967 := 2 + 5 \times (P(9, 6) + 7!).$$

$$28576 := P(2 \times 8, 5) \times 76.$$

$$29435 := P(29, 4) \times 35.$$

$$29793 := 2 + (\sqrt{9} + P(7, \sqrt{9}))^3.$$

$$29952 := 2^9 \times P(9, 5)/2.$$

$$30393 := 3! \times (0! + 3!)! + P(9, 3!).$$

$$30982 := 3! + P(-0! + 9, 8)^2.$$

$$33327 := (P(3!, 3!) + 3)^2 \times 7.$$

$$33345 := (3!! + P(3!, 3)) \times 45.$$

$$33579 := 3 \times (3 + 5!) \times P(7, (\sqrt{9})!).$$

$$33589 := (-P(3!, 3!) + 5 \times 8!)/(\sqrt{9})!.$$

$$34209 := P(-3 + 4!, 20) \times 9.$$

$$34416 := 3!! + 4! \times P(4!, 1 + 6).$$

$$34920 := 3! \times P(4!, \sqrt{9} + 20).$$

$$34972 := 3 + (-\sqrt{4} + P(9, 7))^2.$$

$$34974 := 3! + P(4!, (\sqrt{9})!) \times (7 + 4!).$$

$$35343 := P(3!, 5) \times (3!! - 4! - 3).$$

$$35493 := P(3!, 5) \times (-4! + (\sqrt{9})!!) - 3.$$

$$35494 := P(3!, 5) \times (-4! + (\sqrt{9})!!) - \sqrt{4}.$$

$$35496 := P(3!, 5) \times (-4! + (9 - 6)!!).$$

$$35499 := P(3!, 5) \times (-4! + (\sqrt{9})!!) + \sqrt{9}.$$

$$35649 := P(3!, 5) \times (6! - 4! + \sqrt{9}).$$

$$35700 := P(3!, 5) \times 700.$$

$$35964 := (3 + 5)! - P((\sqrt{9})!, 6)^{\sqrt{4}}.$$

$$36450 := 3\sqrt{P(6, 4)} \times 50.$$

$$36465 := (-3 + 6! - \sqrt{4}) \times P(6, 5).$$

$$36648 := -P(3 + 6, 6) \times 4! + 8!.$$

$$37485 := P(3 \times 7, 4) \times 85.$$

$$37488 := (3 + 7!/4!) \times P(8, 8).$$

$$38466 := -3! + 8! - P(4!, 6) - 6!.$$

$$38469 := -3!! + 8! - P(4!, 6) - \sqrt{9}.$$

$$38472 := -3!! + 8! - P(4!, (\sqrt{7 + 2})!).$$

$$38496 := 3! \times (-P(8, 4) + 9 \times 6!).$$

$$38646 := 3^8 \times \sqrt{P(6, 4)} - 6!.$$

$$38739 := -3!! + 8! - P(7 \times 3, (\sqrt{9})!).$$

$$39158 := -P(3 \times 9 + 1, 5) + 8!.$$

$$39204 := ((P(3!, (\sqrt{9})!) \times (2 + 0!))^{\sqrt{4}}).$$

$$39435 := (3!! - \sqrt{9}) \times (4 + P(3!, 5)).$$

$$39468 := -P(3!, (\sqrt{9})!) \times \sqrt{4} - 6! + 8!.$$

$$39486 := 3! \times 9^4 + P(8, 6).$$

$$39549 := -3!! - P((\sqrt{9})!, 5) + (4!/ \sqrt{9})!.$$

$$39690 := -P(3! \times \sqrt{9}, 6) + (9 - 0)!.$$

$$39753 := -3 \times P(9, 7) + (5 + 3)!.$$

$$39758 := -3 \times P(9, 7) + 5 + 8!.$$

$$39829 := P(3!, \sqrt{9}) + 8! - 2^9.$$

$$39933 := P(3 \times 3, 9) \times P(9, 3!).$$

$$39978 := -P(3 + \sqrt{9 \times 9}, 7) + 8!.$$

$$40335 := P(4 + 0!, 3) + (3 + 5)!.$$

$$40338 := 4! - P(03, 3) + 8!.$$

$$41608 := P(4! - 1, 6 + 0!) + 8!.$$

$$41724 := P(4!, 1 \times 7) + (2 \times 4)!.$$

$$41748 := P(4!, 1 \times 7) + 4! + 8!.$$

$$41976 := (P(4!, 1 \times 9) + 7!) \times 6.$$

$$42128 := (P(4!, 21) - 2) \times 8.$$

$$42144 := P(4!, 21) \times (4 + 4).$$

$$42168 := P(4!, (2 + 1)!) + 6! + 8!.$$

$$43128 := P(4!, 3! + 1) \times 2 + 8!.$$

$$43264 := 4^3 \times P(26, 4).$$

$$43932 := P(4!, 3! + 9) + (3! + 2)!.$$

$$43938 := P(4!, 3! + 9) + 3! + 8!.$$

$$44128 := P(4! + 4, 12) + 8!.$$

$$44208 := P(4!, 4^2) + (08)!.$$

$$44288 := (P(4!, 4! - 2) - 8) \times 8.$$

$$44352 := 4! \times (P(4!, 3!) + (5 - 2)!).$$

$$44544 := 4! \times (-4 + 5!) \times P(4, 4).$$

$$44544 := 4! \times (-4 + 5!) \times P(4, 4).$$

$$44928 := (4! + 4!) \times P(9 \times 2, 8).$$

$$45744 := (4 + 5)! / 7 - P(4!, 4!).$$

$$46084 := 4 + 6! \times P(08, 4).$$

$$46368 := P(4!, 6) \times 3! - 6! + 8!.$$

$$46398 := P(4!, 6) + (-3!! + 9!) / 8.$$

$$46416 := (\sqrt{4} + 6)! + P(4!, (\sqrt{16})!).$$

$$46639 := 4 + 6^6 - P(3!, \sqrt{9}).$$

$$46644 := 4 + 6^6 - P(4, 4).$$

$$46784 := (4 + 6! + 7) \times P(8, 4).$$

$$46930 := (\sqrt{4} + 6!) \times (P((\sqrt{9})!, 3!) - 0!).$$

$$46944 := P\left(4 \times 6, \sqrt{P(9, 4)}\right) \times 4!.$$

$$47496 := 4! \times (-7 + P(4!, 9)) + 6!.$$

$$47520 := (-4 + P(7, 5)) \times (2 + 0)!.$$

$$47685 := P(4! - 7, 6) \times 85.$$

$$47736 := P(4!, 7) \times (P(7, 3) + 6).$$

$$48333 := P(4!, 8) + 3!^{3!} - 3.$$

$$48334 := P(4!, 8) + 3!^{3!} - \sqrt{4}.$$

$$48339 := P(4!, 8) + 3!^{3!} + \sqrt{9}.$$

$$48744 := -4! + 8! / 7! \times P(4!, 4!).$$

$$49335 := (4! + P(9, 3)) \times (3!! - 5).$$

$$49344 := (\sqrt{4} + 9)! / 3!! - P(4!, 4!).$$

$$54523 := -5 + P(4!, 5) \times 2^{3!}.$$

$$54549 := (-5 + 4!) \times P(5 + 4!, 9).$$

$$55435 := (P(5, 5) - 4!)! / 3!! - 5.$$

$$55439 := ((P(5, 5) - 4!)! - 3!!) / (\sqrt{9})!!.$$

$$55464 := (P(5, 5) - 4!)! / 6! + 4!.$$

$$57984 := (5! + P(P(7, \sqrt{9}), 8)) \times 4!.$$

$$59044 := -5 + 9^{0! + \sqrt{P(4, 4)}}.$$

$$59054 := 5 + 9\sqrt{P(05, 4)}.$$

$$59544 := (-5! + P((\sqrt{9})!, 5)^{\sqrt{4}}) \times 4!.$$

$$60564 := (6! + 0!) \times (5! - P(6, 4)).$$

$$65376 := -6! / 5 + 3!! \times P(7, 6).$$

$$65485 := -P(6, 5) + \sqrt{4} \times 8^5.$$

$$65943 := P(6, 5) \times ((\sqrt{9})!^4 - 3).$$

$$67977 := (6 + 7) \times (P(9, 7) + 7!).$$

$$72495 := -P(7 + 2, 4) + 9! / 5.$$

$$72584 := (7 + 2)! / 5 + \sqrt{P(8, 4)}.$$

$$73440 := (7! - 3!!) \times (P(4, 4) + 0!).$$

$$74431 := 7\sqrt{P(4, 4)} \times 31.$$

$$74529 := P(7, (\sqrt{4} + 5)!)^2 \times 9.$$

$$75344 := 7! \times P(5, 3) - 4^4.$$

$$76531 := P(7, 6) \times (5! + 3!! + 1).$$

$$77565 := (-P(7, 7) + 5^6) \times 5.$$

$$\begin{aligned}
77946 &:= P(7,7) \times ((\sqrt{9})!! - 4!) - 6. & 86392 &:= P(8,6) \times 3!! - (\sqrt{9})! - 2. \\
79382 &:= (P(7, (\sqrt{9})!) - 3!! + 8!) \times 2. & 86394 &:= P(8,6) \times 3!! - \sqrt{9} \times 4. \\
79829 &:= -P(7, (\sqrt{9})!) + 8! \times 2 - (\sqrt{9})!!. & 86398 &:= P(8,6) \times 3!! + (\sqrt{9})! - 8. \\
79948 &:= P(7, \sqrt{9}) - (\sqrt{9})!! + \sqrt{4} \times 8!. & 86399 &:= P(8,6) \times 3!! - 9/9. \\
80548 &:= -P(8,05) + \sqrt{4} \times 8!. & 86424 &:= P(8,6) \times (4+2)! + 4!. \\
80793 &:= 8! + (0! + 7)! + P(9,3!). & 86436 &:= (P(8,6)^{\sqrt{4}} + 3!) \times 6. \\
81632 &:= (8! + P(16,3!)) \times 2. & 86520 &:= P(8,6) \times ((5-2)!! + 0!). \\
81762 &:= (8! + P(17,6)) \times 2. & 86597 &:= 8 + 6! \times 5! + P(9,7). \\
82293 &:= 8! \times 2 + P(29,3!). & 86864 &:= (-8 + 6!) \times (P(8,6) + \sqrt{4}). \\
83496 &:= 8! \times P(-3 + 4!, 9) / 6!. & 86984 &:= 8 + 6^{(\sqrt{9})!} + (\sqrt{P(8,4)})!. \\
83544 &:= \sqrt{P(8,3)} \times (5! - \sqrt{4})^{\sqrt{4}}. & 87355 &:= 8 \times P(7,3!) \times 5! - 5. \\
85756 &:= -P(8,5) \times 7 + 5! \times 6!. & 89994 &:= -\sqrt{P(8, \sqrt{9})} + (\sqrt{9})!! + 9! / 4. \\
86160 &:= P(8,6) \times (-1 + 6! - 0!). & & \\
86280 &:= P(8,6) \times ((-2 + 8)! - 0!). & & \\
86304 &:= P(8,6) \times (3!! - 0!) + 4!. & 92244 &:= (9! + P((2+2)!, 4!)) / 4. \\
86350 &:= P(8,6) \times 3!! - 50. & 93984 &:= P((\sqrt{9})!, 3!) \times ((\sqrt{9})!! - 8) \times \sqrt{4}. \\
86364 &:= P(8,6) \times 3!! - P(6,4). & 94957 &:= -\sqrt{9} + P(4, \sqrt{9})^5 - 7!. \\
86379 &:= P(8,6) \times 3!! - 7 \times \sqrt{9}. & 96543 &:= P(9,6) \times (5^4 + 3!). \\
86384 &:= P(8,6) \times 3!! - 8 \times \sqrt{4}. & 96984 &:= 9 \times (6! \times \sqrt{P(9,8)} - 4!). \\
86386 &:= P(8,6) \times 3!! - 8 - 6. & 97920 &:= (\sqrt{9})!! \times P(7+9, 2+0!). \\
86389 &:= P(8,6) \times 3!! - 8 - \sqrt{9}. & 98535 &:= \sqrt{9^8} \times P(5,3) + 5!. \\
86390 &:= P(8,6) \times 3!! - 9 - 0!. & 99543 &:= \sqrt{9^9} \times 5 + P(4!, 3!). \\
86391 &:= P(8,6) \times 3!! - 9 \times 1. & &
\end{aligned}$$

3.3 Reverse Order of Digits

Below are written numbers in reverse order of digits. The initial numbers are in symmetric way from 0 to 9 and then the other numbers.

$$\begin{aligned}
5640 &:= 0 + P(4!, 6) \times 5. & 00840 &:= 0 + P(4!, 8) / (0! + 0!). \\
5641 &:= 1 + P(4!, 6) \times 5. & 00841 &:= 1 + P(4!, 8) / (0! + 0!). \\
5642 &:= 2 + P(4!, 6) \times 5. & 00842 &:= 2 + P(4!, 8) / (0! + 0!). \\
5643 &:= 3 + P(4!, 6) \times 5. & 00843 &:= 3 + P(4!, 8) / (0! + 0!). \\
5644 &:= 4 + P(4!, 6) \times 5. & 00844 &:= 4 + P(4!, 8) / (0! + 0!). \\
5645 &:= 5 + P(4!, 6) \times 5. & 00845 &:= 5 + P(4!, 8) / (0! + 0!). \\
5646 &:= 6 + P(4!, 6) \times 5. & 00846 &:= 6 + P(4!, 8) / (0! + 0!). \\
5647 &:= 7 + P(4!, 6) \times 5. & 00847 &:= 7 + P(4!, 8) / (0! + 0!). \\
5648 &:= 8 + P(4!, 6) \times 5. & 00848 &:= 8 + P(4!, 8) / (0! + 0!). \\
5649 &:= 9 + P(4!, 6) \times 5. & 00849 &:= 9 + P(4!, 8) / (0! + 0!).
\end{aligned}$$

$$01540 := 0 + P(4 \times 5, 10).$$

$$01541 := 1 + P(4 \times 5, 10).$$

$$01542 := 2 + P(4 \times 5, 10).$$

$$01543 := 3 + P(4 \times 5, 10).$$

$$01544 := 4 + P(4 \times 5, 10).$$

$$01545 := 5 + P(4 \times 5, 10).$$

$$01546 := 6 + P(4 \times 5, 10).$$

$$01547 := 7 + P(4 \times 5, 10).$$

$$01548 := 8 + P(4 \times 5, 10).$$

$$01549 := 9 + P(4 \times 5, 10).$$

$$189 := P(9, 8 - 1).$$

$$325 := P(5^2, 3).$$

$$0148 := P(8, (4 - 1)! + 0!).$$

$$0179 := P(9, 7) - 10.$$

$$0273 := 3 \times P(7, (2 + 0!)!).$$

$$0288 := 8 \times P(8, 2 + 0!).$$

$$0377 := P(7 + 7, 3!) - 0!.$$

$$0435 := P(P(5, 3), (\sqrt{4} + 0!)!).$$

$$0564 := P(4!, 6) / \sqrt{5 - 0!}.$$

$$0637 := P(7, 3!) \times (6 + 0!).$$

$$0699 := (-P((\sqrt{9})!, \sqrt{9}) + 6!) \times 0!.$$

$$0735 := P(5, 3) + (7 - 0!)!.$$

$$0745 := P(5, 4) + (7 - 0!)!.$$

$$0755 := P(5, 5) + (7 - 0!)!.$$

$$0925 := P(5^2, (\sqrt{9})! - 0!).$$

$$1225 := P(5^2, (2 + 1)!).$$

$$1404 := P(4!, 0! + (4 - 1)!).$$

$$1654 := P(4! + 5, 6) + 1.$$

$$1825 := P(5^2, 8 \times 1).$$

$$1948 := -8 + P(4!, 9) \times 1.$$

$$1955 := P(5!/5, 9) - 1.$$

$$73440 := 0 + 4! \times P(4!, 3! + 7).$$

$$73441 := 1 + 4! \times P(4!, 3! + 7).$$

$$73442 := 2 + 4! \times P(4!, 3! + 7).$$

$$73443 := 3 + 4! \times P(4!, 3! + 7).$$

$$73444 := 4 + 4! \times P(4!, 3! + 7).$$

$$73445 := 5 + 4! \times P(4!, 3! + 7).$$

$$73446 := 6 + 4! \times P(4!, 3! + 7).$$

$$73447 := 7 + 4! \times P(4!, 3! + 7).$$

$$73448 := 8 + 4! \times P(4!, 3! + 7).$$

$$73449 := 9 + 4! \times P(4!, 3! + 7).$$

$$3384 := P(4!, \sqrt{P(8, 3)}) \times 3.$$

$$3843 := P(-3 + 4!, 8) \times 3.$$

$$3925 := P(5^2, 9 + 3!).$$

$$4225 := P(5^2, 2^4).$$

$$4356 := P(6 + 5, 3)^{\sqrt{4}}.$$

$$4489 := (\sqrt{9} + P(8, 4))^{\sqrt{4}}.$$

$$4784 := -\sqrt{4^8} + (\sqrt{P(7, 4)})!.$$

$$4977 := 7! - 7 \times \sqrt{P(9, 4)}.$$

$$5395 := 5! \times P(9, 3) - 5.$$

$$5425 := P(5^2, 4 \times 5).$$

$$5888 := 8 \times 8 \times P(8, 5).$$

$$6624 := 4! \times P(2 \times 6, 6).$$

$$8405 := 5 \times (0! + P(4!, 8)).$$

$$8967 := 7 \times P(P(6, \sqrt{9}), 8).$$

$$9504 := 4! \times P(\sqrt{0! + 5!}, 9).$$

$$9744 := 4! \times P(4 \times 7, \sqrt{9}).$$

$$00178 := P(8, 7 + 1) + 0! + 0!.$$

$$00435 := P(P(5, 3), 4 + 0! + 0!).$$

$$00439 := P((\sqrt{9})!, 3)^{\sqrt{4}} - 0! - 0!.$$

$$00459 := -P(9, 5) + 4!^{0!+0!}.$$

$$00493 := 3! \times (P(9, 4) + 0!) + 0!.$$

$$00578 := 8! / P(7, 5) + 0! + 0!.$$

$$\begin{aligned}00673 &:= 3! \times P(7, 6 + 0!) + 0!. \\00781 &:= P(18, 7) - 0! - 0!. \\00854 &:= P(4!, 5) + (8 \times 0!) + 0!. \\00948 &:= P(8 + 4, 9) \times (0! + 0!). \\00971 &:= P(17, 9) + 0! + 0!. \\01128 &:= P((8/2)!, (1 + 1 + 0!)!). \\01134 &:= P(4!, 3!) + (1 + 1 + 0!)!\end{aligned}$$

$$\begin{aligned}01225 &:= P(5^2, (2 + 1 + 0)!). \\01242 &:= P(2^4 + 2, 10). \\01298 &:= P(8, \sqrt{9})^2 + 1 + 0!. \\01324 &:= P(4! + 2, 3!) - 1 - 0!. \\01353 &:= 3 \times P(5 + 3!, 10). \\01374 &:= P(4!, 7) - 3 \times 10.\end{aligned}$$

$$\begin{aligned}01525 &:= P(5^2, 5 + 1 + 0!). \\01684 &:= P(4!, 8) + \sqrt{6 + 10}. \\01772 &:= P(27, 7) - 10. \\01849 &:= (\sqrt{9})!! + P(4!, (\sqrt{8 + 1})!) + 0!. \\01899 &:= -(\sqrt{9})! + \sqrt{P(9, 8) + 10!}. \\01946 &:= P(6 \times 4, 9) - 10.\end{aligned}$$

$$\begin{aligned}01947 &:= -7 + P(4!, 9) - 1 - 0!. \\01949 &:= \sqrt{9} + P(4!, 9) - 10. \\02184 &:= 4! \times P(8 - 1, (2 + 0!)!). \\02408 &:= 8 \times (0! + P(4!, 2 + 0!)). \\02487 &:= (7! - P(8, 4))/2 - 0!. \\02514 &:= P(4!, \sqrt{1 + 5!}) + (2 + 0!)!. \\02547 &:= P(7, 4) \times 52 - 0!.\end{aligned}$$

$$\begin{aligned}02548 &:= -8 + P(4!, 5) \times (2 + 0!). \\02549 &:= \sqrt{9} \times (P(4!, 5) - 2) - 0!. \\02596 &:= -6 + P((\sqrt{9})!, 5)^2 + 0!. \\02599 &:= -\sqrt{9} + P((\sqrt{9})!, 5)^2 + 0!. \\02674 &:= P(4 \times 7, 6 + 2 + 0!). \\02784 &:= P(4!, 8 + \sqrt{7 + 2 + 0!}).\end{aligned}$$

$$\begin{aligned}02834 &:= P(4! + 3, 8 + 2) - 0!. \\02964 &:= 4 \times (6! + P((\sqrt{9})!, 2 + 0!)). \\02976 &:= 6 \times P(7 + 9, (2 + 0!)!). \\03084 &:= -P(4!, 8 + 0!) + (3! + 0!)!. \\03315 &:= 51 \times (P(3!, 3!) - 0!). \\03325 &:= P(5^2, 3! + 3! + 0!). \\03366 &:= 66 \times P(3!, 3! - 0!).\end{aligned}$$

$$\begin{aligned}03367 &:= P(7, 6) \times (3! \times 3! + 0!). \\03383 &:= P(3 \times 8, 3!) \times 3 - 0!. \\03394 &:= (P(4!, (\sqrt{9})!) + 3) \times 3 + 0!. \\03396 &:= 6 \times (-P(9, 3!) + 3!! - 0!). \\03404 &:= 4 \times (-0! + P(4!, 3! - 0!)). \\03584 &:= \sqrt{4^8} \times (P(5, 3) - 0!). \\03672 &:= P(2 + 7, 6) \times (3 + 0!)!\end{aligned}$$

$$\begin{aligned}03869 &:= P(9 + 6, 8) \times 3! - 0!. \\03884 &:= P(4!, 8 + 8) - 3 - 0!. \\03888 &:= P((\sqrt{8 + 8})!, 8 \times (3 - 0!)). \\03925 &:= P(5^2, 9 + (3 + 0)!). \\03942 &:= 2 \times P(4!, 9) + 30. \\04236 &:= P(6, 3!)^2 - (4 + 0!)!\end{aligned}$$

$$\begin{aligned}04333 &:= 3! \times (P(3, 3)! + \sqrt{4}) + 0!. \\04338 &:= ((\sqrt{P(8, 3)})! + 3) \times (\sqrt{4} + 0!)!. \\04393 &:= 3!! + P(9, 3!) \times 4! + 0!. \\04434 &:= P(4!, -3! + 4!) - (\sqrt{4} + 0!)!. \\04677 &:= 7! - P(7, 6) \times 4 + 0!. \\04679 &:= (P(9, 7) + 6) \times 4! - 0!. \\04699 &:= P(9, 9) \times (-6 + 4!) + 0!.\end{aligned}$$

$$\begin{aligned}04734 &:= -P(4!, 3) + 7! - (\sqrt{4} + 0!)!. \\04857 &:= 7! - 5! - P(8, 4) + 0!. \\04887 &:= 7! - P(8, 8) + 4! - 0!. \\04972 &:= -2 + 7! - P((\sqrt{9})!, (\sqrt{4} + 0!)!). \\04987 &:= 7! - 8 - P(9, \sqrt{4} + 0!). \\04992 &:= P((-2 + (\sqrt{9})!)!, -\sqrt{9} + 4! - 0!). \\05376 &:= -6! + P((7 - 3)!, (5 - 0!)!).\end{aligned}$$

$$\begin{aligned}
05393 &:= -3! + P(9,3) \times 5! - 0!. & 14664 &:= P(4!,6) \times (6 \times \sqrt{4} + 1). \\
05399 &:= P(9,9/3) \times 5! - 0!. & 14784 &:= P(4! - 8,7) \times 4! \times 1. \\
05424 &:= P(4!, -2 + 4!) - (5 + 0)!. & 14835 &:= P(P(5,3),8) \times (4! - 1). \\
05544 &:= P(4!, -4 + 5 \times 5 + 0)!. & 15049 &:= (\sqrt{9})! \times P(4!, \sqrt{0! + 5!}) + 1. \\
05677 &:= 7 \times (P(7,6) + (5 + 0!)!). & 15488 &:= P(8,8)^{\sqrt{4}} / \sqrt{5-1}. \\
05724 &:= 4 \times P(27,5 + 0)!. & 15597 &:= -P(7, \sqrt{9}) + 5^{5+1}. \\
05744 &:= -P(4,4) + 7! + (5 + 0!)!. & 16345 &:= P(5,4)^3 + 6! \times 1. \\
05994 &:= P(4! + \sqrt{9}, \sqrt{\sqrt{9} \times 5! + 0!}). & 16384 &:= 4^{P(8,3)/6+1}. \\
06481 &:= \sqrt{P(1 + 8,4)} \times 6! + 0!. & 16448 &:= P(8,4) + 4^{6+1}. \\
06622 &:= P(22,6) \times (6 + 0)!. & 16537 &:= (P(7,3) - 5) \times (6! - 1). \\
06625 &:= 5 \times (P(26,6) - 0)!. & 17537 &:= P(7 + 3!,5) \times 7!. \\
07344 &:= 4! \times (P(4!,3) + 7 - 0)!. & 22338 &:= (8! + P(3!,3!)^2) / 2. \\
07937 &:= 7 \times 3! \times P(9,7) - 0!. & 23344 &:= P(4,4) + 3!^{3!} / 2. \\
08405 &:= 5 \times (P((04)!,8) + 0)!. & 23409 &:= P(9, (0 \times 4 + 3)!)^2. \\
08424 &:= (4 + 2) \times P(4!,8 - 0)!. & 23496 &:= P(6, (\sqrt{9})!) \times (-4 + 3!! / 2). \\
08435 &:= 5 \times (3! + P(4!,8) + 0)!. & 24575 &:= 5 \times 7! - P(5,4)^2. \\
08447 &:= (-7! + P(4!,4!)) \times 8 - 0!. & 24649 &:= (P(\sqrt{P(9,4)},6) + 4)^2. \\
08458 &:= P(8,5)^{\sqrt{4}} - (\sqrt{8 + 0!})!. & 24975 &:= 5 \times 7! - P(9,4 \times 2). \\
08469 &:= P(\sqrt{\sqrt{96}},4!) + (\sqrt{8 + 0!})!!. & 24984 &:= P(4!,8 + 9) \times (4 + 2). \\
08946 &:= 6 \times P(4! - \sqrt{9},8 + 0)!. & 25899 &:= -P((\sqrt{9})!, \sqrt{9}) + 8! - 5!^2. \\
09024 &:= P(4!, (2 + 0!)!) \times (9 - 0)!. & 27648 &:= P(8,4) \times 6 \times 72. \\
09314 &:= P(4! - 1,3!) \times 9 - 0!. & 27889 &:= (-9 + P(8,8!/7!))^2. \\
09359 &:= P(9,5) \times 3!! / 9 - 0!. & 28894 &:= P(4!, \sqrt{P(9,8)}) \times 8 - 2. \\
09456 &:= 6^5 + P(4!,9 - 0)!. & 28895 &:= -5 + (-\sqrt{9})! + P(8,8))^2. \\
09457 &:= 7 \times (P(5 \times 4,9) + 0)!. & 29954 &:= P(4!,5! / (\sqrt{9})!) \times (\sqrt{9})! + 2. \\
09784 &:= \sqrt{4} \times (-P(8,7) + ((\sqrt{9})! + 0!)!). & 31955 &:= P(5,5) \times 913. \\
09936 &:= 6^3 \times (P(9, \sqrt{9}) + 0)!. & 32394 &:= (4 \times P(9,3))^2 - 3!. \\
12768 &:= (P(8,6) - 7)^2 - 1. & 32395 &:= -5 + P(9,3) \times (2 \times 3)!. \\
13448 &:= (8! + 4!) / \sqrt{P(4,3)} - 1. & 32396 &:= 6! \times P(9,3) + 2 - 3!. \\
13495 &:= -5 \times (-9 \times P(4!,3) + 1). & 32849 &:= P(9,4) + 8^{2+3}. \\
13499 &:= P(9, \sqrt{9}) \times P(4!,3) - 1. & 33258 &:= P(8,5) / 2 \times (3!! + 3). \\
13734 &:= 4!^3 - P(7,3!) + 1. & 33456 &:= P(6,5) \times (-4^3 + 3!!). \\
& & 33488 &:= 8 \times 8^4 + P(3,3)!. \\
& & 33498 &:= 8! + (-9 - P(4!,3!)) \times 3!.
\end{aligned}$$

$$\begin{aligned}
33572 &:= 2 \times (7^5 - P(3!, 3)). & 39189 &:= -\sqrt{9} + 8! - P((1 + \sqrt{9})!, 3!). \\
33744 &:= 4! \times (P(4!, 7) + 3!/3). & 39192 &:= (2^{\sqrt{9}})! - P((1 + \sqrt{9})!, 3!). \\
33924 &:= (\sqrt{4} + 2^9) \times P(3!, 3!). & 39459 &:= (\sqrt{9} + 5)! - P(4! - \sqrt{9}, 3!). \\
34224 &:= -P(4!, (2 + 2)!) + (\sqrt{4^3})!. & 39578 &:= 8! - 7 - P(5, \sqrt{9}) - 3!! \\
34248 &:= 8! - 4! \times P(-2 + 4!, 3). & 39786 &:= -6 + 8 \times (7! - P((\sqrt{9})!, 3!)). \\
34464 &:= (-\sqrt{4} + 6!) \times P(4, 4) \times 3. & 39789 &:= -\sqrt{9} + 8 \times (7! - P((\sqrt{9})!, 3!)). \\
34577 &:= 7! \times 7 - P(-5 + 4!, 3!). & 39798 &:= 8! + P(9, 7) + 9 - 3!! \\
34593 &:= (P(3!, (\sqrt{9})!) + 5!)^{\sqrt{4}} - 3. & 39924 &:= (4 \times 2)! - P((\sqrt{9})!, (\sqrt{9})!) \times 3!. \\
34599 &:= (P((\sqrt{9})!, (\sqrt{9})!) + 5!)^{\sqrt{4}} + 3. & 39939 &:= P(9, 3!) \times P(9, 9) + 3!. \\
34968 &:= 8! - 6! \times 9 + P(4!, 3!). & 39948 &:= 8! - P(4! + \sqrt{9}, \sqrt{9}) + 3!. \\
35328 &:= 8! - P((-2 + 3!)!, 5!/3!). & 40345 &:= P(5, 4) + (3! + \sqrt{04})!. \\
35378 &:= 8! - P(P(7, 3), P(5, 3)). & 40355 &:= P(5, 5) + (3! + \sqrt{04})!. \\
35748 &:= 8! + (-P(4!, 7) + 5!) \times 3. & 40358 &:= 8! + P(5, 3) - 0! + 4!. \\
35754 &:= (P(4!, 5) \times 7 - 5) \times 3!. & 40371 &:= (1 + 7)! + P(3!, 0! + 4). \\
35937 &:= (7 + P(3!, \sqrt{9}) + 5)^3. & 40378 &:= 8! + (P(7, 3) + 0!) \times \sqrt{4}. \\
35994 &:= P(4!, 9/\sqrt{9}) \times 5! - 3!. & 40698 &:= 8! + P(9, 6 + 0!) \times \sqrt{4}. \\
35995 &:= -5 + (P(9, \sqrt{9}) + 5) \times 3!! \\
36431 &:= -1 + 3 \times 4!!/P(6, 3)!. \\
36432 &:= 23 \times 4! \times P(6, 3!). \\
36434 &:= \sqrt{4} + 3 \times 4!!/P(6, 3)!. \\
36723 &:= P(3!, -2 + 7) \times 6! + 3. \\
36726 &:= P(6, -2 + 7) \times 6! + 3!. \\
37449 &:= 9 \times (P(4!, 4! - 7) - 3). \\
37464 &:= 4! + 6! \times (4! + P(7, 3)). \\
37468 &:= 8! - 6! \times 4 + P(7, 3). \\
37478 &:= 8! - 7 \times P(4 \times 7, 3). \\
37882 &:= 2^8 \times P(8, 7) - 3!. \\
38094 &:= -P(4!, 9 + 0!) + 8! + 3!. \\
38448 &:= 8! - 4! \times P(4 + 8, 3). \\
38799 &:= 9 \times (-9 + 7! - (\sqrt{P(8, 3)})!). \\
38873 &:= -3!! - 7 + 8! - (\sqrt{P(8, 3)})!. \\
38952 &:= (2 + 5! \times 9) \times P(8, 3). \\
39088 &:= 8! - 8 \times (0! + P(9, 3!)). \\
39186 &:= -6 + 8! - P((1 + \sqrt{9})!, 3!). & 40358 &:= 8! + P(5, 3) - 0! + 4!. \\
& & 40371 &:= (1 + 7)! + P(3!, 0! + 4). \\
& & 40378 &:= 8! + (P(7, 3) + 0!) \times \sqrt{4}. \\
& & 40698 &:= 8! + P(9, 6 + 0!) \times \sqrt{4}. \\
& & 41448 &:= 8! + P(4!, (4 - 1^4)!). \\
& & 41568 &:= 8! + (P(6, 5) + 1) \times 4!. \\
& & 42944 &:= (-4 + P(4!, 9)) \times (-2 + 4!). \\
& & 43979 &:= 9 \times (7! - P(9, 3!)) - 4. \\
& & 43986 &:= -6 + 8! + P(9, 3!) \times 4!. \\
& & 43989 &:= -\sqrt{9} + 8! + P(9, 3!) \times 4!. \\
& & 43998 &:= 8! + (\sqrt{9})! + P(9, 3!) \times 4!. \\
& & 44925 &:= 5 \times (P(29, 4!) + 4!). \\
& & 45999 &:= P(4!, 5) \times (\sqrt{9})! \times 9 - 9. \\
& & 46148 &:= P(8, 4) \times (1 + 6!) + 4. \\
& & 46494 &:= P(4! + \sqrt{9}, 4!) \times \sqrt{P(6, 4)}. \\
& & 46496 &:= P(\sqrt{6! + 9}, 4!) \times 6 + \sqrt{4}. \\
& & 46691 &:= -1 + (\sqrt{9})!^6 + P(6, 4). \\
& & 46692 &:= (2 \times \sqrt{9})^6 + P(6, 4). \\
& & 46695 &:= P(5, \sqrt{9}) + 6^6 + 4!. \\
& & 46848 &:= P(8, 4) \times (8 + 6! + 4). \\
& & 47089 &:= (P(9, 8) - 0! - 7)^{\sqrt{4}}.
\end{aligned}$$

$$47369 := (\sqrt{9})!^6 + 3!! - \sqrt{P(7,4)}.$$

$$48096 := 6^{(\sqrt{9})!-0!} + (\sqrt{P(8,4)})!.$$

$$48746 := 6 \times P(4!,7) + 8! + \sqrt{4}.$$

$$49281 := 1 \times 8! + P(29,4!).$$

$$49548 := -8! - P(4!,5) + 9!/4.$$

$$50424 := 4! \times P(-2 + 4!, \sqrt{0! + 5!}).$$

$$52895 := (5 + P(9,8))^2 - 5.$$

$$53995 := (5! - P(9, \sqrt{9})) \times 3!! - 5.$$

$$53995 := -5 - 3!! \times (P(9, \sqrt{9}) - 5!).$$

$$54264 := P(4!,6) \times 2 \times 4! + 5!.$$

$$54984 := P(4 + 8,9) \times (-4 + 5!).$$

$$55488 := 8 \times (8 \times P(4!,5) + 5!).$$

$$56405 := 50 \times P(4!,6) + 5.$$

$$59035 := -P(5,3) + 0! + 9^5.$$

$$59049 := (P(9,4)/09)^5.$$

$$59168 := P(8,6) - 1 + 9^5.$$

$$59259 := 9^5 + P(2 \times (\sqrt{9})!,5).$$

$$59343 := -3! + P(4!,3) + 9^5.$$

$$59349 := P((\sqrt{9})! \times 4,3) + 9^5.$$

$$59904 := \sqrt{4^{09}} \times P(9,5).$$

$$59949 := \sqrt{9} \times P(4!, \sqrt{9}) + 9^5.$$

$$62436 := P(6,3!) \times P(4! - 2,6).$$

$$63168 := 8!/6! \times P((1+3)!,6).$$

$$63888 := (P(8,8)/8)^3 \times 6.$$

$$64395 := 5 \times 9 \times P(3 + 4!,6).$$

$$65897 := -7^{\sqrt{9}} + P(8,5) \times 6!.$$

$$67704 := (4! + (-0! + 7)!) \times P(7,6).$$

$$68448 := (8! - P(4!,4!)) \times (8 - 6).$$

$$73359 := 9!/5 + P(3 \times 3!,7).$$

$$73944 := 4! \times (-P(4!,9) - 3 + 7!).$$

$$74295 := 5 \times 9 \times P(2 + 4!,7).$$

$$75635 := (P(5,3) \times 6! + 5) \times 7.$$

$$76335 := 5 \times P(3!,3) \times (6! + 7).$$

$$77392 := (-29 + 3!!) \times P(7,7).$$

$$78275 := 5^7 + 2 + P(8,7).$$

$$78848 := P(8,4) \times P(8,8) \times 7.$$

$$82344 := \sqrt{4} \times (P(4!,3 + 2) + 8!).$$

$$83195 := P(5, (\sqrt{9})! - 1)^3 + 8!.$$

$$84456 := P(6,5) \times (-4! + P(4!,8)).$$

$$84864 := (-4! + 6!) \times P(8,4) + 8!.$$

$$85344 := P(4!,4!) \times (3!!/5! + 8).$$

$$87594 := (P(4!, (\sqrt{9})!) - 5) \times 78.$$

$$87984 := P(4!, \sqrt{P(8, \sqrt{9})}) \times 78.$$

$$88697 := -7 + 9!/6! \times P(8,8).$$

$$89775 := 57 \times 7 \times P(9,8).$$

$$92928 := P(8, 2^{\sqrt{9}})^2 \times \sqrt{9}.$$

$$93248 := -P(8,4) + 2 \times 3!^{(\sqrt{9})!}.$$

$$93384 := \sqrt{4} \times (P(8,3) + 3!^{(\sqrt{9})!}).$$

$$93594 := (P(4, \sqrt{9}) + 5!) \times 3!! - (\sqrt{9})!.$$

$$93744 := (-4! \times 4! + 7!) \times P(3!, \sqrt{9}).$$

$$93894 := P(4!,9) \times 8 \times 3! + (\sqrt{9})!.$$

$$94356 := (P(6,5) \times 3!)^{\sqrt{4}} + (\sqrt{9})!!.$$

$$95436 := (6! + 3) \times (P(4!,5) - (\sqrt{9})!!).$$

$$95745 := (-5 + 4!) \times 7! - P(5, \sqrt{9}).$$

$$97364 := 46^3 + P(7, \sqrt{9}).$$

$$98464 := (4 + 6!) \times P(4! - 8, \sqrt{9}).$$

$$98649 := P(9,4) \times 6! + 8! + 9.$$

$$99753 := (3 + 5!) \times (P(7, (\sqrt{9})!) + (\sqrt{9})!!).$$

$$99756 := P(6,5) \times P((\sqrt{7+9})!,9).$$

4 Selfie Numbers with Centered Polygonal Numbers

From now onwards we shall use the notation $K(n, t)$ for **centered polygonal numbers**, i.e.,

$$K(n, t) := K_t(n), \quad t \geq 3.$$

From mathematical point of view, we can calculate values of $K(n, t)$ for $t \leq 2$, but from practical point of view, **centered polygonal numbers** are considered for $t \geq 3$.

Subsections below give examples of **centered polygonal selfie numbers** in five different ways.

4.1 Symmetric: Both Ways

$$33120 := 3!! \times K(3!, 1 + 2) + 0 = 0 + (2 + 1)!! \times K(3!, 3).$$

$$33121 := 3!! \times K(3!, 1 + 2) + 1 = 1 + (2 + 1)!! \times K(3!, 3).$$

$$33122 := 3!! \times K(3!, 1 + 2) + 2 = 2 + (2 + 1)!! \times K(3!, 3).$$

$$33123 := 3!! \times K(3!, 1 + 2) + 3 = 3 + (2 + 1)!! \times K(3!, 3).$$

$$33124 := 3!! \times K(3!, 1 + 2) + 4 = 4 + (2 + 1)!! \times K(3!, 3).$$

$$33125 := 3!! \times K(3!, 1 + 2) + 5 = 5 + (2 + 1)!! \times K(3!, 3).$$

$$33126 := 3!! \times K(3!, 1 + 2) + 6 = 6 + (2 + 1)!! \times K(3!, 3).$$

$$33127 := 3!! \times K(3!, 1 + 2) + 7 = 7 + (2 + 1)!! \times K(3!, 3).$$

$$33128 := 3!! \times K(3!, 1 + 2) + 8 = 8 + (2 + 1)!! \times K(3!, 3).$$

$$33129 := 3!! \times K(3!, 1 + 2) + 9 = 9 + (2 + 1)!! \times K(3!, 3).$$

$$33350 := K(3!, 3) \times (3!! + 5) + 0 = 0 + (5 + 3!!) \times K(3!, 3).$$

$$33351 := K(3!, 3) \times (3!! + 5) + 1 = 1 + (5 + 3!!) \times K(3!, 3).$$

$$33352 := K(3!, 3) \times (3!! + 5) + 2 = 2 + (5 + 3!!) \times K(3!, 3).$$

$$33353 := K(3!, 3) \times (3!! + 5) + 3 = 3 + (5 + 3!!) \times K(3!, 3).$$

$$33354 := K(3!, 3) \times (3!! + 5) + 4 = 4 + (5 + 3!!) \times K(3!, 3).$$

$$33355 := K(3!, 3) \times (3!! + 5) + 5 = 5 + (5 + 3!!) \times K(3!, 3).$$

$$33356 := K(3!, 3) \times (3!! + 5) + 6 = 6 + (5 + 3!!) \times K(3!, 3).$$

$$33357 := K(3!, 3) \times (3!! + 5) + 7 = 7 + (5 + 3!!) \times K(3!, 3).$$

$$33358 := K(3!, 3) \times (3!! + 5) + 8 = 8 + (5 + 3!!) \times K(3!, 3).$$

$$33359 := K(3!, 3) \times (3!! + 5) + 9 = 9 + (5 + 3!!) \times K(3!, 3).$$

$$\begin{aligned}
63360 &:= (K(6,3!) - 3) \times 6! + 0 = 0 + (K(6,3!) - 3) \times 6!. \\
63361 &:= (K(6,3!) - 3) \times 6! + 1 = 1 + (K(6,3!) - 3) \times 6!. \\
63362 &:= (K(6,3!) - 3) \times 6! + 2 = 2 + (K(6,3!) - 3) \times 6!. \\
63363 &:= (K(6,3!) - 3) \times 6! + 3 = 3 + (K(6,3!) - 3) \times 6!. \\
63364 &:= (K(6,3!) - 3) \times 6! + 4 = 4 + (K(6,3!) - 3) \times 6!. \\
63365 &:= (K(6,3!) - 3) \times 6! + 5 = 5 + (K(6,3!) - 3) \times 6!. \\
63366 &:= (K(6,3!) - 3) \times 6! + 6 = 6 + (K(6,3!) - 3) \times 6!. \\
63367 &:= (K(6,3!) - 3) \times 6! + 7 = 7 + (K(6,3!) - 3) \times 6!. \\
63368 &:= (K(6,3!) - 3) \times 6! + 8 = 8 + (K(6,3!) - 3) \times 6!. \\
63369 &:= (K(6,3!) - 3) \times 6! + 9 = 9 + (K(6,3!) - 3) \times 6!.
\end{aligned}$$

$$\begin{aligned}
99360 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 0 = 0 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99361 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 1 = 1 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99362 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 2 = 2 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99363 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 3 = 3 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99364 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 4 = 4 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99365 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 5 = 5 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99366 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 6 = 6 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99367 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 7 = 7 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99368 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 8 = 8 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}. \\
99369 &:= K((\sqrt{9})!, \sqrt{9}) \times 3 \times 6! + 9 = 9 + 6! \times K(3!, \sqrt{9}) \times \sqrt{9}.
\end{aligned}$$

4.2 Symmetric: Single Side

$$\begin{aligned}
33840 &:= 0 + \sqrt{K(4!,8)} \times (3+3)!. & 59760 &:= 0 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33841 &:= 1 + \sqrt{K(4!,8)} \times (3+3)!. & 59761 &:= 1 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33842 &:= 2 + \sqrt{K(4!,8)} \times (3+3)!. & 59762 &:= 2 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33843 &:= 3 + \sqrt{K(4!,8)} \times (3+3)!. & 59763 &:= 3 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33844 &:= 4 + \sqrt{K(4!,8)} \times (3+3)!. & 59764 &:= 4 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33845 &:= 5 + \sqrt{K(4!,8)} \times (3+3)!. & 59765 &:= 5 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33846 &:= 6 + \sqrt{K(4!,8)} \times (3+3)!. & 59766 &:= 6 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33847 &:= 7 + \sqrt{K(4!,8)} \times (3+3)!. & 59767 &:= 7 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33848 &:= 8 + \sqrt{K(4!,8)} \times (3+3)!. & 59768 &:= 8 - 6! \times (-7 - K((\sqrt{9})!,5)). \\
33849 &:= 9 + \sqrt{K(4!,8)} \times (3+3)!. & 59769 &:= 9 - 6! \times (-7 - K((\sqrt{9})!,5)).
\end{aligned}$$

$$\begin{aligned}
43920 &:= 0 + (2 \times \sqrt{9})! \times K(3!, 4). & 81360 &:= K(8, 1 + 3) \times 6! + 0. \\
43921 &:= 1 + (2 \times \sqrt{9})! \times K(3!, 4). & 81361 &:= K(8, 1 + 3) \times 6! + 1. \\
43922 &:= 2 + (2 \times \sqrt{9})! \times K(3!, 4). & 81362 &:= K(8, 1 + 3) \times 6! + 2. \\
43923 &:= 3 + (2 \times \sqrt{9})! \times K(3!, 4). & 81363 &:= K(8, 1 + 3) \times 6! + 3. \\
43924 &:= 4 + (2 \times \sqrt{9})! \times K(3!, 4). & 81364 &:= K(8, 1 + 3) \times 6! + 4. \\
43925 &:= 5 + (2 \times \sqrt{9})! \times K(3!, 4). & 81365 &:= K(8, 1 + 3) \times 6! + 5. \\
43926 &:= 6 + (2 \times \sqrt{9})! \times K(3!, 4). & 81366 &:= K(8, 1 + 3) \times 6! + 6. \\
43927 &:= 7 + (2 \times \sqrt{9})! \times K(3!, 4). & 81367 &:= K(8, 1 + 3) \times 6! + 7. \\
43928 &:= 8 + (2 \times \sqrt{9})! \times K(3!, 4). & 81368 &:= K(8, 1 + 3) \times 6! + 8. \\
43929 &:= 9 + (2 \times \sqrt{9})! \times K(3!, 4). & 81369 &:= K(8, 1 + 3) \times 6! + 9.
\end{aligned}$$

4.3 Both Ways: Digit's Order and Reverse

$$\begin{aligned}
1199 &:= 11 \times K(9, \sqrt{9}) & = K(9, \sqrt{9}) \times 11. \\
1464 &:= 1 \times 4! \times K(6, 4) & = 4! \times K(6, 4) \times 1. \\
2688 &:= (2 + 6)! / \sqrt{K(8, 8)} & = 8! / \sqrt{K(8, 6 + 2)}. \\
3786 &:= 3! \times K(7 + 8, 6) & = 6 \times K(8 + 7, 3!). \\
4143 &:= K(4!, 1 + 4) \times 3 & = 3 \times K(4!, 1 + 4). \\
4145 &:= K(4!, -1 + 4) \times 5 & = 5 \times K(4!, -1 + 4). \\
4344 &:= K(4 + 3!, 4) \times 4! & = 4! \times K(4 + 3!, 4). \\
4444 &:= K(4!, 4) \times 4 + 4! & = K(4!, 4) \times 4 + 4!. \\
4799 &:= -4! + 7! - K(9, (\sqrt{9})!) & = -K(9, (\sqrt{9})!) + 7! - 4!. \\
\\
4987 &:= -\sqrt{K(4! + \sqrt{9}, 8)} + 7! & = 7! + 8 - K((\sqrt{9})!, 4). \\
9994 &:= -(\sqrt{9})! + K(\sqrt{9}, \sqrt{9})^4 & = (\sqrt{4} + K(4!, (\sqrt{9})!)) \times (\sqrt{9})!. \\
12435 &:= (1 + 2) \times K(4!, 3) \times 5 & = 5 \times 3 \times K(4!, 2 + 1). \\
13244 &:= -1 \times 3! + 2 \times K(4!, 4!) & = K(4!, 4!) \times 2 - 3! \times 1. \\
13689 &:= K((-1 + 3!)! / 6, 8) \times 9 & = 9 \times \sqrt{K(8, 6)^{3-1}}. \\
14402 &:= K(1 + 4!, 4!) \times 02 & = 2 \times K(0! + 4!, 4!) \times 1. \\
14949 &:= (K(1 \times 4!, (\sqrt{9})!) + 4) \times 9 & = 9 \times (K(4!, (\sqrt{9})!) + 4 \times 1). \\
15599 &:= -1 + 5! \times (5! + K(\sqrt{9}, \sqrt{9})) & = (K(\sqrt{9}, \sqrt{9}) + 5!) \times 5! - 1. \\
17753 &:= -1 + K(7, 7) \times 5! - 3! & = -3! + 5! \times K(7, 7) - 1.
\end{aligned}$$

$$\begin{aligned}
17755 &:= K(1 \times 7, 7) \times 5! - 5 &= -5 + 5! \times K(7, 7) \times 1. \\
17761 &:= 1 + K(7, 7) \times (6 - 1)! &= (-1 + 6)! \times K(7, 7) + 1. \\
19944 &:= (K((1 + \sqrt{9})!, \sqrt{9}) + \sqrt{4}) \times 4! &= 4! \times (K(4!, \sqrt{9}) + \sqrt{9} - 1). \\
23296 &:= 2^{3!+2} \times K((\sqrt{9})!, 6) &= K(6, (\sqrt{9})!) \times 2^{3!+2}. \\
24849 &:= K(24, 8 + \sqrt{4}) \times 9 &= 9 \times K(4!, 8 + 4 - 2). \\
26484 &:= 2 \times 6 \times (K(4!, 8) - \sqrt{4}) &= (K(4!, 8) - \sqrt{4}) \times 6 \times 2. \\
28824 &:= K(2 \times 8, 8 + 2) \times 4! &= 4! \times K(2 \times 8, 8 + 2). \\
\\
29438 &:= (-2 + (\sqrt{9})!!) \times \sqrt{K(4! - 3, 8)} &= K(8 - 3, 4) \times ((\sqrt{9})!! - 2). \\
29976 &:= (2 - K((\sqrt{9})!, \sqrt{9}) + 7!) \times 6 &= 6 \times (7! - K((\sqrt{9})!, \sqrt{9}) + 2). \\
30367 &:= K(3! + 0!, 3!) + 6 \times 7! &= 7! \times 6 + K(3! + 0!, 3!). \\
33067 &:= K(3!, 3) \times (-0! + 6!) - 7 &= -7 + (6! - 0!) \times K(3!, 3). \\
33074 &:= K(3!, 3) \times (-0! + (7 - 4)!!) &= ((-4 + 7)!! - 0!) \times K(3!, 3). \\
33144 &:= 3!! \times K(3!, -1 + 4) + 4! &= 4! \times K(4!, -1 + 3 + 3). \\
\\
33163 &:= K(3!, 3) \times (1 + 6!) - 3 &= -3 + (6! + 1) \times K(3!, 3). \\
33164 &:= K(3!, 3) \times (1 + 6!) - \sqrt{4} &= -\sqrt{4} + (6! + 1) \times K(3!, 3). \\
33166 &:= K(3!, 3) \times K(16, 6) &= ((\sqrt{6 \times 6})! + 1) \times K(3!, 3). \\
33169 &:= K(3!, 3) \times (1 + 6!) + \sqrt{9} &= \sqrt{9} + (6! + 1) \times K(3!, 3). \\
33212 &:= K(3!, 3) \times (2 + (1 + 2)!!) &= (2 + (1 + 2)!!) \times K(3!, 3). \\
33304 &:= K(3!, 3) \times (3!! + 04) &= (4 + (03)!!) \times K(3!, 3). \\
33336 &:= 3!^3 + K(3!, 3) \times 6! &= 6! \times K(3!, 3) + 3!^3. \\
\\
33393 &:= (3! + 3!!) \times K(3!, \sqrt{9}) - 3 &= (3!! + (\sqrt{9})!) \times K(3!, 3) - 3. \\
33394 &:= (3! + 3!!) \times K(3!, \sqrt{9}) - \sqrt{4} &= -\sqrt{4} + ((\sqrt{9})! + 3!!) \times K(3!, 3). \\
33396 &:= K(3!, 3) \times (-3 + \sqrt{9^6}) &= K(6, \sqrt{9}) \times (3! + (3 + 3)!). \\
33399 &:= (3! + 3!!) \times K(3!, \sqrt{9}) + \sqrt{9} &= \sqrt{9} + ((\sqrt{9})! + 3!!) \times K(3!, 3). \\
33534 &:= K(3!, 3) \times (5 + 3!!) + 4 &= (4 + 3!! + 5) \times K(3!, 3). \\
33932 &:= 3!! + K(3!, \sqrt{9}) \times (3!! + 2) &= (2 + 3!!) \times K((\sqrt{9})!, 3) + 3!!. \\
34469 &:= 3!! \times (4! + 4!) - K(6, (\sqrt{9})!) &= -K((\sqrt{9})!, 6) + (4! + 4!) \times 3!!. \\
\\
34698 &:= (3!! - K(4!, 6)) \times (\sqrt{9})! + 8! &= 8! - (\sqrt{9})! \times (-6! + K(4!, 3!)). \\
34794 &:= K(3! \times 4, 7) \times 9 \times \sqrt{4} &= (K(4!, \sqrt{9}) \times 7 - 4) \times 3!. \\
34959 &:= K(3! + 4, (\sqrt{9})!) \times (5! + 9) &= (9 + 5!) \times K((\sqrt{9})! + 4, 3!). \\
35349 &:= (3 + 5)! - 3 \times K(4!, (\sqrt{9})!) &= -\sqrt{9} \times K(4!, 3!) + (5 + 3)!. \\
35677 &:= K(\sqrt{3!!/5}, 6) + 7! \times 7 &= 7! \times 7 + K(\sqrt{6!/5}, 3!). \\
35955 &:= (3!! - 5 \times \sqrt{9}) \times K(5, 5) &= K(5, 5) \times (-\sqrt{9} \times 5 + 3!!). \\
36396 &:= (3!! - K(6, 3)) \times 9 \times 6 &= 6 \times 9 \times (3!! - K(6, 3)).
\end{aligned}$$

$$\begin{aligned}
36444 &:= 3! + 6 \times K(4!, 4! - \sqrt{4}) &= K(4!, 4! - \sqrt{4}) \times 6 + 3!. \\
37393 &:= 3! + 7^3 \times K(9, 3) &= 3! + K(9, 3) \times 7^3. \\
37943 &:= -3!! + (\sqrt{K(7, \sqrt{9})})! - K(4!, 3!) = -3!! - K(4!, (\sqrt{9})!) + (\sqrt{K(7, 3)})!. \\
37948 &:= (-3!! + K(7, (\sqrt{9})!)) \times 4 + 8! &= 8! - 4 \times ((\sqrt{9})!! - K(7, 3!)). \\
38495 &:= -3!! + 8! - K(4!, 9 - 5) &= -K((-5 + 9)!, 4) + 8! - 3!!. \\
38549 &:= 3! + 8! - 5! - K(4!, (\sqrt{9})!) &= -K(-\sqrt{9} + 4!, 5) + 8! - 3!!. \\
38893 &:= -3!! + 8! + \sqrt{K(8, (\sqrt{9})!)} - 3!! &= -3!! - (\sqrt{9})!! + 8! + \sqrt{K(8, 3!)}. \\
38933 &:= 3!! + 8! - K(9 \times 3, 3!) &= -K(3^3, (\sqrt{9})!) + 8! + 3!!. \\
38939 &:= -3 + 8! - K(\sqrt{9} \times 3!, 9) &= -K(\sqrt{9} \times 3!, 9) + 8! - 3. \\
38956 &:= -3!! + 8! + K((\sqrt{9})!, 5) - 6! = K(6, 5) - (\sqrt{9})!! + 8! - 3!!. \\
38969 &:= -3!! + 8! - K(9 + 6, (\sqrt{9})!) = -K(9 + 6, (\sqrt{9})!) + 8! - 3!!. \\
38995 &:= 3 - 8 + K(9, 9) \times 5! &= 5! \times K(9, 9) - 8 + 3. \\
39383 &:= -K(3 \times \sqrt{9}, 3!) + 8! - 3!! &= -3!! + 8! - K(3 \times \sqrt{9}, 3!). \\
39386 &:= 3 - K(9, 3!) + 8! - 6! &= -6! + 8! + 3 - K(9, 3!). \\
39389 &:= -3!! - K(9, 3!) + 8! + (\sqrt{9})! = (\sqrt{9})! + 8! - 3!! - K(9, 3!). \\
39398 &:= -K(3! \times \sqrt{9}, 3!) - \sqrt{9} + 8! &= 8! - \sqrt{9} - K(3! \times \sqrt{9}, 3!). \\
39558 &:= -3!! + 9 - K(5, 5) + 8! &= 8! - K(5, 5) + 9 - 3!!. \\
39646 &:= K(3!, \sqrt{9}) - 6! + (\sqrt{4} + 6)! &= (\sqrt{64})! + K(6, \sqrt{9}) - 3!!. \\
39683 &:= -K(3! + 9, 6) + 8! - 3! &= -3! + 8! - K(6 + 9, 3!). \\
39691 &:= K(3!, (\sqrt{9})!) - 6! + (9 - 1)! = (-1 + 9)! + K(6, (\sqrt{9})!) - 3!!. \\
39698 &:= -K(3! + 9, 6) + 9 + 8! &= ((8! + 9) - K((6 + 9), 3!)). \\
39699 &:= (K(3!, (\sqrt{9})!) + 6! \times (\sqrt{9})!) \times 9 = 9 \times ((\sqrt{9})! \times 6! + K((\sqrt{9})!, 3!)). \\
39745 &:= 3! \times K((\sqrt{9} + 7)!, 4!) - 5 &= -5 + K(4!, (\sqrt{7} + 9)!) \times 3!. \\
39889 &:= K(3 \times \sqrt{9}, 8) + 8! - (\sqrt{9})!! &= K(9, 8) + 8! - (9 - 3)!. \\
39898 &:= -3!! + 9 + 8! + K(9, 8) &= 8! + K(9, 8) + 9 - 3!!. \\
39923 &:= -K(3 + 9, (\sqrt{9})!) + (2^3)! &= (3! + 2)! - K(9 + \sqrt{9}, 3!). \\
39983 &:= -3! - K(9, 9) + 8! - 3! &= -3! + 8! - K(9, 9) - 3!. \\
39986 &:= -3 - K(9, 9) + 8! - 6 &= -6 + 8! - K(9, 9) - 3. \\
39989 &:= -3 - K(9, 9) + 8! - \sqrt{9} &= -9 + 8! - K(9, 9) + 3. \\
39992 &:= -3 - K(9, 9) + ((\sqrt{9})! + 2)! = (2^{\sqrt{9}})! - K(9, 9) - 3. \\
39995 &:= -K(3 \times \sqrt{9}, 9) + (\sqrt{9} + 5)! = (5 + \sqrt{9})! - K(9, \sqrt{9} \times 3). \\
39998 &:= 3! - \sqrt{9} - K(9, 9) + 8! &= 8! - K(9, 9) + 9/3. \\
41406 &:= K(4! + 1, 4! - 0!) \times 6 &= 6 \times K(0! + 4!, -1 + 4!). \\
41425 &:= K(4!, (-1 + 4)!) \times 25 &= 5^2 \times K(4!, (-1 + 4)!). \\
43445 &:= (\sqrt{4^3})! + \sqrt{K(4, 4)^5} &= 5\sqrt{K(4, 4)} + (3! + \sqrt{4})!.
\end{aligned}$$

$$\begin{aligned}
43656 &:= 4 \times (K(3!, 6) \times 5! - 6) &= (-6 + 5! \times K(6, 3!)) \times 4. \\
43942 &:= 4! + 3!! \times K((\sqrt{9})!, 4) - 2 &= -2 + 4! + (\sqrt{9})!! \times K(3!, 4). \\
43944 &:= 4! \times (3!! + (\sqrt{9})! + K(4!, 4)) &= (K(4!, 4) + (\sqrt{9})! + 3!!) \times 4!. \\
44164 &:= (4 + (4 - 1)!!) \times K(6, 4) &= (4 + 6!) \times K((-1 + 4)!, 4). \\
44469 &:= K(4!/4, 4) \times (6! + 9) &= \sqrt{9^6} \times K(4!/4, 4). \\
46948 &:= K(4!, (-6 + 9)!) \times 4 + 8! &= 8! + K(4!, (9 - 6)!) \times 4. \\
48841 &:= (-4 + K(8, 8))^{\sqrt{4 \times 1}} &= (-1 \times 4 + K(8, 8))^{\sqrt{4}}. \\
\\
49344 &:= K(K(4, \sqrt{9}), 3) \times 4! \times 4 &= 4! \times (K(K(4, 3), \sqrt{9})) \times 4. \\
54443 &:= 5 + K(4! + 4, 4!) \times 3! &= 3! \times K(4! + 4, 4!) + 5. \\
59995 &:= K(5 \times \sqrt{9}, 9) + 9^5 &= K(5 \times \sqrt{9}, 9) + 9^5. \\
62466 &:= (6! - 2) \times (-4 + K(6, 6)) &= (K(6, 6) - 4) \times (-2 + 6!). \\
63976 &:= (K(6, 3!) - \sqrt{9}) \times (7 + 6!) &= (6! + 7) \times (-\sqrt{9} + K(3!, 6)). \\
63989 &:= -K(6, 3!) + (\sqrt{9})!! \times 89 &= (\sqrt{9})!! \times 89 - K(3!, 6). \\
\\
64436 &:= (6! + 4) \times (-\sqrt{4} + K(3!, 6)) &= (K(6, 3!) - \sqrt{4}) \times (4 + 6!). \\
65065 &:= K(6, 5 + 0!) \times (6! - 5) &= (-5 + 6!) \times K(0! + 5, 6). \\
65969 &:= (6! + 5) \times K((\sqrt{9})!, 6) - (\sqrt{9})! &= -(\sqrt{9})! + K(6, (\sqrt{9})!) \times (5 + 6!). \\
66066 &:= (6 + 6!) \times K(06, 6) &= (6 + 6!) \times K(06, 6). \\
66331 &:= 6! + K(6, 3!) \times (3!! + 1) &= (1 + 3!!) \times K(3!, 6) + 6!. \\
66333 &:= K(6, 6) \times 3^3! - 3! &= K(3!, 3!) \times 3^6 - 6. \\
66695 &:= 6! + K(6, 6) \times ((\sqrt{9})!! + 5) &= (5 + (\sqrt{9})!!) \times K(6, 6) + 6!. \\
\\
66968 &:= 6! + K(6, (\sqrt{9})!) \times (6! + 8) &= (8 + 6!) \times K((\sqrt{9})!, 6) + 6!. \\
66976 &:= K(6, 6) \times (9 + 7 + 6!) &= (6! + 7 + 9) \times K(6, 6). \\
69646 &:= (K(6, (\sqrt{9})!) + 6) \times (-\sqrt{4} + 6!) &= (6! - \sqrt{4}) \times (K(6, (\sqrt{9})!) + 6). \\
78444 &:= (7 + 8! - K(4!, 4)) \times \sqrt{4} &= -\sqrt{4} \times ((K(4!, 4) - 8!) - 7). \\
80788 &:= K(8 - 0!, 7) + 8! + 8! &= 8! + 8! + K(7, -0! + 8). \\
87744 &:= (8! + K(7, 7) \times 4!) \times \sqrt{4} &= \sqrt{4} \times (4! \times K(7, 7) + 8!). \\
88335 &:= -K(8, 8) + 3!! \times (3 + 5!) &= (5! + 3) \times 3!! - K(8, 8). \\
\\
91313 &:= K((\sqrt{9})! + 1, 3!) \times (-1 + 3!!) &= (3!! - 1) \times K(3! + 1, (\sqrt{9})!). \\
91549 &:= 9! / (-1 + 5) + K(4!, \sqrt{9}) &= 9! / 4 + K((5 - 1)!, \sqrt{9}). \\
91694 &:= K((\sqrt{9})! + 1, 6) \times ((\sqrt{9})!! + \sqrt{4}) &= (\sqrt{4} + (\sqrt{9})!!) \times K(6 + 1, (\sqrt{9})!). \\
92744 &:= -(\sqrt{9})! + 2 \times 7 \times K(4!, 4!) &= K(4!, 4!) \times 7 \times 2 - (\sqrt{9})!. \\
93266 &:= -K((\sqrt{9})!, 3) + 2 \times 6^6 &= 6^6 \times 2 - K(3!, \sqrt{9}). \\
93332 &:= (K(\sqrt{9}, 3) + 3!^{3!}) \times 2 &= 2 \times (3!^{3!} + K(3, \sqrt{9})).
\end{aligned}$$

$$\begin{aligned}
93659 &:= -K((\sqrt{9})!, 3!) + 6 \times 5^{(\sqrt{9})!} = (\sqrt{9})! \times 5^6 - K(3!, (\sqrt{9})!). \\
94449 &:= (9 + 4! + 4!) \times K(4!, (\sqrt{9})!) = (9 + 4! + 4!) \times K(4!, (\sqrt{9})!). \\
96733 &:= K((\sqrt{9})!, 6) \times (7^3 + 3!!) = K(3!, 3!) \times (\sqrt{7^6} + (\sqrt{9})!). \\
97399 &:= 9 \times 7 + K(3!, \sqrt{9})^{\sqrt{9}} = K((\sqrt{9})!, \sqrt{9})^3 + 7 \times 9. \\
99333 &:= (-9 + K((\sqrt{9})!, 3) \times 3!!) \times 3 = (3!! \times K(3!, 3) - 9) \times \sqrt{9}. \\
99636 &:= K((\sqrt{9})!, \sqrt{9}) \times (6! \times 3 + 6) = K(6, 3) \times 6! \times \sqrt{9} + (\sqrt{9})!.
\end{aligned}$$

4.4 Digit's Order

$$197 := K(-1 + 9, 7).$$

$$364 := K(3!, 6) \times 4.$$

$$637 := K(6, 3!) \times 7.$$

$$829 := K((8/2)!, \sqrt{9}).$$

$$973 := K(9, 7) + 3!!.$$

$$4418 := \sqrt{4} \times K(4!, 1 \times 8).$$

$$4423 := K(4!, 4^2) + 3!.$$

$$4564 := K(4 \times 5, 6) \times 4.$$

$$4577 := -K(\sqrt{4! + 5!}, 7) + 7!.$$

$$4867 := -4 - K(8, 6) + 7!.$$

$$4963 := K(4!, \sqrt{9} \times 6) - 3!.$$

$$1083 := K(10, 8) \times 3.$$

$$1197 := -1 + K(19, 7).$$

$$1489 := K(1 \times 4!, 8) - (\sqrt{9})!!.$$

$$1519 := K(-1 + (5 - 1)!, (\sqrt{9})!).$$

$$1547 := K(\sqrt{1 + 5!}, 4) \times 7.$$

$$1549 := (1 + 5)! + K(4!, \sqrt{9}).$$

$$1663 := K((\sqrt{16})!, 6) + 3!.$$

$$4967 := K(4!, \sqrt{9}) \times 6 - 7.$$

$$4969 := K(4!, \sqrt{9} + 6 + 9).$$

$$4974 := K(4!, \sqrt{9}) \times (7 - 4)!.$$

$$5087 := \sqrt{K((5 - 0)!, 8)} + 7!.$$

$$5437 := K(\sqrt{5! + 4!}, 3!) + 7!.$$

$$5749 := -5! + 7! + K(4!, \sqrt{9}).$$

$$2178 := 2 \times K(17, 8).$$

$$2209 := K((2 + 2)!, -0! + 9).$$

$$2269 := K(2 + 26, (\sqrt{9})!).$$

$$2493 := 2 + K(4!, 9) + 3!.$$

$$2647 := K(-2 + 6 + 4!, 7).$$

$$2735 := K(2 \times 7, 3!) \times 5.$$

$$5887 := K(5!/8, 8) \times 7.$$

$$6370 := K(6, 3!) \times 70.$$

$$7357 := K(7 \times 3, 5) \times 7.$$

$$8475 := K(8, 4) \times 75.$$

$$9459 := K(-\sqrt{9} + 4!, 5) \times 9.$$

$$9936 := K((\sqrt{9})!, \sqrt{9}) \times \sqrt{3!^6}.$$

$$2883 := K(2 \times 8, 8) \times 3.$$

$$2888 := K(2 + 8, 8) \times 8.$$

$$3640 := K(3!, 6) \times 40.$$

$$4141 := K(4!, 14 + 1).$$

$$4339 := K(4, 3) + 3!! \times (\sqrt{9})!.$$

$$4417 := K(4!, 4! - 1 - 7).$$

$$10269 := K(10 \times 2, 6) \times 9.$$

$$10584 := K(\sqrt{1 + (05)!}, 8) \times 4!.$$

$$10824 := K(10, 8 + 2) \times 4!.$$

$$10830 := K(10, 8) \times 30.$$

$$11544 := K(1 + 15, 4) \times 4!.$$

$$\begin{aligned}
11904 &:= K(11, 9) \times (04)!. & 19796 &:= (1 + \sqrt{9}) \times (7! - K((\sqrt{9})!, 6)). \\
11935 &:= 11 \times K(9, 3!) \times 5. & 19855 &:= K(1 + 9, 8) \times 55. \\
11979 &:= K(1 + 19, 7) \times 9. & 19881 &:= K((1 + \sqrt{9})!, 8) \times (8 + 1). \\
13448 &:= K(-1 + 3!, 4)^{\sqrt{4}} \times 8. & 24298 &:= 2 + K(4!, 2 + 9) \times 8. \\
13584 &:= (1 + 3)! + 5! \times K(8, 4). & & \\
13944 &:= (1 + 3)!^{\sqrt{9}} + (\sqrt{K(4, 4)})!. & 24334 &:= K(2 + 4, 3)^3 / 4. \\
14273 &:= (1 + 4)!^2 - K(7, 3!). & 24930 &:= (2 + K(4!, \sqrt{9})) \times 30. \\
14354 &:= -K((-1 + 4)!, 3) + 5!^{\sqrt{4}}. & 25517 &:= K(25, 5) \times 17. \\
14384 &:= K(1 + 4!, 3!) \times 8 - 4!. & 25984 &:= K(2 \times 5, 9) \times \sqrt{8^4}. \\
14707 &:= K(1 + 4!, 7) \times 07. & 26508 &:= 2 \times 6 \times K((5 - 0)!, 8). \\
14793 &:= (-1 + 4) \times (7! - K(9, 3)). & 26944 &:= 2^6 \times K(-9 + 4!, 4). \\
14903 &:= -1 + (K(4!, 9) - 0!) \times 3!. & 27350 &:= K(2 \times 7, 3!) \times 50. \\
14904 &:= (-1 + K(4!, 9)) \times (0! + \sqrt{4})!. & & \\
14909 &:= -1 + K(4!, 9) \times (\sqrt{09})!. & 27993 &:= ((-2 + 7)! + 9) \times K(9, 3!). \\
14916 &:= (K(1 \times 4!, 9) + 1) \times 6. & 28355 &:= K(28, 3 \times 5) \times 5. \\
14923 &:= 1 + (K(4!, 9) + 2) \times 3!. & 28830 &:= K(2 \times 8, 8) \times 30. \\
14934 &:= K(1 \times 4!, 9) \times 3! + 4!. & 28880 &:= K(2 + 8, 8) \times 80. \\
14939 &:= -1 + (K(4!, (\sqrt{9})!) + 3) \times 9. & 28900 &:= (2 \times K(8, \sqrt{9}))^{0!+0!}. \\
14959 &:= (-1 + K(4!, (\sqrt{9})!) + 5) \times 9. & 28902 &:= 2 + (K(8, (\sqrt{9})!) + 0!)^2. \\
15144 &:= K(15, (-1 + 4)!) \times 4!. & 28924 &:= (2 \times K(8, \sqrt{9}))^2 + 4!. \\
15347 &:= (-1 + 5)! \times 3!! - K(4!, 7). & & \\
15399 &:= K(1 \times 5! / 3!, 9) \times 9. & 29424 &:= K(2 \times 9, 4) \times 2 \times 4!. \\
15470 &:= K(\sqrt{1 + 5!}, 4) \times 70. & 29544 &:= (2 \times \sqrt{9})! \times K(5, 4) + 4!. \\
15487 &:= (-1 + 5)! + K(4!, 8) \times 7. & 29549 &:= 29 + K(5, 4) \times (\sqrt{9})!!. \\
15643 &:= -1 + 5^6 - K(4, 3). & 29789 &:= -2 + \sqrt{K(9 + 7, 8)\sqrt{9}}. \\
15956 &:= K(\sqrt{1 + 5!}, (\sqrt{9})!) + 5^6. & 29826 &:= 2 \times 9 \times K((8/2)!, 6). \\
16536 &:= (\sqrt{16})! \times (-K(5, 3) + 6!). & & \\
16563 &:= K((\sqrt{16})!, 5! / 6) \times 3. & 32885 &:= -3 + 2\sqrt{K(8, 8)} + 5!. \\
16697 &:= -1 + 66 \times K(9, 7). & 33488 &:= (3 + 3)! + \sqrt{4\sqrt{K(8, 8)}}. \\
16928 &:= K(1 \times 6, \sqrt{9})^2 \times 8. & 33489 &:= (3 \times K(3!, 4))^{8 - (\sqrt{9})!}. \\
17343 &:= -1 + K(7, 3) + 4! \times 3!!. & 33492 &:= 3 + (K(3!, 4) \times \sqrt{9})^2. \\
17760 &:= K(1 \times 7, 7) \times (6 - 0)!. & 33845 &:= 3!! + K(3 \times 8, 4!) \times 5. \\
18234 &:= 18 \times K(23, 4). & 33949 &:= 3!! \times K(3!, \sqrt{9}) + K(4!, \sqrt{9}). \\
18384 &:= K(18, -3 + 8) \times 4!. & 34349 &:= (3!! - K(4, 3)) \times 49. \\
18984 &:= (-1 + K(8, (\sqrt{9})!)) \times K(8, 4). & &
\end{aligned}$$

$$\begin{aligned}
34499 &:= -K(3!, 4) + \\
&\quad + 4! \times ((\sqrt{9})!! + (\sqrt{9})!!). \\
34525 &:= K(3! \times 4, 5) \times 25. \\
34791 &:= 3 \times (K(4!, 7) \times (\sqrt{9})! - 1). \\
34792 &:= 3! \times K(4!, 7) \times \sqrt{9} - 2. \\
34839 &:= (3! + K(4!, 8 + 3!)) \times 9. \\
35245 &:= 3!! + 5^2 \times K(4!, 5). \\
35286 &:= 3! + \sqrt{K(5^2, 8)} \times 6!. \\
35344 &:= (3! \times K(5, 3) + \sqrt{4})^{\sqrt{4}}. \\
35377 &:= K(3!, 5) + (3 + 7!) \times 7. \\
35943 &:= 3! + (K(5, \sqrt{9}) + \sqrt{4})^3. \\
36400 &:= K(3!, 6) \times 400. \\
36576 &:= (3!! + 6!)/5 \times K(7, 6). \\
36594 &:= -3! + (6! - 5!) \times K((\sqrt{9})!, 4). \\
36757 &:= (K(3!, 6) + 7! + 5!) \times 7. \\
36947 &:= 3! \times 6! \times 9 - K(4!, 7). \\
37968 &:= -3 \times (K(7, \sqrt{9}) + 6!) + 8!. \\
38295 &:= 3! + 8! - K(29, 5). \\
38459 &:= -3!! + 8! - K(4 \times 5, (\sqrt{9})!). \\
38546 &:= 3 + 8! - 5! - K(4!, 6). \\
38658 &:= -K(3 \times 8, 6) - 5 + 8!. \\
38812 &:= 3 + K(8, 8 - 1)^2. \\
38945 &:= 3 + 8! + \sqrt{9} - K(4!, 5). \\
39468 &:= (3 - K(9, 4)) \times 6 + 8!. \\
39473 &:= -3!! + ((\sqrt{9})! + \sqrt{4})! - K(7, 3!). \\
39524 &:= -3!! - K((\sqrt{9})!, 5) + (2 \times 4)!. \\
39578 &:= -3! - K(\sqrt{9} \times 5, 7) + 8!. \\
39588 &:= -3 - K(9 + 5, 8) + 8!. \\
39648 &:= K(3!, \sqrt{9}) - 6! + \sqrt{4} + 8!. \\
39738 &:= -3! - 9 \times K(7, 3) + 8!. \\
39750 &:= 3! \times K((\sqrt{9} + 7)!, (5 - 0)!). \\
39883 &:= -3! + K(9, 8) + 8! - 3!!. \\
39886 &:= -3 + K(9, 8) + 8! - 6!. \\
39958 &:= -3!/\sqrt{9} \times K(9, 5) + 8!. \\
40343 &:= 4! - 0! + (\sqrt{K(3 + 4, 3)})!. \\
40527 &:= K(4! + 0!, 5) \times 27. \\
40817 &:= K(4! + 0!, 8) \times 17. \\
41430 &:= K(4!, 1 + 4) \times 30. \\
41449 &:= 4! + (1 + 4!) \times K(4!, (\sqrt{9})!). \\
41450 &:= K(4!, -1 + 4) \times 50. \\
41583 &:= K(4! - 1, 5) + 8! - 3. \\
41584 &:= K(4! - 1, 5) + 8! - \sqrt{4}. \\
41585 &:= K(4!, 1) \times 5 + 8! - 5!. \\
41589 &:= K(4! - 1, 5) + 8! + \sqrt{9}. \\
41698 &:= K((4 - 1) \times 6, 9) + 8!. \\
41983 &:= K(4!, (\sqrt{1 \times 9})!) + 8! + 3!. \\
41984 &:= K(4!, 19) \times 8 + 4!. \\
42334 &:= K(4! - 2, 3) \times K(3!, 4). \\
42598 &:= K(-\sqrt{4} + 25, 9) + 8!. \\
42778 &:= K(4! + \sqrt{2 + 7}, 7) + 8!. \\
42889 &:= K(4! - 2, 8) + 8! + (\sqrt{9})!!. \\
42922 &:= K(4! + 2, (\sqrt{9})!) \times 22. \\
42944 &:= K(4! + 2, \sqrt{9}) \times 44. \\
43497 &:= 4 + K(3!, 4) \times ((\sqrt{9})!! - 7). \\
43697 &:= -K(4!, 3!) - 6 + 9 \times 7!. \\
43839 &:= ((4 + 3)! - K(8, 3!)) \times 9. \\
43922 &:= \sqrt{4} + 3!! \times K((\sqrt{9})!, 2 + 2). \\
43924 &:= 4 + 3!! \times K(\sqrt{9} \times 2, 4). \\
43937 &:= K(4!, 3) \times (K((\sqrt{9})!, 3) + 7). \\
44168 &:= K(4!, 4 + 16) \times 8. \\
44384 &:= K(4! - \sqrt{4}, 3!) \times 8 \times 4. \\
44437 &:= K(K(4, 4), 4) \times 37. \\
44474 &:= K(K(4, 4), \sqrt{4}) \times 74. \\
44640 &:= (4!/4)! \times (K(6, 4) + 0!). \\
44664 &:= (K(4! - 4, 6) + 6!) \times 4!. \\
44738 &:= \sqrt{4} \times K(4!, \sqrt{K(7, 3)}) + 8!. \\
44739 &:= K(4!, (-4 + 7)!) \times 3 \times 9. \\
44858 &:= \sqrt{4} \times K(4!, 8) + 5! + 8!.
\end{aligned}$$

$$\begin{aligned}
44999 &:= -K(4!, \sqrt{4 \times 9}) + (\sqrt{9})!^{(\sqrt{9})!}. & 54936 &:= (5 + 4)! \times K(9, 3)/6!. \\
45395 &:= -K(4!, 5) + 3!^{(\sqrt{9})!} + 5!. & 54961 &:= K(\sqrt{5^4}, \sqrt{9}) \times 61. \\
45396 &:= (K(4!, 5) \times 3! - (\sqrt{9})!!) \times 6. & 54999 &:= (-K(5, 4) + (\sqrt{9})!!) \times 9 \times 9. \\
45640 &:= K(4 \times 5, 6) \times 40. & 55537 &:= K(5 \times 5, 5) \times 37. \\
45655 &:= K(\sqrt{4! + 5!}, 6) \times (5! - 5). & 56549 &:= 5 + K(6, 5) \times (4! + (\sqrt{9})!!). \\
45844 &:= (K(4!, 5) + 8!/4) \times 4. & 57962 &:= -5 + 7 \times K((\sqrt{9})!, 6)^2. \\
46933 &:= K(4!, 6/(\sqrt{9})!) + 3!^{3!}. & 58539 &:= K(\sqrt{\sqrt{5^8}}, 5) \times 39. \\
47255 &:= K(4 \times 7, 25) \times 5. & 58870 &:= K(5!/8, 8) \times 70. \\
47649 &:= K(4 \times 7, 6) \times (4! - \sqrt{9}). & 59044 &:= -5 + 9\sqrt{K(04, 4)}. \\
47664 &:= K(4 + 7, 6) \times 6 \times 4!. & 59496 &:= (-5 + 9)! \times (K(4!, 9) - 6). \\
47849 &:= 4 + 7! + 8! + K(4!, 9). & 59582 &:= K(5, \sqrt{9})^{-5+8} \times 2. \\
48335 &:= K(4!, 8 - 3) \times 35. & 59648 &:= 5 + \sqrt{\sqrt{9^6}} \times K(4!, 8). \\
48397 &:= K(4!, 8 + 3) + 9 \times 7!. & 62448 &:= 6 \times K(2 + 4!, 4) \times 8. \\
48457 &:= \sqrt{K(4!, 8)} \times (4^5 + 7). & 62496 &:= 6 \times 2 \times 4! \times K(9, 6). \\
48598 &:= K(4!, 8) \times (5 + 9 + 8). & 63700 &:= K(6, 3!) \times 700. \\
48672 &:= 4 \times K(8, 6) \times 72. & 64795 &:= 6!^{\sqrt{4}} / \sqrt{K(7, \sqrt{9})} - 5. \\
48743 &:= (\sqrt{4} + 8) \times 7! - K(4!, 3!). & 65484 &:= -K(6, 5) + 4^8 + 4!. \\
48768 &:= 48 \times K(7, 6) \times 8. & 66157 &:= K(6, 6) \times ((1 + 5)! + 7). \\
48840 &:= (-4 + K(8, 8))^{\sqrt{4}} - 0!. & 66349 &:= 6! \times K(6, 3!) + K(4!, \sqrt{9}). \\
48956 &:= -4 + (-8 + K((\sqrt{9})!, 5)) \times 6!. & 66495 &:= (K(6, 6) + \sqrt{4}) \times ((\sqrt{9})!! - 5). \\
49495 &:= K(4, \sqrt{9}) \times (K(4!, 9) + 5!). & 66612 &:= K(6, 6) \times (6! + 12). \\
49662 &:= -4! + (\sqrt{9})! \times K(6, 6)^2. & 68775 &:= (6! + K(8, 7)) \times 75. \\
49675 &:= (K(4!, (\sqrt{9})!) \times 6 - 7) \times 5. & 69342 &:= K(6, (\sqrt{9})!) \times (3!! + 42). \\
49686 &:= 49 \times 6 \times K(8, 6). & 69433 &:= K(6, (\sqrt{9})!) \times (43 + 3!!). \\
49690 &:= K(4!, \sqrt{9} \times 6) \times (9 + 0!). & 72589 &:= (7 + 2)!/5 + \sqrt{K(8, (\sqrt{9})!)}. \\
49692 &:= K(4!, 9 + 6) \times (\sqrt{9})! \times 2. & 73152 &:= K(7, 3!) \times (-1 + 5)!^2. \\
49695 &:= (K(4!, (\sqrt{9})!) \times 6 - \sqrt{9}) \times 5. & 73434 &:= -7 + K(3! + 4, 3!)^{\sqrt{4}}. \\
49699 &:= K(4, \sqrt{9}) + 69 \times (\sqrt{9})!!. & 73445 &:= (\sqrt{K(7, 3)})! + K(4!, 4!) \times 5. \\
49969 &:= K(4!, 9 + \sqrt{9}) + 6^{(\sqrt{9})!}. & 73570 &:= K(7 \times 3, 5) \times 70. \\
52535 &:= K(5^2, 5) \times 35. & 73943 &:= 7! \times (3! + 9) - K(4!, 3!). \\
52822 &:= K(5^2, 8) \times 22. & 73984 &:= K(7, 3) \times K(9, 8) \times 4. \\
54695 &:= -\sqrt{5^4} + 6! \times K((\sqrt{9})!, 5). & & \\
54889 &:= 5!^{\sqrt{4}} + 8! + K(8, (\sqrt{9})!). & &
\end{aligned}$$

$$\begin{aligned}
74895 &:= (7! - \sqrt{K(4!, 8)}) \times \sqrt{9} \times 5. & 84966 &:= (K(8, 4) + (\sqrt{9})!) \times (6! - 6). \\
75366 &:= K(7, 5) \times (-3 - 6 + 6!). & 85539 &:= -K(8, 5) + 5! \times (3!! - (\sqrt{9})!). \\
75684 &:= K(7, 5) \times (6! - 8 + \sqrt{4}). & 86344 &:= -8!/6! + 3!! \times (\sqrt{K(4, 4)})!. \\
75992 &:= (K(7, 5) + (\sqrt{9})!!) \times 92. & 86413 &:= \sqrt{K(8, 6)} + (4 + 1)! \times 3!!. \\
75996 &:= -K(7, 5) \times (\sqrt{9} - (\sqrt{9})!!) - 6. & 86453 &:= -8 + K(6, 4) + 5! \times 3!!. \\
75999 &:= -K(7, 5) \times (\sqrt{9} - (\sqrt{9})!!) - \sqrt{9}. & 86465 &:= (\sqrt{K(8, 6)} + 4! \times 6!) \times 5. \\
76532 &:= K(7!/6!, 5) \times (3!! + 2). & 86528 &:= 8! + K(6, 5)^2 \times 8.
\end{aligned}$$

$$\begin{aligned}
79193 &:= -7 + (\sqrt{9})!! \times (1 + K(9, 3)). & 86563 &:= K(8, 6) + 5! \times 6! - 3!. \\
79849 &:= (-7 + (\sqrt{9})!!) \times K(8, 4) - (\sqrt{9})!! & 86569 &:= K(8, 6) + 5! \times (-6 + 9)!!. \\
79926 &:= (7! + K((\sqrt{9})!, (\sqrt{9})!)^2) \times 6. & 86951 &:= -K(8, 6) + (\sqrt{9})!! \times (5! + 1). \\
79928 &:= \sqrt{K(7, \sqrt{9})} - (\sqrt{9})!! + 2 \times 8!. & 86989 &:= 8! + 6^{(\sqrt{9})!} + \sqrt{K(8, (\sqrt{9})!)}. \\
79984 &:= K(7, \sqrt{9}) - (\sqrt{9})!! + 8! \times \sqrt{4}. & 90444 &:= (9! + 0! - K(4!, 4))/4.
\end{aligned}$$

$$\begin{aligned}
80732 &:= (8! + K(-0! + 7, 3)) \times 2. & 93533 &:= -K(9, 3!) + 5^{3!} \times 3!. \\
80768 &:= 8! + 0! + K(7, 6) + 8!. & 93744 &:= 93 \times 7! / \sqrt{K(4, 4)}. \\
80852 &:= (8! + K(-0! + 8, 5)) \times 2. & 94545 &:= ((\sqrt{9})!! + K(4!, 5)) \times 45. \\
80894 &:= (8! + K(-0! + 8, (\sqrt{9})!)) \times \sqrt{4}. & 94569 &:= -(\sqrt{9})!! + K(4!, 5) \times 69. \\
81699 &:= K(8, \sqrt{16}) \times (\sqrt{9} + (\sqrt{9})!!). & 94590 &:= K(-\sqrt{9} + 4!, 5) \times 90.
\end{aligned}$$

$$\begin{aligned}
83435 &:= -K(8, 3) + (-4! + 3!!) \times 5!. & 95749 &:= -(\sqrt{9})! - 5 + 7! \times K(4, \sqrt{9}). \\
83520 &:= (K(8, 3!) + 5!)^2 - 0!. & 97920 &:= (\sqrt{9})!! \times K(7 + \sqrt{9}, 2 + 0!). \\
83521 &:= (K(8, 3!) + 5!)^{K(2, 1)}. & 99480 &:= (\sqrt{9})!! / (\sqrt{9})! \times K(4!, \sqrt{8 + 0!}). \\
84056 &:= 8! \times K(4! + 0!, 5) / 6!. & 99991 &:= -9 + (K(\sqrt{9}, \sqrt{9})^{(\sqrt{9})! - 1}). \\
84353 &:= K(8, 4) + 3!! \times (5! - 3). & 99994 &:= -(\sqrt{9})! + K(\sqrt{9}, \sqrt{9})^{9-4}. \\
84750 &:= K(8, 4) \times 750.
\end{aligned}$$

4.5 Reverse Order of Digits

$$\begin{aligned}
127 &:= K(7, (2 + 1)!). & 0109 &:= K(9, 0! + 1 + 0!). \\
168 &:= K(8, 6) - 1. & 0137 &:= K(7, 3!) + 10. \\
361 &:= K(16, 3). & 0198 &:= K(8, (\sqrt{9})! + 1) + 0!. \\
364 &:= 4 \times K(6, 3!). & 0357 &:= 7 \times K(5, 3! - 0!). \\
368 &:= 8 \times K(6, 3). & 0396 &:= K(6 + (\sqrt{9})!, 3!) - 0!. \\
637 &:= 7 \times K(3!, 6).
\end{aligned}$$

$$0459 := 9 \times K(5, 4 + 0!).$$

$$0482 := K(2 \times 8, 4) + 0!.$$

$$0547 := K(7 \times \sqrt{4}, 5 + 0!).$$

$$0735 := K(5 \times 3, 7) - 0!.$$

$$0784 := 4 \times (K(8, 7) - 0!).$$

$$0829 := K(((\sqrt{9})! - 2)!, \sqrt{8 + 0!}).$$

$$0961 := K(16, 9 - 0!).$$

$$0985 := 5 \times K(8, (\sqrt{9})! + 0!).$$

$$0987 := 7 \times K(8, (\sqrt{9})! - 0!).$$

$$1648 := -8 + K(4!, 6) - 1.$$

$$1649 := -9 + K(4!, 6) + 1.$$

$$1664 := K(4!, 6) + 6 + 1.$$

$$2449 := K(9 \times \sqrt{4}, 4^2).$$

$$2532 := K(23, 5) \times 2.$$

$$2924 := K(4! + 2, 9) - 2.$$

$$3249 := 9 \times K(4^2, 3).$$

$$3314 := \sqrt{4} \times K((1 + 3)!, 3!).$$

$$3795 := 5 \times K(9, 7) \times 3.$$

$$3984 := 4! \times K(8 + \sqrt{9}, 3).$$

$$4566 := 6 \times (6! + K(5, 4)).$$

$$4728 := K(\sqrt{8^2}, 7) \times 4!.$$

$$4927 := 7! - K(2^{\sqrt{9}}, 4).$$

$$4979 := (\sqrt{9})!! \times 7 - K((\sqrt{9})!, 4).$$

$$5544 := 4 \times (K(4!, 5) + 5).$$

$$6427 := 7! + K(-2 + 4!, 6).$$

$$6489 := 9 \times K(8 \times \sqrt{4}, 6).$$

$$7372 := K(27, 3 \times 7).$$

$$7849 := K(\sqrt{9} + 4!, 8) + 7!.$$

$$8433 := K(3^3, 4!) + 8.$$

$$8844 := 4 \times K(4!, 8) + 8.$$

$$9384 := 4! + \sqrt{K(8, 3!)} \times (\sqrt{9})!!.$$

$$9745 := K(5 + 4!, (\sqrt{7 + 9})!).$$

$$9894 := (K(4!, (\sqrt{9})!) - 8) \times (\sqrt{9})!.$$

$$9919 := 91 \times K(9, \sqrt{9}).$$

$$9936 := K(6, 3) \times (\sqrt{9})!^{\sqrt{9}}.$$

$$9941 := (-1 + K(4!, (\sqrt{9})!)) \times (\sqrt{9})!.$$

$$9942 := (K(24, (\sqrt{9})!) \times (\sqrt{9})!).$$

$$00189 := K(9, 8) - 100.$$

$$00218 := K(8 + 1, (2 + 0!)!) + 0!.$$

$$00219 := K(9, (1 + 2)!) + 0! + 0!.$$

$$00468 := K(\sqrt{K(8, 6)}, (\sqrt{4} + 0!)!) - 0!.$$

$$00479 := K(9 + 7, 4) - 0! - 0!.$$

$$00684 := 4 \times (K(8, 6) + 0! + 0!).$$

$$00834 := K(4!, 3) + (\sqrt{8 + 0!})! - 0!.$$

$$00839 := K(9 + 3!, 8) - 0! - 0!.$$

$$00842 := K(2^4, 8 - 0!) + 0!.$$

$$00937 := K(7 + 3!, (\sqrt{9})! \times (0! + 0!)).$$

$$00938 := K(\sqrt{K(8, 3!)}, (\sqrt{9})!) \times (0! + 0!).$$

$$01051 := K(15, 010).$$

$$01199 := K(9, \sqrt{9}) \times (1 + 10).$$

$$01322 := 2 \times K(2 \times 3!, 10).$$

$$01361 := K(-1 + 6 \times 3, 10).$$

$$01369 := (-9 + K(6, 3))^{1+0!}.$$

$$01378 := K(8, 7) \times (3! + 1) - 0!.$$

$$01382 := K((\sqrt{2 \times 8})!, 3! - 1) + 0!.$$

$$01396 := -6! + K((\sqrt{9})!, 3)^{1+0!}.$$

$$01531 := K(13 + 5, 10).$$

$$01648 := -8 + K(4!, 6) \times 1 - 0!.$$

$$01649 := -9 + K(4!, 6) \times 1 + 0!.$$

$$01653 := 3 \times K(5 + 6, 10).$$

$$01655 := K(5!/5, 6) - 1 - 0!.$$

$$01659 := K((9 - 5)!, 6) + 1 + 0!.$$

$$01685 := -5 + K(8, 6) \times 10.$$

$$01776 := 6 \times K(7, 7) \times (1 + 0!).$$

$$01902 := K(20, 9 + 1) + 0!.$$

$$01932 := K((-2 + 3!)!, (\sqrt{9})! + 1) - 0!.$$

$$\begin{aligned}
01934 &:= K(4!, -3 + 9 + 1) + 0!. & 03944 &:= -K(4!, 4) + 9 + (3! + 0!)!. \\
02184 &:= 4! \times K((\sqrt{8+1})!, (2+0!)!). & 03948 &:= 84 \times (K((\sqrt{9})!, 3) + 0!). \\
02198 &:= (\sqrt{K(8, (\sqrt{9})!)})^{1+2} + 0!. & 04097 &:= K(7, \sqrt{9})^{\sqrt{04}} + 0!. \\
02343 &:= (K(3!, 4) + 3!) \times (2 + 0!). & 04233 &:= K(3!, 3)^2 \times \sqrt{4} + 0!. \\
02356 &:= -K(6, 5) \times (-32 + 0!). & 04396 &:= 6! \times (\sqrt{9})! + K(3!, 4 + 0!). \\
02366 &:= K(6, 6) \times (3! + 20). & 04422 &:= 2 \times (2 \times K(4!, 4) + 0!). \\
02394 &:= K(4!, 9) - K(3!, (2 + 0!)!). & 04439 &:= (K(9, 3!) - 4!) \times (4! - 0!). \\
02437 &:= K(\sqrt{K(7 \times 3, 4)}, (2 + 0!)!). & 04559 &:= K((\sqrt{9})!, 5) \times 5! / \sqrt{4} - 0!. \\
02469 &:= \sqrt{9} \times (-6 + K(4!, 2 + 0!)). & 04596 &:= K(6 \times \sqrt{9}, 5) \times (\sqrt{4} + 0!)!. \\
02484 &:= K(4!, 8 + \sqrt{4}/2) - 0!. & 04694 &:= K(4!, 9 + \sqrt{64}) + 0!. \\
02494 &:= K(4!, 9) + 4 \times 2 + 0!. & 04729 &:= K((\sqrt{9})! + 2, 7) \times 4! + 0!. \\
02583 &:= (3!! + K(8, 5)) \times (2 + 0!). & 04791 &:= K(19, 7) \times 4 - 0!. \\
02647 &:= K(7 \times 4, 6 + (2 \times 0!)!). & 04859 &:= -K(9, 5) + (8 - (4 \times 0!)!)!. \\
02664 &:= 4! \times (K(6, 6) + 20). & 04871 &:= 1 \times 7! - K(8, (\sqrt{4} + 0!)!). \\
02761 &:= K((\sqrt{16})!, 7 + 2 + 0!). & 04899 &:= K(9 + 9, 8) \times 4 - 0!. \\
02888 &:= 8 \times K(8 + 8, 2 + 0!). & & \\
02889 &:= K(9, 8) \times (8 + 2) - 0!. & 04931 &:= (1 + 3!)! - K(9, \sqrt{4} + 0!). \\
02895 &:= 5 \times (K(9, 8) \times 2 + 0!). & 04964 &:= K(4!, 6 \times \sqrt{9}) - 4 - 0!. \\
02943 &:= (3 + 4!) \times K(9, 2 + 0!). & 04991 &:= K(1 \times 9, (\sqrt{9})!) \times (4! - 0!). \\
03044 &:= 4 \times (K(4! - 0!, 3) + 0!). & 04993 &:= -K(3!, \sqrt{9}) + (9 - \sqrt{4})! - 0!. \\
03276 &:= 6 \times (K(7 \times 2, 3!) - 0!). & 05236 &:= (K(6, 3) - 2) \times (5! - 0!). \\
03312 &:= 2 \times (K((1 + 3)!, 3!) - 0!). & 05244 &:= K(4!, 4! - \sqrt{25}) - 0!. \\
03314 &:= K(4!, (1 + 3) \times 3) + 0!. & 05314 &:= K(4! - 1, -3 + (5 - 0!)!). \\
03344 &:= 4 \times (K(4!, 3) + 3! + 0!). & 05336 &:= K(6, 3) \times (-3 + 5! - 0!). \\
03365 &:= 5 \times (6! - K(3!, 3) - 0!). & 05369 &:= K((\sqrt{9})!, 6) \times (\sqrt{3!! \times 5} - 0!). \\
03383 &:= -K(3 \times 8, 3!) + (3! + 0!)!. & 05403 &:= 3 \times K(0! + 4!, 5 + 0!). \\
03384 &:= 4! \times K(8, 3! - (3 \times 0!)!). & & \\
03584 &:= K(4!, 8 + 5) - 3! + 0!. & 05437 &:= 7! + K(3 \times 4, 5 + 0!). \\
03599 &:= K(\sqrt{9}, \sqrt{9}) \times 5! \times 3 - 0!. & 05467 &:= 7 \times (K(6, 4) + (5 + 0!)!). \\
03654 &:= K(4! + 5, 6 + 3) - 0!. & 05485 &:= 5 \times (-8 + K(4!, 5 - 0!)). \\
03745 &:= -5! + K(4!, 7 + 3! + 0!). & 05524 &:= K(4!, \sqrt{25}) \times (5 - 0!). \\
03782 &:= K(28, 7 + 3) + 0!. & 05677 &:= 7! + 7 \times K(6, 5 + 0!). \\
03786 &:= 6 \times (8! / K(7, 3) + 0!). & 05683 &:= 3!! \times 8 - K(6, 5) - 0!. \\
03863 &:= K(\sqrt{3^6}, 8 + 3) + 0!. & & \\
03864 &:= K(4!, 6 + 8) - (3 \times 0!)!. & & \\
03923 &:= 3!^2 \times K(9, 3) - 0!. & &
\end{aligned}$$

$$\begin{aligned}
05749 &:= \sqrt{9} \times K(4!, 7) - 50. & 09384 &:= 4! \times K(\sqrt{K(8, 3!)}, (\sqrt{9})! - 0!). \\
05796 &:= K(6, \sqrt{9}) \times (7 + 5! - 0!). & 09647 &:= 7 \times K(4! - 6, 9) + 0!. \\
05933 &:= K(3!, 3) \times (9 + 5!) - 0!. & 09934 &:= K(4!, 3!) \times (\sqrt{9})! - 9 + 0!. \\
05945 &:= K(5, 4) \times K(9, 5 - 0!). & 09944 &:= K(4!, 4) \times 9 - (9 \times 0)!. \\
05999 &:= K(\sqrt{9}, \sqrt{9}) \times ((\sqrt{9})!! - 5!) - 0!. & 09955 &:= 55 \times K(9, (\sqrt{9})! - 0!). \\
06539 &:= K(9, 3) \times \sqrt{5 \times 6!} - 0!. & 09972 &:= 2 \times 7! - K(9, \sqrt{9}) + 0!. \\
\\
06541 &:= K(1 + 4!, 5) + (6 + 0!)!. & 11044 &:= 4 \times K(4!, -0! + 11). \\
06624 &:= K(4!, 2 \times (6 + 6)) - 0!. & 11792 &:= K(2 \times 9, 7) \times 11. \\
06657 &:= 7 \times K(5!/6, 6 - 0!). & 11889 &:= 9 \times K(8 + 8, 11). \\
06688 &:= 88 \times K(6, 6 - 0!). & 12099 &:= (K(9, \sqrt{9}) + 0!)^2 - 1. \\
06695 &:= K(5, \sqrt{9}) \times \sqrt{6^6} - 0!. & 12144 &:= (K(4, 4) - 1)!/21!. \\
06697 &:= K((\sqrt{7+9})!, 6) + (6 + 0!)!. & 13248 &:= 8 \times (K(4!, 2 \times 3) - 1). \\
06905 &:= 5 \times K((0! + \sqrt{9})!, 6 - 0!). & 13489 &:= (\sqrt{9})!! + K(8, 4)^{3-1}. \\
\\
06938 &:= 8!/3! + K(9, 6) + 0!. & 13499 &:= -K(9, 9) + 4!^3 \times 1. \\
07199 &:= K(\sqrt{9}, \sqrt{9}) \times (-1 + 7)! - 0!. & 13794 &:= K(4, \sqrt{9}) \times (7 + 3!! - 1). \\
07344 &:= K(4!, 4!) + 3!! - (7 \times 0!)!. & 13934 &:= 4!^3 + K(9, 3) + 1. \\
07346 &:= 6! + K(4!, (-3 + 7)!) + 0!. & 14404 &:= \sqrt{4} \times (K(0! + 4!, 4!) + 1). \\
07497 &:= 7! + K(\sqrt{9} + 4!, 7) - 0!. & 14408 &:= 8 \times K(0! + 4!, (4 - 1)!)!. \\
\\
07596 &:= 6 \times (K(9, 5) \times 7 - 0!). & 14424 &:= 4! \times K(2^4, 4 + 1). \\
07734 &:= K(4!, -3 + 7) \times 7 - 0!. & 14425 &:= 5!^2 + K(4, 4) \times 1. \\
07739 &:= K(9, 3) \times \sqrt{7! + (7 \times 0)!}. & 14568 &:= K(8, 6) + 5!^{\sqrt{4}} - 1. \\
07885 &:= 5 \times (8 \times K(8, 7) + 0!). & 14639 &:= (\sqrt{9})!!/3 \times K(6, 4) - 1. \\
07944 &:= K(4! + 4, \sqrt{9}) \times 7 - 0!. & 14801 &:= K(10, 8) \times 41. \\
08322 &:= K(22, 3!) \times (\sqrt{8 + 0})!. & 14946 &:= 6 \times (K(4!, 9) + (4 - 1)!). \\
08404 &:= 4 \times K(0! + 4!, 8 - 0!). & 15367 &:= K(7, (6 - 3)!) \times (5! + 1). \\
\\
08434 &:= K(4! + 3, 4!) + 8 + 0!. & 15373 &:= 3! + K(7, 3!) \times (5! + 1). \\
08637 &:= K(7, 3!) \times 68 + 0!. & 16344 &:= K(4, 4)^3 + 6! - 1. \\
08848 &:= 8 \times (K(4!, \sqrt{8 + 8}) + 0!). & 16746 &:= -K(6, 4) + 7^{6-1}. \\
09074 &:= K(4 \times 7, (0! + \sqrt{9})!) + 0!. & 16849 &:= (\sqrt{9})!^4 \times \sqrt{K(8, 6)} + 1. \\
09244 &:= 4 \times K(4! - 2, 9 + 0!). & 17394 &:= K(4!, \sqrt{9} \times 3) \times 7 - 1. \\
09245 &:= 5 \times K(4! - 2, 9 - 0!). & 17537 &:= (K(7, 3!) + 5!) \times 71. \\
09248 &:= 8 \times K(4! - 2, (\sqrt{9})! - 0!). & 17836 &:= K(6, 3!) \times (K(8, 7) - 1). \\
\\
&& 17954 &:= K(4!, 5) \times ((\sqrt{9})! + 7) + 1. \\
&& 18963 &:= K(\sqrt{3^6}, (\sqrt{9})!) \times (8 + 1). \\
&& 19327 &:= 7 \times K((-2 + 3)!, 9 + 1). \\
&& 19456 &:= K(6, 5) \times \sqrt{4^{9-1}}.
\end{aligned}$$

$$\begin{aligned}
19844 &:= (-4 + K(4!, 8)) \times 9 - 1. & 29477 &:= 7 \times (7! - \sqrt{K(4!, \sqrt{9})^2}). \\
19882 &:= K((\sqrt{2 \times 8})!, 8) \times 9 + 1. & 29645 &:= K(5, 4) \times (6! + \sqrt{9}) + 2. \\
19888 &:= 8 \times (K((\sqrt{8+8})!, 9) + 1). & 29646 &:= K(6, 4) \times 6 \times 9^2. \\
20449 &:= ((K(9, 4) - \sqrt{4})^{02}). & 29768 &:= 8 \times K(6, \sqrt{7+9})^2. \\
23333 &:= (3!^{3!} + K(3, 3))/2. & 29814 &:= K(4!, 18) \times \sqrt{9} \times 2. \\
23424 &:= 4! \times K(2 + 4!, \sqrt{3^2}). & 29844 &:= K(4!, 4!/8) \times (\sqrt{9})!^2. \\
23474 &:= 4 \times 7! + K(4!, 3!) \times 2. & 29934 &:= (K(4!, 3!) + (\sqrt{9})!) \times 9 \times 2. \\
\\
23595 &:= (-5 + (\sqrt{9})!!) \times (K(5, 3) + 2). & 32409 &:= 9 \times K(0! + 4!, 2 \times 3!). \\
23716 &:= (K(6 + 1, 7) + 3!)^2. & 32936 &:= K(6, 3) \times (-\sqrt{9})! + 2 + 3!). \\
24304 &:= K(4! - 0!, 3!) \times 4^2. & 33348 &:= 84 \times K(3! + 3!, 3!). \\
24338 &:= K(8, 3!) \times 3! \times 4! + 2. & 33749 &:= (\sqrt{9})!! \times 47 - K(3!, 3!). \\
24576 &:= 6 \times K(7, \sqrt{5+4})^2. & 33798 &:= (8 \times (\sqrt{9})!! - K(7, 3!)) \times 3!. \\
\\
24775 &:= 5 \times (7! - \sqrt{K(7, 4)^2}). & 33834 &:= \sqrt{K(4 \times 3!, 8) \times 3!! - 3!}. \\
24845 &:= 5 \times K(4!, 8 \times \sqrt{4} + 2). & 33837 &:= \sqrt{K((7-3)!, 8) \times 3!! - 3}. \\
24846 &:= 6 \times K(4!, \sqrt{K(8, 4 \times 2)}). & 33978 &:= 8! - 7! - K(9, 3!) \times 3!. \\
24955 &:= (-5 + 5!) \times K(9, 4 + 2). & 33994 &:= (K(4, \sqrt{9}) + (\sqrt{9})!!) \times K(3!, 3). \\
25355 &:= 5 \times (K(5, 3) + (5 + 2)!). & 34538 &:= 8! - K(3!, 5)^{\sqrt{4}} - 3!. \\
25357 &:= (7! + K(5, 3)) \times 5 + 2. & 34656 &:= K(6, 5)^{6-4} \times 3!. \\
\\
25538 &:= 8! \times K(3!, 5)/5! + 2. & 34776 &:= -6 \times (7 - 7 \times K(4!, 3)). \\
25992 &:= 2 \times (K(9, \sqrt{9}) + 5)^2. & 34797 &:= \sqrt{7 \times 9 \times 7} \times K(4!, 3!). \\
26244 &:= ((K(4, 4) + 2) \times 6)^2. & 35346 &:= -6 \times K(4!, 3) + (5 + 3)!. \\
26448 &:= 8 \times (-4 + K(4!, 6)) \times 2. & 35497 &:= 7 \times ((9 - \sqrt{4})! + K(5, 3)). \\
26496 &:= K(6, \sqrt{9}) \times (4 \times 6)^2. & 35995 &:= -5 + K(\sqrt{9}, \sqrt{9}) \times 5 \times 3!!. \\
\\
26698 &:= (8!/\sqrt{9} - K(6, 6)) \times 2. & 36379 &:= 9!/(7 + 3) + K(6, 3!). \\
26836 &:= -6! + (-3 + K(8, 6))^2. & 36545 &:= 5 \times K(4! + 5, 6 \times 3). \\
27346 &:= (6! \times K(4, 3) - 7) \times 2. & 36778 &:= 8! - 77 \times K(6, 3). \\
27792 &:= K(2 + 9, 7) \times 72. & 36938 &:= (83 + (\sqrt{9})!!) \times K(6, 3). \\
27876 &:= 6 \times (7! - K(8, 7) \times 2). & 36946 &:= K(6 + 4, 9) \times K(6, 3!). \\
28439 &:= -K(9, 3)^{\sqrt{4}} + (\sqrt{8^2})!. & 37195 &:= -5^{(\sqrt{9})!-1} + (\sqrt{K(7, 3)})!. \\
29345 &:= 5 \times (K(4!, 3) + (9 - 2)!). & 37248 &:= 8! - 4! \times 2 \times K(7, 3). \\
29345 &:= 5 \times (K(4!, 3) + (9 - 2)!). & 37338 &:= (K(8, 3!) + 3!!) \times 7 \times 3!.
\end{aligned}$$

$$\begin{aligned}
37432 &:= -(2 + 3!!) \times 4 + (\sqrt{K(7,3)})!. & 39494 &:= (4!/\sqrt{9})! - K(4!,\sqrt{9}) + 3. \\
37441 &:= K(1 + 4!,4!) + 7! \times 3!. & 39497 &:= (\sqrt{K(7,\sqrt{9})})! - K(4!,\sqrt{9}) + 3!. \\
37445 &:= 5 \times K(4!,4!) + 7! - 3!!. & 39709 &:= -(\sqrt{9})!! + (0! + 7)! + K(9,3). \\
37824 &:= 4!^2 \times K(8,7)/3. & 39788 &:= 8! + K(8,7) - 9^3. \\
37848 &:= 8 \times (4! \times K(8,7) + 3). & 39798 &:= 8! + 9 \times (-K(7,\sqrt{9}) + 3!). \\
37989 &:= \sqrt{\sqrt{9^8}} \times K((\sqrt{9})! + 7,3!). & 39816 &:= -6! - 1 + 8! + K(9,3!). \\
38134 &:= K(4!,3) \times K((\sqrt{1+8})!,3). & 39817 &:= -(7-1)! + 8! + K(9,3!). \\
38496 &:= -K(6,\sqrt{9}) \times 4! + 8! - 3!!. & 39908 &:= 8! - K(0! + 9,9) - 3!. \\
38518 &:= 8! - 1 - K(\sqrt{\sqrt{5^8}},3!). & 40259 &:= (\sqrt{9} + 5)! - K((2+0)!,4). \\
38519 &:= (9-1)! - K(\sqrt{\sqrt{5^8}},3!). & 40337 &:= ((\sqrt{K(7,3)})! - 3! - 0! + 4!). \\
38532 &:= 2 \times (-3! + 5!) \times K(8,3!). & 40368 &:= 8! + K(6,3) + \sqrt{04}. \\
38552 &:= (2 + 5!) \times K(5!/8,3). & 40381 &:= 1 \times 8! + K(3!,04). \\
38647 &:= 7 \times K(4!,6 + 8 + 3!). & 40859 &:= -K(9,5) + 8! + (0! + \sqrt{4})!!. \\
38681 &:= -K(18,6) + 8! - 3!!. & 40898 &:= 8! + K(9,8) \times \sqrt{04}. \\
38796 &:= -6 \times K(9,7) + 8! - 3!. & 40998 &:= 8! + (\sqrt{9})! \times K(9-0!,4). \\
38799 &:= -(\sqrt{9})! \times K(9,7) + 8! - 3. & 42436 &:= K(6,3)^{\sqrt{4}} + (2 \times 4)!. \\
38802 &:= -K(20,8) + 8! + 3. & 43139 &:= -(\sqrt{9})!! + (3!! - 1) \times K(3!,4). \\
38831 &:= -K((1+3)!,8) + 8! + 3!!. & 43493 &:= (3!! - 9 + \sqrt{4}) \times K(3!,4). \\
38854 &:= -K(4!,5) + 8! - K(8,3). & 43493 &:= (3!! - 9 + \sqrt{4}) \times K(3!,4). \\
38936 &:= -K(6 \times 3,9) + 8! - 3!. & 43615 &:= (-5 + 1 \times 6!) \times K(3!,4). \\
38948 &:= 8! - K(K(4,\sqrt{9}),8) - 3. & 43659 &:= (-K(9,5) + 6!) \times 3^4. \\
38954 &:= -K(4!,5) + 9 + 8! + 3!. & 43858 &:= 8! + 58 \times K(3!,4). \\
39235 &:= -5 + 3!!/2 \times K(9,3). & 43859 &:= (\sqrt{9})!! \times 5 + 8! - K(3!,4). \\
39264 &:= 4! + 6!/2 \times K(9,3). & 43913 &:= -3! - 1 + (\sqrt{9})!! \times K(3!,4). \\
39288 &:= -8 + 8! - 2^{K(\sqrt{9},3)}. & 43914 &:= -(4-1)! + (\sqrt{9})!! \times K(3!,4). \\
39384 &:= 4! \times K(8 + 3!,(\sqrt{9})!) \times 3. & 43915 &:= -5 + 1 \times (\sqrt{9})!! \times K(3!,4). \\
39435 &:= (K(5,3) + 4!) \times (-\sqrt{9} + 3!!). & 43932 &:= 2 \times 3! + (\sqrt{9})!! \times K(3!,4). \\
39448 &:= 8! - (4 + 4) \times K(9,3). & 43945 &:= \sqrt{5^4} + (\sqrt{9})!! \times K(3!,4). \\
39455 &:= -K(5 \times 5,4!) + (\sqrt{9})!^{3!}. & 43952 &:= 2^5 + (\sqrt{9})!! \times K(3!,4). \\
39478 &:= 8! - 7 - K(4!,\sqrt{9}) - 3!. & 43968 &:= 8 \times 6 + (\sqrt{9})!! \times K(3!,4). \\
39484 &:= -4 + 8! - K(4!,\sqrt{9}) - 3. & 43981 &:= (1^8 + (\sqrt{9})!!) \times K(3!,4). \\
39486 &:= -6! + 8! - K(4,\sqrt{9}) \times 3!. & 43998 &:= 8! + (\sqrt{9})! \times K(\sqrt{9} \times 3!,4). \\
39487 &:= -7 + 8! - K(4!,\sqrt{9}) + 3. & 44496 &:= 6! \times K((\sqrt{9})!,4) + 4! \times 4!. \\
39488 &:= 8! - K((8-4)!,\sqrt{9}) - 3. & 44616 &:= 6! \times (1 + K(6,4)) - 4!. \\
39491 &:= (-1 + 9)! - K(4!,9/3). & &
\end{aligned}$$

$$44879 := 9 \times 7! - K(8 \times \sqrt{4}, 4).$$

$$45278 := 8! + 7! - 2 \times K(5, 4).$$

$$45319 := 9 \times (1 + 3!)! - K(5, 4).$$

$$45384 := K(4 + 8 \times 3, 5) \times 4!.$$

$$45729 := \sqrt{9^2} \times (7! + K(5, 4)).$$

$$45792 := 2 \times 9 \times K(7, 5) \times 4!.$$

$$46369 := -(\sqrt{9})!! + K(6 + 3, 6)^{\sqrt{4}}.$$

$$46379 := -K(9, 7) + 3!^6 - 4!.$$

$$46824 := K(-\sqrt{4} + 28, 6) \times 4!.$$

$$46879 := 9 \times (7! + K(8, 6)) - \sqrt{4}.$$

$$46945 := -5! - 4! + K(9, 6)^{\sqrt{4}}.$$

$$46969 := -(\sqrt{9})!!/6 + K(9, 6)^{\sqrt{4}}.$$

$$47299 := K(9, (\sqrt{9})!)^2 + 7!/4!.$$

$$47408 := 8! + K(-0! + 4!, 7) \times 4.$$

$$47656 := (-K(6, 5) + 6!) \times 74.$$

$$47994 := K(4, \sqrt{9}) \times ((\sqrt{9})! + 7!/\sqrt{4}).$$

$$49729 := (K(9, (\sqrt{2+7})!) + (\sqrt{9})!)^{\sqrt{4}}.$$

$$49848 := 8! + K(4 + 8, (\sqrt{9})!) \times 4!.$$

$$50407 := 7 \times K(0! + 4!, (-0! + 5)!).$$

$$52888 := 88 \times K(8 \times 2, 5).$$

$$53206 := (6! - 0!) \times (-2 + K(3!, 5)).$$

$$53765 := (5! + 6!) \times K(7, 3) + 5.$$

$$54036 := 6 \times 3! \times K(0! + 4!, 5).$$

$$54437 := 7 \times 3! \sqrt{K(4, 4)} + 5.$$

$$54467 := 7 \times (6\sqrt{K(4, 4)} + 5).$$

$$54475 := -5^7 + K(4!, 4) \times 5!.$$

$$54596 := 6! \times K((\sqrt{9})!, 5) - 4 - 5!.$$

$$54624 := 4! \times K(26, \sqrt{4} + 5).$$

$$54744 := K(4! + \sqrt{4}, 7) \times 4! + 5!.$$

$$55389 := (\sqrt{9} + 8)!/3!! - K(5, 5).$$

$$55399 := 9^{\sqrt{9}} \times K(3!, 5) - 5.$$

$$56133 := 3^{3!} \times (1 + K(6, 5)).$$

$$57995 := K((-5 + 9)!, (\sqrt{9})!) \times 7 \times 5.$$

$$59096 := K(6, \sqrt{9}) + 0! + 9^5.$$

$$59099 := 9! / (\sqrt{9})! - K((0! + \sqrt{9})!, 5).$$

$$59139 := K((\sqrt{9})!, 3!) - 1 + 9^5.$$

$$59197 := K(7, (\sqrt{9})! + 1) + 9^5.$$

$$59218 := K(8, (1 + 2)!) + 9^5.$$

$$59245 := K(5, 4) \times (2 \times (\sqrt{9})!! + 5).$$

$$59355 := K(5, 5) \times 3! + 9^5.$$

$$59515 := -5 + K(\sqrt{1+5!}, 9) \times 5!.$$

$$59785 := K(5!/8, 7) + 9^5.$$

$$59911 := K(11, (\sqrt{9})!) \times K(9, 5).$$

$$59938 := K(8, 3!) + (\sqrt{9})!! + 9^5.$$

$$62424 := 4! \times K(2 + 4!, 2 + 6).$$

$$63384 := 4! + (K(8, 3) + 3) \times 6!.$$

$$63744 := 4! \times (K(4!, 7) + 3 + 6!).$$

$$63973 := K(3! + 7, 9) \times K(3!, 6).$$

$$64729 := K(\sqrt{9^2}, 7)^{\sqrt{4}} + 6!.$$

$$64798 := \sqrt{K(8, (\sqrt{9})!) \times 7!} - \sqrt{4} - 6!.$$

$$64975 := (5! - 7) \times (-K(9, 4) + 6!).$$

$$65395 := -5 + K(9, 3) \times (-5! + 6!).$$

$$65664 := 4! \times 6 \times K(6, 5) \times 6.$$

$$65892 := 2 \times K(9, 8) \times (5! - 6).$$

$$66157 := (7 + (5 + 1)!) \times K(6, 6).$$

$$66248 := (8 + (4 + 2)!) \times K(6, 6).$$

$$66495 := (-5 + (\sqrt{9})!!) \times (\sqrt{4} + K(6, 6)).$$

$$74509 := 9!/05 + K(4!, 7).$$

$$74685 := 5!/8 \times (-K(6, 4) + 7!).$$

$$75882 := 2 \times (8! + K(8, 5)) - 7!.$$

$$76327 := K(7, 2 + 3) \times 6! + 7.$$

$$76475 := 5^7 - K(4!, 6) + 7.$$

$$77882 := 2 \times (8! - K(8, 7) \times 7).$$

$$78393 := 3!! \times K(9, 3) - 87.$$

$$79344 := (K(4!, 4) - 3) \times 9!/7!.$$

$$79734 := (K(4!, 3) - 7) \times 97.$$

$$80459 := -K(9, 5) + \sqrt{4} \times (08)!.$$

$$80472 := 2 \times (-K(7, 4) + 0! + 8!).$$

$$80767 := K(7, 6) + (7 + 0!)! + 8!.$$

$$82741 := K(1 + 4!, 7) + 2 \times 8!.$$

$$82843 := -3! + K(4!, 8) + 2 \times 8!.$$

$$82849 := K((\sqrt{9})! \times 4, 8) + 2 \times 8!.$$

$$83942 := 2 \times (K(4!, (\sqrt{9})!) - 3! + 8!).$$

$$83954 := \sqrt{4} \times (K((-5 + 9)!, 3!) + 8!).$$

$$84289 := ((\sqrt{9})!! + 8!) \times 2 + K(4!, 8).$$

$$84362 := (2 + 6!) \times K(3!, 4) + 8!.$$

$$84667 := (7 + 6!) \times K(6, 4) + 8!.$$

$$85824 := 4!^2 \times (K(8, 5) + 8).$$

$$85959 := (\sqrt{9})!! \times 5! - K((\sqrt{9})! + 5, 8).$$

$$86365 := 5! \times 6! - \sqrt{K(3 \times 6, 8)}.$$

$$86435 := 5! \times 3!! + \sqrt{K(4! - 6, 8)}.$$

$$88384 := K(4!, 8 - 3) \times 8 \times 8.$$

$$90297 := K(7, (\sqrt{9})!) \times ((2 + 0!)!! - 9).$$

$$91437 := K(7, 3!) \times (4 - 1)!! - \sqrt{9}.$$

$$93024 := K(4, 2 + 0!)! / (3! + 9)!.$$

$$93267 := (K(7, 6) + 2) \times (3!! + \sqrt{9}).$$

$$93434 := \sqrt{4} \times (K(3!, 4) + 3!^{(\sqrt{9})!}).$$

$$93624 := 4! \times K(26, 3 + 9).$$

$$94506 := (-6 + (05)!) \times K(4!, \sqrt{9}).$$

$$94857 := 7 \times (5! \times K(8, 4) - 9).$$

$$95496 := 69 \times (K(4!, 5) + \sqrt{9}).$$

$$95791 := 19 \times 7! + K(5, \sqrt{9}).$$

$$97405 := ((\sqrt{9})!! + K(7, 4)) \times (0! + 5!).$$

$$97458 := (-K(8, 5) + 4^7) \times (\sqrt{9})!.$$

$$98259 := (K(9, 5)^2 - 8) \times \sqrt{9}.$$

$$98464 := (4 + 6!) \times K(\sqrt{4} + 8, \sqrt{9}).$$

$$99474 := (-\sqrt{4} + 7)! \times K(4!, \sqrt{9}) - (\sqrt{9})!.$$

$$99483 := (-3 + 8)! \times K(4!, \sqrt{9}) + \sqrt{9}.$$

$$99489 := (-\sqrt{9} + 8)! \times K(4!, \sqrt{9}) + 9.$$

$$99534 := K(4!, 3) \times 5! + (\sqrt{9})! \times 9.$$

5 Combined Selfie Numbers

This section brings **selfie numbers** in such a way that they have equality sign with different functions. This we have considered two-by-two ways. Finally, results with all the three functions are also given. In some case, the results are in digit's order or reverse together.

5.1 Coefficients Binomials and S-gonal

Below are few selfie numbers connecting two formulas: **binomial coefficients** and **s-gonal numbers**. In some cases the ordered in not same, it is either in digit's order or reverse.

$$0699 := -C((\sqrt{9})!, \sqrt{9}) + 6! - 0! = (-P((\sqrt{9})!, \sqrt{9}) + 6!) \times 0!.$$

$$00493 := C(3 + 9, 4) - 0! - 0! = 3! \times (P(9, 4) + 0!) + 0!.$$

$$02408 := 8 \times (C(0! + 4!, 2) + 0!) = 8 \times (0! + P(4!, 2 + 0!)).$$

$$02964 := 4 \times 6! + C(9, 2 + 0!) = 4 \times (6! + P((\sqrt{9})!, 2 + 0!)).$$

$$04987 := 7! - C(8, \sqrt{9}) + 4 - 0! = 7! - 8 - P(9, \sqrt{4} + 0!).$$

$$\begin{aligned}
11344 &:= C(4!, 4) + 3!! - 1 - 1 &= P(4, 4) \times (3!! - 11). \\
13448 &:= 8 + (4 + 4)! / C(3, 1) &= (8! + 4!) / \sqrt{P(4, 3)} - 1. \\
13464 &:= 4! + (\sqrt{64})! / C(3, 1) &= P(13 + 4, 6) \times 4!. \\
13488 &:= 8 \times (8! / 4! + C(3, 1)!) &= (1 \times 3! + P(4!, 8)) \times 8. \\
14352 &:= (-2 - 5! + 3!!) \times C(4, 1)! &= P(-1 + 4!, 3) \times 52. \\
14950 &:= C(-1 + 4! + \sqrt{9}, 5 - 0!) &= (-1 + P(4!, \sqrt{9})) \times 50. \\
16345 &:= C(5, 4)^{3!} + C(6, 1)! &= P(5, 4)^3 + 6! \times 1. \\
34968 &:= -3 \times C(4!, \sqrt{9}) + 6! + 8! &= 8! - 6! \times 9 + P(4!, 3!). \\
35937 &:= (C(7, 3) - \sqrt{9 - 5})^3 &= (7 + P(3!, \sqrt{9}) + 5)^3. \\
36431 &:= 3 \times 6 \times C(4!, 3) - 1 &= -1 + 3 \times 4!! / P(6, 3)!. \\
36432 &:= (3 + 6) \times C(4!, 3) \times 2 &= 23 \times 4! \times P(6, 3!). \\
36434 &:= 3 \times 6 \times C(4!, 3) + \sqrt{4} &= \sqrt{4} + 3 \times 4!! / P(6, 3)!. \\
38472 &:= (2 \times 7)^4 + C(8, 3) &= -3!! + 8! - P(4!, (\sqrt{7 + 2})!). \\
38888 &:= 8 + 8! - 8! / C(8, 3!) &= 8! - 8 \times (P(8, 8) + 3). \\
39435 &:= C(5 + 3!, \sqrt{4}) \times (-\sqrt{9} + 3!!) &= (3!! - \sqrt{9}) \times (4 + P(3!, 5)). \\
39468 &:= -3! - C(9, 4) - 6! + 8! &= -P(3!, (\sqrt{9})!) \times \sqrt{4} - 6! + 8!. \\
39648 &:= 8! - (\sqrt{4} + 6) \times C(9, 3) &= 8! - P(\sqrt{4} \times 6, 9 + 3). \\
39738 &:= 8! + 3! - 7 \times C(9, 3) &= 8! - 3! \times P(7, (\sqrt{9})!) - 3!. \\
39784 &:= 4! + 8! - C(7 + 9, 3) &= -P(3! + 9, 7) + 8! + 4. \\
39948 &:= 8! - 4 \times (9 + C(9, 3)) &= 8! - P(4! + \sqrt{9}, \sqrt{9}) + 3!. \\
39978 &:= 8! - 7^{\sqrt{9}} + C(\sqrt{9}, 3) &= -P(3 + \sqrt{9} \times 9, 7) + 8!. \\
40335 &:= (5 + 3)! + C(3!, \sqrt{04}) &= P(4 + 0!, 3) + (3 + 5)!. \\
40345 &:= (C(5, 4) + 3)! + 0! + 4! &= P(5, 4) + (3! + \sqrt{04})!. \\
40378 &:= 8! + C(7, 3) - 0! + 4! &= 8! + (P(7, 3) + 0!) \times \sqrt{4}. \\
40698 &:= 8! + C\left(\sqrt{\sqrt{96}} + 0!, \sqrt{4}\right) &= 8! + P(9, 6 + 0!) \times \sqrt{4}. \\
47496 &:= 6^{(\sqrt{9})!} + 4! \times C(7, 4) &= 4! \times (-7 + P(4!, 9)) + 6!. \\
49335 &:= C(4! + \sqrt{9}, 3!) / C(3!, 5) &= (4! + P(9, 3)) \times (3!! - 5). \\
54264 &:= C(4! - 6/2, (\sqrt{4 + 5})!) &= P(4!, 6) \times 2 \times 4! + 5!. \\
59054 &:= 5 + 9^{C(05, 4)} &= 5 + 9^{\sqrt{P(05, 4)}}. \\
74431 &:= (1 + 3!) \times (C(4!, 4) + 7) &= 7^{\sqrt{P(4, 4)}} \times 31. \\
83544 &:= C(4!, 4! - 5) + 3!! + 8! &= \sqrt{P(8, 3)} \times (5! - \sqrt{4})^{\sqrt{4}}. \\
87355 &:= (C(8, 7) + 3!!) \times 5! - 5 &= 8 \times P(7, 3!) \times 5! - 5. \\
98464 &:= C(9 + 8, \sqrt{4}) \times (6! + 4) &= (4 + 6!) \times P(4! - 8, \sqrt{9}).
\end{aligned}$$

5.2 Coefficients Binomials and Centered Polygonal Numbers

Below are few selfie numbers connecting two formulas: **binomial coefficients** and **centered polygonal numbers**. In some cases the ordered in not same, it is either in digit's order or reverse.

$$1464 := \sqrt{4} \times 6! + C(4, 1)! = 4! \times K(6, 4) \times 1.$$

$$2688 := \sqrt{8! \times 8!} / C(6, 2) = 8! / \sqrt{K(8, 6 + 2)}.$$

$$00189 := 9 \times C(8 - 1, 0! + 0!) = K(9, 8) - 100.$$

$$01934 := C(4!, 3) - 9 \times 10 = K(4!, -3 + 9 + 1) + 0!.$$

$$03599 := -C(9, 9) + 5! \times 30 = K(\sqrt{9}, \sqrt{9}) \times 5! \times 3 - 0!.$$

$$07944 := 4! \times (C((\sqrt{4} + 9), 7) + 0!) = K(4! + 4, \sqrt{9}) \times 7 - 0!.$$

$$11544 := 4! \times (4 \times 5! + C(1, 1)) = K(1 + 15, 4) \times 4!.$$

$$12144 := C(4!, 4 - 1) \times (2 + 1)! = (K(4, 4) - 1)! / 21!.$$

$$13248 := 8 \times C(4!, 2) \times C(3, 1)! = 8 \times (K(4!, 2 \times 3) - 1).$$

$$13448 := 8 + (4 + 4)! / C(3, 1) = K(-1 + 3!, 4)^{\sqrt{4}} \times 8.$$

$$13689 := 9 + (8! + 6!) / C(3, 1) = 9 \times \sqrt{K(8, 6)^{3-1}}.$$

$$14404 := 4 + (0! + 4)! \sqrt{C(4, 1)} = \sqrt{4} \times (K(0! + 4!, 4!) + 1).$$

$$14408 := 8 + (0! + 4)! \sqrt{C(4, 1)} = 8 \times K(0! + 4!, (4 - 1)!).$$

$$18234 := (C(4!, 3) + 2) \times (8 + 1) = 18 \times K(23, 4).$$

$$35943 := C(3!, 5) + (9 + 4!)^3 = 3! + (K(5, \sqrt{9}) + \sqrt{4})^3.$$

$$38936 := 6! \times 3! \times 9 + C(8, 3) = -K(6 \times 3, 9) + 8! - 3!.$$

$$38948 := 8! - 49 \times C(8, 3!) = 8! - K(K(4, \sqrt{9}), 8) - 3.$$

$$39386 := C(3!, \sqrt{9}) + 3^8 \times 6 = 3 - K(9, 3!) + 8! - 6!.$$

$$39435 := C(5 + 3!, \sqrt{4}) \times (-\sqrt{9} + 3!!) = (K(5, 3) + 4!) \times (-\sqrt{9} + 3!!).$$

$$39468 := -3! - C(9, 4) - 6! + 8! = (3 - K(9, 4)) \times 6 + 8!.$$

$$39648 := 8! - (\sqrt{4} + 6) \times C(9, 3) = K(3!, \sqrt{9}) - 6! + \sqrt{4} + 8!.$$

$$39738 := 8! + 3! - 7 \times C(9, 3) = -3! - 9 \times K(7, 3) + 8!.$$

$$40343 := 4! - 0! + (3! + \sqrt{C(4, 3)})! = 4! - 0! + (\sqrt{K(3 + 4, 3)})!.$$

$$43839 := C(\sqrt{9} \times 3!, 8) + 3^4 = ((4 + 3)! - K(8, 3!)) \times 9.$$

$$43944 := C(4!, -4 + 9) + 3!! \times \sqrt{4} = (K(4!, 4) + (\sqrt{9})! + 3!!) \times 4!.$$

$$45384 := C(4!, 8 - 3) + 5! \times 4! = K(4 + 8 \times 3, 5) \times 4!.$$

$$62496 := (6! + 24) \times C(9, 6) = 6 \times 2 \times 4! \times K(9, 6).$$

$$63744 := (C(4!, 4) - \sqrt{7 - 3}) \times 6 = 4! \times (K(4!, 7) + 3 + 6!).$$

$$76327 := 7 + 6! + C(3!, 2) \times 7! = K(7, 2 + 3) \times 6! + 7.$$

$$\begin{aligned}
90444 &:= 9!/04 - C(4!, \sqrt{4}) &= (9! + 0! - K(4!, 4))/4. \\
93332 &:= C((\sqrt{9})!, 3) + 3!^{3!} \times 2 &= (K(\sqrt{9}, 3) + 3!^{3!}) \times 2. \\
93332 &:= 2 \times 3!^{3!} + C(3!, \sqrt{9}) &= 2 \times (3!^{3!} + K(3, \sqrt{9})). \\
98464 &:= C(9 + 8, \sqrt{4}) \times (6! + 4) &= (4 + 6!) \times K(\sqrt{4} + 8, \sqrt{9}).
\end{aligned}$$

5.3 S-gonal and Centered Polygonal Numbers

Below are few selfie numbers connecting two formulas: **s-gonal** and **centered polygonal numbers**. In some cases the ordered in not same, it is either in digit's order or reverse.

$$0735 := P(5, 3) + (7 - 0!)! = K(5 \times 3, 7) - 0!.$$

$$5544 := P(4!, -\sqrt{4} + 5!/5) = 4 \times (K(4!, 5) + 5).$$

$$00842 := 2 + P(4!, 8)/(0! + 0!) = K(2^4, 8 - 0!) + 0!.$$

$$02184 := 4! \times P(8 - 1, (2 + 0!)!) = 4! \times K((\sqrt{8 + 1})!, (2 + 0!)!).$$

$$03383 := P(3 \times 8, 3!) \times 3 - 0! = -K(3 \times 8, 3!) + (3! + 0!)!.$$

$$03584 := \sqrt{4^8} \times (P(5, 3) - 0!) = K(4!, 8 + 5) - 3! + 0!.$$

$$05677 := 7 \times (P(7, 6) + (5 + 0!)!) = 7! + 7 \times K(6, 5 + 0!).$$

$$07344 := 4! \times (P(4!, 3) + 7 - 0!) = K(4!, 4!) + 3!! - (7 \times 0)!.$$

$$13448 := (8! + 4!)/\sqrt{P(4, 3) - 1} = K(-1 + 3!, 4)^{\sqrt{4}} \times 8.$$

$$13499 := P(9, \sqrt{9}) \times P(4!, 3) - 1 = -K(9, 9) + 4!^3 \times 1.$$

$$15399 := (-1 + \sqrt{5 \times 3!!}) \times P(9, 9) = K(1 \times 5!/3!, 9) \times 9.$$

$$16756 := -P(6, 5) + 7^{6-1} = -K(6, 4) + 7^{6-1}.$$

$$17537 := P(7 + 3!, 5) \times 71 = (K(7, 3!) + 5!) \times 71.$$

$$17755 := P(1 + 7, 7) \times 5! - 5 = K(1 \times 7, 7) \times 5! - 5.$$

$$17760 := P(1 + 7, 7) \times (6 - 0!)! = K(1 \times 7, 7) \times (6 - 0!)!.$$

$$19888 := (1 + P(9, 8)) \times 88 = 8 \times (K((\sqrt{8 + 8})!, 9) + 1).$$

$$33488 := 8 \times 8^4 + P(3, 3)! = (3 + 3)! + \sqrt{4\sqrt{K(8, 8)}}.$$

$$35995 := -5 + (P(9, \sqrt{9}) + 5) \times 3!! = -5 + K(\sqrt{9}, \sqrt{9}) \times 5 \times 3!!.$$

$$38496 := 3! \times (-P(8, 4) + 9 \times 6!) = -K(6, \sqrt{9}) \times 4! + 8! - 3!!.$$

$$38799 := 9 \times (-9 + 7! - (\sqrt{P(8, 3)})!) = -(\sqrt{9})! \times K(9, 7) + 8! - 3.$$

$$39435 := (3!! - \sqrt{9}) \times (4 + P(3!, 5)) = (K(5, 3) + 4!) \times (-\sqrt{9} + 3!!).$$

$$39486 := 3! \times 9^4 + P(8, 6) = -6! + 8! - K(4, \sqrt{9}) \times 3!.$$

$$39578 := 8! - 7 - P(5, \sqrt{9}) - 3!! = -3! - K(\sqrt{9} \times 5, 7) + 8!.$$

$$39648 := -P(3 + 9, 6 \times \sqrt{4}) + 8! = K(3!, \sqrt{9}) - 6! + \sqrt{4} + 8!.$$

$$\begin{aligned}
39788 &:= -P(3! + 9, 7) + 8! + 8 &= 8! + K(8, 7) - 9^3. \\
39789 &:= -P(3! + 9, 7) + 8! + 9 &= -\sqrt{9} + 8 \times (7! - P((\sqrt{9})!, 3!)). \\
39798 &:= 8! + P(9, 7) + 9 - 3!! &= 8! + 9 \times (-K(7, \sqrt{9}) + 3!). \\
42944 &:= (-4 + P(4!, 9)) \times (-2 + 4!) &= K(4! + 2, \sqrt{9}) \times 44. \\
43932 &:= P(4!, 3! + 9) + (3! + 2)! &= 2 \times 3! + (\sqrt{9})!! \times K(3!, 4). \\
43998 &:= 8! + (\sqrt{9})! + P(9, 3!) \times 4! &= 8! + (\sqrt{9})! \times K(\sqrt{9} \times 3!, 4). \\
\\
49344 &:= (\sqrt{4} + 9)!/3!! - P(4!, 4!) &= K(K(4, \sqrt{9}), 3) \times 4! \times 4. \\
59044 &:= -5 + 9^{0! + \sqrt{P(4,4)}} &= -5 + 9^{\sqrt{K(04,4)}}. \\
66066 &:= (6! + 6) \times P(0! + 6, 6) &= (6 + 6!) \times K(06, 6). \\
\\
73445 &:= 5 + 4! \times P(4!, 3! + 7) &= (\sqrt{K(7, 3)})! + K(4!, 4!) \times 5. \\
80788 &:= P(8, 07) + 8! + 8! &= K(8 - 0!, 7) + 8! + 8!. \\
80788 &:= 8! + P(8, 7) + (08)! &= 8! + 8! + K(7, -0! + 8). \\
93744 &:= (-4! \times 4! + 7!) \times P(3!, \sqrt{9}) &= 93 \times 7! / \sqrt{K(4, 4)}. \\
98464 &:= (4 + 6!) \times P(4! - 8, \sqrt{9}) &= (4 + 6!) \times K(\sqrt{4} + 8, \sqrt{9}).
\end{aligned}$$

5.4 Coefficients Binomials, S-gonal, and Centered Polygonal Numbers

There are very few selfie numbers connecting three formulas: **coefficients binomials**, **s-gonal** and **centered polygonal numbers**. In some cases the ordered in not same, it is either in digit's order or reverse.

$$\begin{aligned}
13448 &:= 8 + (4 + 4)!/C(3, 1) &= (8! + 4!)/\sqrt{P(4, 3)} - 1 &= K(-1 + 3!, 4)^{\sqrt{4}} \times 8. \\
39435 &:= C(5 + 3!, \sqrt{4}) \times (-\sqrt{9} + 3!!) &= (3!! - \sqrt{9}) \times (4 + P(3!, 5)) &= (K(5, 3) + 4!) \times (-\sqrt{9} + 3!!). \\
39648 &:= 8! - (\sqrt{4} + 6) \times C(9, 3) &= -P(3 + 9, 6 \times \sqrt{4}) + 8! &= K(3!, \sqrt{9}) - 6! + \sqrt{4} + 8!. \\
98464 &:= C(9 + 8, \sqrt{4}) \times (6! + 4) &= (4 + 6!) \times P(4! - 8, \sqrt{9}) &= (4 + 6!) \times K(\sqrt{4} + 8, \sqrt{9}).
\end{aligned}$$

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